# **Machine Learning -** Deep Learning fundamentals (69152)

Master in Robotics, Graphics and Computer Vision Ana C. Murillo



#### Next

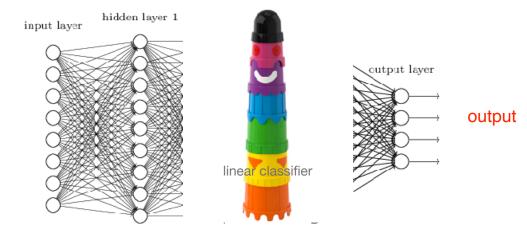
- What's deep learning?
  - Related topics
  - o DL pipeline
- Fundamentals of DL
  - Review basic concepts
  - NN and DNN

## Neural Networks and Deep Neural Networks

#### Neural Networks

data/features

- Neuron: atomic computational unit in NN.
   Params: w, b and f.
- o Activation function (f) usually non linear
- Neural Network: connect several layers, neurons, ...
- o Perceptron: simplest NN. 1 layer binary linear classifier

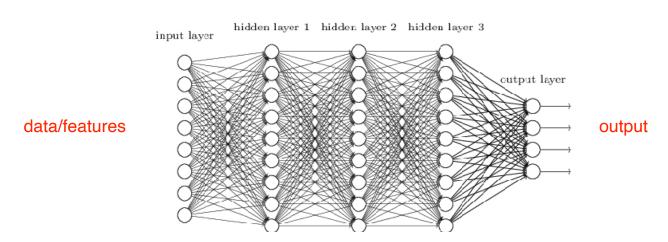


 $y = f(x^T w) = f(\sum w_i x_i + b)$ 

## Neural Networks and Deep Neural Networks

#### Neural Networks

- Neuron: atomic computational unit in NN.
   Params: w, b and f.
- o Activation function (f) usually non linear
- Neural Network: connect several layers, neurons, ...
- o Deep Neural Network: many hidden layers



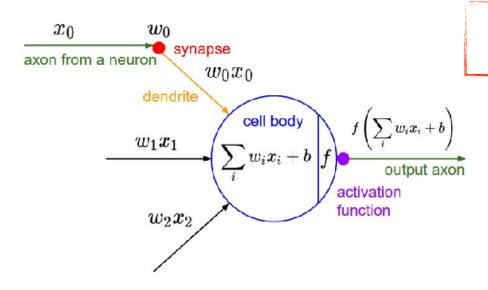
 $y = f(x^T w) = f(\sum w_i x_i + b)$ 

- Deep feed-forward Neural Networks:
   data propagated through the network to predict the output
- Some important DNN ideas and ingredients
  - forward-backward pass
  - activation, optimization, gradient descent, backpropagation
  - parameters (model) and hyperparameters (config.)



#### Forward pass (prediction, inference, ...)

of a fully-connected layer: one matrix multiplication followed by a bias offset and activation function

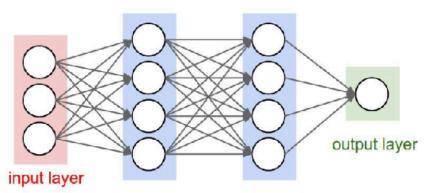


What do we compute here? Score, Loss, Optimization?



#### Forward pass. Feed-forward computation on a 3 layer NN

f(W1, W2, W3) = a(W1, b(W2, c(W3)))



hidden layer 1 hidden layer 2

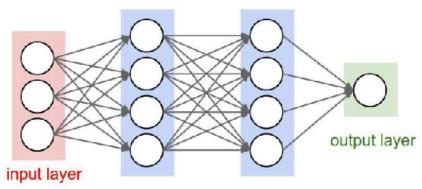
```
fc1 = X.dot(W1) + b1  # A?
X2 = f(fc1) # B?
fc2 = X2.dot(W2) + b2 # C?
X3 = f(fc2) # D?
scores = X3.dot(W3) + b3 # E?
```

What's A, B, C, D, E?



#### Forward pass. Feed-forward computation on a 3 layer NN

f(W1, W2, W3) = a(W1, b(W2, c(W3)))



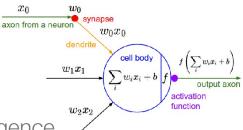
hidden layer 1 hidden layer 2

fc1 = X.dot(W1) + b1 # fully connected
X2 = f(fc1) # Activation Function from hidden layer1
fc2 = X2.dot(W2) + b2 # fully connected
X3 = f(fc2) # Activation Function from hidden layer2
scores = X3.dot(W3) + b3 # output layer

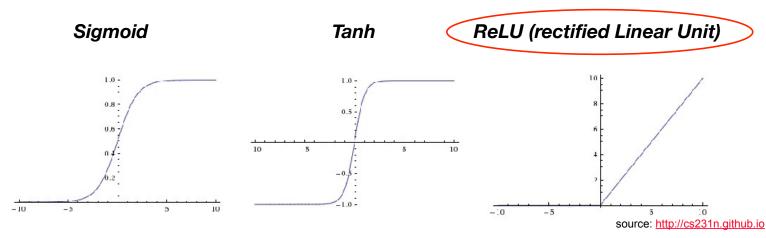


- Activation of a Neuron non linearity!
- ReLU very popular



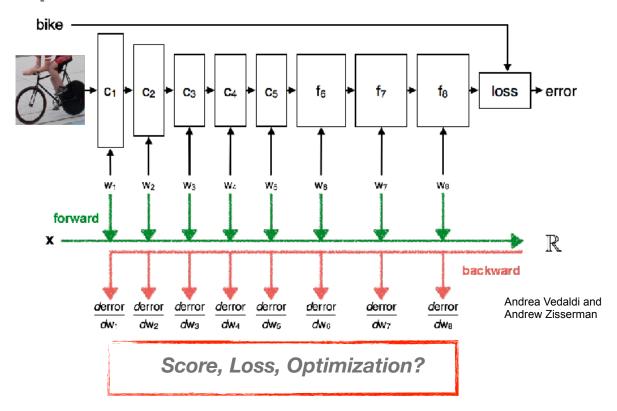


- fast to compute and shown to accelerate convergence
- weak. high learning rate can "kill" many of the neurons (never activated)
- generalisation —> MaxOut unit  $\max(w_1^T x + b_1, w_2^T x + b_2)$





#### Backward pass ...



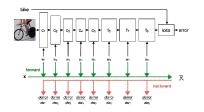


#### **Optimisation/Training:**

start with random weights & iteratively refine to get lower loss

```
while True:
   weights_grad = evaluate_gradient(loss_fun, data, weights)
   weights += - step size * weights grad # perform parameter update
```

- miniB SGD: gradient over batches. improve performance
- backpropagation: gradient analytically using chain rule
  - gates communicate to each other what they need in order to increase the final output (score).
  - allows to optimize relatively arbitrary loss functions (to define all kinds of NN, e.g. CNN)



#### **Optimisation/Training** in practice:

- Network = operations chained together, each one has a simple derivative
- Graph structure. The nodes implement the forward() / backward() API
  - forward pass function (local score from its forward input)score (using layer weigths)

$$s = f(x; W_1, W_2) = W_2 \max(0, W_1 x)$$

$$f = q z$$

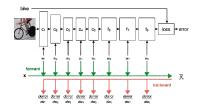
backward pass function (local gradient from its backwards input)
 = d\_error / d\_layer-weigths



$$\frac{\partial L}{\partial W_1}, \frac{\partial L}{\partial W_2}$$

$$df/dz = q$$

$$\circ$$
 update  $W_1=W_1=I_1$  -  $I_2$   $\frac{\partial L}{\partial W_1}$  ; ...



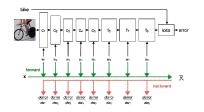
#### Optimisation/Training - Toy example of back propagation

$$s = f(x; W_1, W_2) = W_2 \max(0, W_1 x)$$
$$\frac{\partial L}{\partial W_1}, \frac{\partial L}{\partial W_2}$$

#### How do we do this?

Analytically would be just too long for "deep" sizes ...
L is not directly a function of all W, but is a function of a function of a function, etc

-> CHAIN RULE



Optimisation/Training - Toy example of back propagation





How do we do this?

Analytically would be just too long for "deep" sizes ...

$$f(x, y, z) = (x + y)z$$

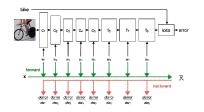
Chain Rule

f = q z

df/dq = z

. . .

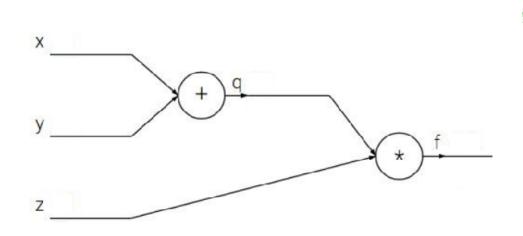
df/dx = df/dq \* dq/dx



Optimisation/Training - Toy example of back propagation

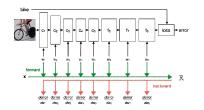
$$f(x, y, z) = (x + y)z$$

e.g. 
$$x = -2$$
,  $y = 5$ ,  $z = -4$ 





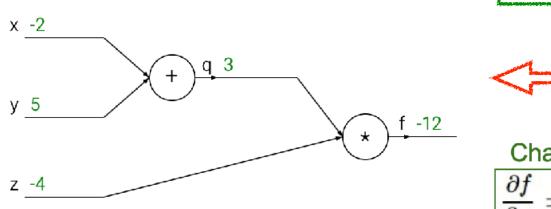
# Deep Learning

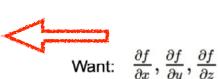


Optimisation/Training - Toy example of back propagation

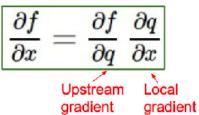
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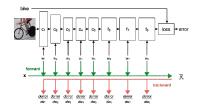




#### Chain rule:



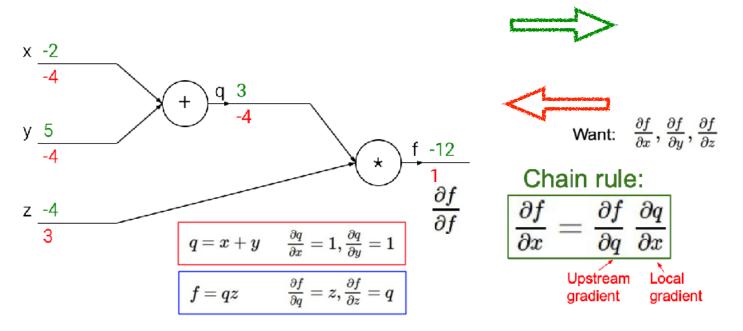
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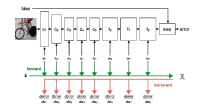


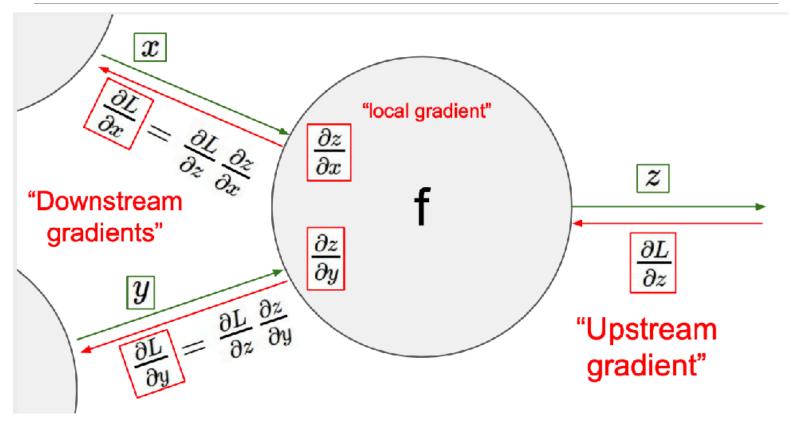
Optimisation/Training - Toy example of back propagation

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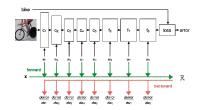
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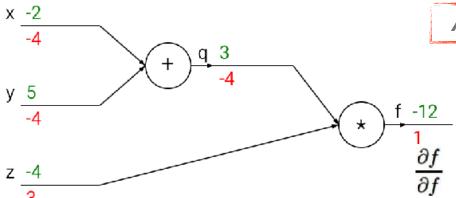
# Deep Learning



Optimisation/Training - Toy example of back propagation

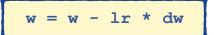
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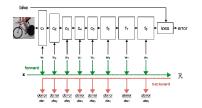


And what does this mean?

#### Weigths update:



$$W_1 = W_1 - /r \frac{\partial L}{\partial W_1}$$
 ; ...



**Optimisation/Training**. Summary of simple common practices:

- Normalize input data
- Initialize weights. Not zero but small random numbers.
- **Batch normalisation**: forcing the activations throughout a network to take on a unit gaussian distribution at the beginning of the training
- Strong regularization avoid overfitting (regularization strenght, dropout, augmentation, ...)
- Different loss functions depending on the task
- Hyper-parameters tunning

#### Next

- What's deep learning?
- Fundamentals of DL
  - Review basic concepts
  - NN and DNN
- CNNs

#### **CNNs**

Convolutional Neural Networks (CNN)

DEMO online, CNN

depth height

output layer

width

purcel

convolution + max pooling

vec

NOT all LAYERS are the same

convolution + pooling layers

Fei-Fei, Karpathy, Johnson. Convolutional Neural Networks for Visual Recognition (http://cs231n.stanford.edu) Evan Shelhamer, Jeff Donahue, Jon Long, Yangqing Jia, and Ross Girshick. Deep Learning for Vision: a Hands-On Tutorial

fully connected layers

Nx binary classification

#### Bibliography - Resources for materials in this block

- Stanford online materials on
   Deep learning for Computer Vision (<a href="http://cs231n.stanford.edu">http://cs231n.stanford.edu</a>)
   and Deep Learning (<a href="https://cs230.stanford.edu/">https://cs230.stanford.edu/</a>)
- Ian Goodfellow, Yoshua Bengio, Aaron Courville,
   Deep Learning, MIT Press, 2016.
   <a href="http://www.deeplearningbook.org">http://www.deeplearningbook.org</a>

#### TO-DO ...

- Lab 2 THIS WEEK (18 OCT , 20 OCT) -> AT A07 unless stated otherwise
- PLEASE have your computer ready with Tensorflow2+Keras (ideally with GPU available) AND/OR we will use Google COLAB
- Recommended COLAB tutorial if you have not used it much before:
   <a href="https://colab.research.google.com/notebooks/intro.ipynb">https://colab.research.google.com/notebooks/intro.ipynb</a>
   <a href="https://colab.research.google.com/notebooks/basic\_features\_overview.ipynb">https://colab.research.google.com/notebooks/basic\_features\_overview.ipynb</a>
   <a href="https://colab.research.google.com/notebooks/basic\_features\_overview.ipynb]</a>
   <a href="https://colab.research

#### **ASSIGNMENT BEFORE YOUR LAB:**

- 1. Pick 5 to 10 classes from one of these datasets (do not take all images from each class if you don't have space)
  - https://www.kaggle.com/kmader/food41/version/5#
  - http://www.robots.ox.ac.uk/~vgg/data/pets/
  - http://www.robots.ox.ac.uk/~vgg/data/flowers/
  - any other dataset you have?
- 2. Put them in folders like ———————>
- 3. Upload to Google Drive if you plan to use COLAB

```
data/
dogs/
dog001.jpg
dog002.jpg
...
cats/
cat001.jpg
cat002.jpg
```