

# ***MACHINE LEARNING FOR LISA DATA PREPROCESSING***

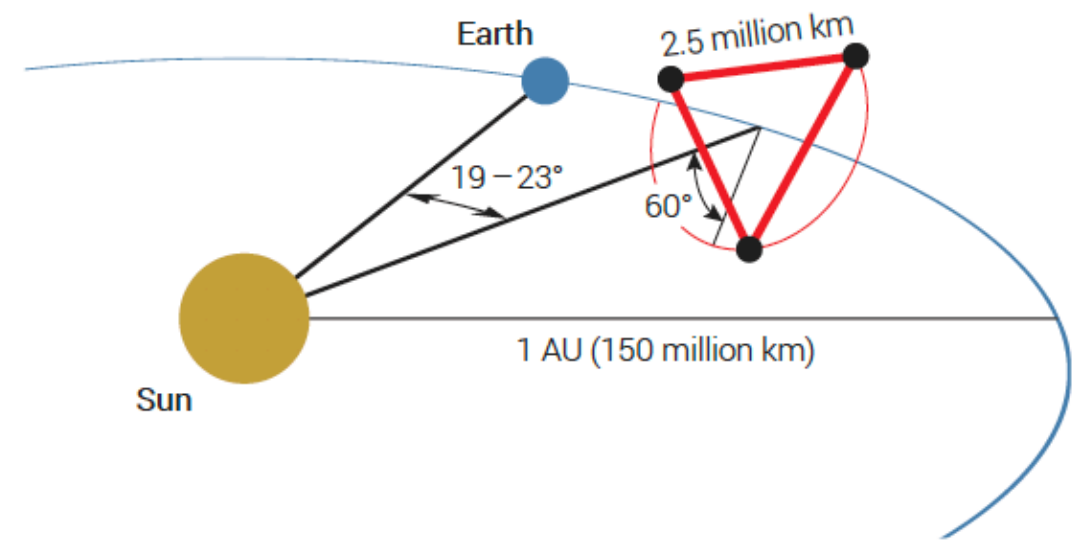
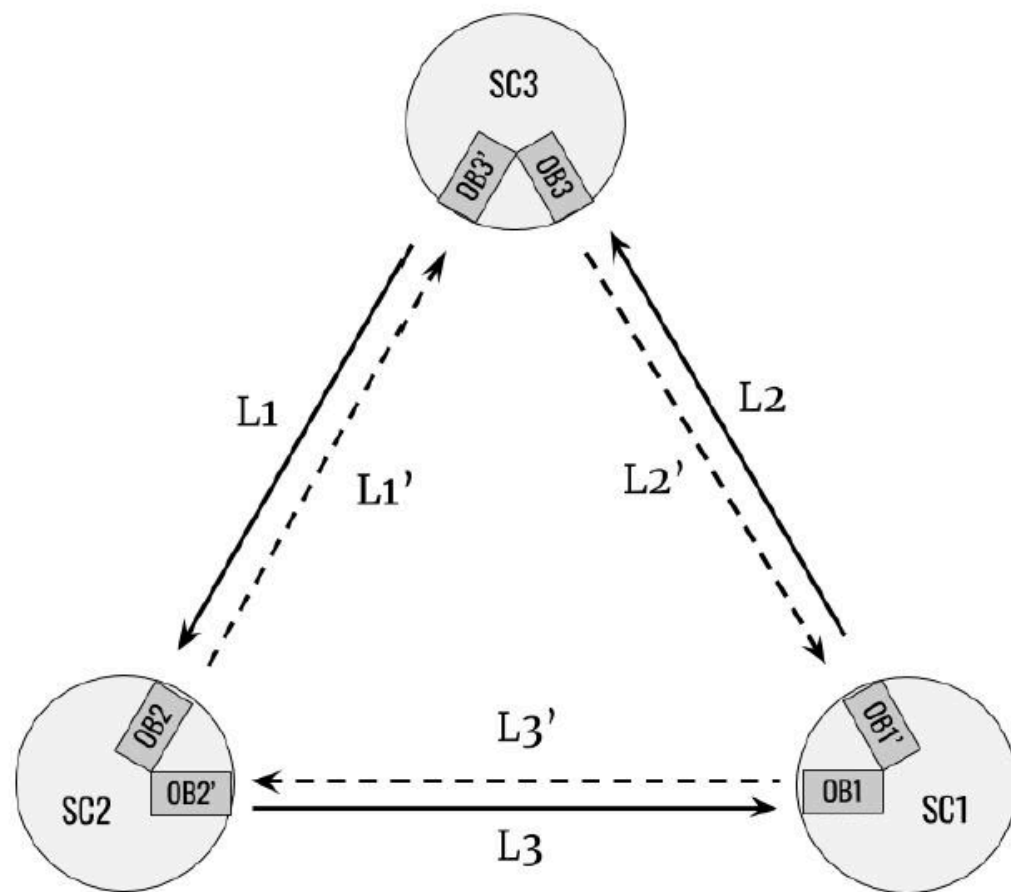
*Natalia Korsakova*

*Robyn Munoz*

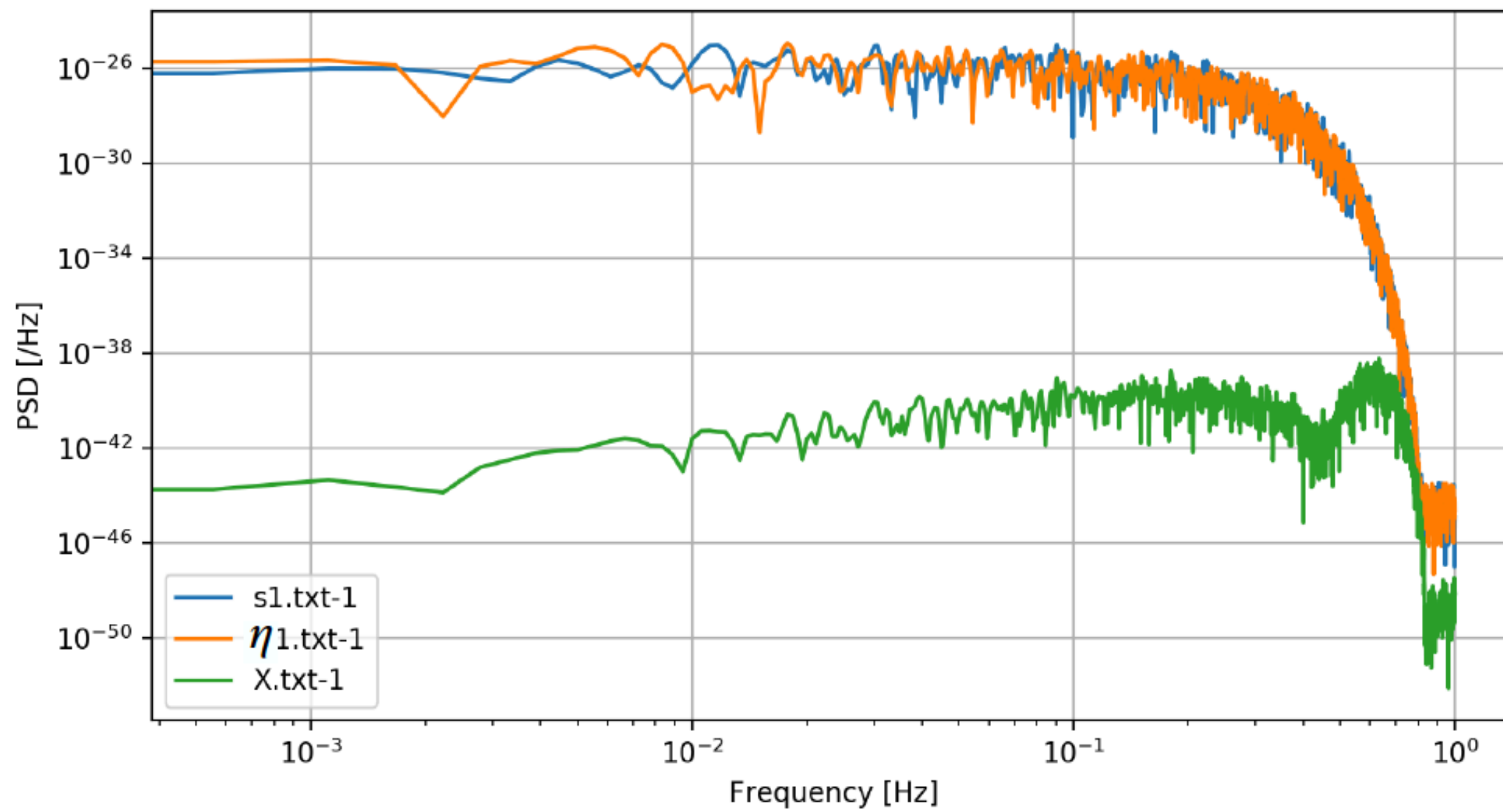
*Observatoire  
de la Côte d'Azur*



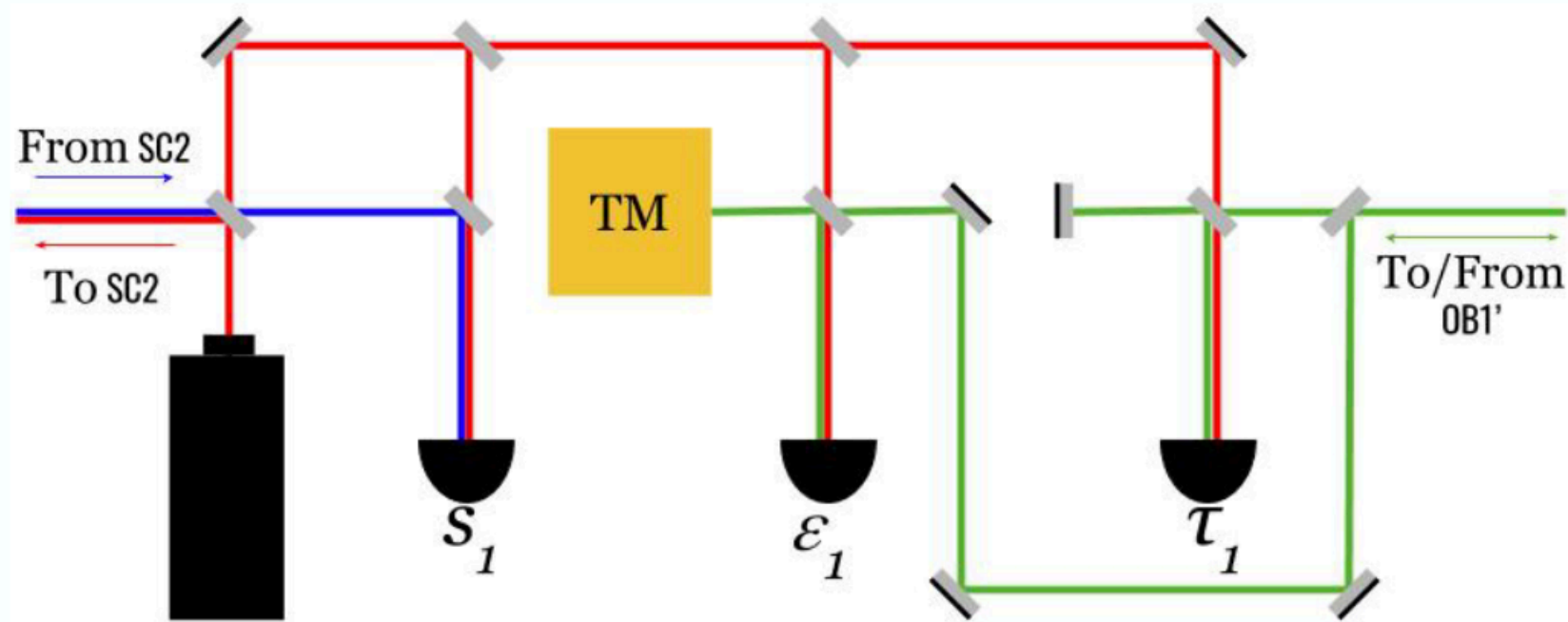
# *Laser Interferometer Space Antenna*



# *Laser Noise*



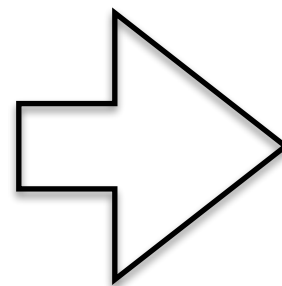
# *Time Delay Interferometry*



**LISA Optical Bench 1**

## Raw Measurements

$$\left\{ \begin{array}{l} s_1, s_1', s_2, s_2', s_3, s_3', \\ \epsilon_1, \epsilon_1', \epsilon_2, \epsilon_2', \epsilon_3, \epsilon_3', \\ \tau_1, \tau_1', \tau_2, \tau_2', \tau_3, \tau_3' \end{array} \right\}$$



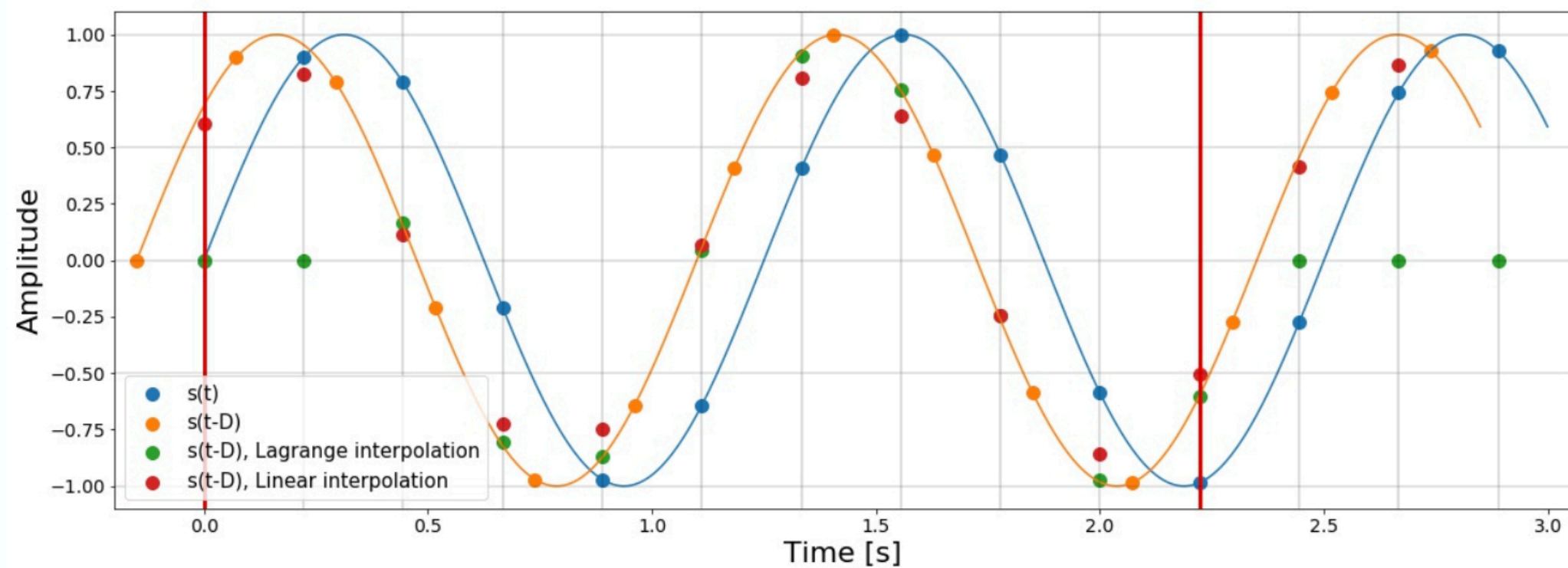
## Michelson Combinations

$$\{X, Y, Z\}$$

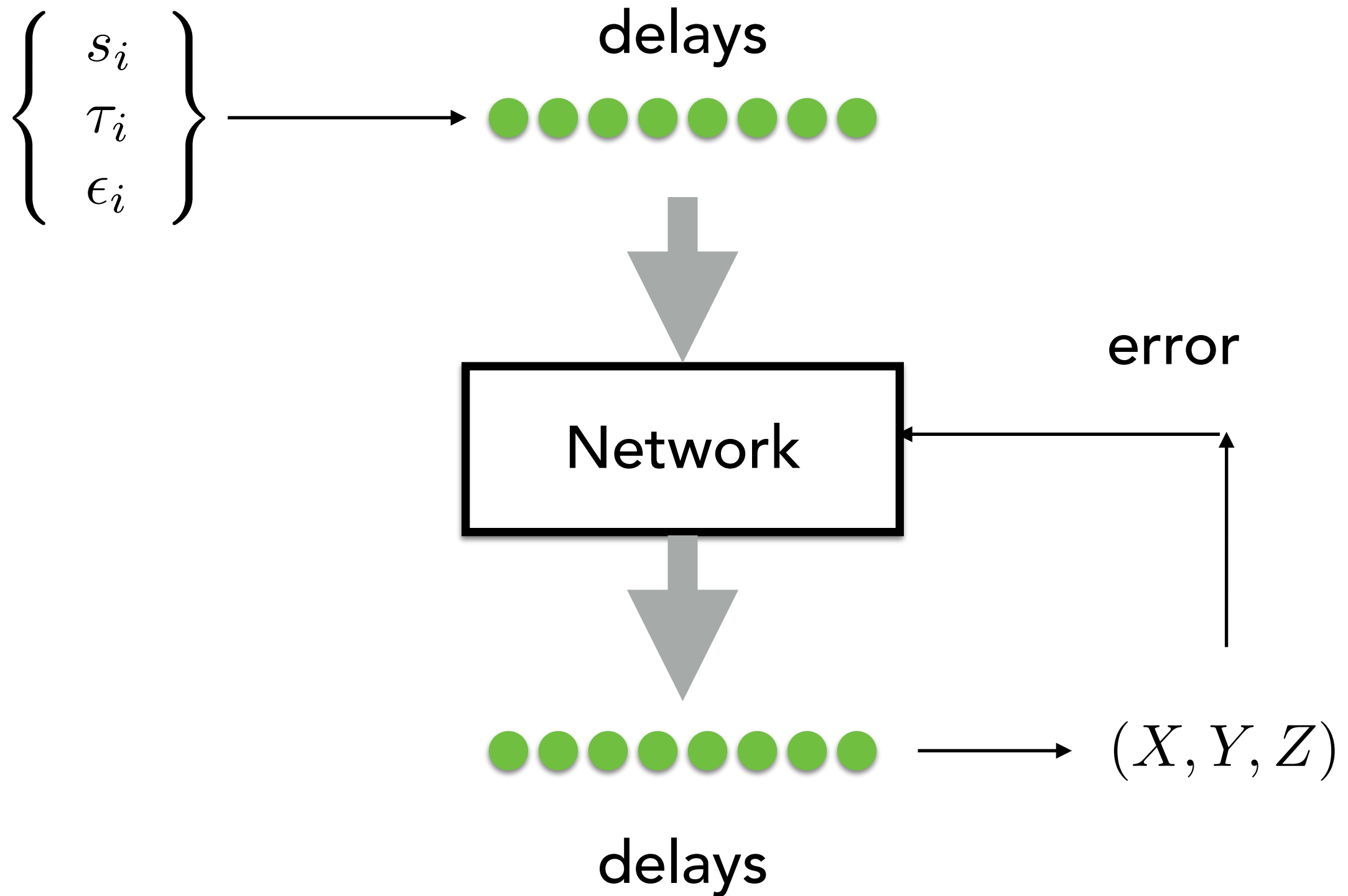
# Lagrange Interpolation

Apply time delays

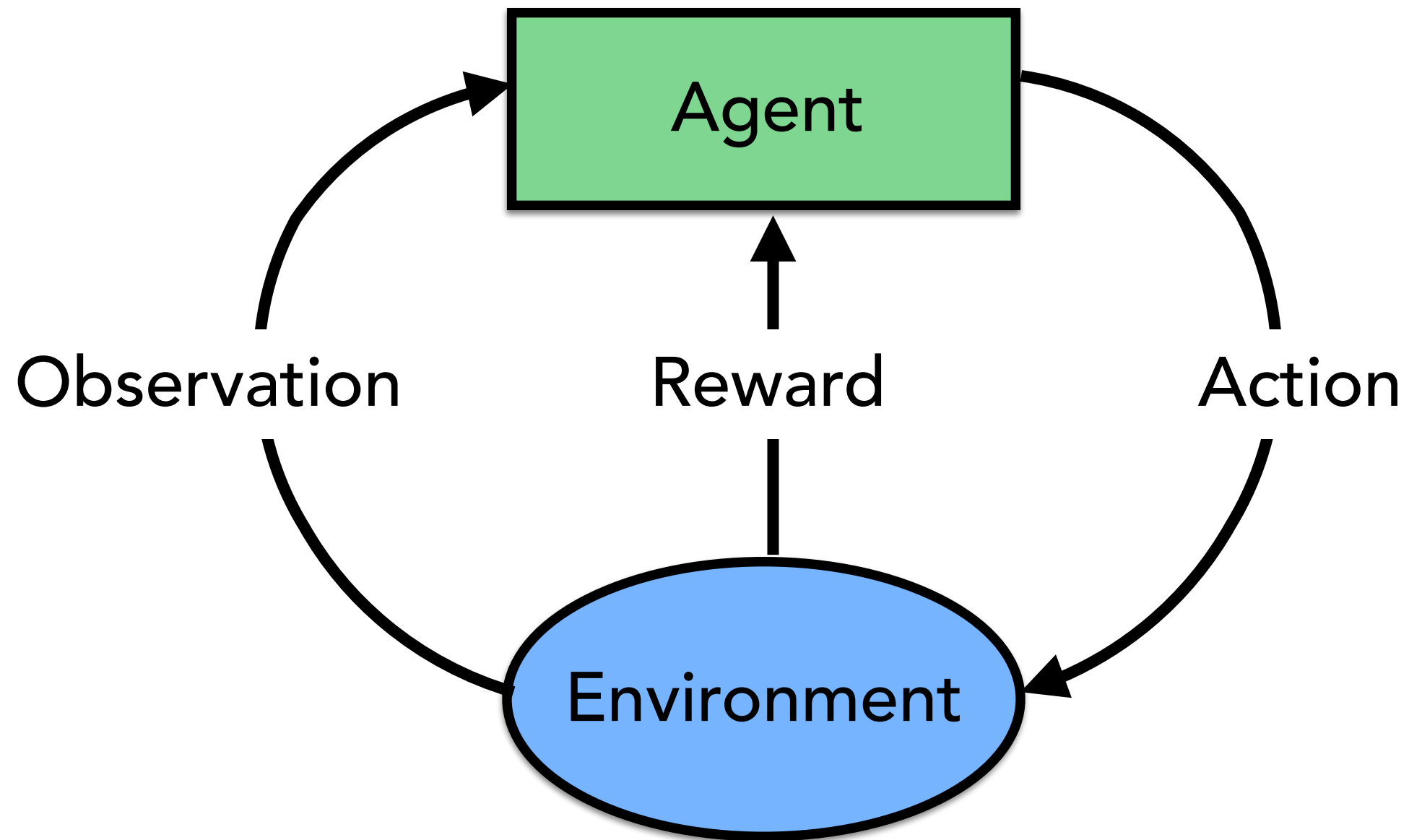
$$L_i(t) = L_i^0 + L_i^1 t + \dots$$



# ***TDIR with NN***



# *Reinforcement learning*



# ***Policy gradient***

$(a_0, r_0, a_1, r_1, \dots)$       *Action - reward pairs, trajectory*

$$R(\tau) = \sum_{t=0}^T \gamma^t r_t \quad \text{Reward}$$

$$J(\pi) = \mathbf{E}_{\tau \sim \pi}[R(\tau)] \quad \text{Performance}$$

$$\nabla_{\Theta} J(\pi) = \mathbf{E}[\nabla_{\Theta} \log \pi(a_t | s_t) R(\tau)] \quad \begin{array}{l} \text{Gradient of performance} \\ \text{can be approximated} \\ \text{by sampling} \end{array}$$