# Detecting Failure Modes in Image Reconstructions with Interval Neural Network Uncertainty<sup>1</sup>

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Doctoral Symposium ACM Conference on Health, Inference, and Learning July 23 & 24, 2020







### Setup

### **Problem Setting**

- ▶ Data set  $\{x_i, y_i\}_{i=1}^m$  consisting of inputs  $x_i \in \mathcal{X}$  and targets  $y_i \in \mathcal{Y}$
- Inverse problem:  $\mathbf{x} = \mathbf{A}\mathbf{y} + \boldsymbol{\eta}$  where  $\mathbf{y} \in \mathbb{R}^n$  is the unknown signal of interest,  $\mathbf{A} \in \mathbb{R}^{m \times n}$  denotes the forward operator representing a physical measurement process, and  $\boldsymbol{\eta} \in \mathbb{R}^m$  is modelling noise in the measurements
- ▶ Prediction function  $\Phi$ :  $\mathcal{X} \to \mathcal{Y}$

#### Goal

A high-resolution alarm system in output-space that is *post hoc*, *efficient*, *easy to interpret* and *effective*.



# Method: Interval Neural Network Uncertainty I

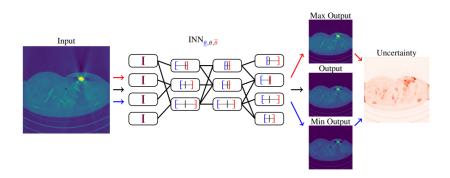


Figure 1: Schematic INN overview

### Method: Interval Neural Network Uncertainty II

For positive values of  $[\underline{x}, \overline{x}]^{(I)}$ , we can express the interval propagation as

$$\overline{\boldsymbol{x}}^{(l+1)} = \varrho \left( \min \left\{ \overline{\boldsymbol{W}}^{(l)}, 0 \right\} \underline{\boldsymbol{x}}^{(l)} + \max \left\{ \overline{\boldsymbol{W}}^{(l)}, 0 \right\} \overline{\boldsymbol{x}}^{(l)} + \overline{\boldsymbol{b}}^{(l)} \right)$$

$$\underline{\boldsymbol{x}}^{(l+1)} = \varrho \left( \max \left\{ \underline{\boldsymbol{W}}^{(l)}, \boldsymbol{0} \right\} \underline{\boldsymbol{x}}^{(l)} + \min \left\{ \underline{\boldsymbol{W}}^{(l)}, \boldsymbol{0} \right\} \overline{\boldsymbol{x}}^{(l)} + \underline{\boldsymbol{b}}^{(l)} \right)$$

These formulas can then be used in existing deep learning frameworks to optimize the bounds of the interval parameters via backpropagation and the following cost function:

$$\mathcal{L}(\underline{\boldsymbol{\Phi}}, \overline{\boldsymbol{\Phi}}) = \sum_{i=1}^{m} \max\{\boldsymbol{y}_{i} - \overline{\boldsymbol{\Phi}}(\boldsymbol{x}_{i}), 0\}^{2} + \max\{\underline{\boldsymbol{\Phi}}(\boldsymbol{x}_{i}) - \boldsymbol{y}_{i}, 0\}^{2}$$

$$+\beta\cdot\left(\overline{\Phi}(x_i)-\underline{\Phi}(x_i)\right)$$

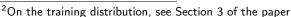


## Method: Interval Neural Network Uncertainty III

#### **INN Perks**

- ► Modular: Plug in a finished prediction function and get uncertainty features on top without retraining
- ▶ Quick: INNs scale linearly in the number of prediction DNN operations K with a constant factor of 2, in contrast to a factor of  $T \ge 10$  for [1]
- ▶ Interpretable: Interval values and analytic coverage bounds<sup>2</sup>  $\mathbb{P}(\underline{\Phi}(\mathbf{x}^*) \lambda \beta < \mathbf{y}^* < \overline{\Phi}(\mathbf{x}^*) + \lambda \beta \mid \mathbf{x}^*) \geq 1 \frac{1}{\lambda}$
- Effective: ?









# Experiments I

#### Failure Modes

- Adversarial Artifact Detection (AdvDetect)
- Atypical Artifact Detection (ArtDetect)
- Error Correlation (EC)

#### **UQ** Methods

- Interval Neural Network (INN):  $u_{\text{INN}}(\widetilde{\mathbf{x}}) = \overline{\boldsymbol{\Phi}}(\widetilde{\mathbf{x}}) \underline{\boldsymbol{\Phi}}(\widetilde{\mathbf{x}})$
- Monte Carlo dropout (MCDrop)[1, 3]:  $\boldsymbol{u}_{\mathsf{MCDrop}}(\widetilde{\boldsymbol{x}}) = \frac{1}{T-1} \left( \sum_{t=1}^{T} \boldsymbol{\Phi}_{t}(\widetilde{\boldsymbol{x}})^{2} \frac{1}{T} \left( \sum_{t=1}^{T} \boldsymbol{\Phi}_{t}(\widetilde{\boldsymbol{x}}) \right)^{2} \right)$
- Mean and Variance Estimation (ProbOut)[4, 2]:  $\mathbf{u}_{\text{ProbOut}}(\widetilde{\mathbf{x}}) = \mathbf{\Phi}_{\text{var}}(\widetilde{\mathbf{x}})$



# Experiments II

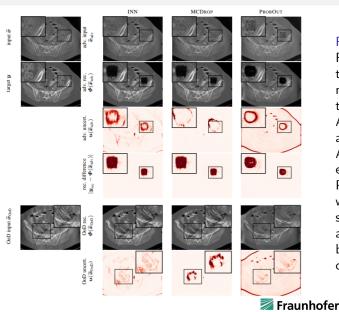


Figure 2: Results of three UQ methods for the AdvDetect and ArtDetect experiments. **Plotting** windows slightly adjusted for better contrast.







## Experiments III

Table 1: Mean test results ( $\pm$  standard deviation) averaged over three experimental runs. Pearson correlation coefficients for the Adversarial Artifact Detection and Atypical Artifact Detection experiments and PWCC with MSE for the EC experiment.

	AdvDetect		ArtDetect		EC	
UQ Method	CT	Denoise	CT	Denoise	PWCC	MSE
INN	$\textbf{0.56} \pm \textbf{0.05}$	$0.77 \pm 0.008$	$\textbf{0.52} \pm \textbf{0.03}$	$\textbf{0.69} \pm \textbf{0.006}$	$\textbf{2211} \pm \textbf{403}$	$7.4 \pm 0.65  imes 10^{-4}$
MCDrop	$0.28\pm 0.02$	$0.20 \pm 0.001$	$0.26\pm 0.01$	$\textbf{0.44} \pm \textbf{0.02}$	$2170 \pm 513$	$7.4 \pm 0.65 \times 10^{-4}$
ProbOut	$\textbf{0.48} \pm \textbf{0.12}$	$\textbf{0.81} \pm \textbf{0.002}$	$\textbf{0.34} \pm \textbf{0.04}$	$\textbf{0.44} \pm \textbf{0.01}$	$190 \pm 28$	$6.7\pm2 imes10^{-3}$

# Musings

- + The advertisements above
  - Dealing with INN activation functions other than ReLU
  - How can we incorporate batch normalization in the INN?
  - ? Beyond inverse problems: classification
  - ? Deeper probabilistic interpretation of INNs beyond ELBO and the approximate posterior <sup>3</sup>
  - ? Application of INNs in DNN compression



## Reliable Machine Learning in Health: ITU/WHO FG-AI4H

http://www.itu.int/go/fgai4h luis.oala@hhi.fraunhofer.de

### Data and AI solution assessment methods (WG-DAISAM)

 (i) Measures and methods, (ii) technical specification of regulatory requirements, (iii) assessment platform

### Other entry points

- Data and AI solution handling (WG-DASH)
- Ethical considerations on AI for health (WG-Ethics)
- Regulatory considerations on AI for health (WG-RC)
- Clinical Evaluation (WG-CE)
- ► Topic Groups (e.g. Ophthalmology)



### References I

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### References II

- Alex Kendall and Yarin Gal. "What Uncertainties Do We Need in Bayesian Deep Learning for Computer Vision?" In: Proceedings of the 31st International Conference on Neural Information Processing Systems. NIPS'17. Long Beach, California, USA: Curran Associates Inc., 2017, pp. 5580–5590. isbn: 9781510860964.
- D. A. Nix and A. S. Weigend. "Estimating the mean and variance of the target probability distribution". In: *Proceedings of 1994 IEEE International Conference on Neural Networks (ICNN'94)*. Vol. 1. June 1994, 55–60 vol.1. doi: 10.1109/ICNN.1994.374138.