Sampling People, Records, & Networks

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Unit 4

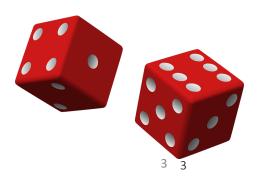
- I Forming groups
- 2 Sampling variance
- 3 More on grouping
- 4 Allocate sample
- 5 Other allocations
- 6 Weights

- Unit I: Sampling as a research tool
- Unit 2: Mere randomization
- Unit 3: Saving money
- Unit 4: Being more efficient
 - Forming groups
 - Sampling variance
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 - Other allocations
 - Weights to combine across strata
- Unit 5: Simplifying sampling
- Unit 6: Some extensions & applications



- Two kinds of weighting
- Stratum
- Element

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- Two kinds of weighting
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- As mentioned, weighting the sample is necessary if we are going to combine across subgroups to get back to conclusions about the total population
- Weighting can be done in principle in two ways
- In practice, using statistical software, it is done in only one of these two ways

$$\hat{\mu_w} = \frac{\sum_{i=1}^{n} w_i x_i}{\sum_{i=1}^{n} w_i} \qquad (1)$$

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• One weighting method is to weight the stratum estimates by the size of the strata: $\bar{y} = \sum_{h=1}^{H} W_h \bar{y}_h$

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- Software only weights by element: $\bar{y} = \sum_{i=1}^{n} w_i y_i$

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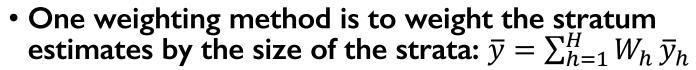
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• Yes, if
$$w_i = \frac{N_h}{n_h}$$



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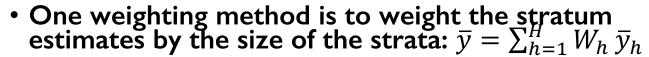
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- We will consider this issue of weighting that is equal to the inverse of the sampling rate later in Unit 6



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Unit 5

- I Selection
- 2 List order
- 3 Intervals with a fractional
- 4 Estimating standard errors

- Unit I: Sampling as a research tool
- Unit 2: Mere randomization
- Unit 3: Saving money
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