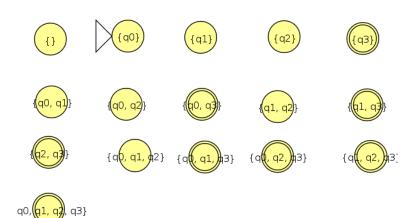
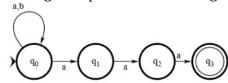
Raphael Prandini Thome de Abrantes – 31828728

 $2^4 = 16$ subconjuntos {} {q0} inicial {q1} {q2} $\{q3\}$ final $\{q0, q1\}$ {q0, q2} {q0, q3} final $\{q1, q2\}$ {q1, q3} final $\{q2, q3\}$ final ${q0, q1, q2}$ $\{q0, q1, \overline{q3}\}$ final {q0, q2, q3} final {q1, q2, q3} final

{q0, q1, q2, q3} final



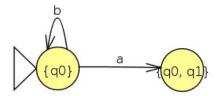
Observando o original: quais estados conseguimos chegar a partir do inicial



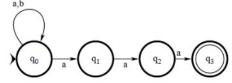
κο para um afnd:

$$\delta(\{q0\}, a) = \{ q0, q1\}$$

$$\delta(\{q0\}, b) = \{ q0\}$$



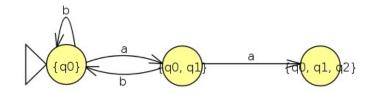
Observando o original: quais estados conseguimos chegar



κο para um afnd:

$$\delta(\{q0, q1\}, a) = \{ q0, q1, q2\}$$

 $\delta(\{q0, q1\}, b) = \{ q0\}$

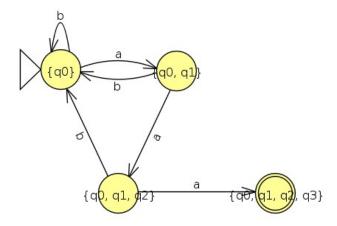


Observando o original: quais estados conseguimos chegar

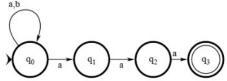
$$q_0$$
 q_1 q_2 q_3

co para um afnd:

$$\begin{array}{lll} \delta(\{\ q0,\ q1\ ,q2\},\ a)=\{q0,\ q1\}\ \cup\ \{q2\}\ \cup\ \{q3\}=\{q0,\ q1,\ q2,\ q3\}\\ \delta(\{\ q0,\ q1\ ,q2\},\ b)=\{q0\}\ \cup\ \{\}\ \cup\ \{\}=\{q0\} \end{array}$$



Observando o original: quais estados conseguimos chegar $_{a,b}$



κο para um afnd:

Resposta:

