Package name: kpfonts (Palatino-like) Derived from: URW Palatino (loosely)

Weights and shapes: {l, m, b}, {n, it}. Features:

• full set of f-ligatures;

- SMALL CAPS in all weights and shapes;
- monospaced lining figures 0123456789;
- taboldstyle (monospaced) figures 0123456789—option oldstylenums makes these the default

Typical invocation: \usepackage[oldstylenums]{kpfonts}

\usepackage[cal=boondoxo]{mathalfa} % mathcal

## Example using this preamble:

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text figures, while using lining figures for math.

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The typeset math below follows the ISO recommendations that only variables be set in italic. Note the use of upright shapes for d, e and  $\pi$ . (The first two are entered as \mathrm{d} and \mathrm{e}, and in kpfonts, the latter is entered as \piup.)

**Simplest form of the Central Limit Theorem:** Let  $X_1$ ,  $X_2$ ,  $\cdots$  be a sequence of iid random variables with mean 0 and variance 1 on a probability space  $(\Omega, \mathcal{F}, \mathbb{P})$ . Then

mean 0 and variance 1 on a probability space 
$$(\Omega, \mathcal{F}, \mathbb{P})$$
. Then
$$\mathbb{P}\left(\frac{X_1 + \dots + X_n}{\sqrt{n}} \le y\right) \to \Omega(y) := \int_{-\infty}^y \frac{e^{-t^2/2}}{\sqrt{2\pi}} dt \quad \text{as } n \to \infty,$$

or, equivalently, letting  $S_n := \sum_{1}^{n} X_k$ ,

$$-\sum_{1}^{n} X_{k},$$

 $\mathbb{E} f\left(S_n/\sqrt{n}\right) \to \int_{-\infty}^{\infty} f(t) \frac{\mathrm{e}^{-t^2/2}}{\sqrt{2\pi}} \, \mathrm{d}t \quad \text{as } n \to \infty, \text{ for every } f \in \mathrm{b}\mathscr{C}(\mathbb{R}).$