

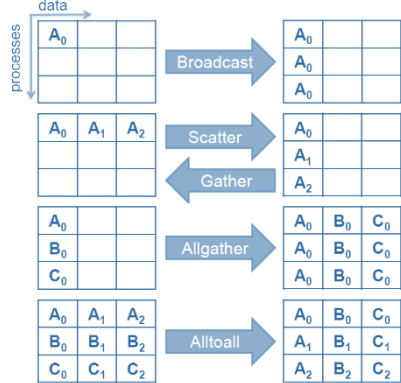
Haskell functions		
app (++)	notElem item list	
chr int (toChar)	nub list (no dups)	
drop count list	null list	
dropWhile func list	odd number	
elem item list (isIn)	partition func list	
even number	repeat str (endless)	
filter func list	replicate cnt el	
flatten [[a]]	reverse list	
fold op init list	show str	
foldr op init list	snd tuple	
fst tuple	sort list	
head list	span tester list	
init list (w/o last)	splitAt leftCnt list	
iterate func init	tail list	
last list	take count list	
length list	takeWhile func list	
map func list	zip list1 list2	
not bool	zipWith func l1 l2	
data Maybe t = Nothing Just t		
** (pow floats)	log x	pi
^ (pow ints)	max x y	product list
abs x	maximum l	round x
all sum	min x y	signum x
and list	minimum l	sin x
cos x	mod x y	sqrt x
div x y	negate x	subtract x y
exp x	not bool	sum list
floor x	or list	tan x

Prolog functions		
append(L1, L2, Res)	atom(X)	
atomic(X)	call(X)	
delete(LX, X, L)	even(X)	
fail	freezeAll([X1, X2,...], T)	
indexOf(El, Ls, ldx)	integer(X)	
X is NumericExpr	member(X, List)	
nat(N) (nat. Num)	not(X)	
odd(X)	permute(Ls, Perm)	
qsort(Ls, SortedLs)	rev(Ls, RevLs)	
split TODO	subseq(SubL, SupL)	
sqrt(X, \sqrt{X})	var(Uninstanciated)	

Type inference	
$CONST: \frac{c \in Const}{\Gamma \vdash c : \tau_c}$	
$VAR: \frac{\Gamma(x) = \tau}{\Gamma \vdash x : \tau}$	
$ABS: \frac{\Gamma, x: \tau_1 \vdash t : \tau_2}{\Gamma \vdash \lambda x. t : \tau_1 \rightarrow \tau_2}$	
$APP: \frac{\Gamma \vdash t_1 : \tau_2 \rightarrow \tau \quad \Gamma \vdash t_2 : \tau_2}{\Gamma \vdash t_1 t_2 : \tau}$	
$LET: \frac{\Gamma \vdash t_1 : \tau_1 \quad \Gamma, x : ta(\tau_1, \Gamma) \vdash t_2 : \tau_2}{\Gamma \vdash \text{let } X = t_1 \text{ in } t_2 : \tau_2}$	
$VAR_{LET} = \frac{\Gamma(x) = \tau' \quad \tau' \geq \tau}{\Gamma \vdash x : \tau}$	
$ABS_{LET} = \frac{\Gamma, x : \tau_1 \vdash t : \tau_2 \quad \tau_1 \text{ kein Typschema}}{\Gamma \vdash \lambda x. t : \tau_1 \rightarrow \tau_2}$	
$ta(\tau, \Gamma) = \forall \alpha_i. \tau \text{ mit } \alpha_i \in FV(\tau) \setminus FV(\Gamma)$	

Churchnumbers, recursion operator	
$c_0 = \lambda s. \lambda z. z \quad c_n = \lambda s. \lambda z. s^n z$	
$plus = \lambda m. \lambda n. \lambda s. \lambda z. m s (n s z)$	
$times = \lambda m. \lambda n. \lambda s. n (m s)$	
$exp = \lambda m. \lambda n. n m$	
$if = boolexpr$	
$b_1 \&\& b_2 = b_1 b_2 c_{false}$	
$isZero = \lambda n. n (\lambda x. c_{false}) c_{true}$	
$c_{true} = \lambda t. \lambda f. t \quad c_{false} = \lambda t. \lambda f. f$	
$succ c_n = TODO$	
$pred = \lambda n. n \phi(\lambda f. f c_0 c_0) c_{true}$	
$\phi = (\lambda x. \lambda f. f (x c_0) (succ (x c_0)))$	

$Y = \lambda f. (\lambda x. f (x x)) (\lambda x. f (x x))$ $f (Y f) = Y f$
Funktional E anwenden: $\sim E = Y E$
MPI SEND/RECEIVE
int MPI_Send(void* buffer, int count, MPI_Datatype datatype, int dest, int tag, MPI_Comm comm) int MPI_Recv(void* buffer, int count, MPI_Datatype datatype, int source, int tag, MPI_Comm comm, MPI_Status* status) MPI_{Send, Ssend, Bsend, Rsend}
MPI SEND/RECEIVE
int MPI_Send(void* buffer, int count, MPI_Datatype datatype, int dest, int tag, MPI_Comm comm) int MPI_Recv(void* buffer, int count, MPI_Datatype datatype, int source, int tag, MPI_Comm comm, MPI_Status* status)
MPI SEND/RECEIVE
int MPI_Bcast(void* buffer, int count, MPI_Datatype t, int root, MPI_Comm comm) int MPI_Scatter(void* sendbuf, int sendcount, MPI_Datatype sendtype, void* recvb, int recvcnt, MPI_Datatype recvt, int root, MPI_Comm comm) int MPI_Gather(void* sendbuf, int sendcount, MPI_Datatype sendtype, void* recvb, int recvcnt, MPI_Datatype recvt, int root, MPI_Comm comm) int MPI_Allgather(void* sendbuf, int sendcount, MPI_Datatype sendtype, void* recvb, int recvcnt, MPI_Datatype recvt, MPI_Comm comm) int MPI_Reduce(void* sendbuf, void* recvb, int count, MPI_Datatype type, MPI_Op op, int root, MPI_Comm comm)



Reducers: MPI_LAND, BAND, LOR, BOR, MAX, MIN, SUM, PROD, MINLOC, MAXLOC

Example: Matrix multiplication

```
void mMult(int argc, char* argv[], int a[n][n], int b[n][n], int c[n][n]) {
    int procs;
    int rank;
    MPI_Init(&argc, &argv);
    MPI_Comm_size(MPI_COMM_WORLD, &procs);
    MPI_Comm_rank(MPI_COMM_WORLD, &rank);

    int from = rank * n / procs;
    int to = (rank+1) * n / procs;
    MPI_Bcast(b, n*n, MPI_INT, 0, MPI_COMM_WORLD);
    MPI_Scatter(a, n*n/procs, MPI_INT, a[from], n*n/procs, MPI_INT, 0, MPI_COMM_WORLD);
    int i, j, k;
    for (i = from; i < to; ++i) {
        for (j = 0; j < n; ++j) {
            c[i][j] = 0;
            for (k = 0; k < n; ++k)
                c[i][j] += a[i][k] * b[k][j];
        } // end all for loops
    }

    MPI_Gather(c[from], n*n/procs, MPI_INT, c, n*n/procs, MPI_INT, 0, MPI_COMM_WORLD);
    MPI_Finalize();
}
```

JML	
@requires	@ensures
=>, <=>, <!=>	\result, \old(abc)
@invariant (class conditions)	
@assignable abc (fields that can be written by method. @assignable \nothing = @pure)	
@signals (Exception e) signalCondition	
{\forallall, \existsits} declar, range-expr, body	
$Precondition_{Super} \Rightarrow Precondition_{Sub}$	
$Postcond_{Sub} \Rightarrow Postcond_{Super}$	
$Invariant_{Sub} \Rightarrow Invariant_{Super}$	

Amdahl	
$S(n) = \frac{1}{(1-p) + \frac{p}{n}}$	$S(n) = \frac{T(1)}{T(n)}$
p = parallelizable percentage of progr.	T(n) = Execution time with n processors

Coffman conditions	
Mutual Exclusion	Hold and wait
No preemption	Circular wait

Actors	
pc A extends AbstractActor { @Ov p Receive createReceive() { return receiveBuilder() .match(MsgClass.class (e.g. String), λMatchTester, λMatchHandler) .matchAny(λMatchHandler).build(); } } ActorSystem as=ActorSystem.create(„name“); ActorRef a = as.actorOf(Props.create(A.class)); a.tell(„message“, ActorRef.noSender()); as.terminate(); Actormethods: preStart(), postStop(), getSelf(), getSender(), sending PoisonPill .getInstance(), ActorRefFactory.stop()	

Java Bytecode	
public int fib(int steps) { int last0 = 1; int last1 = 1; while (--steps > 0) { int t = last0 + last1; last1 = last0; last0 = t; } return last0; }	iconst 1 // Konstante 1 istore 2 // in last0 schreiben iconst 1 // Konstante 1 istore 3 // in last1 schreiben loop begin: iinc 1 -1 // steps-- iload 1 // steps laden ifle after loop // Falls <=0, jump iload 2 // last0 laden iload 3 // last1 laden iadd // addiere (last0+last1) istore 4 // in t (Var 4) schreiben iload 2 // last0 (Var 2) laden istore 3 // in last1 schreiben iload 4 // t (Var 4) laden istore 2 // in last0 schreiben goto loop begin //springe after loop: iload 2 // last0 (Var 2) laden ireturn // Verlassen mit Wert
public class Test { int bar(); int bar() { return foo(42); } int foo(int i) { return i; } } public void arr() { int[] array = new int[10]; array[7] = 42; }	int bar(); aload 0 bipush 42 invokevirtual #foo.test ireturn int foo(int); iload 1 ireturn bipush 10 // Konstante 10 newarray int astore 1 // in (var 1) speichern aload 1 // (var 1) laden bipush 7 // Konstante 7 bipush 42 // Konstante 42 iastore // Wert (42) auf array index (7) von array"array" schreiben return iload 1 iload 2 if_icmplt leftTrueLabel goto thenLabel leftTrueLabel: iload 2 ldc 3 if_icmplt thenLabel goto elseLabel thenLabel: ... goto afterLabel elseLabel: ... afterLabel:
if (!(x<y && !(y<3))) {..} else {..}	