

Compiling Juvix to Cairo

Lukasz Czajka

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- Seamless integration of different compilation targets.

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 - transparent Anoma VM,
 - native code and WASM via C,
 - zkVMs: Cairo, RISC0,
 - formerly: zkLLVM, VamplR,
 - comparatively easy to add new backends.

Example Juvix program

```
import Stdlib.Data.Fixity open;

type List A :=
| nil
| :: A (List A);

open List;

syntax operator :: cons;

map {A B} (f : A -> B) : List A -> List B
| nil := nil
| (x :: xs) := f x :: map f xs;
```

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- Low-level imperative assembly.
- RISC architecture.
- Memory is read-only!
- No “assignment” – only equality assertions.
- Memory accesses required to be continuous (at increasing addresses without gaps).

Example Cairo Assembly program

Computing the factorial of 10.

```
start:  
    [ap] = 10  
    [ap + 1] = 1  
    ap += 2  
  
loop:  
    [ap] = [ap - 2] - 1  
    [ap + 1] = [ap - 1] * [ap - 2]  
    ap += 2  
    jmp loop if [ap - 2] != 0
```

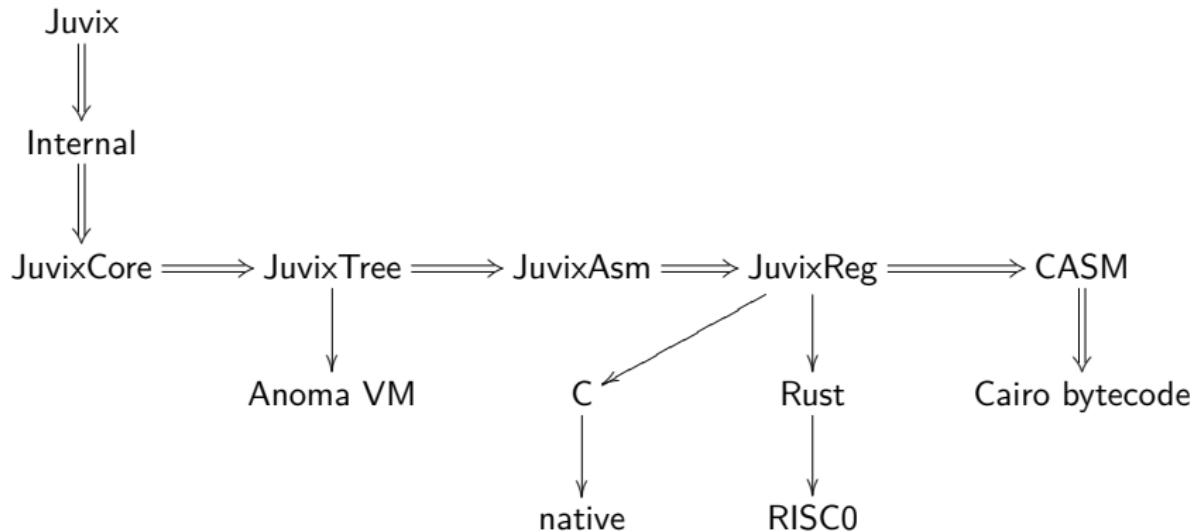
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Result available in [ap - 1].

Juvix compilation pipeline



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- Match:

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match t : T with : T' {  
    pattern1 := b1;  
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- Case:

```
case t of {  
    c1 x1 x2 := b1;  
    c2 x1 x2 x3 := b2  
}
```

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def map :  $\Pi A : \text{Type}, \Pi B : \text{Type},$ 
         $(A \rightarrow B) \rightarrow \text{List } A \rightarrow \text{List } B :=$ 
 $\lambda(A : \text{Type}) \lambda(B : \text{Type}) \lambda(f : A \rightarrow B) \lambda(\_X : \text{List } A)$ 
  match ( $\_X : \text{List } A$ ) with : (List B) {
    (nil (A' : Type)) := nil B;
    (cons (A' : Type) (x : A) (xs : List A)) :=
      cons B (f x) (map A B f xs)
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JuvixCore transformations

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- *Type erasure* removes runtime type information.

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  match (l : List A) with : (List B) {
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Stripped JuvixCore

```
def map : (* -> *) -> List -> List :=  
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- All functions are defined at the top level (no nested or anonymous functions).

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- Functions are simply-typed with the number of arguments (top lambda-abstractions) matching the type.
- All application expressions have the form $ft_1 \dots t_n$ where f is a function name, a variable or a constructor.
- Polymorphic arguments have the $*$ type.

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JuvixTree expressions

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- Branch on a boolean:

```
br(t) {
    true: expr1
    false: expr2
}
```

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- Branch on a constructor tag:

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- Reference the kth constructor argument: `r.ctr[k]` where `r` is `arg[n]` or `tmp[n]`, and `ctr` is a constructor.

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 - Overapplication: $\text{id } f a : B$ for $\text{id} : * \rightarrow *, f : A \rightarrow B$ and $a : A$.
 - Call closure with first $\text{argsnum}(t)$ arguments and repeat.

Translation from Stripped JuvixCore to JuvixTree

- *Application translation* selects the right JuvixTree operation for each JuvixCore application (direct call, static or dynamic closure call, closure allocation or extension, constructor data allocation).

Translation from Stripped JuvixCore to JuvixTree

- *Application translation* selects the right JuvixTree operation for each JuvixCore application (direct call, static or dynamic closure call, closure allocation or extension, constructor data allocation).
- *Dynamic closure call compilation* generates efficient code for call sites with possible partial application or overapplication.

JuvixTree: Example program

```
def map : (* -> *) -> List -> List :=
\(f : * -> *) \(l : List)
  case l of {
    nil := nil;
    cons x xs := cons (f x) (map f xs)
  };
```

```
function map(* -> *, List) : List {
  save(arg[1]) {
    case[List](tmp[0]) {
      nil: alloc=nil]()
      cons:
        alloc[cons](
          call[juvix_apply_1](arg[0], tmp[0].cons[0]),
          call[map](arg[0], tmp[0].cons[1]))
    )
  }
}
```

JuvixTree: Example program

```
function juvix_apply_1(*, *) : * {
    br(eq(1, argsnum(arg[0]))) {
        true: call(arg[0], arg[1])
        false: cextend(arg[0], arg[1])
    }
}

function map(* -> *, List) : List {
    save(arg[1]) {
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            nil: alloc=nil]()
            cons:
                alloc[cons](
                    call[juvix_apply_1](arg[0], tmp[0].cons[0]),
                    call[map](arg[0], tmp[0].cons[1]))
        )
    }
}
```

Application functions

```
function juvix_apply_2(*, *, *) : * {
    save(argsnum(arg[0])) {
        br(eq(2, tmp[0])) {
            true: call(arg[0], arg[1], arg[2])
            false: br(eq(1, tmp[0])) {
                true: call[juvix_apply_1](
                    call(arg[0], arg[1]),
                    arg[2]
                )
                false: cextend(arg[0], arg[1], arg[2])
            }
        }
    }
}
```

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- The translation to JuvixAsm linearizes JuvixTree expressions into sequences of stack-based instructions.

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- The translation to JuvixAsm linearizes JuvixTree expressions into sequences of stack-based instructions.
- *Value stack* stores intermediate computation results.
JuvixAsm instructions typically pop their arguments from the value stack and push the result on the top.

JuvixAsm: Example program

```
function map(* -> *, List) : List {
    push arg[1];
    case List {
        nil: { pop; alloc nil; ret; };
        cons: {
            tsave {
                push tmp[0].cons[1];
                push arg[0];
                call map;
                push tmp[0].cons[0];
                push arg[0];
                call juvix_apply_1;
                alloc cons;
                ret;
            };
        };
    };
};
```

Three-address code representation of JuvixAsm using local variables instead of the value stack.

JuvixReg: Example program

```
function map(* -> *, List) : List {
    case[List] arg[1] {
        nil: {
            tmp[1] = alloc nil ();
            ret tmp[1];
        };
        cons: {
            tmp[1] = arg[1].cons[1];
            tmp[1] = call map (arg[0], tmp[1]);
            tmp[2] = arg[1].cons[0];
            tmp[2] = call juvix_apply_1 (arg[0], tmp[2]);
            tmp[1] = alloc cons (tmp[2], tmp[1]);
            ret tmp[1];
        };
    };
}
```

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 - Necessary because Cairo memory is read-only.
- *Basic block computation* with live variable analysis is a prerequisite for handling the continuity requirement of Cairo memory access.

Cairo Assembly is a textual representation of Cairo bytecode.

CASM: Example program

```
map:  
    jmp rel [[fp - 4]]  
    jmp label_16  
  
label_17: -- cons case  
    [ap] = [[fp - 4] + 2]; ap++  
    [ap] = [fp - 5]; ap++  
    [ap] = [fp]; ap++  
    [ap] = [fp - 3]; ap++  
    call map  
    ... -- omitted code  
    ret  
  
label_16: -- nil case  
    call juvix_get_regs  
    [ap] = [ap - 2] + 3; ap++  
    [ap] = 1; ap++  
    ... -- omitted code  
    ret
```

CASM: Example program (full listing)

```
map:  
jmp rel [[fp - 4]]  
jmp label_16  
[ap] = [[fp - 4] + 2]; ap++  
[ap] = [fp - 5]; ap++  
[ap] = [fp]; ap++  
[ap] = [fp - 3]; ap++  
call map  
[ap] = [fp - 4]; ap++  
[ap] = [fp - 3]; ap++  
call rel 3  
ret  
[ap] = [[fp - 4] + 1]; ap++  
[ap] = [fp - 6]; ap++  
[ap] = [fp]; ap++  
[ap] = [fp - 3]; ap++  
call juvix_apply_1  
[ap] = [fp - 5]; ap++  
call rel 3  
ret  
call juvix_get_regs  
[ap] = [ap - 2] + 3; ap++  
[ap] = 3; ap++  
[ap] = [fp - 4]; ap++  
[ap] = [fp - 3]; ap++  
[ap] = [fp - 5]; ap++  
[ap] = [fp + 4]; ap++  
ret  
label_16:  
call juvix_get_regs  
[ap] = [ap - 2] + 3; ap++  
[ap] = 1; ap++  
[ap] = [fp - 5]; ap++  
[ap] = [fp + 4]; ap++  
ret
```

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