

Table 1: Proof terms for logical connectives

connective	introduction (how to prove)	elimination (how to use)
\rightarrow	<code>fun H => _</code>	$M N$
\wedge	<code>conj</code>	<code>match H with conj H1 H2 => _ end</code>
\vee	<code>or_introl, or_intror</code>	<code>match H with or_introl H' => _ or_intror H' => _ end</code>
\perp		<code>match H with end</code>
\forall	<code>fun x => _</code>	$M x$
\exists	<code>ex_intro _ x Hx</code>	<code>match H with ex_intro _ x Hx => _ end</code>
\neg		$\neg\varphi \equiv \varphi \rightarrow \perp$
\leftrightarrow		$\varphi \leftrightarrow \psi \equiv (\varphi \rightarrow \psi) \wedge (\psi \rightarrow \varphi)$

Table 2: Basic tactics for logical connectives

connective	introduction (how to prove)	elimination (how to use)
\rightarrow	<code>intro, intros</code>	<code>apply, eapply</code>
\wedge	<code>split</code>	<code>destruct H as [H1 H2]</code>
\vee	<code>left, right</code>	<code>destruct H as [H1 H2]</code>
\perp		<code>destruct H, exfalso</code>
\forall	<code>intro, intros</code>	<code>apply, eapply</code>
\exists	<code>exists, eexists</code>	<code>destruct H as [x Hx]</code>
\neg	<code>intro, intros</code>	<code>apply, eapply</code>
\leftrightarrow	<code>split</code>	<code>apply, apply <-, apply -, eapply</code>