neural-network-matrix.R

lukemcevoy

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```
# Problem 5
# Part A
rm(list=ls())
## define the initial weights, input and sigmoid function
# Hidden Input Layer
weight_ih<- c(0.5, 0.6, 0.8, 0.6, 0.2, 0.7, 0.9, 0.8, 0.4, 0.2)
weight_ih
## [1] 0.5 0.6 0.8 0.6 0.2 0.7 0.9 0.8 0.4 0.2
Mw_ih<- matrix(weight_ih , nrow = 5, ncol = 2,byrow = FALSE)</pre>
Mw_ih
##
        [,1] [,2]
## [1,] 0.5 0.7
## [2,] 0.6 0.9
## [3,] 0.8 0.8
## [4,] 0.6 0.4
## [5,] 0.2 0.2
# Hidden Output Layers
weight_ho < -c(0.5, 0.9, 0.9)
weight_ho
## [1] 0.5 0.9 0.9
Mw_ho<-matrix(weight_ho,nrow=3,ncol=1)</pre>
Mw_ho
##
        [,1]
## [1,] 0.5
## [2,] 0.9
## [3,] 0.9
# Input Layer
i < -c(1, 0.4, 0.7, 0.7, 0.2)
## [1] 1.0 0.4 0.7 0.7 0.2
# Sigmoid Function
sigmoid <-function(x )</pre>
{z=1/(1+exp(-x))}
return(z)
```

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}
# i %*% Mw_ih
out_hiddenL<- sigmoid (i %*% Mw_ih)</pre>
input_outputL<- c(1,out_hiddenL)</pre>
is.vector(input_outputL)
## [1] TRUE
out_outL<- sigmoid ( input_outputL%*% Mw_ho )</pre>
## Back propagation calculation
Actual<-.90
eta<- .1
# error
e<-out_outL-Actual
               [,1]
##
## [1,] -0.0135677
# Little delta
delta<- -1*(out_outL)*(1-out_outL)*e</pre>
delta
##
                [,1]
## [1,] 0.001365861
# Large delta
DELTA<-eta*delta%*%input_outputL</pre>
DELTA
                 [,1]
                               [,2]
                                             [,3]
## [1,] 0.0001365861 0.0001165366 0.0001194244
# Update Hidden Output with Large delta
New_ho<-Mw_ho+t (DELTA)</pre>
New_ho
              [,1]
## [1,] 0.5001366
## [2,] 0.9001165
## [3,] 0.9001194
e_hidden<-Mw_ho[-1]%*%delta
delta_h<- (t(e_hidden)*(-1*(out_hiddenL)*(1-out_hiddenL)))</pre>
delta_h
                                [,2]
                 [,1]
## [1,] -0.000153958 -0.0001350488
DELTA<-eta*(as.matrix(i)%*%delta_h)</pre>
DELTA
                  [,1]
                                  [,2]
## [1,] -1.539580e-05 -1.350488e-05
## [2,] -6.158322e-06 -5.401950e-06
## [3,] -1.077706e-05 -9.453413e-06
```

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## [4,] -1.077706e-05 -9.453413e-06
## [5,] -3.079161e-06 -2.700975e-06
# Part B with altered weights
rm(list=ls())
## define the initial weights, input and sigmoid function
# Hidden Input Layer
weight_ih<- c(0.5, 0.6, 0.8, 0.6, 0.2, 0.7, 0.9, 0.8, 0.4, 0.2)
weight_ih
## [1] 0.5 0.6 0.8 0.6 0.2 0.7 0.9 0.8 0.4 0.2
Mw_ih<- matrix(weight_ih , nrow = 5, ncol = 2,byrow = FALSE)</pre>
Mw_{ih}
##
        [,1] [,2]
## [1,] 0.5 0.7
## [2,] 0.6 0.9
## [3,] 0.8 0.8
## [4,] 0.6 0.4
## [5,] 0.2 0.2
# Hidden Output Layers
weight_ho <-c(0.5, 0.85, 0.85)
weight_ho
## [1] 0.50 0.85 0.85
Mw_ho<-matrix(weight_ho,nrow=3,ncol=1)</pre>
Mw_ho
##
        [,1]
## [1,] 0.50
## [2,] 0.85
## [3,] 0.85
# Input Layer
i < -c(1, 0.4, 0.7, 0.7, 0.2)
## [1] 1.0 0.4 0.7 0.7 0.2
# Sigmoid Function
sigmoid <-function(x )</pre>
{z=1/(1+exp(-x))}
return(z)
}
# i %*% Mw_ih
out_hiddenL<- sigmoid (i %*% Mw_ih)</pre>
input_outputL<- c(1,out_hiddenL)</pre>
is.vector(input_outputL)
```

[1] TRUE

```
out_outL<- sigmoid ( input_outputL%*% Mw_ho )</pre>
## Back propagation calculation
Actual<-.85
eta<- .1
e<-out_outL-Actual
##
               [,1]
## [1,] 0.02744211
delta<- -1*(out_outL)*(1-out_outL)*e</pre>
delta
##
                 [,1]
## [1,] -0.002951055
DELTA<-eta*delta%*%input_outputL</pre>
DELTA
##
                                 [,2]
                                                [,3]
                  [,1]
## [1,] -0.0002951055 -0.0002517869 -0.0002580261
New_ho<-Mw_ho+t(DELTA)</pre>
New_ho
              [,1]
## [1,] 0.4997049
## [2,] 0.8497482
## [3,] 0.8497420
e_hidden<-Mw_ho[-1]%*%delta
delta_h<- (t(e_hidden)*(-1*(out_hiddenL)*(1-out_hiddenL)))</pre>
delta_h
                [,1]
## [1,] 0.000314159 0.0002755737
DELTA<-eta*(as.matrix(i)%*%delta_h)</pre>
DELTA
                 [,1]
                               [,2]
## [1,] 3.141590e-05 2.755737e-05
## [2,] 1.256636e-05 1.102295e-05
## [3,] 2.199113e-05 1.929016e-05
## [4,] 2.199113e-05 1.929016e-05
## [5,] 6.283180e-06 5.511473e-06
```