

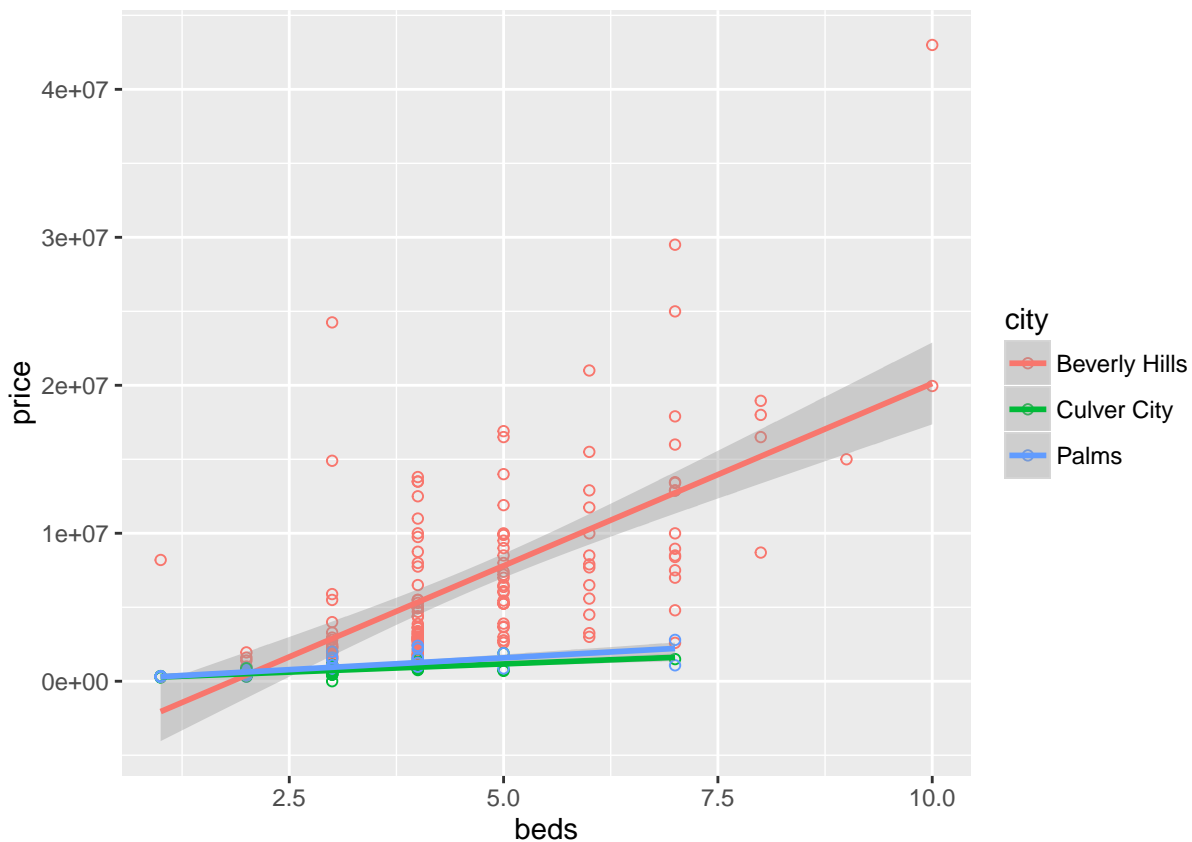
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April 14, 2017

SID : 004 728 134 LEC : 2 DIS : 2B

```
library(ggplot2)
library("reshape2")
# Q1
df <- read.csv("~/Desktop/UCLA_Academic/Spring 2017/STAT 101_C/HW/LArealestate.csv")
df <- df[complete.cases(df),]
attach(df)
df$city[df$city == "culver city"] = "Culver City"
ggplot(df,aes(x=beds,y = price,color = city))+
  geom_point(shape = 1) +
  geom_smooth(method = lm)
```



```
# By increasing the number of beds which cities house price is most rapidly
# grow?
# Based on my qplot, it is obvious that by increasing beds, the house price
# of "beverly hills" is most rapidly growth.
# There no rapid rapid price growth for "Culver city", "Palms".
```

Q2

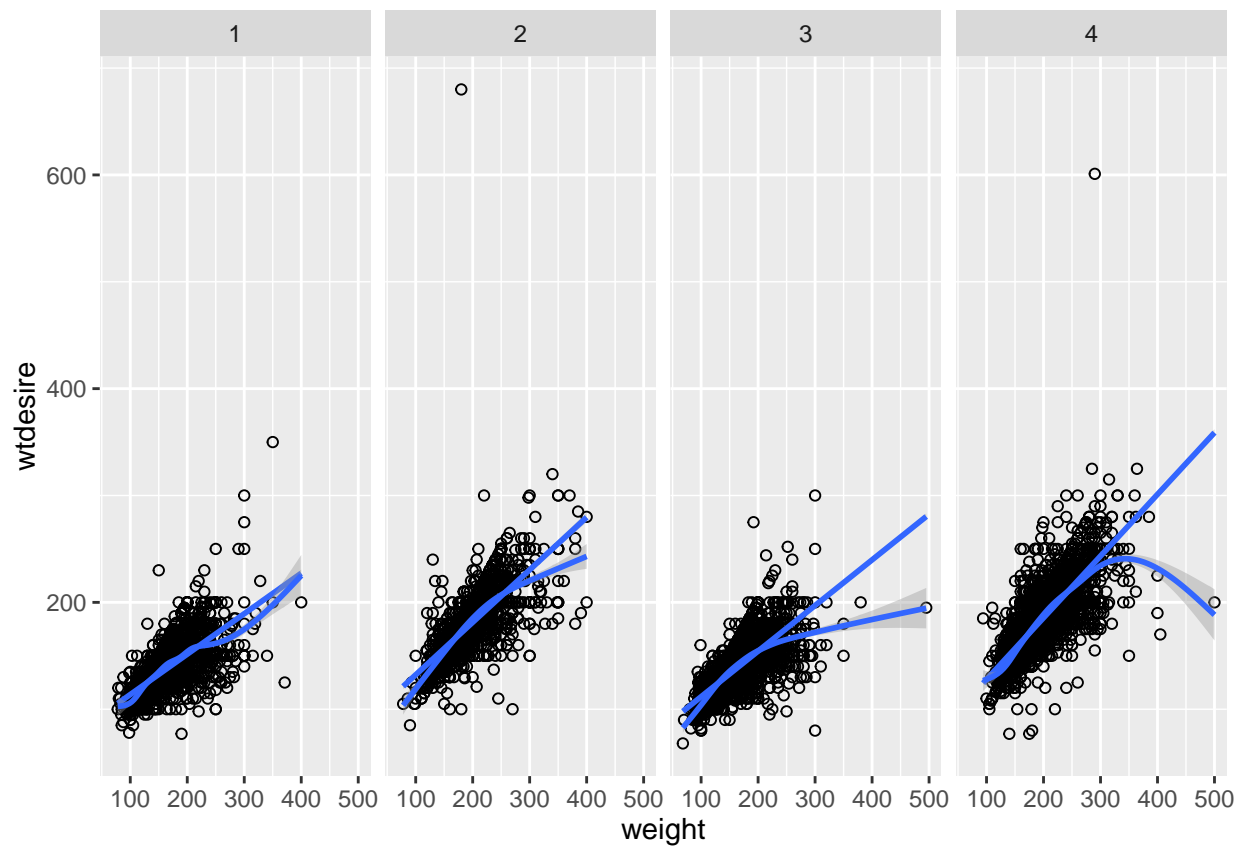
```
df <- read.csv("~/Desktop/UCLA_Academic/Spring 2017/STAT 101_C/HW/cdc.csv")
head(df)
```

```
##   state   genhlth physhlth exerany hlthplan smoke100 height weight
## 1    22     good       0       0       1       0      70    175
## 2    25     good      30       0       1       1      64    125
## 3     6     good       2       1       1       1      60    105
## 4     6     good       0       1       1       0      66    132
## 5    39 very good       0       0       1       0      61    150
## 6    42 very good       0       1       1       0      64    114
##   wt desire age gender
## 1    175   77     m
## 2    115   33     f
## 3    105   49     f
## 4    124   42     f
## 5    130   55     f
## 6    114   55     f
```

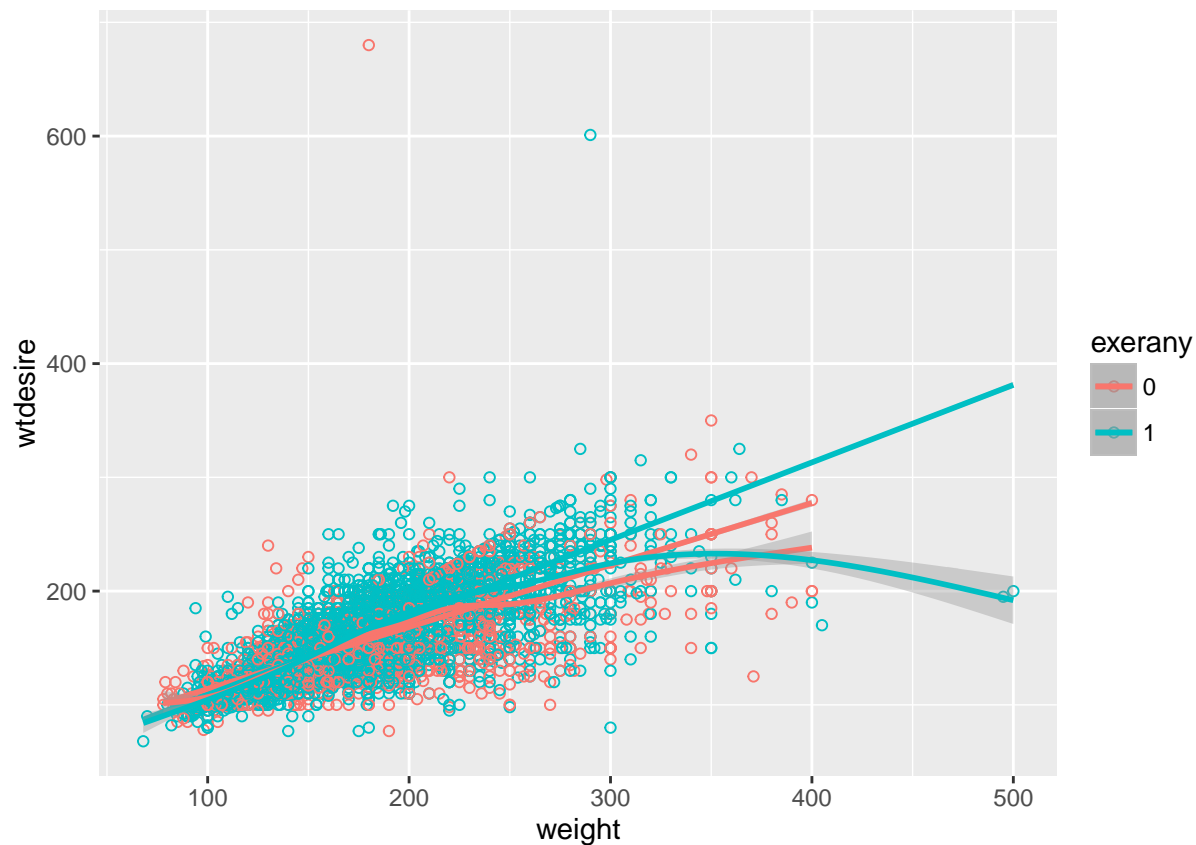
```
df$exerany <- as.factor(df$exerany)
```

```
df$group[df$exerany == "0" & df$gender == "f"] <- 1
df$group[df$exerany == "0" & df$gender == "m"] <- 2
df$group[df$exerany == "1" & df$gender == "f"] <- 3
df$group[df$exerany == "1" & df$gender == "m"] <- 4
```

```
sp <- ggplot(df, aes(x = weight, y = wt desire)) + geom_point(shape = 1)
sp + facet_grid(.~group) + geom_smooth(method = lm) + geom_smooth()
```



```
sp1 <- ggplot(df, aes(x = weight, y = wt Desire, color = exerany)) + geom_point(shape = 1)
sp1 + geom_smooth(method = lm) + geom_smooth()
```



```
# (a) There is positive linear relationship between weight and desire weight.
# (b) In this case the plots have a linear pattern. So, it would be better
# to make our model with low flexibility. When we use smooth line, the smooth line
# too hard to find a pattern that it is overfitting the plots. In other words, smooth model
# could be less biased than inflexible model but in this case will have too high variance.

# Q3

df <- read.table("~/Desktop/UCLA_Academic/Spring 2017/STAT 101_C/HW/banknote.csv", header = T)
library(class)
library(caret)

## Warning: package 'caret' was built under R version 3.2.5

## Loading required package: lattice

## Warning: package 'lattice' was built under R version 3.2.5

library(e1071)

## Warning: package 'e1071' was built under R version 3.2.5
```

```

normalize <- function(x){return((x-min(x))/(max(x)-min(x)))}
attach(df)
df_norm <- cbind(as.data.frame(lapply(df[,1:6],normalize)),Y)
df_norm$Y = as.factor(df_norm$Y)
summary(df_norm)

```

```

##      Length      Left      Right      Bottom
## Min.   :0.0000   Min.   :0.0000   Min.   :0.0000   Min.   :0.0000
## 1st Qu.:0.3200   1st Qu.:0.4500   1st Qu.:0.3333   1st Qu.:0.1818
## Median :0.4400   Median :0.6000   Median :0.4762   Median :0.3455
## Mean   :0.4384   Mean   :0.5607   Mean   :0.4555   Mean   :0.4032
## 3rd Qu.:0.5200   3rd Qu.:0.7000   3rd Qu.:0.5833   3rd Qu.:0.6182
## Max.   :1.0000   Max.   :1.0000   Max.   :1.0000   Max.   :1.0000
##      Top      Diagonal      Y
## Min.   :0.0000   Min.   :0.0000   0:100
## 1st Qu.:0.5217   1st Qu.:0.3696   1:100
## Median :0.6304   Median :0.5761
## Mean   :0.6414   Mean   :0.5834
## 3rd Qu.:0.7609   3rd Qu.:0.8043
## Max.   :1.0000   Max.   :1.0000

```

```

set.seed(33445566)
sample <- sample(seq(1,200),140,replace = F)
df_train <- df_norm[sample,]
df_test <- df_norm[-sample,]

df_train$Y = as.factor(df_train$Y)
train_control <- trainControl(method = "repeatedcv", number = 10, repeats = 3)
knn_fit <- train(Y ~., data = df_train, method = "knn",
                 trControl=train_control,
                 preProcess = c("center", "scale"),
                 tuneLength = 10)

knn_fit

```

```

## k-Nearest Neighbors
##
## 140 samples
## 6 predictor
## 2 classes: '0', '1'
##
## Pre-processing: centered (6), scaled (6)
## Resampling: Cross-Validated (10 fold, repeated 3 times)
## Summary of sample sizes: 125, 126, 126, 125, 126, 127, ...
## Resampling results across tuning parameters:
##
## k Accuracy Kappa
## 5 0.9880708 0.9761117
## 7 0.9856899 0.9713498
## 9 0.9856899 0.9713498
## 11 0.9880708 0.9761117
## 13 0.9880708 0.9761117

```

```
## 15 0.9930159 0.9859717
## 17 0.9930159 0.9859717
## 19 0.9930159 0.9859717
## 21 0.9930159 0.9859717
## 23 0.9907937 0.9814672
##
## Accuracy was used to select the optimal model using the largest value.
## The final value used for the model was k = 21.
```

```
# k = 1
m1 <- knn(train = df_train[,1:6],test = df_test[,1:6],cl = df_train[,7],k=1)
(t1 <- table(df_test[,7],m1))
```

```
##      m1
##      0  1
## 0 33  1
## 1  0 26
```

```
(accur1 <- (t1[1,1]+t1[2,2])/(sum(t1)))
```

```
## [1] 0.9833333
```

```
# k = 3
m3 <- knn(train = df_train[,1:6],test = df_test[,1:6],cl = df_train[,7],k=3)
(t3 <- table(df_test[,7],m3))
```

```
##      m3
##      0  1
## 0 34  0
## 1  0 26
```

```
(accur3 <- (t3[1,1]+t3[2,2])/(sum(t3)))
```

```
## [1] 1
```

```
# k = 5
m5 <- knn(train = df_train[,1:6],test = df_test[,1:6],cl = df_train[,7],k=5)
(t5 <- table(df_test[,7],m5))
```

```
##      m5
##      0  1
## 0 33  1
## 1  0 26
```

```
(accur5 <- (t5[1,1]+t5[2,2])/(sum(t5)))
```

```
## [1] 0.9833333
```

```
# Misclassification rate
(Miss1 <- 1 / 60)
```

```
## [1] 0.01666667
```

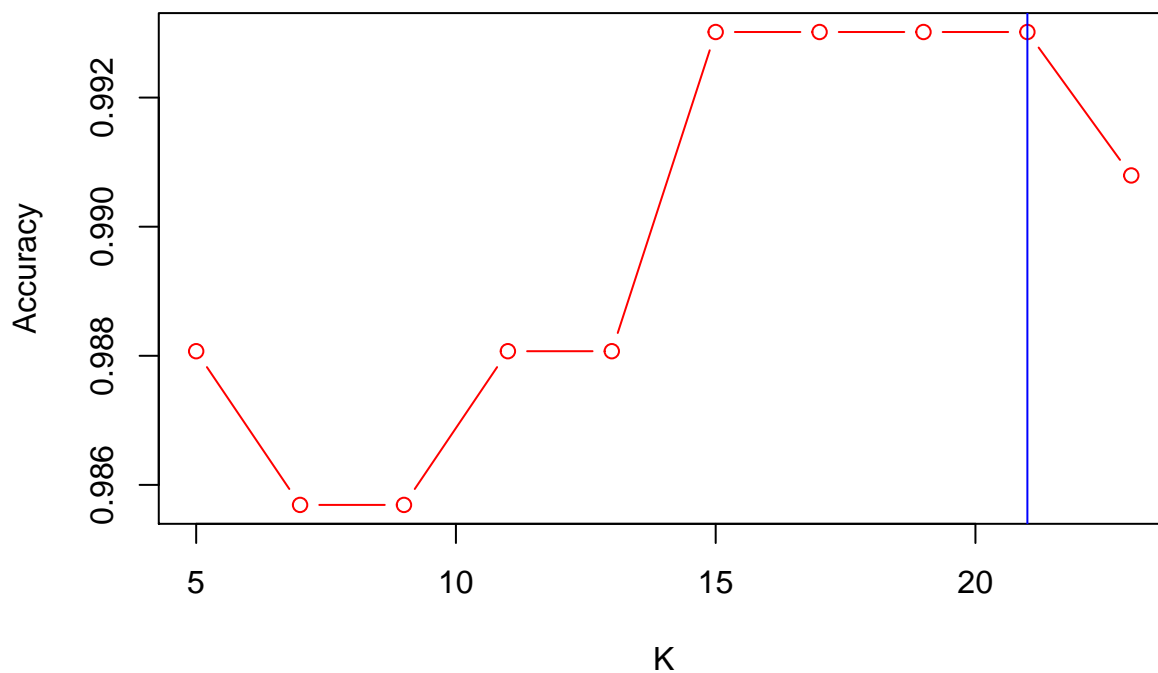
```
(Miss3 <- 0 / 60)
```

```
## [1] 0
```

```
(Miss5 <- 0 / 60)
```

```
## [1] 0
```

```
vv <- data.frame(knn_fit[4])
plot(vv[,1],vv[,2],type = "b",col = "Red",xlab = "K",
      ylab = "Accuracy")
abline(v = 21, col = "blue")
```



```
# Best k that maximizes the accuracy of my classifier is
# K = 21 based on k vs accuracy.
```

```
# Q4) 2.4.7
```

```
obs1 <- c(0,3,0)
```

```
obs2 <- c(2,0,0)
```

```
obs3 <- c(0,1,3)
```

```
obs4 <- c(0,1,2)
```

```
obs5 <- c(-1,0,1)
```

```
obs6 <- c(1,1,1)
```

```
t <- c(0,0,0)
```

```
# (a)
```

```
dist(rbind(t,obs1))
```

```
##          t
## obs1 3
```

```
dist(rbind(t,obs2))
```

```
##          t
## obs2 2
```

```
dist(rbind(t,obs3))
```

```
##          t
## obs3 3.162278
```

```
dist(rbind(t,obs4))
```

```
##          t
## obs4 2.236068
```

```
dist(rbind(t,obs5))
```

```
##          t
## obs5 1.414214
```

```
dist(rbind(t,obs6))
```

```
##          t
## obs6 1.732051
```

```
# (b)
# If  $k = 1$  our test point will be color "Green" because  $d_5$  is the closest from
#  $t$ . Assigned color for  $d_5$  is green and it is the closest from  $t$  indicates that
# the point classified as green under  $k = 1$ .
# (c)
# If  $k = 3$ , the 3 nearest points are  $d_5 = 1.414214, d_6 = 1.732051, d_2 = 2$ .
# Assigned color for  $obs_5$  is green, for  $obs_6$  is Red and for  $obs_2$  is Red.
# Color "Green" and "Red" has 1:2 ratio implies that I have to classify the point
# as "Red" under  $k = 3$ 
```