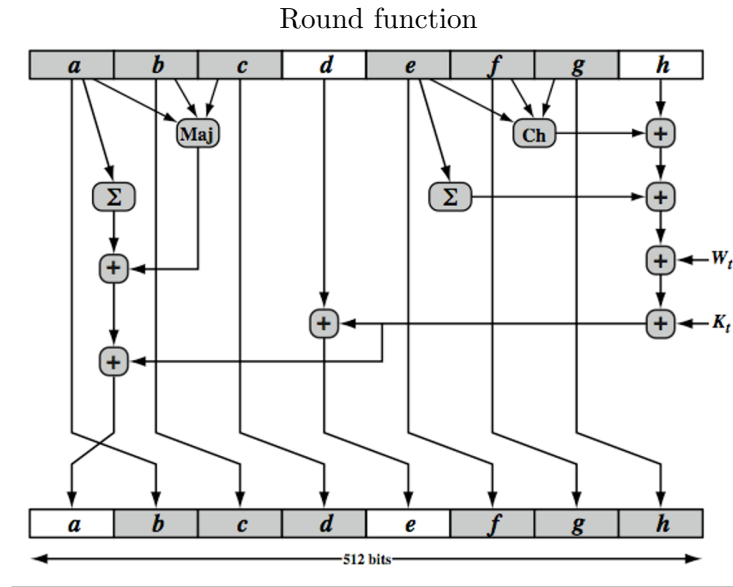


Initial hash buffer IV

$a = 0x6A09E667F3BCC908$ $b = 0xBB67AE8584CAA73B$
 $c = 0x3C6EF372FE94F82B$ $d = 0xA54FF53A5F1D36F1$
 $e = 0x510E527FADE682D1$ $f = 0x9B05688C2B3E6C1F$
 $g = 0x1F83D9ABFB41BD6B$ $g = 0x5BE0CD19137E2179$

Round constants
(left column has K_0, K_1, K_2, \dots)

428A2F98D728AE22	2DE92C6F592B0275	A2BF8A14CF10364	90BEFFFA23631E28
7137449123EF65CD	4A7484AA6EA6E483	A81A664BBC423001	A4506CEBDE82BDE9
B5C0FBCFEC4D3B2F	5CB0A9DCBD41FBD4	C24B8B70D0F89791	BEF9A3F7B2C67915
E9B5DBA58189DBBC	76F988DA831153B5	C76C51A30654BE30	C67178F2E372532B
3956C25BF348B538	983E5152EE66DFA8	D192E819D6EF5218	CA273ECCEA26619C
59F111F1B605D019	A831C66D2DB43210	D69906245565A910	D186B8C721C0C207
923F82A4AF194F9B	B00327C898FB213F	F40E35855771202A	EADA7DD6CDE0EB1E
AB1C5ED5DA6D8118	BF597FC7BEEF0EE4	106AA07032BBD1B8	F57DAF7FEE6ED178
D807AA98A3030242	C6E00BF33DA89FC2	19A4C116B8D2D0C8	06F067AA72176FBA
12835B0145706FBE	D5A79147930AA725	1E376C085141AB53	0A637DC5A2C898A6
243185BE4EE4B28C	06CA6351E003826F	2748774CDF8EEB99	113F9804BEF90DAE
550C7DC3D5FFB4E2	142929670A0E6E70	34B0BCB5E19B48A8	1B710B3513C471B
72BE5D74F27B896F	27B70A8546D22FC	391C0CB3C5C95A63	28DB77F523047D84
80DEB1FE3B1696B1	2E1B21385C26C926	4ED8AA4AE3418ACB	32CAAB7B40C72493
9BDC06A725C71235	4D2C6DFC5AC42AED	5B9CCA4F7763E373	3C9E9E0A15C9BEEC
C19BF174CF692694	53380D139D95B3DF	682E6FF3D6B2B8A3	431D67C49C100D4C
E49B69C19EF14AD2	650A73548BAF63DE	748F82EE5DEFB2FC	4CC5D4BEC3E42B6
EFBE4786384F25E3	766A0ABB3C77B2A8	78A5636F43172F60	597F299CFC657E2A
0FC19DC688B8CD5B5	81C2C92E47EDAEE6	84C87814A1F0AB72	5FCB6FAB3AD6FAEC
240CA1CC77AC9C65	92722C851482353B	8CC702081A6439EC	6C44198C4A475817



$$\text{Ch}(e, f, g) = (e \wedge f) \oplus (\neg e \wedge g)$$

[Conditional function: if e then f else g]

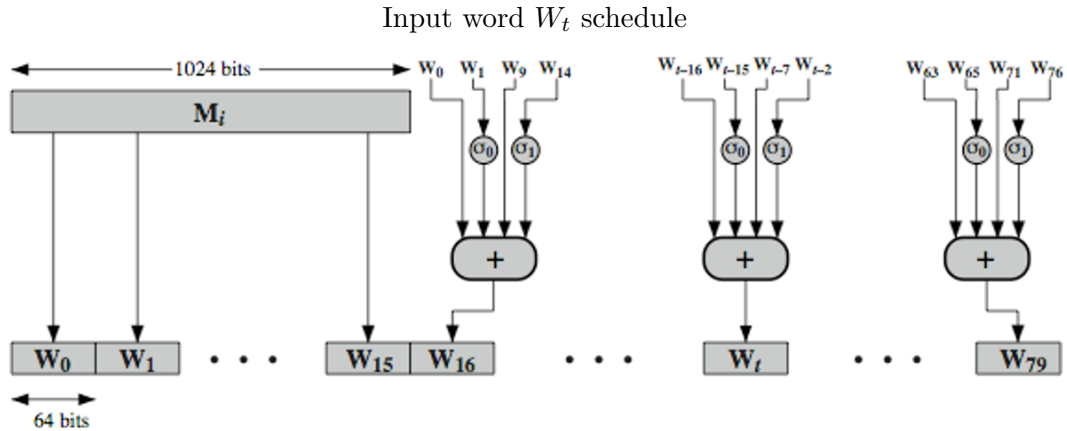
$$\text{Maj}(e, f, g) = (a \wedge b) \oplus (a \wedge c) \oplus (b \wedge c)$$

[Majority function: output is the “majority vote” of the three inputs]

$$\Sigma_0^{512}(a) = \text{ROTR}^{28}(a) \oplus \text{ROTR}^{34}(a) \oplus \text{ROTR}^{39}(a)$$

$$\Sigma_1^{512}(e) = \text{ROTR}^{14}(e) \oplus \text{ROTR}^{18}(e) \oplus \text{ROTR}^{41}(e)$$

$\text{ROTR}^n(x)$ = circular right shift (rotation) of the 64-bit argument x by n bits



$$\sigma_0^{512}(x) = \text{ROTR}^1(x) \oplus \text{ROTR}^8(x) \oplus \text{SHR}^7(x)$$

$$\sigma_1^{512}(x) = \text{ROTR}^{19}(x) \oplus \text{ROTR}^{61}(x) \oplus \text{SHR}^6(x)$$

$\text{ROTR}^n(x)$ = circular right shift (rotation) of the 64-bit argument x by n bits

$\text{SHR}^n(x)$ = right shift of the 64-bit argument x by n bits with padding by zeros on the left

$+$ = addition modulo 2^{64}