Modelling in public health SE Scientific Communication, 2019

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Background

Infectious diseases cause
Outbreaks:
Influenza, 2009
MERS-Cov (Middle-East Respiratory Syndrome)
Ebola, West Africa, DRC
Zika Virus, Brazil
role of modelling increases

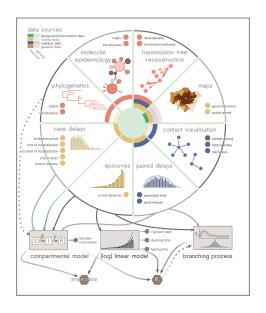
Objective/Goal

during outbreak:
exploit all data
inform response team in real time
in general (also non outbreak situation)
allow evidence based decisions
compare/assess interventions
policy evaluation (before/after in), vaccine programmes
track of WHO targets (HIV, HCV)

Types of models

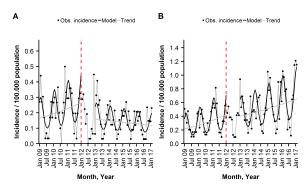
dynamic, mathematical (SIR) statistical (e.g. Poisson regression) Bayesian statistics spacial stats/models
-> visualise outcome

Example of outbreak analytics workflow.



Intervention effect - Invasive Pneumococcal Disease (IPD)

Figure: Monthly incidence of (A) PCV10 ST-IPD and (B) non-PCV10 ex ST 6A-/19A-IPD, among the ≥ 50 years old, observed and modelled by a segmented negative binominal regression, Austria, January 2009-February 2017, shown are overall and seasonal trends.



Richter et al., 2019

IPD2

Serfling-like Model

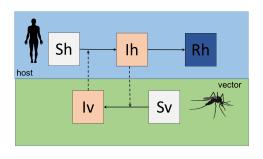
$$\log(Y_t) = \log(pop_t) + \beta_0 + \beta_1 t + \beta_2 \sin\left(\frac{2\pi t}{12}\right)$$
$$+ \beta_3 \cos\left(\frac{2\pi t}{12}\right) + \beta_5 (t - t_0)^+$$
$$+ \mathbb{1}_{t-t_0>0} \left[\beta_4 + \beta_6 \sin\left(\frac{2\pi t}{12}\right) + \beta_7 \cos\left(\frac{2\pi t}{12}\right)\right]$$

with

$$(x)^+ = \begin{cases} x, & \text{if } x > 0, \\ 0, & \text{otherwise.} \end{cases}$$

Transmission model of Zika Virus

Vars	Description
S_h	Susceptible Humans
I _h	Infected/Infectious
	humans
R_h	Humans recovered from
	infection (with lifelong
	immunity)
S_{v}	Susceptible vectors
E_{v}	Exposed vectors



adapted from https://www.reconlearn.org/ and Ferguson et al., 2016

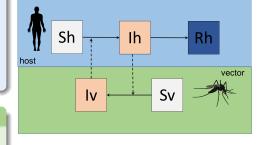
Transmission model of Zika Virus

Humans/Host

$$\frac{dS_h}{dt} = \mu_h N_h - \frac{\beta_h b}{N_h} S_h I_v - \mu_h S_h$$

$$\frac{dI_h}{dt} = \frac{\beta_h b}{N_h} S_h I_v - (\gamma_h + \mu_h) I_h$$

$$\frac{dR_h}{dt} = \gamma_h I_h - \mu_h I_h$$



Vectors

$$\begin{split} \frac{dS_{v}}{dt} &= \mu_{v} N_{v} - \frac{\beta_{v} b}{N_{h}} I_{h} S_{v} - \mu_{v} S_{v} \\ \frac{dI_{v}}{dt} &= \frac{\beta_{v} b}{N_{h}} I_{h} S_{v} - \mu_{v} I_{v} \end{split}$$

adapted from https://www.reconlearn.org/ and Ferguson et al., 2016

other applications

GO
Ebola
Influenza (Nielsen)
Foodborne outbreaks to identify the source of infection (poisson model)

Conclusion

Here comes the conclusion



Any questions?

References

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- [2] Neil M. Ferguson et al. "Countering the Zika Epidemic in Latin America". In: Science 353.6297 (July 22, 2016), pp. 353-354. ISSN: 0036-8075, 1095-9203. DOI: 10.1126/science.aag0219. pmid: 27417493. URL: https://science.sciencemag.org/content/353/6297/353 (visited on 06/19/2019).
- [3] Polonsky Jonathan A. et al. "Outbreak Analytics: A Developing Data Science for Informing the Response to Emerging Pathogens". In: Philosophical Transactions of the Royal Society B: Biological Sciences 374.1776 (July 8, 2019), p. 20180276. DOI: 10.1098/rstb.2018.0276. URL: https://royalsocietypublishing.org/doi/10.1098/rstb.2018.0276 (visited on 06/18/2019).
- [4] R. E. Serfling, I. L. Sherman, and W. J. Houseworth. "Excess Pneumonia-Influenza Mortality by Age and Sex in Three Major Influenza A2 Epidemics, United States, 1957-58, 1960 and 1963". In: American Journal of Epidemiology 86.2 (Sept. 1967), pp. 433-441. ISSN: 0002-9262. DOI: 10.1093/oxfordjournals.aje.a120753. pmid: 6058395.