

# Forecasting

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#### **Time series data**

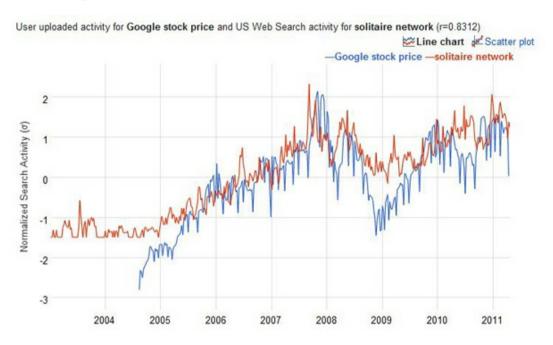


https://www.google.com/finance

#### What is different?

- Data are dependent over time
- · Specific pattern types
  - Trends long term increase or decrease
  - Seasonal patterns patterns related to time of week, month, year, etc.
  - Cycles patterns that rise and fall periodically
- · Subsampling into training/test is more complicated
- · Similar issues arise in spatial data
  - Dependency between nearby observations
  - Location specific effects
- · Typically goal is to predict one or more observations into the future.
- All standard predictions can be used (with caution!)

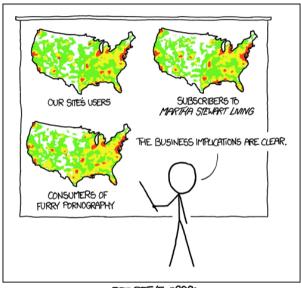
#### **Beware spurious correlations!**



http://www.google.com/trends/correlate

http://www.newscientist.com/blogs/onepercent/2011/05/google-correlate-passes-our-we.html

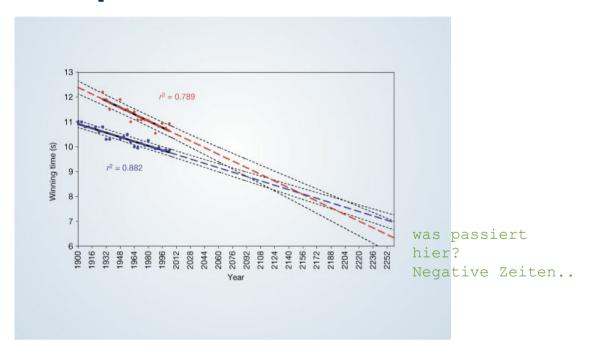
## Also common in geographic analyses



PET PEEVE #208: GEOGRAPHIC PROFILE MAPS WHICH ARE BASICALLY JUST POPULATION MAPS

http://xkcd.com/1138/

#### **Beware extrapolation!**



http://www.nature.com/nature/journal/v431/n7008/full/431525a.html

#### Google data

```
library(quantmod)
from.dat <- as.Date("01/01/08", format="%m/%d/%y")
to.dat <- as.Date("12/31/13", format="%m/%d/%y")
getSymbols("GOOG", src="google", from = from.dat, to = to.dat)</pre>
```

```
[1] "GOOG"
```

head(GOOG)

```
GOOG.Open GOOG.High GOOG.Low GOOG.Close GOOG.Volume
2008-01-02
            692.9
                    697.4
                           677.7
                                    685.2
                                            4306848
2008-01-03 685.3
                 686.9
                           676.5
                                    685.3
                                            3252846
2008-01-04 679.7 681.0
                           655.0 657.0
                                            5359834
2008-01-07 653.9 662.3
                           637.4 649.2
                                            6404945
2008-01-08
          653.0
                 660.0
                           631.0 631.7
                                            5341949
2008-01-09
            630.0
                    653.3
                           622.5
                                    653.2
                                            6744242
```

# Summarize monthly and store as time series

```
mGoog <- to.monthly(GOOG)
googOpen <- Op(mGoog)
ts1 <- ts(googOpen,frequency=12)
plot(ts1,xlab="Years+1", ylab="GOOG")</pre>
```

#### **Example time series decomposition**

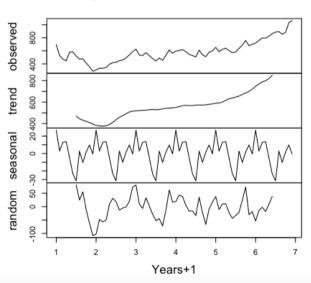
- · Trend Consistently increasing pattern over time
- · Seasonal When there is a pattern over a fixed period of time that recurs.
- · Cyclic When data rises and falls over non fixed periods

https://www.otexts.org/fpp/6/1

#### Decompose a time series into parts

```
plot(decompose(ts1),xlab="Years+1")
```

#### Decomposition of additive time series



#### **Training and test sets**

```
tslTrain <- window(tsl,start=1,end=5)
tslTest <- window(tsl,start=5,end=(7-0.01))
tslTrain
```

```
Feb
               Mar
                                       Jul
                                                   Sep
    Jan
                     Apr
                           Mav
                                 Jun
                                             Aug
                                                         Oct
                                                               Nov
                                                                     Dec
1 692.9 528.7 471.5 447.7 578.3 582.5 519.6 472.5 476.8 412.1 357.6 286.7
2 308.6 334.3 333.3 343.8 395.0 418.7 424.2 448.7 459.7 493.0 537.1 588.1
3 627.0 534.6 529.2 571.4 526.5 480.4 445.3 489.0 455.0 530.0 615.7 563.0
4 596.5 604.5 617.8 588.8 545.7 528.0 506.7 611.2 540.8 509.9 580.1 600.0
5 652.9
```

# Simple moving average

$$Y_{t} = \frac{1}{2 * k + 1} \sum_{j=-k}^{k} y_{t+j}$$

```
plot(tslTrain)
lines ma(tslTrain,order=3),col="red")
```

## **Exponential smoothing**

**Example - simple exponential smoothing** 

$$\hat{y}_{t+1} = \alpha y_t + (1 - \alpha)\hat{y}_{t-1}$$

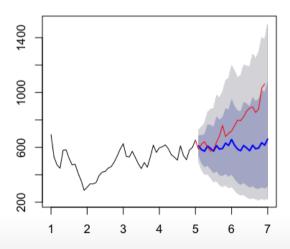
		Seasonal Component	
Trend	N	A	M
Component	(None)	(Additive)	(Multiplicative)
N (None)	(N,N)	(N,A)	(N,M)
A (Additive)	(A,N)	(A,A)	(A,M)
A <sub>d</sub> (Additive damped)	$(A_d,N)$	$(A_d,A)$	$(A_d, M)$
M (Multiplicative)	(M,N)	(M,A)	(M,M)
M <sub>d</sub> (Multiplicative damped)	$(M_d,N)$	$(M_d,A)$	$(M_d,M)$

https://www.otexts.org/fpp/7/6

# **Exponential smoothing**

```
ets1 <- ets(tslTrain,model="MMM")
fcast <- forecast(ets1) corresponds to function "predict"
plot(fcast); lines(tslTest,col="red")</pre>
```

#### Forecasts from ETS(M,Md,M)



#### Get the accuracy

```
accuracy(fcast,tslTest)
```

```
        ME
        RMSE
        MAE
        MPE
        MAPE
        MASE
        ACF1 Theil's U

        Training set
        0.9464
        48.78
        39.35 -0.3297
        7.932
        0.3733
        0.07298
        NA

        Test set
        156.1890
        205.76
        160.78
        18.1819
        18.971
        1.5254
        0.77025
        3.745
```

#### Notes and further resources

"highly recommended"

- Forecasting and timeseries prediction is an entire field
- · Rob Hyndman's Forecasting: principles and practice is a good place to start
- Cautions
  - Be wary of spurious correlations
  - Be careful how far you predict (extrapolation)
  - Be wary of dependencies over time
- · See quantmod or quand packages for finance-related problems.