

→ BIT MASKING

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→ Let's say we have four types of fruits:
Apple, Orange, Banana, Litchi.

Let's assign these fruits with 0-based indexes.

Apple $\rightarrow 0$
 Orange $\rightarrow 1$
 Banana $\rightarrow 2$
 Litchi $\rightarrow 3$

Now, distribute these fruits to 4 person:

1 $\rightarrow 2, 3$
 2 $\rightarrow 0, 1, 2$
 3 $\rightarrow 1, 3$
 4 $\rightarrow 0, 3$

Now, let's say we have to find the intersection of 1st and 2nd person's fruits:

Now, if we go through the ordinary approach and if the arrays are sorted. It would take us $O(N)$ time complexity for finding the intersection.

But, we can use Bit-masking for a faster approach.

1 $\rightarrow 2, 3 \rightarrow 1100 \Rightarrow 12$
 2 $\rightarrow 0, 1, 2 \rightarrow 0111 \Rightarrow 7$
 3 $\rightarrow 1, 3 \rightarrow 1010 \Rightarrow 10$
 4 $\rightarrow 0, 3 \rightarrow 1001 \Rightarrow 9$

We have masked every array with a binary number and have set their corresponding Bits.

e.g. for 1st person, we have taken a

binary numbers with 2^{nd} and 3^{rd} Bit as set.
Similarly for 2^{nd} person 0^{th} , 1^{st} and 2^{nd} Bit as set.
And so on...

Here, Set Bit represents the availability of the particular Bit (Indexed) fruit.

Now, If we have to find the intersection of 1^{st} and 2^{nd} person's fruits, we will simply take AND (&) and our operation will be done in $O(1)$ complexity.

e.g: $1 \rightarrow 2, 3 \rightarrow 1100 \Rightarrow 12$
 $2 \rightarrow 0, 1, 2 \rightarrow 0111 \Rightarrow 7$

So, if we do, $12 \& 7$

$\Rightarrow 1100$

$\& 0111$

$\hline 0100$

\rightarrow This represents they have 1 common fruit which is of 2^{nd} type, of fruit index common left them, as resultant has 2^{nd} bit as set.

\rightarrow Bit Masking - Limitations:

\rightarrow We can't take bigger values of n here.

e.g. UNSIGNED INT has a capacity of 32 Bits.

So, it can only store data of $n = 32$.

Similarly UNSIGNED LONG LONG can store data of $n = 64$.