PRE-COMPUTATION USING DFS

Suppose, we have given $q = 10^5$ (queries) and them in each query we have to find given (x) subtree sum and even-count of that subtree.

∴ Simply, we will run a loop of q (queries) and inside each loop we will run 2 DFS, one for subtree sum and one for even count.

But, this will give TLE as

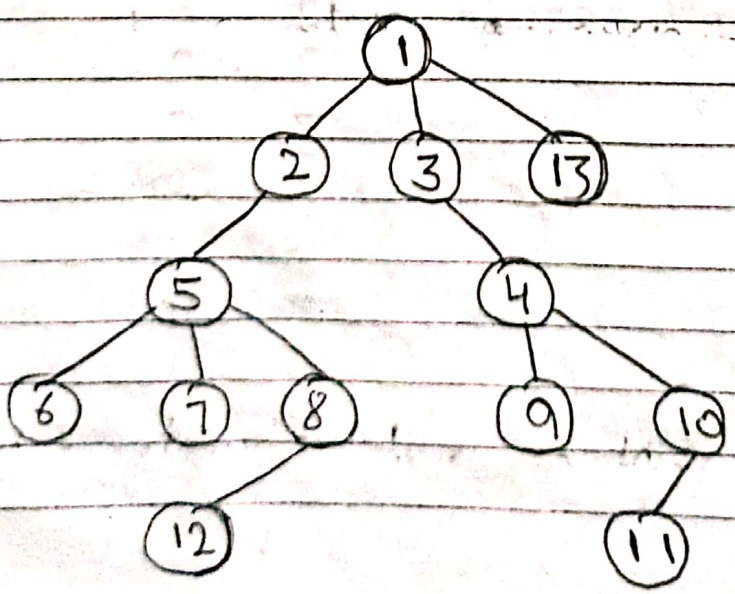
$q = 10^5$ & $(N \times M) \approx 10^7$

$\therefore O((q)(N \times M)) = 10^{12}$ (TLE)

∴ We can prevent TLE simply using precomputation technique.

APPROACH: It will follow similar approach of finding height (h) of a tree.

e.g.:



	1	2	3	4	5	6	7	8	9	10	11	12	13
Subtree Sum (S.S)	91	40	37	33	38	6	7	20	9	21	11	12	13

NOTE Subtree sum of leaf node will be equal to its value.

CODE

```
-> Maximum capacity of nodes
CONST INT N = 1e5+10;
-> Adjacency list
VECTOR<INT> G[N];
-> To store pre-computed subtree sum
INT SUBTREE_SUM[N];
-> To store pre-computed even count of
 a subtree
INT EVEN_CT[N];

VOID DFS (INT VERTEX, INT PAR=0)
{
   -> Adding vertex's own value first
   SUBTREE_SUM[VERTEX] += VERTEX;
   -> Incrementing vertex's count if it
  itself is even
   IF (VERTEX % 2 == 0) EVEN_CT[VERTEX]++;

   FOR (INT CHILD : G[VERTEX])
   {
      IF (CHILD == PAR) CONTINUE;
      // skipping visited node (parent)
      DFS (CHILD, VERTEX);
```

-> Pre computing subtree sum

```
SUBTREE_SUM[VERTEX] += SUBTREE_SUM[CHILD];
```

-> Pre computing even count

```
EVEN_CT[VERTEX] += EVEN_CT[CHILD];
    }
}
```

```
INT MAIN()
{
    INT n;
    CIN >> n;

    FOR (INT i=0; i < n-1; i++)
    {
        INT v1, v2;
        CIN >> v1 >> v2;
        q[v1].PB(v2);
        q[v2].PB(v1);
    }
```

-> Running DFS first to precompute even_ct and subtree_sum

```
DFS(1);
```

-> Viewing subtree_sum and even_ct array

```
COUT << "SUBTREE SUM" << " " <<
"EVEN COUNT" << "\n";
FOR (INT i = 1; i <= n; i++)
{
```

```
        cout << subtree_sum[i] << " "
             << even_cnt[i] << "\n";
    }

    return 0;
}
```

Input:

```
13
1 2
1 3
1 13
2 5
3 4
5 6
5 7
5 8
8 12
4 9
4 10
10 11
```

Output:

Subtree Sum	Even Count
91	6
40	4
37	2
34	2
38	3
6	1
7	0
20	2
9	0
21	1
11	0
12	1
13	0