$$HW_{3} = Part 1$$

$$Cost funt(on J(w)) = \frac{1}{2} \frac{M}{2}(wTxd) - y(d)$$

$$= \frac{1}{2}(Xw - y)^{T}(Xw - y)$$

$$\therefore H(J)(w) = J(RJ(w)) = X^{T}X$$

$$Newton's method:$$

$$W^{X} = W^{(o)} - H(J)(W^{(o)})^{-1} PwJ(w^{(o)})$$

$$= w^{(o)} - (X^{T}X)^{-1} \cdot X^{T}(Xw^{(o)} - y)$$

$$= w^{(o)} - X^{-1}(X^{T})^{-1}X^{T}XW^{(o)} + (X^{T}X)^{-1}X^{T}y$$

$$= w^{(o)} - W^{(o)} + (X^{T}X)^{-1}X^{T}y$$

$$= (X^{T}X)^{-1}X^{T}y$$

Training cost: [455.0, 390.0, 337.0, 295.0, 260.0, 232.0, 209.0, 191.0, 176.0, 164.0, 154.0, 146.0, 140.0, 135.0, 131.0, 127.0, 124.0, 122.0, 120.0, 119.0, 118.0, 117.0, 116.0, 115.0, 115.0, 114.0, 114.0, 114.0, 114.0, 113.0,

Training cost: [0.22159473296466886, 0.22159852273429323, 0.22159344186891242, 0.22159722931307879, 0.22159215112972613, 0.221593624956397, 0.221590860746982, 0.22159464354362018, 0.22158957072055202, 0.221593351195119, 0.22158828105030887, 0.22159205920 39323, 0.22158699173612439, 0.2215907675699316, 0.22158570277787129, 0.22158947629298897, 0.22158441417542191, 0.221588185372976 12, 0.22158312592864848, 0.22158689480976512]