Meta-Learning

Model-Agnostic Meta-Learning for Fast Adaptation of Deep Networks ICML 2017

Meta-Learning with Latent Embedding Optimization ICLR 2019

LGM-Net:Learning to Generate Matching Networks for Few-Shot learning ICML 2019

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Introduction

• Using episodic training scheme where each episode is designed to mimic a few-shot task.

Meta-Learning and Metric-Learning

Introduction

- A generic meta-learning framework usually contains a meta-level learner and a base-level learner.
- The base-level learner is designed for specific tasks, such as classification, regression, and neural network policy.
- The meta-level learner aims to learn prior knowledge across different tasks. The prior knowledge can be transferred to the base-level learner to help quickly adapt to similar unseen tasks.

Model-Agnostic Meta-Learning for Fast Adaptation of Deep Networks

Contribution:

A simple model- and task-agnostic algorithm for meta-learning that trains a model's parameters such that a small number of gradient updates will lead to fast learning on a new task.

Aim to find model parameters that are sensitive to changes in the task, such that small changes in the task, such that small changes in the parameters will produce large imporvements on the loss function of any task drawn from p(T)

every task T_i drawn from p(T)

Model-Agnostic Meta-Learning for Fast Adaptation of Deep Networks

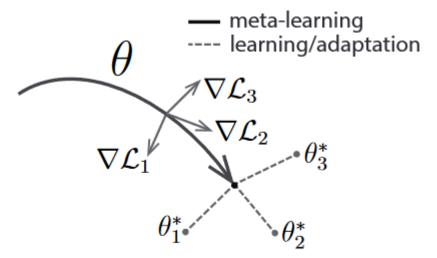


Figure 1. Diagram of our model-agnostic meta-learning algorithm (MAML), which optimizes for a representation θ that can quickly adapt to new tasks.

$$\min_{\theta} \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta_i'}) = \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta - \alpha \nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta})})$$

 $\theta'_i = \theta - \alpha \nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta}).$

$$\theta \leftarrow \theta - \beta \nabla_{\theta} \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta_i'})$$

Model-Agnostic Meta-Learning for Fast Adaptation of Deep Networks

Algorithm 1 Model-Agnostic Meta-Learning

Require: $p(\mathcal{T})$: distribution over tasks

Require: α , β : step size hyperparameters

- 1: randomly initialize θ
- 2: **while** not done **do**
- 3: Sample batch of tasks $\mathcal{T}_i \sim p(\mathcal{T})$
- 4: for all \mathcal{T}_i do
- 5: Evaluate $\nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta})$ with respect to K examples
- 6: Compute adapted parameters with gradient descent: $\theta'_i = \theta \alpha \nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta})$
- 7: **end for**
- 8: Update $\theta \leftarrow \theta \beta \nabla_{\theta} \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta_i'})$
- 9: **end while**

base-level learner

meta-level learner

• The former have parctical difficulties when operating on highdimensional parameter spaces in extreme low-data regimes.

 Decoupling optimization-based meta-learning techniques from the high-dimensional space of model parameters by learning a stochastic latent space with an information bottleneck.

- finding a single optimal $\theta^* \in \Theta$,
- approximating a data-dependent conditional probability distribution over $\boldsymbol{\Theta}$.

Encoding

$$\mu_{n}^{e}, \sigma_{n}^{e} = \frac{1}{NK^{2}} \sum_{k_{n}=1}^{K} \sum_{m=1}^{N} \sum_{k_{m}=1}^{K} g_{\phi_{r}} \left(g_{\phi_{e}} \left(\mathbf{x}_{n}^{k_{n}} \right), g_{\phi_{e}} \left(\mathbf{x}_{m}^{k_{m}} \right) \right)$$
$$\mathbf{z}_{n} \sim q \left(\mathbf{z}_{n} | \mathcal{D}_{n}^{tr} \right) = \mathcal{N} \left(\mu_{n}^{e}, diag(\sigma_{n}^{e^{2}}) \right)$$

Decoding

$$\mathbf{\mu}_{n}^{d}, \mathbf{\sigma}_{n}^{d} = g_{\phi_{d}}(\mathbf{z}_{n})$$

$$\mathbf{w}_{n} \sim p(\mathbf{w}|\mathbf{z}_{n}) = \mathcal{N}\left(\mathbf{\mu}_{n}^{d}, diag(\mathbf{\sigma}_{n}^{d^{2}})\right)$$

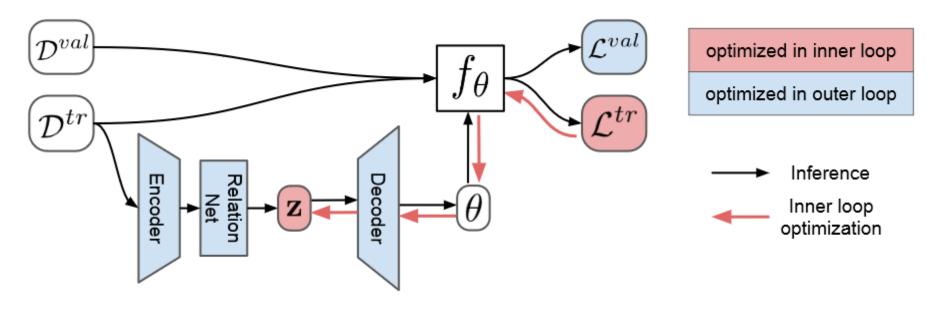


Figure 2: Overview of the architecture of LEO.

Algorithm 1 Latent Embedding Optimization

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Require: Training meta-set S^{tr} \in T
Require: Learning rates \alpha, \eta
  1: Randomly initialize \phi_e, \phi_r, \phi_d
 2: Let \phi = \{\phi_e, \phi_r, \phi_d, \alpha\}
  while not converged do
           for number of tasks in batch do
                Sample task instance \mathcal{T}_i \sim \mathcal{S}^{tr}
 5:
                Let (\mathcal{D}^{tr}, \mathcal{D}^{val}) = \mathcal{T}_i
 6:
               Encode \mathcal{D}^{tr} to z using g_{\phi_e} and g_{\phi_r}
                Decode {f z} to initial params 	heta_i using g_{\phi_d}
 9:
                Initialize \mathbf{z}' = \mathbf{z}, \theta_i' = \theta_i
10:
                for number of adaptation steps do
                    Compute training loss \mathcal{L}_{\mathcal{T}_i}^{tr}(f_{\theta_i'})
11:
12:
                    Perform gradient step w.r.t. z':
                    \mathbf{z}' \leftarrow \mathbf{z}' - \alpha \nabla_{\mathbf{z}'} \mathcal{L}_{T_i}^{tr}(f_{\theta_i'})
                    Decode z' to obtain \theta'_i using g_{\phi_d}
13:
14:
               end for
               Compute validation loss \mathcal{L}_{T_i}^{val}(f_{\theta_i'})
15:
           end for
16:
           Perform gradient step w.r.t \phi:
17:
           \phi \leftarrow \phi - \eta \nabla_{\phi} \sum_{\mathcal{T}_i} \mathcal{L}_{\mathcal{T}_i}^{val} (f_{\theta_i'})
18: end while
```

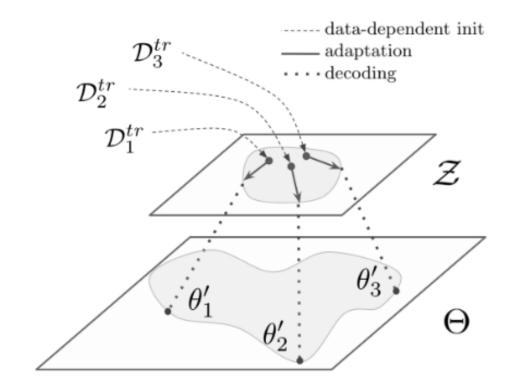


Figure 1: High-level intuition for LEO. While MAML operates directly in a high dimensional parameter space Θ , LEO performs meta-learning within a low-dimensional latent space \mathcal{Z} , from which the parameters are generated.

 This approach directly generates the functional weights of a network with limited training samples, which contains two key modules, namely, a TargetNet module(the base-level learner) and a MetaNet module(the meta-level learner).

- The parameters in TargetNet are generated by the MetaNet module conditioned on training samples.
- MetaNet contains two parts, namely, a task context encoder and a weight generator.

$$\mu_i, \sigma_i = \frac{1}{NK} \sum_{n=1}^{N} \sum_{k=1}^{K} g_{\phi_e}(x_i^{n,k}),$$

$$\mathbf{c}_i \sim q(\mathbf{c}_i|S_i^{train}) = \mathcal{N}(\mu_i, \operatorname{diag}(\sigma_i^2)),$$

weight generator

$$\theta_i^l = g_{\phi_w}^l(\mathbf{c}_i),$$

where $g_{\phi_{ml}}^l$ is the weight generator for l-th layer.

TargetNet Module

$$a(\hat{x}, x_i) = \frac{e^{d(T_{\theta_i}(\hat{x}_i), T_{\theta_i}(x_i^{n,k})))}}{\sum_{n=1}^{N} \sum_{k=1}^{K} e^{d(T_{\theta_i}(\hat{x}_i), T_{\theta_i}(x_i^{n,k})))}},$$

$$\hat{\mathbf{p}}_i = \sum_{n=1}^{N} \sum_{k=1}^{K} a(\hat{x}_i, x_i^{n,k}) \mathbf{y}_i^{n,k}.$$

$$\mathcal{L}_{\mathcal{T}_i} = H(\hat{\mathbf{y}}_i, \hat{\mathbf{p}}_i).$$

3.6. Intertask Normalization

Previous meta-learning methods usually consider each task independently. However, similar tasks should share some useful information with each other, which can help metalevel learner to learn additional common prior knowledge. We propose an intertask normalization (ITN) strategy to make the tasks interact with each other in a batch of tasks. In practice, we directly apply batch normalization (Ioffe & Szegedy, 2015) on the embedding module and task context encoder. The normalization is applied to all training samples of a task batch, rather than just to samples of each individual task. The accumulated mean, variance and learned scale and shift parameters in BN incorporate the statistical information shared among tasks. During a testing phase, we independently apply the trained model on each individual unseen task.

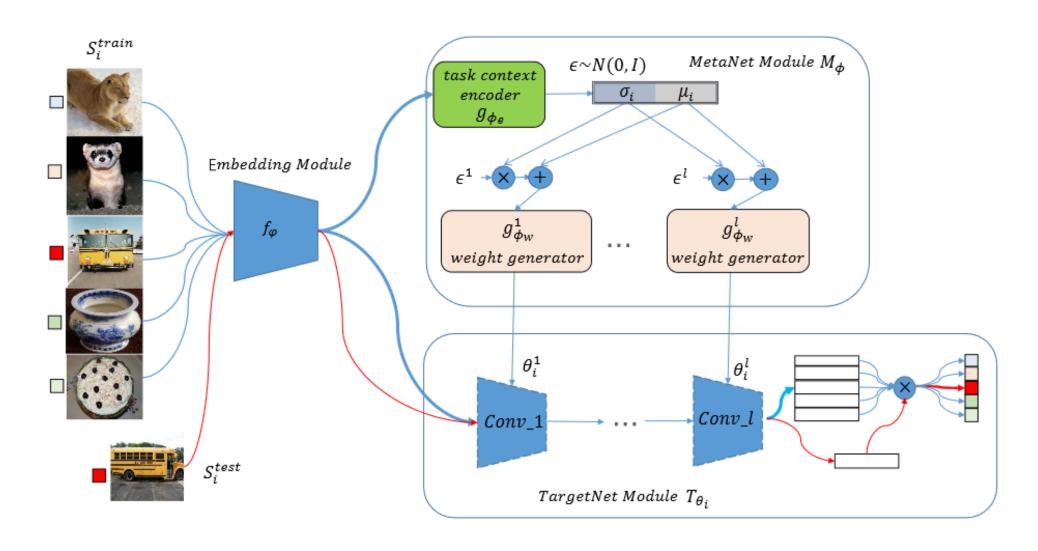


Table 2. Mean accuracy \pm 95% confidence intervals of our LGM-Net and state-of-the-art methods on miniImageNet dataset.

Model	5-way 1-shot	5-way 5-shot	20-way 1-shot
Matching networks (Vinyals et al., 2016)	43.56±0.84%	55.31±0.73%	17.31±0.22%
Meta-LSTM (Ravi & Larochelle, 2017)	$43.44 \pm 0.77\%$	$60.60 \pm 0.71\%$	$16.70 \pm 0.23\%$
MetaNet (Munkhdalai & Yu, 2017)	$49.21 \pm 0.96\%$	-	-
Prototypical Nets (Snell et al., 2017)	$49.42 \pm 0.78\%$	$68.20 \pm 0.66\%$	
MAML (Finn et al., 2017)	$48.70 \pm 1.84\%$	$63.11 \pm 0.92\%$	$16.49 \pm 0.58\%$
Meta-SGD (Li et al., 2017)	$50.47 \pm 1.87\%$	$64.03 \pm 0.94\%$	$17.56 \pm 0.64\%$
Relation Net (Sung et al., 2018)	$51.38 \pm 0.82\%$	$67.07 \pm 0.69\%$	-
REPTILE (Nichol & Schulman, 2018)	$49.97 \pm 0.32\%$	$65.99 \pm 0.58\%$	-
SNAIL (Mishra et al., 2018)	$55.71 \pm 0.99\%$	$65.99 \pm 0.58\%$	-
(Gidaris & Komodakis, 2018)	$56.20 \pm 0.86\%$	$73.00 \pm 0.64\%$	-
LEO(Rusu et al., 2019)	$61.76 \pm 0.08\%$	$77.59 \pm 0.12\%$	-
LGM-Net (Ours)	69.13±0.35%	71.18 ± 0.68 %	26.14±0.34%