

a) Assume
$$M_1 \notin M_2$$
 in Sat
 $Ip_1 = Ip_2 = Inf = \frac{K_2}{2} (V_{0S} - V_{T})^2$

$$(V_{65}-0.5)^2=0.1$$
, $V_{65}=0.82V$

$$V_{D1} = V_{D2} = V_{DD} - I_{D1}, R_{D} = IV$$
 $V_{S} = V_{6} - V_{6S} = 0 - 0.82 = -0.82V$

VDS > VGS- 4 -> Saturation assumption is valid.

c)
$$V_{Cm} = I_V$$
 $I_{D_1} = I_{D_2} = I_{M_2} = 0.2 \text{ mA}$
 $V_{D_1} = V_{D_2} = V_{DD} - I_{D_1} R_{D} = I_V$
 $V_{S} = V_{G} - V_{GS} = 1 - 0.82 = 0.18 V$

VDS = 0.82 > V65-VT -> Sat. assumption is valid

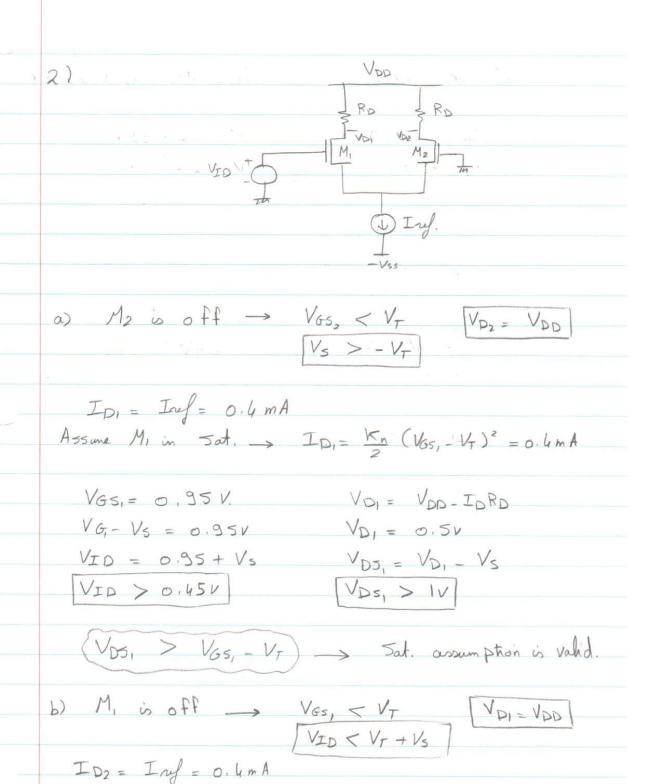
d)
$$V_{CM} = -0.2V$$
 $I_{D} = I_{D} = I_{M} = 0.2m \text{ A}$
 $V_{D1} = V_{D2} = V_{DD} - I_{D_1} R_{D} = IV$
 $V_{S} = V_{G} - V_{GS} = -0.2 - 0.82 = -1.02V$
 $V_{D5} = 2.02 \text{ V} > V_{GS} - V_{T} \longrightarrow 5 + iII \text{ in } 5 \text{ at.}$
 $V_{S} + V_{SS} = -1.02 + I.5 = 0.48 \text{ V} > 0.4$
(current 50m@ operates).

e)
$$V_{D_1} = V_{D_2} = 1v$$

$$V_{DS} \geqslant V_{GS} - V_{T} \rightarrow V_{D} \geqslant V_{G} - V_{T}$$
 $V_{G} \leqslant V_{D} + V_{T}$, $V_{G} \leqslant 1 + 0.5$

f)
$$V_{5} + V_{55} \ge 0.4V$$

 $V_{5} = V_{6} - V_{65}$, $V_{65} = 0.82V$



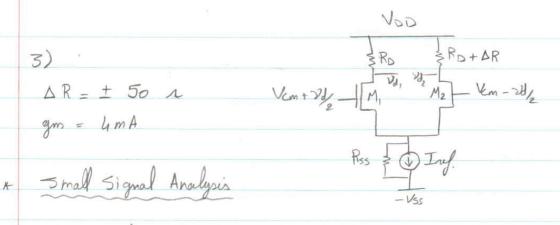
Assume M2 in 5at _ ID2 = Kn (Vos_ - V7) = 0.4 mA

 $V_{GS_2} = 0.95V.$ $V_S = -0.95V.$ $V_{ID} < V_{7} + V_{5}$ $V_{ID} < -0.45V$

 $V_{D2} = V_{DD} - I_{D_2} R_D = 0.5 V$ $V_{D5_2} = V_{D2} - V_5 = 1.45 V > V_{G5} - V_7 \le 5 at. Check$

c) let $V_{out} = V_{p_2} - V_{p_1}$ in a) $V_{p_2} - V_{p_1} = 1.5 - 0.5 = 1V$ in b) $V_{p_2} - V_{p_1} = 0.5 - 1.5 = -1V$

(-IV & Vout & IV



Differential mode:

$$g_m \mathcal{D}_{g_{51}} + g_m \mathcal{D}_{g_{52}} = \frac{\mathcal{V}_s}{R_{55}}$$

$$gm\left(\frac{yd}{2}-ys\right)+gm\left(\frac{-yd}{2}-ys\right)=\frac{ys}{Rss}$$

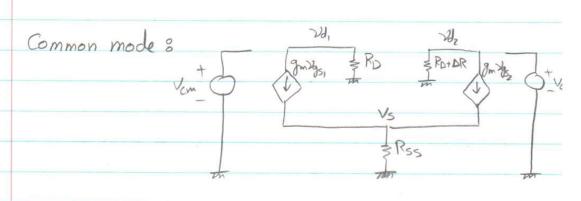
$$-2g_{m} V_{5} = \frac{V_{5}}{R_{55}} \rightarrow V_{5} = 0$$

$$V_{d_1} = -g_m V_{g_{5_1}} R_D = -g_m \frac{2d}{2} R_D$$

 $V_{d_2} = -g_m V_{g_{5_2}} (R_D + DR) = g_m \frac{2d}{2} (R_D + DR)$

$$V_0 = 2d_2 - 2d_1 = g_m 2d \left(R_D + \frac{\Delta R}{2}\right)$$

$$A_d = \frac{v_0}{v_d} = gm(R_D + \frac{\Delta R}{2}) = 20.1$$
 or 19.9



$$Vgs_1 = Vgs_2 = Vcm - Vs$$

 $Vs = Vcm - Vgs$

$$2gm Vgs = \frac{Vs}{Rss} = \frac{Vcm - Vgs}{Rss}$$

$$Vgs\left(2gm+\frac{1}{Rss}\right)=\frac{Vem}{Rss}$$

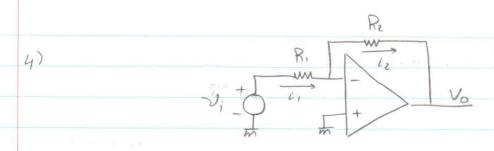
$$Vg_5 = \frac{V_{Cm}}{2g_m R_{55} + 1} \sim \frac{V_{Cm}}{2g_m R_{55}}$$

$$Vd_1 = -gm Vgs RD = -\frac{Vcm RD}{2Rss}$$

$$Vd_2 = -gmVg_S(R_D + \Delta R) = -\frac{Vcm(R_D + \Delta R)}{2R_{SS}}$$

$$V_0 = Vd_2 - Vd_1 = -\frac{V_{cm} \Delta R}{2R_{55}}$$

$$A_{cm} = \frac{V_0}{V_{cm}} = -\frac{\Delta R}{2R_{SS}} = \pm 10^{-3} \text{ or}$$



a) Assure
$$R_{in} = \infty$$
, $i^{+} = i^{-} = 0$

$$\frac{\lambda_{1} = \lambda_{2}}{R_{1}} = \frac{\lambda_{1} - \lambda_{0}}{R_{2}} \qquad \frac{\lambda_{0} = A(\lambda_{1} - \lambda_{1})}{\lambda_{0} = A(\lambda_{1} - \lambda_{1})}$$

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$$\frac{\mathcal{V}_{i}-\left(\frac{-\mathcal{V}_{o}}{A}\right)}{R_{i}}=\frac{\left(\frac{-\mathcal{V}_{o}}{A}\right)-\mathcal{V}_{o}}{R_{2}}$$

$$\frac{\mathcal{V}_{1}}{R_{1}} = -\mathcal{V}_{0}\left(\frac{1}{AR_{1}} + \frac{1}{AR_{2}} + \frac{1}{R_{2}}\right)$$

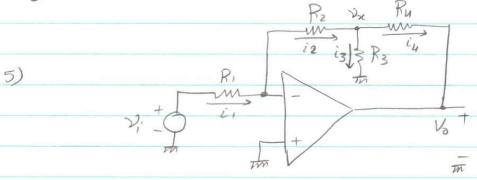
$$\frac{\mathcal{V}_0}{\mathcal{V}_i} = \frac{-AR_2}{R_2 + R_1 + AR_1} = G$$

$$\lim_{A\to\infty} G = -\frac{R_2}{R_1} \qquad \qquad \underline{\mathcal{E}} = \frac{|G| - (R_{1/R_1})}{R_{1/R_1}} \times 100\%$$

$$\mathcal{D}^{7} = -\frac{\mathcal{D}_{0}}{A} = \frac{G\mathcal{D}_{1}}{A}$$

$$A = 10^3$$
, $161 = 90.83$, $Z = -9.17\%$ $V^- = -9.08mV$
 $A = 10^4$, $161 = 99.00$, $Z = -1.00\%$ $V^- = -0.99mV$
 $A = 10^5$, $161 = 99.90$, $Z = -0.10\%$ $V^- = -0.10mV$

if A decreased by 50%, 161 only decrease by 0.1%



Ideal op. Amp

$$A=\infty$$
, $i^{\dagger}=i^{-}=0$ $Rin=\infty$ $\mathcal{D}^{\dagger}=\mathcal{D}^{-}$

$$i_1 = i_2 \implies \frac{\nu_i}{R_1} = \frac{-\nu_x}{R_2}$$

$$i_2 = i_3 + i_4 \Rightarrow \frac{-\nu_x}{R_2} = \frac{\nu_x}{R_3} + \frac{\nu_x - \nu_0}{R_4}$$

$$V_{x} = \frac{V_{0}}{R_{u}} \left(\frac{1}{R_{z}} + \frac{1}{R_{3}} + \frac{1}{R_{u}} \right)^{-1}$$

$$\frac{\mathcal{V}_{i}}{R_{1}} = -\frac{\mathcal{V}_{0}}{R_{2}} \left(\frac{1}{R_{2}} + \frac{1}{R_{3}} + \frac{1}{R_{N}} \right)^{-1}$$

$$\frac{v_0}{v_i} = \frac{-R_2 R_4}{R_1} \left(\frac{1}{R_2} + \frac{1}{R_3} + \frac{1}{R_4} \right)$$

$$\frac{V_0}{V_1} = -\frac{R_2}{R_1} \left(\frac{R_4}{R_2} + \frac{R_4}{R_3} + 1 \right)$$

$$i_{m} = i_{1} = \frac{\lambda_{i}}{R_{1}} \qquad R_{in} = \frac{\lambda_{i}}{i_{m}} = R_{i}$$

$$0^{\circ} \qquad R_{1} = 1 \text{ M.}$$

$$1GI = \frac{R_{2}}{R_{1}} \left(\frac{R_{u}}{R_{2}} + \frac{P_{u}}{P_{3}} + 1\right) \qquad \text{ w. } \qquad R_{u} = 1M_{n}$$

$$1GI = \left(1 + \frac{10^{6}}{R_{3}} + 1\right) = 100$$

$$0^{\circ} \qquad R_{3} = \frac{10^{6}}{93} = 10 \cdot 2 \text{ K.}$$

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