Lab Assignment #5

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Instructions

The purpose of this lab is to introduce more advanced regression strategies that were probably not covered in Math 338.

In this lab, we will be working with four datasets. Three (Boston, Carseats, and Wage) are contained in the ISLR2 package. Information about these datasets can be found by searching R help for them.

The fourth dataset, RateMyProfessor, needs to be downloaded from Canvas. This dataset contains the overall average rating from https://www.ratemyprofessors.com/ for over 22,000 professors, as collected by Murray et al. (2020). A data dictionary for the dataset can be found at https://github.com/murrayds/aa_r mp/tree/master/data (note that I removed a bunch of variables so that you're downloading a 2 MB dataset instead of a much larger one).

```
library(ISLR2)
library(ggplot2)
library(dplyr)
library(broom) # See Problem 3b

RateMyProfessor <- read.csv("RateMyProfessor.csv")</pre>
```

This lab assignment is worth a total of **15 points**.

Problem 1: Indicator Variables

Part a (Code: 0.5 pts)

Run the code in ISLR Lab 3.6.6. Put each chunk from the textbook in its own chunk.

Part b (Explanation: 1 pt)

Interpret the slope estimate corresponding to ShelveLocGood in the model fit in part (a).

Part c (Code: 1 pt; Explanation: 1.5 pts)

Using the RateMyProfessor dataset, fit a linear model predicting the overall rating of a professor (overall) from the difficulty rating (difficulty), chili pepper rating (hotness), and rank (rank). What are the reference levels for each categorical variable? How do you know?

Part d (Explanation: 1.5 pts)

Holding difficulty constant, which of the following instructors would be predicted to have the highest overall rating? Which would be predicted to have the lowest overall rating? Explain your reasoning.

- Attractive Assistant Professor
- Attractive Associate Professor
- Attractive Professor
- Less-attractive Assistant Professor
- Less-attractive Associate Professor
- Less-attractive Professor

Problem 2: Interaction Terms

Part a (Code: 0.5 pts)

Run the single line of code in ISLR Lab 3.6.4.

Part b (Explanation: 2 pts)

Notice that age is a significant predictor of medv in the model without the interaction term (from ISLR Lab 3.6.3 on Lab 4), but it is no longer a significant predictor of medv once we add in the interaction term. The p-value is huge (0.971!). What do you think is happening here? Are we okay to remove the age variable from the model with the interaction term? Why or why not?

Part c (Code: 1 pt; Explanation: 1.5 pts)

Create a new dataset, associates, by filtering the RateMyProfessor dataset to include only the Associate Professors.

Next, complete this code chunk to create a graph of overall rating vs. difficulty rating for the associate professors, with "hot" professors shown in red and "cold" professors shown in blue. Remember to delete eval = FALSE once you get the code to run!

How does the difficulty of the professor modify the relationship between attractiveness and overall rating?

Part d (Code: 1 pt; Computation and Explanation: 2 pts)

Using the RateMyProfessor dataset, fit a linear model predicting overall rating from the difficulty rating (difficulty), chili pepper rating (hotness), rank (rank), and an interaction term between difficulty and hotness.

Using your results, write out the least-squares regression equation predicting overall rating from difficulty for an attractive associate professor. Also, write out the least-squares regression equation predicting overall rating from difficulty for a less-attractive associate professor. Explain how you obtained each equation.

Do your equations support your conclusions from part (c)? Explain why or why not.

Problem 3: Regression with Nonlinear Transformations of the Predictors

Part a (Code: 0.5 pts)

Run the first four code chunks in ISLR Lab 7.8.1 (up through the point where fit2b is created). Put each chunk from the textbook in its own chunk.

Part b (Code: 1 pt)

In the code chunk below, create a data frame with a single variable, age, ranging from 18 to 80, then use the augment function (in the broom package) to obtain the predicted wage, standard error of the mean wage, and the lower and upper bounds of a 95% confidence interval for the population mean wage at each age. (You can use any of fit, fit2, fit2a, or fit2b - they should all give the same predictions.)

What is the 95% confidence interval for the population mean wage of 25-year-olds? 50-year-olds?