

2019summer-assignment4

July 22, 2019

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In [222]: import os
import numpy as np
import matplotlib as plt
import matplotlib.pyplot
import random as rd
from sklearn.model_selection import train_test_split
%cd '/Users/xiaoyingliu/desktop'
```

/Users/xiaoyingliu/Desktop

```
In [223]: #1. [20pts] Write an implementation of the perceptron learning algorithm that first
#digit 0 and then for the digit 1. Start with random weights from a normal distribut
#average accuracy on blocks of 25 items and plot this accuracy until you think it wo
DIM = (28,28)
def load_image_files(n, path="images/"):
    # helper file to help load the images
    # returns a list of numpy vectors
    images = []
    for f in os.listdir(os.path.join(path,str(n))):
        # read files in the path
        p = os.path.join(path,str(n),f)
        if os.path.isfile(p):
            i = n.loadtxt(p)
            assert i.shape == DIM # just check the dimensions here
            # i is loaded as a matrix, but we are going to flatten it into a single v
            images.append(i.flatten())
    return images
```

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In [224]: A = load_image_files(0)
B = load_image_files(1)
```

AttributeError

Traceback (most recent call last)

<ipython-input-224-50715f08ddcc> in <module>

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----> 1 A = load_image_files(0)
      2 B = load_image_files(1)

<ipython-input-223-5840d039f0d3> in load_image_files(n, path)
    11         p = os.path.join(path,str(n),f)
    12         if os.path.isfile(p):
----> 13             i = n.loadtxt(p)
    14             assert i.shape == DIM # just check the dimensions here
    15             # i is loaded as a matrix, but we are going to flatten it into a single

```

AttributeError: 'int' object has no attribute 'loadtxt'

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In [225]: #add labels as second column to A and B
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    label0=np.zeros((5923,1))
    label1=np.ones((6742,1))
    A_withlabel=np.column_stack((A, label0))
    B_withlabel=np.column_stack((B,label1))

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In [75]: N = len(A[0]) # the total sizeassert should be 784
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N == DIM[0]*DIM[1] # just check our sizes to be sure
# set up some random initial weights
weights = np.random.normal(0,1,size=N)

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In [76]: #show initial weights #784 entries
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np.shape(weights)
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Out[76]: (784,)
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In [8]: #classification function
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def predict(data_point, weights):
    b = np.dot(data_point, weights)
    a = b>0
    return a*1

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In [141]: def update(weights, data_point, labels, alpha=.1):
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    predicted = predict(data_point, weights)
    weight_temp = np.zeros(np.shape(weights))
    weight_temp = alpha*(labels-predicted)*data_point
    return weight_temp+weights

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In [173]: #in total 12665 images
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AB=np.vstack((A_withlabel,B_withlabel))
np.shape(AB)

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In [211]: #need to randomly shuffle AB,this is a substitution of sampling from AB
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#if label match, corretc+1 total+1 if not total+1 when total =25, acc=correct/total

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def train_perceptron(data, weights, alpha = .001, iterations = 10):
    for j in range(0, iterations):
        for i in range(0, 12665):
            weights = update(weights, data[i][:-1], data[i][783:784], alpha)
    return weights
```

```
final_weights=train_perceptron(AB,weights,alpha=0.001,iterations=1)
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In [213]: #test accuracy
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def test_all(data, labels, weights):
    a, b = np.shape(labels)
    predicted = predict(data, weights)
    correct = predicted == labels[:,0]

    accuracy = np.sum(correct)/float(a)
    return accuracy
```

```
In [214]: test_all(AB[:, :-1],AB[:, 783:784] ,final_weights)
```

```
Out[214]: 0.9975523095144098
```

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In [ ]: #Conclusion:as the training number of images and iterations increases, accuracy has been
#10 iterations, accuracy has been increased to 99.76%
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In [ ]: #2. [5pts] Does your solution in Q1 converge on 100% accuracy or not? What does this mean?
#the linear separability of 0 and 1 on this feature space?
#Ans: yes, it means that 0 and 1 in the feature space is linearly separable, that our model can
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In [ ]: #3. [15pts] Reshape (numpy.reshape) your weight vector after training so that it is a 28x28 matrix
#corresponds to the weight assigned to each pixel in the image. Show a picture of this matrix
#interpret it in a sentence or two. What do large negative and large positive values mean?
#What do numbers near zero mean? Why does this matrix look the way that it does, in terms of the digits?
#large positive and negative terms are located?
#Ans:
#use heat matrix to display weights. Large values are useful, more predictable. small values are less so.
#Thus, the location of large numbers and small numbers are an intuitive way of showing the specific handwritten digit.
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In [20]: #4. [10pts] What should you expect to happen if you set the elements of the weight vector to
#close to zero to be actually zero? Do this for the 10, 20, 30, 780 weight values closest to zero (in terms of
#absolute value) and plot the resulting accuracies on 1000 random classifications of the test set.
#does this tell you about the proportion of the image which is diagnostic about 0 vs 1?
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TypeError
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Traceback (most recent call last)
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<ipython-input-20-19b1f85f8ff3> in <module>
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----> 2 fig = plt.figure()
      3 ax1 = fig.add_subplot(121)
      4 ax1.imshow(a, interpolation='bilinear', cmap=cm.Greys_r)
      5 ax2 = fig.add_subplot(122)

```

TypeError: 'module' object is not callable

In []: *#Ans: If we set near zeros to zeros. We would eliminate these location-wise numbers as a linear separator. My expectation is that the accuracy might be decreased.*

In []: *#5. [20pts] Next show a matrix of the classification accuracy of each pair of digits as a heatmap. Make this a plot (with colors for accuracy rather than numbers). Does it match your intuition? Which pairs should be easy vs. hard? Why or why not? #Ans: we could construct an algorithm which can identify all numbers at the same time. #classifying all numbers, the other is for whenever the classifier gives 2 conflicting #most reliable prediction result*

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In [74]: #return a set of weights which could classify all digits
def all_numbers(data, labels):
    c, d = np.shape(data)
    w = create_weights(data)
    weights = []
    for i in range(0, 10):
        z = same_number(labels, i)
        a = train_perceptron(data, z, w, .001, 4)
        weights.append(a[:, 0])
    return np.asarray(weights)

```

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In [75]: def one_all(data, weights):
        a = np.dot(data, np.transpose(weights))
        b = len(np.shape(data))
        if b == 1:
            return np.argmax(a)
        return np.argmax(a, axis=1)

```

Out[75]: array([6, 2, 7, ..., 0, 3, 6])

In []: *#more iterations and moderate learning rate will give out best results, we will do 200*