

第二次作业

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4.3 解: 约定字符串下标从 1 开始, 后面题目亦作如此约定.

$$\text{StrLength}(s) = 14, \quad \text{StrLength}(t) = 4$$

$$\text{SubString}(s, 8, 7) = \text{'STUDENT'}$$

$$\text{SubString}(t, 2, 1) = \text{'O'}$$

$$\text{Index}(s, \text{'A'}) = 3, \quad \text{Index}(s, t) = 0$$

$$\text{Replace}(s, \text{'STUDENT'}, g) = \text{'I AM A WORKER'}$$

$$\begin{aligned} & \text{Concat}(\text{SubString}(s, 6, 2), \text{Concat}(t, \text{SubString}(s, 7, 8))) \\ &= \text{'A GOOD STUDENT'} \end{aligned}$$

$$\begin{aligned} 4.4. \text{解: } s &= \text{Concat}(a, \text{Concat}(\text{SubString}(f, 2, 7), \text{Concat}(b, \\ & \quad \text{SubString}(a, 3, 2)))) \\ &= \text{'THIS SAMPLE IS'} \end{aligned}$$

$$t = \text{'A GOOD'}$$

$$v = \text{'THIS SAMPLE IS A GOOD ONE'}$$

$$\text{StrLength}(s) = 14, \quad \text{Index}(v, g) = 3, \quad \text{Index}(u, g) = 0$$

4.8 解: 模式串的 nextval 函数值如下表:

下标	0	1	2	3	4	5	6	7	8	9
串	A	D	A	B	B	A	D	A	D	A
next	-1	0	0	1	0	0	1	2	3	2
nextval	-1	0	-1	1	0	-1	0	-1	3	-1

KMP 算法匹配过程：

①

$i \downarrow$
 A D **B** A D A B B A A B A D A B B A D A D A
 A D **A** B B A D A D A
 \uparrow
 j

nextval[j] = -1, 下次回到串0号位, 同时 i+1

②

$i \downarrow$
 A D B A D A B B A **A** B A D A B B A D A D A
 A D A B B A **D** A D A
 \uparrow
 j

nextval[j] = 0, 下次回到串0号位

③

$i \downarrow$
 A D B A D A B B A A **B** A D A B B A D A D A
 A **D** A B B A D A D A
 \uparrow
 j

nextval[j] = 0, 下次回到串0号位

④

$i \downarrow$
 A D B A D A B B A A **B** A D A B B A D A D A
A D A B B A D A D A
 \uparrow
 j

nextval[j] = -1, 下次回到串0号位, 同时 i+1

⑤

A D B A D A B B A A B A D A B B A D A D A
 A D A B B A D A D A
 匹配成功

5.1 解: (1) $6 \times 6 \times 8 = 288$ 字节

$$\begin{aligned} (2) \text{LOC}(5, 7) &= \text{LOC}(0, 0) + \sum_{i=1}^7 C_i \cdot j_i \\ &= 1000 + (5 \times 8 + 7) \times 6 \\ &= 1282 \end{aligned}$$

(3) 按行存储时, $\text{LOC}(1, 4) = 1000 + (1 \times 8 + 4) \times 6 = 1072$

(4) 按列存储时, $\text{LOC}(4, 7) = 1000 + (7 \times 6 + 4) \times 6 = 1276$

5.8 解: 将原矩阵分块为如下形式:

$$\begin{bmatrix} A_{12} & & & \\ & A_{34} & & \\ & & \ddots & \\ & & & A_{2m-1, 2m} \end{bmatrix}$$

设 $a_{ij} \in A_{q-1, q} = \begin{pmatrix} a_{q-1, q-1} & a_{q-1, q} \\ a_{q, q-1} & a_{q, q} \end{pmatrix}$

则 $A_{q-1, q}$ 之前共有 $\frac{q}{2} \cdot 4 = 2q$ 个非零元

因 A 在数组 $B[4m]$ 中, $a_{g-1, g-1}$ 下标为 $2g$, $a_{g-1, g}$ 下标为 $2g+1$,

$a_{g, g-1}$ 下标为 $2g+2$, a_{gg} 下标为 $2g+3$

归纳得, $k = \begin{cases} i+j+2, & i \text{ 为奇数} \\ i+j+3, & i \text{ 为偶数} \end{cases}$,

或合并得, $k = i+j+2 + (i+1)/2$

5.11 解: (1) $\text{Get Head} [\text{Get Tail} [\text{Get Tail} [L_1]]]$

(2) $\text{Get Head} [\text{Get Head} [\text{Get Tail} [L_2]]]$

(3) $\text{Get Head} [\text{Get Head} [\text{Get Tail} [\text{Get Tail} [\text{Get Head} [L_3]]]]]$

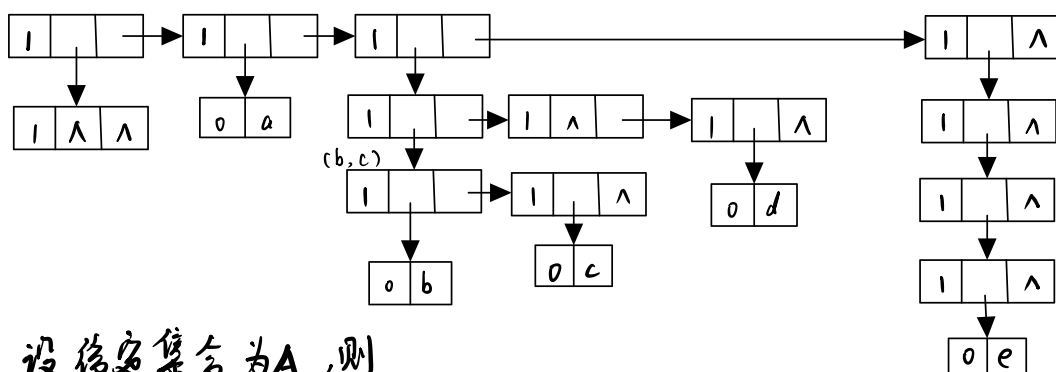
(4) $\text{Get Head} [\text{Get Head} [\text{Get Head} [\text{Get Tail} [\text{Get Tail} [L_4]]]]]$

(5) $\text{Get Head} [\text{Get Head} [\text{Get Tail} [\text{Get Tail} [L_5]]]]]$

(6) $\text{Get Head} [\text{Get Tail} [\text{Get Head} [L_6]]]$

(7) $\text{Get Head} [\text{Get Head} [\text{Get Tail} [\text{Get Head} [\text{Get Tail} [L_7]]]]]$

5.12 解:



5.15. 解: 设命题集合为 A , 则

$$P(A) = \begin{cases} \{\emptyset\}, & |A|=0 \\ P(A \setminus \{a\}) \cup f(P(A \setminus \{a\}), a), & |A| \neq 0 \end{cases}$$

其中映射 $f: (S, e) \mapsto S' := \{x \mid x = x_0 \cup \{a\}, \forall x_0 \in S\}$