Prob[i–th observation is BLUE, i.e. = 1] = π With n=5, 32 possible sequences. Below, sequences leading to the same positive:negative (RED/blue) 'split' are grouped. The number of sequences leading to same split is shown in black. With n=5, there are 6 possible splits The probability of a given split is the probability of any one of the sequences leading to it, multiplied by the number of such sequences. 1st 4th 2nd 3rd 5th 1,2,3, ... 10: Number of sequences that yield the Binomial Probabilities* indicated split (can obtain from nCy or Pascal's Triangle). 1 x $\pi^5 (1-\pi)^0$ All sequences leading to the split are equiprobable. $5 \times \pi^4 (1-\pi)^1$ 10 x $\pi^3 (1-\pi)^2$ $10 \times \pi^2 (1-\pi)^3$ $5 \times \pi^{1} (1-\pi)^{4}$ 1 $_{x}$ π^{0} $(1-\pi)^{5}$

in R: dbinom(0:5,size=5,prob=0.xx)

The 2ⁿ possible sequences of n independent Bernoulli observations