Continue with the interim report, finish the outer loop algorithm:

4.2.6 Outer loop algorithm←

Based on the result of Algorithm 2, for each SWIPT-Supported D2D link \mathbf{i}_{i} it has different transmission power $P_{i,j}^{D}$, power splitting ratio $\theta_{i,j}$ and energy efficiency $EE_{i,j}^{D}$ at different power segment \mathbf{j} of EH. To achieve the target of maximizing EE of each SWIPT-Supported D2D link, further work needs to be done for selecting the best power segment at which each SWIPT-Supported D2D link \mathbf{j} can achieve its maximum Energy Efficiency.

As shown in Algorithm 3, each SWIPT-Supported D2D link \mathbf{i} is paired with a CUE k from its partner selection PS_i^D . And for each D2D link \mathbf{i} paired with CUE k, similarly, the maximum number of power segment of EH model can be obtained using (16), then it will traverse all of the power segment of EH and try to find the best power segment where the current D2D link \mathbf{i} can achieve its maximum EE which can be denoted as $j^* = \arg\max\{EE_{i,1}^D, EE_{i,2}^D, ..., EE_{i,j}^D, ..., EE_{i,N_{max}}^D\}$. Then the corresponding optimal value θ_i^* and $P_i^{D^*}$ can be obtained at the selected power segment of EH which are denoted as θ_{i,j^*} and P_{i,j^*}^D respectively.

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After using Algorithm 3, each SWIPT-Supported D2D link \mathfrak{j} paired with CUE k will have an optimal value of transmission power P_i^{D*} , power splitting ratio θ_i^{D*} and Energy efficiency EE_i^{D*} at a specific power segment of the piecewise linear EH model.

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The pseudocode of the outer loop algorithm based on my understanding is given:

```
Algorithm 3 Out loop Algorithm
                          EnaD, PS, \theta_{i,i}, P_{i,i}^D, EE_{i,i}^D
Input
                          P_i^{D*}, \theta_i^*, EE_i^{D*}
Output :
                          for i \in EnaD
Step 1
                             for k \in PS_i^D
Step 2
                                       Obtain P_{i,max}^R using (5), and obtain N_{max} using function A
Step 3
Step 4
                                       for j = 1: N_{max}
                                             \begin{split} j^* &= \text{arg max} \, \{ E E_{i,1}^D, E E_{i,2}^D, ..., E E_{i,j}^D, ... \, E E_{i,N_{max}}^D \} \\ \text{Assign} \, \, P_i^{D^*} &= P_{i,j^*}^D \, E E_i^{D^*} = E E_{i,j^*}^D, \theta_i^* = \theta_{i,j^*} \end{split}
Step 5
Step 6
                                       end for
Step 7
               :
                             end for
Step 8
                          end for
Step 9
```

After using using the three implemented algorithms, now the preference list needs to be implemented before using the final one-on-one stable matching algorithm, the pseudocode of it based on my understanding is given as following:

Algorithm 4 Preference list

Input : P_i^{D*} , EE_i^{D*} , θ_i^* , EnaD, C, PS

Output : Ω_i^D, Ω_k^C

Step 1 : $for i \in EnaD do$ Step 2 : $for k \in PS_i^D do$

Step 3 : $get \, EE_i^{D*}$ and place k into $\, \Omega_i^{\rm D} \,$ in descending order of $\, EE_i^{D*} \,$

Step 4 : endfor Step 5 : endfor

Step 6 :

 $\begin{array}{lll} {\rm Step \, 7} & : & for \, k \in PS_i^D \, do \\ {\rm Step \, 8} & : & for \, i \in EnaD \, do \end{array}$

Step 9 : obtain $P_{interference}$ caused by i using (16), and place i into Ω_k^c in

ascending order of $P_{interference}$

Step 10 : endfor Step 11 : endfor