PY 202
21:1-4

reading: 21
4-6

Fig. 1: My LSH illustration

office: next to Dr. Reynolds

While they're going over HW rubric:

- I need to reply to Dr. Townsend

- I need to return my stat book

- I need to visit an Nesu seismologist

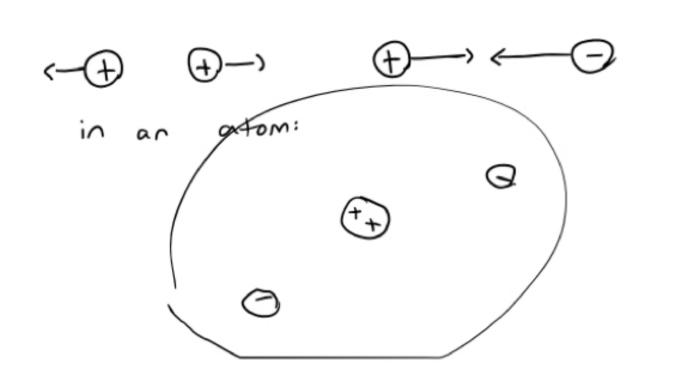
- I need to visit the Nesu body

Visualization lab

- purchase Web Assigns!

I get a clicker!

Go to Moodle, Turning Tech, and REGISTER YOUR CLITCHER NCSA competition Write out all HW on Paper; submit ans for WA's to WA. Charges and Coulomb's Law (and the Force between charges) Two types of charges: Positive A negative -



- Probably easier to move e- than

- charging always moves electrons - your mobile charges! And only they can move.

t (+) charge: must have removed electrons => ne+ positive charge

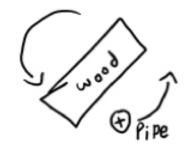
Insulators and Conductors: Jiff levels of electron Mobility

Conductor: electrons can move. Insulator: electrons are not free to move.

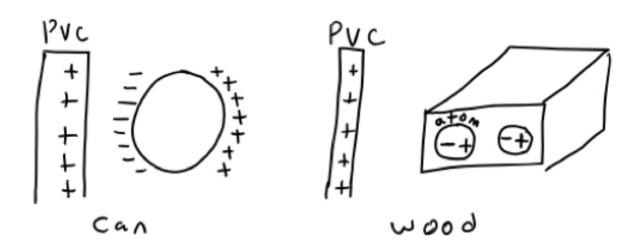
You can get attractive/regulsive force with

200 a

electrons in can are attracted to rod. (can is conductor)



electron mobility within the atoms on the wood's edge (not throughout the wood) move to the pipe's positive charge.



How do you charge something? -charge by friction

(Earth: infinite reservoir of charge)
(Ground: exchange & w/ earth, but
basically just changing obj's net charge
without much changing the earth's
net charge.)



- Charge by induction (without touching)

- charge by anduction

$$\frac{\text{Coulomb's Law}}{F_{1,2}} = \frac{K |q_1 q_2|}{r^2}$$

$$\frac{C_{01} |q_2|}{r^2}$$

$$\frac{C_{01} |q_1 q_2|}{r^2}$$

$$\frac{C_{01} |q_2|}{r^2}$$

$$\frac{Q_{11} |q_2|}{q_1}$$

$$\frac{Q_{11} |q_2|}{q_2}$$

$$\frac{Q_{12} |q_2|}{q_2}$$

$$\frac{Q_{11} |q_2|}{q_2}$$

Force exerted by &, on &2

ex |
$$q_1 = q_2 = 5$$
 pc

 $\overrightarrow{F}_{1,2}$ | q_1 | q_2 | q_2 | q_3 | q_4 | q_4 | q_5 | q_5 | q_5 | q_5 | q_5 | q_6 | q_6

Charge

$$\overrightarrow{F}_{net} = \overrightarrow{F}_{1,2} + \overrightarrow{F}_{3,2} \qquad (vector add+n!)$$

$$\overrightarrow{F}_{12} \qquad \overrightarrow{F}_{32} \qquad \textcircled{0}_{3}$$

$$\overrightarrow{F}_{12} \qquad \overrightarrow{F}_{32} \qquad \textcircled{0}_{3}$$

$$\overrightarrow{Q}_{1} \qquad \overrightarrow{F}_{32} \qquad \textcircled{0}_{3}$$