# Analytics for a Better World Recitation 1

## Schedule

- 1. A geometric Linear Optimization example.
- 2. Installing Julia, JuMP, Gurobi, and Jupyter workshop.

## Draw the problems:

#### On the same graph:

- Graph a line showing the boundary of each of the constraints.
- Shade the feasible region
- Draw the direction of the gradient and a contour line of the objective function
- Finally, identify what the optimal solution and associated objective value of the problem is.

## Follow-up Questions

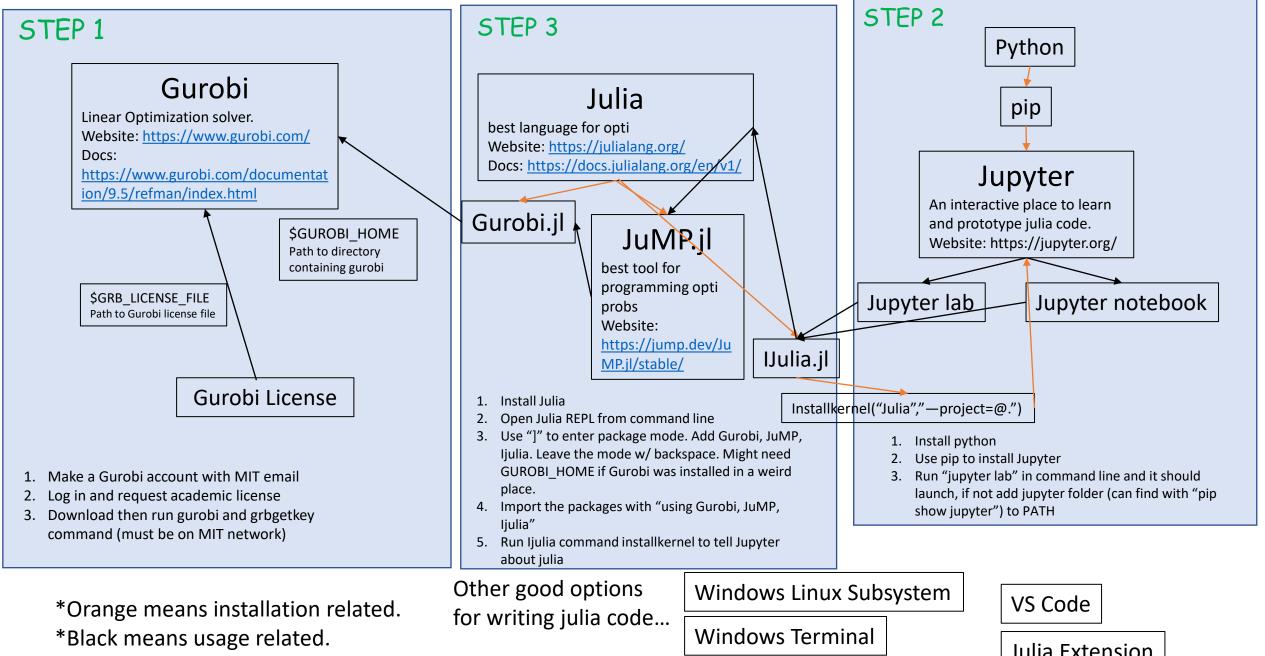
- 1. How can I change the inequality directions to make no feasible solution exist?
- 2. Where are the optimal solutions if I maximize instead of minimize?
- 3. If I scale the objective function, how does the optimal solution change?

### Answers

- 1. How can I change the inequality directions to make no feasible solution exist? Flip inequalities 1 and 2 in problem 1, for instance.
- 2. Where are the optimal solutions if I maximize instead of minimize? See picture below
- 3. If I scale the objective function, how does the optimal solution change? If scaled by a positive, the optimal solution (x\*,y\*) doesn't change because the direction hasn't changed. However, the optimal cost does get scaled! If scaled by a negative, the optimal solutions become the optimal solutions for the maximization problem with the original objective function.

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# Software Installation



emacs

vim

Julia Extension