CS427 Final Project - Stream File Encryption & Key Management

Casey Colley Robert Detjens Lyell Read

CS 427, Winter 2022

Contents

		n (e									
Primitives				 			 				
Formal Scheme Definition				 			 				
Main				 			 				
Security Proof and Reasoning				 			 				
Tey Generation and Storage	(keyg	gen)									
Primitives											
Primitives							 				
	ry			 							

Abstract

placeholder

Stream Encryption and Decryption (enc, dec)

placeholder

Primitives

Our design utilizes F, a Block Cipher (PRP). F will be the AES block cipher with a 256-bit key. This key will be derived using a common hashing algorithm, SHA256 based on the text password entered by the user.

- https://www.geeksforgeeks.org/advanced-encryption-standard-aes/
- https://nvlpubs.nist.gov/nistpubs/FIPS/NIST.FIPS.197.pdf

klen = 256	$F_{AES}(k,d)$:
TODO: types declared here	TODO

Formal Scheme Definition

Our symmetric encryption mode will be a modified CTR mode.

```
\begin{array}{l} \operatorname{ENC}_{CTR}(k,m_1||\ldots||m_l):\\ \hline r\leftarrow \{0,1\}^{blen}\\ c_0:=r\\ \text{for } i=1 \text{ to } l:\\ c_i:=F(k,m_i||r)\\ r:=r+1\%2^{blen}\\ \text{return } c_0||\ldots||c_l \end{array} \qquad \begin{array}{l} \operatorname{Dec}_{CTR}(k,c_0||\ldots||c_l):\\ \hline \text{TODO} \end{array}
```

The hashing function we will use is SHA-256.

```
klen = 256 \frac{\text{HASH}_{SHA-256}(m)}{\text{TODO}}:
TODO: types declared here
```

Main

```
from getpass import getpass
klen, blen = 256

# Stored persistently, in file or otherwise
s = ''
K = ''
H = ''

Init():
    k = KeyGen()
    s = KeyGen()
    print("You will make a new password.")
    H = Pass2Key()
```

```
print("You will enter the password again.")
K = EncKey()
print("Vault has been initialized.")

Main():
    if:
        Init()

k = DecKey()
    # Decrypt vault with k
print("Vault has been decrypted.")

#Encryption and Decryption behavior here

# Re-encrypt vault files with k
# k is not persistant on shutdown
```

getpass: https://stackoverflow.com/questions/43673886/python-2-7-how-to-get-input-but-dont-show-keys-entered/43673912

Security Proof and Reasoning

We will prove that the encryption scheme of our key manager, a modified CTR mode, has security against chosen ciphertext attacks. We assume that F is a secure PRP.

To prove that a scheme has CCA security, we must prove that two random plaintexts (L & R) cannot be distinguished from each other, including any partial information, like so:

```
\mathcal{L}^{\Sigma}_{\mathsf{CCA-L}}
                                                              \mathcal{L}_{\mathsf{CCA-R}}^{\Sigma}
   k \leftarrow \Sigma.\mathsf{KeyGen}
                                                    k \leftarrow \Sigma.\mathsf{KeyGen}
   \mathcal{S} := \emptyset
                                                    \mathcal{S} := \emptyset
EAVESDROP(m_L, m_R):
                                                EAVESDROP(m_L, m_R):
   if |m_L| \neq |m_R|:
                                                    if |m_L| \neq |m_R|:
       return err
                                                        return err
   c := \Sigma.\mathsf{Enc}(k, \underline{m_L})
                                                    c := \Sigma.\mathsf{Enc}(k, \underline{m_R})
   \mathcal{S} := \mathcal{S} \cup c
                                                    S := S \cup c
   return c
                                                    return c
DECRYPT(c):
                                                DECRYPT(c):
   if c \in S return err
                                                    if c \in S return err
   return \Sigma. Dec(k, c)
                                                    return \Sigma. Dec(k, c)
```

From here, we will walk through the proof for the left library.

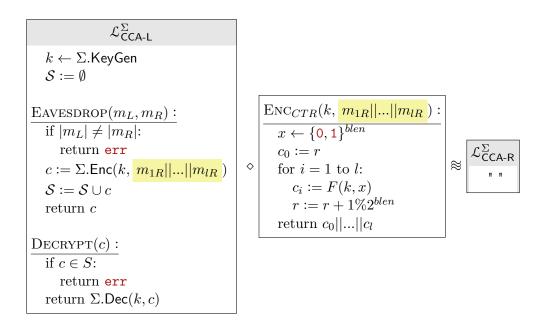
```
\mathcal{L}^{\Sigma}_{\mathsf{CCA-L}}
   k \leftarrow \Sigma. KeyGen
   \mathcal{S} := \emptyset
                                                                ENC_{CTR}(k, m_{1L}||...||m_{lL}):
EAVESDROP(m_L, m_R):
                                                                   r \leftarrow \{\mathbf{0}, \mathbf{1}\}^{blen}
   if |m_L| \neq |m_R|:
       return err
                                                                    for i = 1 to l:
   c := \Sigma.\mathsf{Enc}(k, \frac{m_{1L}||...||m_{lL}||)
                                                                       c_i := F(k, m_{iL}||r)r := r + 1\%2^{blen}
   \mathcal{S} := \mathcal{S} \cup c
   return c
DECRYPT(c):
   if c \in S:
       return err
   return \Sigma. Dec(k, c)
```

Next, we can turn our attention to the linked encryption scheme. Here we see that for each block, we calculate $F(k, m_i||r)$ for the corresponding ciphertext block. r is sampled randomly, so the chance of collision is $\frac{1}{2^{blen}}$. However, we are doing counter mode, so r for each subsequent block in the message is deterministic, for l blocks in the message. Still, the rate of collision comes to $\frac{l}{2^{blen}}$. The l increases much slower than the 2^{blen} , which means the rate of collisions is still negligible.

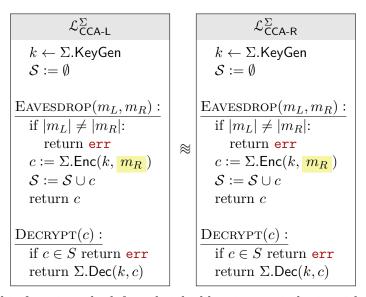
Because r is sampled randomly and has a neglible rate of collisions, $m_i||r$ also has a collision rate of $\frac{l}{2^{blen}}$ even when the same m_i is inputted. It does not matter what m_i is when we concatenate it with r and put it through the PRP F. To illustrate this, we can apply the following transformation:

```
\mathcal{L}_{\mathsf{CCA-I}}^{\Sigma}
   k \leftarrow \Sigma.\mathsf{KeyGen}
                                                                   \frac{\text{ENC}_{CTR}(k, m_{1L}||...||m_{lL}):}{\mathbf{x} \leftarrow \{0, 1\}^{blen}}
EAVESDROP(m_L, m_R):
   if |m_L| \neq |m_R|:
                                                                       c_0 := r
        return err
                                                                        for i = 1 to l:
   c := \Sigma.\mathsf{Enc}(k, m_{1L}||...||m_{lL})
                                                                           c_i := F(k, \frac{\mathbf{x}}{\mathbf{x}})r := r + 1\%2^{blen}
    \mathcal{S} := \mathcal{S} \cup c
   return c
                                                                       return c_0 || ... || c_l
DECRYPT(c):
   if c \in S:
        return err
   return \Sigma.\mathsf{Dec}(k,c)
```

Now, $m_{1L}||...||m_{lL}$ is not being used by the Enc_{CTR} function; we can change it to some other name without disrupting the function of the encryption scheme. We can rename this to $m_{1R}||...||m_{lR}$ and inline it into the library.



Let's inline the whole linked function, and re-consider the right library.



Here we can see in this function, the left and right libraries are indistinguishable. For any calling program A, it will not be able to distinguish between the two libraries - aka, it will not be able to obtain any partial information from the scheme.

Key Generation and Storage (keygen)

Primitives

placeholder

Shoving this here for now sorry

Formal Scheme Definition

$$k := DecKey()$$

$$s := KeyGen()$$

$$H := Pass2Key()$$

$$K := EncKey(h, k)$$

$$\frac{\text{KeyGen}():}{k \leftarrow \{0, 1\}^{klen}}$$

$$K := Hash_{SHA-256}(p||s)$$

$$\text{return } k$$

$$\text{return } k$$

$$\text{return } k$$

$$\text{return } K$$

$$\frac{\text{EncKey}(k):}{h := H}$$

$$h := Hash_{SHA-256}(p||s)$$

$$\text{return } K$$

```
\frac{\text{DecKey(K):}}{h := Pass2Key()} if h \neq H:
return err k = Dec_{CTR}(h, K) return k
```

TODO: Define types and formalize scheme in tex

Security Proof and Reasoning

Here we define a library of functions that will handle the generation and storage of the Master Key that will be used to encrypt and decrypt the stored keys in the manager. The Master Key is generated with function KeyGen, which samples a string of length klen. This sampling will come from the machine's built-in random device, such as /dev/urandom.

This Master Key will be stored on the machine, encrypted. The encryption and decryption of the Master Key will be done with a password and in the CTR mode, as shown in the remaining two functions, Pass2Key() and EncKey(). The correct, salted hash of the password will be stored alongside the encrypted Master Key.

EncKey() begins with Pass2Key(), where it will prompt the user for the password, salt it, and then return the SHA-256 hash. EncKey will compare this hash with the stored, correct hash. If they do not match (it is the wrong password), then an error is returned. Otherwise, EncKey will call the CTR mode, using the hashed password as a key/seed to the PRP F.

Conclusion and Discussion

placeholder