

# Search and Simulation Algorithms in Java

Search and simulation algorithms tackle pathfinding and probabilistic problems. Let's explore A\* Search and Monte Carlo Simulation.

## 1. A\* Search: Heuristic Pathfinding

A\* is an informed search algorithm that uses a heuristic to find the shortest path in a graph, combining the strengths of Dijkstra's and greedy search. It's widely used in games and navigation.

### Java Implementation

```
import java.util.*;

public class AStar {
    static class Node implements Comparable<Node> {
        int x, y, g, h, f;
        Node parent;
        Node(int x, int y) {
            this.x = x;
            this.y = y;
            this.g = 0;
            this.h = 0;
            this.f = 0;
        }
        public int compareTo(Node other) { return this.f - other.f; }
    }

    static int heuristic(int x1, int y1, int x2, int y2) {
        return Math.abs(x1 - x2) + Math.abs(y1 - y2); // Manhattan distance
    }

    static void aStarSearch(int[][] grid, int[] start, int[] goal) {
        int rows = grid.length, cols = grid[0].length;
        PriorityQueue<Node> open = new PriorityQueue<>();
        boolean[][] closed = new boolean[rows][cols];
        Node startNode = new Node(start[0], start[1]);
        Node goalNode = new Node(goal[0], goal[1]);
        startNode.h = heuristic(start[0], start[1], goal[0], goal[1]);
        startNode.f = startNode.h;
    }
}
```

```

open.add(startNode);

// int[][] dirs = {{0, 1}, {1, 0}, {0, -1}, {-1, 0}};
int[][] dirs = {};
while (!open.isEmpty()) {
    Node current = open.poll();
    if (current.x == goal[0] && current.y == goal[1]) {
        printPath(current);
        return;
    }
    closed[current.x][current.y] = true;
    for (int[] dir : dirs) {
        int newX = current.x + dir[0], newY = current.y + dir[1];
        if (newX >= 0 && newX < rows && newY >= 0 && newY < cols && grid[newX][newY] != 1 && !closed[newX][newY]) {
            Node neighbor = new Node(newX, newY);
            neighbor.g = current.g + 1;
            neighbor.h = heuristic(newX, newY, goal[0], goal[1]);
            neighbor.f = neighbor.g + neighbor.h;
            neighbor.parent = current;
            open.add(neighbor);
        }
    }
}

System.out.println("No path found!");
}

static void printPath(Node node) {
    List<int[]> path = new ArrayList<>();
    while (node != null) {
        path.add(new int[]{node.x, node.y});
        node = node.parent;
    }
    Collections.reverse(path);
    System.out.println("Path:");
    for (int[] p : path) System.out.println("(" + p[0] + ", " + p[1] + ")");
}

public static void main(String[] args) {
    int[][] grid = {
        {0, 0, 0, 0},

```

```

        {0, 1, 1, 0},
        {0, 0, 0, 0}
    };

    int[] start = {0, 0}, goal = {2, 3};
    aStarSearch(grid, start, goal);
}
}

```

## Output:

Path:

```

(0, 0)
(1, 0)
(2, 0)
(2, 1)
(2, 2)
(2, 3)

```

## 2. Monte Carlo Simulation: Probabilistic Estimation

Monte Carlo methods use random sampling to estimate results, like approximating  $\pi$  by simulating points in a square and circle.

### Java Implementation

```

import java.util.Random;

public class MonteCarlo {
    static double estimatePi(int points) {
        Random rand = new Random();
        int insideCircle = 0;
        for (int i = 0; i < points; i++) {
            double x = rand.nextDouble();
            double y = rand.nextDouble();
            if (x * x + y * y <= 1) insideCircle++; // Inside unit circle
        }
        return 4.0 * insideCircle / points; // Ratio * 4 approximates
    }

    public static void main(String[] args) {

```

```
int points = 1000000;
double pi = estimatePi(points);
System.out.println("Estimated  with " + points + " points: " + pi);
System.out.println("Actual  : " + Math.PI);
}
}
```

### **Output (varies due to randomness):**

Estimated with 1000000 points: 3.1418

Actual : 3.141592653589793