

# Question 1

Build inverted index

101	I-S <sub>0</sub>	201	I-S <sub>1</sub>	301	I-S <sub>2</sub>
cat pat mat sat cat cat	pat mat sat pat mat cat	sat mat cat pat fat mat			

Cat	Pat	mat	Sat	eat	Pat	mat	Sat	eat	Sat	mat	cat	Pat	fat
2	1	1	1	1	2	2	1	1	1	2	1	1	1

((Cat, 101), 2)

((Pat, 101), 1) M<sub>0</sub>

((mat, 101), 1)

((Sat, 101), 1)

((Cat, 101), 1)

((Pat, 201), 2)

((mat, 201), 2) M<sub>1</sub>

((Sat, 201), 1)

((eat, 201), 1)

((Sat, 301), 1)

((mat, 301), 2) M<sub>2</sub>

((cat, 301), 1)

((Pat, 301), 1)

((fat, 301), 1)

Assume after Partitioning  
Cat, mat, sat



R<sub>0</sub> Input

→ ((Cat, 101), [2])

→ ((Cat, 301), [1])

→ ((mat, 101), [1])

→ ((mat, 201), [2])

→ ((mat, 301), [2])

→ ((Sat, 101), [1])

→ ((Sat, 201), [1])

→ ((Sat, 301), [1])

cat, Pat



R<sub>1</sub> Input

→ ((cat, 101), [1])

→ ((cat, 201), [1])

→ ((Pat, 101), [1])

→ ((Pat, 201), [2])

→ ((Pat, 301), [1])



$R_0$ output	$R_1$ output
$(cat, [(101, 2), (301, 1)])$	$(cat, [\overset{(101, 1)}{\cancel{(101, 2)}}, \overset{(201, 1)}{\cancel{(201, 2)}}])$
$(mat, [(101, 1), (201, 2), (301, 2)])$	$(pat, [(101, 1), (201, 2), (301, 1)])$
$(sat, [(101, 1), (201, 1), (301, 1)])$	



class Mapper

method initialize ()

$t_{prev} \leftarrow \phi$  ,  $p \leftarrow \text{new postingslist}()$

method reduce ( pair ( $t, n$ ) , integer [ $f$ ] )

if ( $t \neq t_{prev}$  &&  $t_{prev} \neq \phi$ )

Emit ( term  $t_{prev}$  , postings  $p$  )

$p.\text{reset}()$

$p.\text{add}(\text{new pair}(n, f))$

$t \leftarrow t_{prev}$

method close ()

Emit ( term  $t_{prev}$  , postings  $p$  )



Inverted indexing pseudo code

class Mapper

method initialize ()

$H \leftarrow \text{new Associative Array}()$

$id \leftarrow 0$

method map (docid  $n$ , doc  $d$ )

$id \leftarrow n$

for all term  $t$  in record  $r$  do:

$H\{t\} \leftarrow H\{t\} + 1$

method close ()

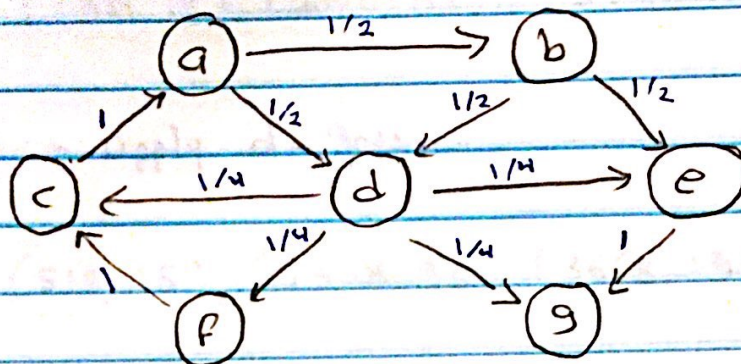
for all term  $t$  in  $H$  do:

Emit ( $(t, id)$ ,  $H\{t\}$ )

$\rightarrow$  term frequency



## Question 2



step	a	b	c	d	e	f	g
0	1/7	1/7	1/7	1/7	1/7	1/7	1/7
1	0.1428	0.0714	0.1785	0.1428	0.1071	0.0357	0.1785
2	0.1785	0.0714	0.0714	0.1071	0.0714	0.0357	0.1428
3	0.0714	0.0893	0.0625	0.125	0.0625	0.0268	0.0982

$$\frac{1}{7} + \frac{1}{4} \times \frac{1}{7} = \frac{4}{28} + \frac{1}{28}$$

Room 105  
and this room

$$c = 0.25 \times 0.1428 + 1 \times 0.0357 =$$

$$d = 0.5 \times a + 0.5 \times b = 0.5$$

$$e = 0.5 \times b + 0.5 \times d = 0.0357 + 0.0357 =$$

$$f = 0.25 \times d =$$

$$g = 1 \times e + 0.25 \times d = 0.1071 + 0.0357$$



### Question 3

$[(512, 15), (2080, 93), (5748, 195), (7080, 255)]$

Step 0 → apply d. gaps

$[(512, 15), (1568, 93), (3668, 195), (1332, 255)]$

→ 512 15 1568 93 3668 195 1332 255

### Step 1

512 = 100 | 0000000

15 = 1111

1568 = 1100 | 0100000

93 = 1011101

3668 = 11100 | 1010100

195 = 11000011

1332 = 1010 | 0110100

255 = 11111111

0000100 | 10000000 | 10001111

00001100 | 10100000 | 11011101

00011100 | 11010100 | 00000001 | 11000011

00001010 | 11111111