## Algorithmic Methods for Mathematical Models (AMMM) Lab Session 4 – Greedy + Local Search Heuristics

In this fourth session we will focus on using heuristics to solve the problem described in the last lab session regarding assigning tasks to computers in a data center.

## 1. Problem statement

Recall that the *P3* problem was formally stated as follows:

Given:

- The set T of tasks. Each task t consists of a set of threads H(t). For each thread h the amount of requested resources  $r_h$  is specified.
- The set C of computers. Each computer c consists of a set of cores K(c). All cores of each computer c have the same capacity  $r_c$ .

*Find* the assignment of tasks to computers and threads to cores subject to the following constraints:

- Each thread is assigned to a single core.
- Each task is assigned to a single computer, i.e. all the threads of a task are assigned to cores of the same computer.
- The capacity of each core cannot be exceeded.

with the *objective* to minimize the highest loaded computer.

## 2. Tasks

In pairs, do the following tasks and prepare a lab report using the Python code that is provided.

- a) Prepare a pseudocode for the Greedy algorithm. Specify the greedy function.
- b) Prepare a pseudocode for the Local search algorithm. What is the difference between best improvement (BI) and first improvement (FI)? Which neighborhoods are implemented?
- c) Generate instances of increasing size. Store these instances as they will be used in the coming lab sessions.
- d) Solve the instances previously generated using:
  - Greedy function only,
  - Greedy + Local search with N<sub>1</sub> and BI
  - Greedy + Local search with N<sub>1</sub> and FI
  - Greedy + Local search with N<sub>2</sub> and BI

- $\bullet \quad \text{Greedy + Local search with $N_2$ and $FI$} \\ \text{Plot the quality of the solutions and time to solve. Select the best}$
- e) Solve the instances previously generated using the ILP from lab session 3. Configure CPLEX to stop after 30min or GAP≤1%.

combination.

f) Plot the best combination for the Greedy and the ILP in terms of quality of the solutions and time to solve.