

Systemic Risk and Financial Connectedness: Empirical Evidence

Mateusz Dadej

Phd. student at Università degli Studi di Brescia, ITA
Visiting researcher at Universität Mannheim, DE

ICMA Centre, University of Reading, June 2024
Doctoral Finance Symposium

Theoretical background

- "Robust-yet-fragile" property of financial system can serve at the same time as shock-absorbers and shock-amplifiers to the financial sector (Haldane 2009).
- This makes the system robust, when the magnitude of shock is relatively small, but fragile, when the shock is large.
- A seminal paper by Acemoglu, Ozdaglar, and Tahbaz-Salehi 2015, provides a formal model, in which an extent of financial contagion exhibits a form of regime transition.
 - When the shocks are small, the damages are dissipated through large number of financial institutions.
 - When the shock is above some threshold, the properties of the system changes markedly. The damages are amplified through the network.

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- The aim is to provide (and quantify) empirical evidence for the regime-dependent effect of connectedness on financial stability, i.e.:
 - Stable markets regime: Higher connectedness \rightarrow less volatility
 - High shock regime: Higher connectedness \rightarrow more volatility
- In a following steps:
 - Based on stock prices of the biggest banks in EU and USA, I calculate the connectedness measures in a rolling window basis.
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Connectedness measures - denoted κ_t

- 1 Average correlation: $\frac{\sum_{i \neq j}^N \sum_{j \neq i}^N \rho_{i,j}(R)}{N^2 - N}$, with $\rho(\cdot)$ being the Ledoit-Wolf estimator of the covariance matrix (Ledoit and Wolf 2003).
- 2 $\frac{\sum_i^k \lambda_i}{\sum_i^N \lambda_i}$, with λ being an eigenvalue of the covariance matrix.
- 3 (Granger 1969) - based measure of connectedness:
 - For each of stock pair estimate:
$$r_{i,t+1} = \beta_0 + \beta_1 r_{m,t} + \beta_2 r_{j,t} + \sum_k^s \beta_{c+2} x_{c,t} + \epsilon_t$$
 - The "causality" matrix is set as: $G_{i,j} = \begin{cases} 1 & \text{if } \beta_2 \text{ is significant} \\ 0 & \text{otherwise} \end{cases} \quad \forall i \neq j$
 - As with before we calculate average connectedness: $\frac{\sum_{i,j}^N \sum_{j,i}^N G_{i,j}}{N \times (N-1)}$

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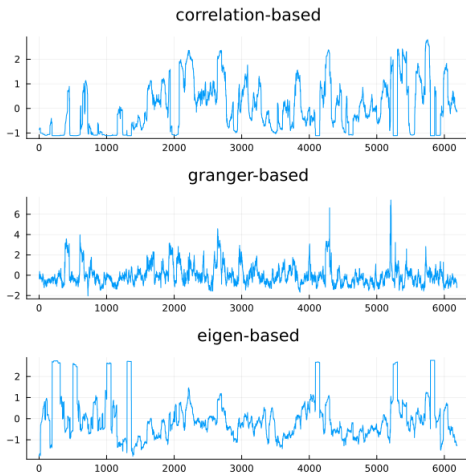
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Connectedness measures results

Figure: Standardized time series of connectedness measures for a rolling window of 63 trading days (quarter)



Modeling the regime-dependent effect of connectedness

Mean specification of the model:

$$r_{b,t} = \beta_0 + \underbrace{\beta_1 r_{b,t-1}}_{\text{Banking index}} + \underbrace{\beta_2 r_{m,t-1}}_{\text{Broad market index}} + \epsilon_t$$

The Markov-switching ARCH specification is:

$$\sqrt{\epsilon_t^2} = \alpha_{0,s} + \underbrace{\alpha_{1,s} \kappa_{t-1}}_{\text{connectedness}} + \underbrace{\sum_{i=1}^p \alpha_{i+1} \sqrt{\epsilon_{t-i}^2}}_{\text{Lag controls}}$$

With regime changes according to Markov process:

$$P(S_t = i | S_{t-1} = j) = \begin{bmatrix} \pi_1 & 1 - \pi_2 \\ 1 - \pi_1 & \pi_2 \end{bmatrix}$$

Estimation results

EU banking sector and 252 trading days (year) rolling window

Connectedness measure		Regime 1		Regime 2	
		Estimate	S.E.	Estimate	S.E.
Correlation-based	α_0	0.466*	0.019	1.988*	0.06
	α_1	0.017	0.009	0.22*	0.043
	η	0.435	0.009	1.4	0.012
	$\pi_{i,i}$	78.6%		52%	
Eigenvalue-based	α_0	0.458*	0.018	1.975*	0.061
	α_1	-0.002	0.008	0.052	0.048
	η	0.435	0.009	1.42	0.012
	$\pi_{i,i}$	90%		67.2%	
Granger-based	α_0	0.468*	0.018	1.984*	0.059
	α_1	0.018*	0.008	0.276*	0.05
	η	0.433	0.009	1.394	0.013
	$\pi_{i,i}$	78.5%		52.5%	
* coefficient with 5% statistical significance					

US banking sector and 63 trading days (year) rolling window

Connectedness measure		Regime 1		Regime 2	
		Estimate	S.E.	Estimate	S.E.
Correlation-based	α_0	0.402*	0.013	1.517*	0.054
	α_1	0.027*	0.007	0.239*	0.044
	η	0.373	0.007	1.268	0.017
	$\pi_{i,i}$	89.4%		67%	
Eigenvalue-based	α_0	0.416*	0.014	1.554*	0.057
	α_1	0.041*	0.007	0.194*	0.046
	η	0.38	0.006	1.304	0.016
	$\pi_{i,i}$	90%		67.2%	
Granger-based	α_0	0.379*	0.013	1.472*	0.047
	α_1	0.009	0.007	0.205*	0.032
	η	0.356	0.006	1.161	0.013
	$\pi_{i,i}$	87.4%		65%	
* coefficient with 5% statistical significance					

- Are there confounders in the bank specific characteristics?
- To check this I use quarterly financial statement data:
 - I use financial statement data from Orbis database.
 - Substantial reduction of used data due to lower frequency of reports and their availability.
 - N banks: $51 \rightarrow 30$. T observations $6240 \rightarrow 260$.
 - Quarterly financial data was interpolated (with splines) into weekly data.
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Robustness check - results

Results for EU banks with a rolling window of 52 weeks

Granger-based		Regime 1		Regime 2	
		Estimate	S.E.	Estimate	S.E.
Correlation-based	α_0	1.554*	0.206*	4.44*	0.59
	α_1	0.106	0.108	0.843*	0.45
	η	1.084	0.034	2.52	0.086
	$\pi_{i,i}$	88.6%		57%	
* coefficient with 5% statistical significance					

Conclusions and future research directions

- The theory is confirmed to some degree - the connectedness effect is indeed regime dependent.
- The effect is asymmetric - the connectedness is more important in the high shock regime.
- Further research
 - should control for firm specific balance sheet (preliminarily, the results hold)
 - Possible application of Gaussian graphical models to estimate the connectedness measures
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