# ASEN 5264 Decision Making under Uncertainty Homework 6: POMDPs

April 3, 2023

## 1 Exercises

#### Question 1. (35 pts)

Write the following three elements of a POMDP solver that uses the QMDP approximation:

- 1. A belief Updater and the associated update function to calculate the Bayesian belief update<sup>1</sup>.
- 2. A Policy struct and associated action function that chooses an action based on a list of alpha vectors.
- 3. A function that calculates the QMDP alpha vectors for a POMDP and returns them as an object of the Policy type described above.

The starter code contains the skeleton code for these three items. Use your QMDP code and the SARSOP.jl package to solve the TigerPOMDP from the POMDPModels.jl package. Provide the following two deliverables:

- a) Plot the alpha vectors from SARSOP<sup>2</sup> and the pseudo alpha vectors from QMDP.
- b) Evaluate the QMDP policy and a near-optimal policy calculated with the SARSOP.jl package using Monte Carlo simulations. Report the average return and standard error of the mean.

#### Question 2. (25 pts)

Evaluate the following three policies on the cancer problem that you created in Homework 5:

- 1. The QMDP policy obtained using your code from Question 1 above.
- 2. A heuristic policy that outperforms the QMDP policy $^3$ .
- 3. A near-optimal policy calculated by the SARSOP solver from the SARSOP.jl package.

First, report the results of these simulations in a table, then write a short paragraph answering the following question: Both the tiger and cancer problems are similar in that they have information-gathering actions. However, the performance gap between the QMDP and optimal solutions in one of the problems is much larger. Which problem has the larger gap, and why?

## 2 Challenge Problem

### Question 3. (Lasertag POMDP, 40 pts)

In this problem, you will find a high-performance policy and belief updater for a laser tag POMDP model HW6.LaserTagPOMDP(). In this POMDP, a robot seeks to tag a moving target in a grid world with obstacles. The state space consists of all positions the robot and the target can take, and the problem ends with a

<sup>&</sup>lt;sup>1</sup>This can be a discrete Bayesian filter or a particle filter

<sup>&</sup>lt;sup>2</sup>You can use the alphavectors function from POMDPPolicies.jl to access the alpha vectors from the policy that SARSOP returns

<sup>&</sup>lt;sup>3</sup>Hint: you may want to use the QMDP policy within your heuristic policy, i.e. take the QMDP actions some of the time.

reward of 100 as soon as they occupy the same cell. There are five actions, :up, :down, :left, :right, and :measure. The :measure action has a cost of -2 and gives the robot returns from lasers pointed in the four directions indicating the *exact* distance to the first wall, obstacle, or target that the laser encounters. When any other action is taken, the reward is -1 and the laser observations are much less reliable: 90% of the time they fail (returning 0), and 10% of the time they return an accurate distance. The source code, along with the POMDPs.jl interface including POMDPModelTools.render can be used to further explore the problem.

- a) Submit a Policy or a tuple containing a Policy and an Updater to the HW6.evaluate function. A score of 15 will get full credit. You can use or modify your QMDP code from Question 1, or you are encouraged to use any tools available to you any POMDPs.jl solvers, deep reinforcement learning, a modification of your MCTS code from earlier homework, or heuristic policies are all acceptable. The Policy object may be a solution that was calculated offline, or an online planner.
- b) Write a short paragraph describing your approach.