REMANDING, UR HAR

BI INISPACTION, IF 2771 WE HAVE INICREASING RETURNS TO SCARE, SO WE'LL MAX CHIPLIT BY PUTTING ALL THE PEOPLE IN CHE COMMY, CONVERSELVE IF &7<1, WE'LL WANT TO DIMPL PEOPLE TECHNOLY.

DUNG THE MATH

$$Q(\beta) = G_{1} + G_{2} = (\beta N)^{\alpha 7}_{\alpha} + (1-\beta)^{\alpha 7}_{\alpha}$$

$$= \alpha N^{\alpha 7} \left[ \beta^{\alpha 7} + (1-\beta)^{\alpha 7}_{\alpha} \right] (+ +)$$

$$\frac{d\alpha}{d\beta} = \alpha N^{\alpha 7} \left[ \alpha 7 \beta^{\alpha 7}_{\alpha} - \alpha 7 (1-\beta)^{\alpha 7}_{\alpha} \right]$$

$$= 0 \qquad \beta = 1/2$$

$$\alpha R = 1 \text{ And } \beta \in [\alpha, 1]$$

$$\frac{d^{2}\alpha}{d\beta^{2}} = \alpha N^{\alpha 7} \left[ \alpha 7 (\alpha 7_{-1}) \beta^{\alpha 7_{-2}}_{\alpha} \right]$$

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SU TBENZ

(1)

FIRST CROSE CONDITION IS Du= Jp je[0,M], T, 7=0

$$\frac{P(k)}{P(k)} = \left[\frac{P(k)}{P(k)}\right]^{\frac{1}{k}} \quad \text{if } k \in [0, m]$$

$$\left(\frac{p(s)}{p(n)}\right) = \frac{q(s)}{q(s)} \Rightarrow q(s) = q(s)\left(\frac{p(s)}{p(n)}\right) \in \mathcal{C}$$

$$= \frac{MT}{1-M} + T = W$$

$$= \sqrt{1-M}W$$

$$= \sqrt{3}$$

-DEFINE 
$$P = \left[ \int_{0}^{M} P(i) di \right]^{-\frac{1}{2}} \mathcal{L}' C.E.S. PRICE INDEX"$$

$$= \int_{0}^{-(G-1)} P(i) di di$$

$$(9-8)$$

$$f^*(8) = \frac{P(8)^{-6}}{P^{-6}}$$

$$IW$$

STRICTEN, IF KC[O,M] MEASURE ZERO AND P: KINOTR THEN JX++ " MOD SOLVES THE CONISHMENS PHOBLEM.

Fran (10)

$$f^{*}(s) = \frac{1-6}{1-6}$$

$$= \frac{1-6}{1-6}$$

$$= \frac{6-1}{1-6}$$

$$= \frac$$



WITH FREE GIRCU OF FIRMS TEO

HERE, UNLIER F.T ON KRUGMAN, WAGE IS EXOGERANS, SO LEE ONLY SET ZEMO ENTOWN COMPINAL TO HOLD IF PARAMETERS HAPPEN TO SAMSFUL (3),

- (b) SER RAI (1) ARUE THO IS CONSTANT MANK-UP BEYOND MANGINA COST (= 13)
- ENDOGENIZARO THE WAGE,

 $u_{s}(n_{s})$ 

(a) C, 1, 2, 3, 4, 5 PROPUL CHOPSE LICEBAL.

IF O PEORLE CHOISE UNISAI, THEN EVENUE GETS TI =0
AID UNLATERA DECIPTIONS ALLOW U(1) =-1, SU M:=0 IS
NASH.

IF N=4, THEN U (4) = U=0. AN URBAN DWELLEN WHO DEVIATES TO NOT A THOUGHT GETS O. THO IS NOT A TEMPORAL GETS O DUELEN WHO DEVIATES TO URRAN GETS O DUELEN WHO DEVIATES TO URRAN GETS U (5) = -1, ALSO NOT A RATIONAR DEVIATION.

EQUIC.

IF N & \{ 1, 5} THEN U = -1 < U SO DECLATIONS
TO NOT-URBAL AND TRATIONS

URTSAN

GIVES PA-10FF  $U_{i}(3)=1>\overline{U}$ , So  $N_{i}=2$  15 NOT MASH.

AND DEVIATION FROM URBAN GIVE  $U=0 \times 1= U(3)$ .

The strategies S.T. N=3 has MASH.

THIS, STRIMEGICS, AUR MASH (5) M & 30, 3, 413

(b) For MIXED STRATEGIES, EACH AGENT CHOSES PSE [0,1]

WE CAN USE THIS TO WRITE POWER PROBABILITY

OF FACH CONFIGURATION.

N	Prus		4 (4;)
0	(1-9)5		-4
1	P(1-P)4		-1
2	p2(1-p)3		Z
3	P3(1-P)Z		1
4	P4(1-P)		0
5	PS	-	- (

For THE RUNPOSE OF CARCULATING MIXED EQUIL,

WE NEED TO KNOW THE EFECT ON PATOFS OF

CHANGING P FOR OUR ASSETT, HOLDING OTHERS FIXED

AT 9'.

P', THEN WHAT WE CAM ABOUT IS THE PISPUBLITAIN OF FLANCE, #1, CHOSES MONEY, LET M' PENOSE HOE PLANED, #1, CHOSES WINSAIN TIMEN

$$\begin{array}{c|c}
 & n' & PR(n_i) \\
\hline
0 & (1-p)^4 \\
 & P(1-p)^3 \\
 & P^2(1-p_i)^2 \\
 & P^3(1-p_i) \\
 & P^4
\end{array}$$

THEN, IF 1 CHOSES P',  $E(TT_1) = (1-p') \cdot O + (1 \cdot s, punn)$   $P'[-1(1-p)^4 + 7(1-p)^3 + 1(1-p)^2 p^2$ 

$$P'\left[-1(1-p)^{4} + 2(1-p)^{3}p + 1(1-p)^{2}p^{2} + 0 \cdot (1-p)^{3}p^{3} - 1p^{4}\right] \tag{*}$$

WE MEED TO FIND P' SUCH THAT

WHERE THE SECOND CONDITION IS BIC WE'VE RESTURSED ATTENTION TO SIMMERIK EQUIL.

THE INISPECTIAL OF (\*) WE NEED THE EXPRESSIAL IN BRACKETS

TO PORT ZERO, SO WE WILL NEED TO CHOSE P

SO THAT IT IS A ZERO OF THIS LITH and PAYMENTAR.

EXPECT AS MANN AS 4 ROOTS.

- (C) THE PARTER OPTIME ATTEMES AME NE 32,33

  FOR FITHER UPBAI PERCENTAIN, THERE IS NO WANT
  TO MAKE ONE PERSON BETTER WIS MAKING
  ANOTHER WASE.
- (d) WE REED  $n_1+n_2 \leq 5$ . (1)  $(n_1,n_2) \in \{(0,0),(0,4),(4,0)\}$  ALR ALL MOSH. IN THESE EQUIL, EXECUTE GETS U.
  - (2) (MI, MZ) E {(Z,3), (3,Z)}

    HENR THE URBAI RA-WEF IS POSITIVE, SO

    NO WIRE MORES TO RURAN. NO CNE WARTS

    TO MUKE From THE SMAL TO THE TSIG CITI,

    THIS IS SMICRY WASE. MAING From SIMPLE CITI

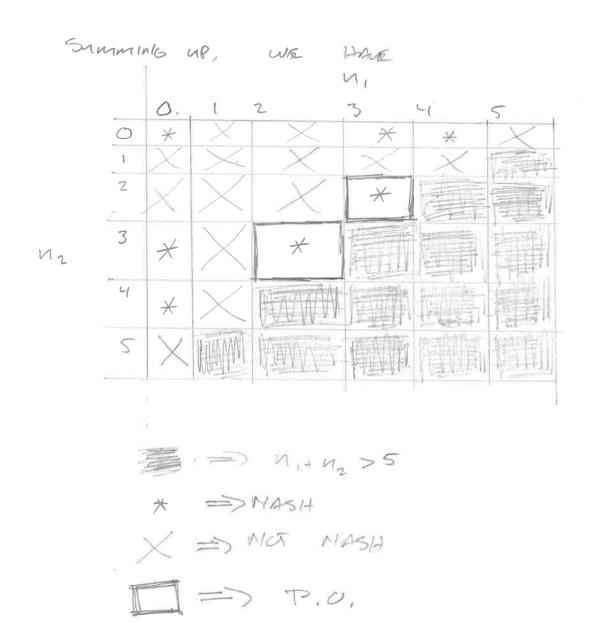
    TO TSIG TOES NOT CHANGE RA-WEF FOR MANGENIA.

    AGENT.
  - (3) NO CUTCOME WITH M. E EI, 53 IS NIGHT B/c COR AGENT CAN PENINE TO RUNA FOR
  - (4) NO CUTCOME N= 2 18 AN FRUILIBRIUM
    UNICESS N+49=5, CHITERWISE RURA
    AGENTS WILL PEULATE
    - (5) (n, n2) & \(\frac{1}{2}(0,3),(3,0)\) AUR AUX FOURL.

      UNBAU RESIDENTS PORT WART TO MUR, AUD

      RURA AGENS WHO MOUR TO THE COT AUR

      1+10 IFFENETT.



THEREFORE, NASH EQUIL IS CONSISTENT WITH

TWO CITIES OF ABOUT OBTIME SIZE AND AN

EMPTY COMMENSIDE, CM WITH CHE CITY LANGE

THAN ORTHON WITH I ON Z STILL TRUME.

(e) ADDING AMOTHER CITI WOULD NOT QUARITATIVECY CHAMGE THE EQUILIBRIUM CITICAMES, IT WILLO JUST CREATE INDESTERMINIBLY ABOUT WHICH I CITIES AND OCCUPIED, THO SEEMS SPECIAL TO THE CASE N=5.