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$$P\left\{X=k\mathbf{\Delta}\right\} = \frac{C_{\mathbf{\Delta} \otimes \mathbf{\Delta}}^{\mathbf{N}k}C_{\mathbf{B} \otimes \mathbf{\Delta}}^{\mathbf{N}n-k\mathbf{\Delta}}}{C_{\hat{\mathbf{\Delta}}}^{\mathbf{N}n\mathbf{\Delta}}}, \quad k=0,1,...,\min\left\{n\mathbf{\Delta},\mathbf{\Delta}\right\}$$

## 文件名

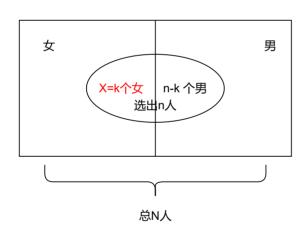
### 离散型:超几何分布:

$$P\left\{X=k\mathbf{女}\right\} = \frac{C_{\mathbf{X}k}^{\mathbf{X}k} C_{\mathbf{X}n-k}^{\mathbf{X}n-k}\mathsf{X}}{C_{\dot{\mathbb{S}}}^{\mathbf{X}n}\mathsf{X}}, \quad k=0,1,...,\min\left\{n\mathbf{\Lambda},\mathbf{\mathbf{y}}\right\}$$

超几何分布 (Hypergeometric Distribution), 是统计学上一种离散概率分布. 它描述了: 从 有限的N个物件(其中包含M个"指定种类的物件") 中抽出n个物件(不放回). 这n个物件中, 含 有k个"指定种类的物件"的概率.

简单记忆就是:从总数N个人中(其中包括了总数M个女人,则男人数量就是 N-M),抽出n人, 能取到k个女人的概率.

#### 超几何分布



$$P\left\{X=k \pm\right\} = \frac{C_{\pm \text{\tiny $\Delta$}}^{\text{\tiny $\text{\tiny $W$}$} \text{\tiny $L$}} C_{\pm \text{\tiny $\Delta$}}^{\text{\tiny $\text{\tiny $\text{\tiny $W$}$}} \text{\tiny $n-k$} \text{\tiny $k$}}}{C_{\text{\tiny $\Delta$}}^{\text{\tiny $\text{\tiny $\text{\tiny $W$}$}} \text{\tiny $k$}} C_{\pm \text{\tiny $\Delta$}}^{\text{\tiny $\text{\tiny $\text{\tiny $W$}$}} \text{\tiny $k$}}}, \quad k=0,1,...,\underbrace{\min\left\{n\text{\tiny $\text{\tiny $L$}},\text{\tiny $\text{\tiny $\text{\tiny $L$}$}} \text{\tiny $\text{\tiny $\text{\tiny $W$}$}} \right\}}_{\text{\tiny $\text{\tiny $\text{\tiny $\text{\tiny $\text{\tiny $W$}$}}} \text{\tiny $\text{\tiny $\text{\tiny $W$}$}} \text{\tiny $\text{\tiny $\text{\tiny $W$}$}}}}$$

#### 例

有共20人, 其中5女, 15男. 任取4人. 即, - X:表示所抽取的4人中,女生的人数.

比如,所取的4人中,有2女的概率是: 
$$P\left\{X=k=2\right\} = \frac{C_5^2 \cdot C_{15}^{4-2}}{C_{20}^4} = 0.216718$$

1 离散型:超几何分布:  $P\{X=K\mathbf{y}\} = \frac{C_{\mathbf{y}\dot{\otimes}\mathbf{y}}^{\mathbf{N}K}C_{\mathbf{y}\dot{\otimes}\mathbf{y}}^{\mathbf{N}N-K\mathbf{h}}}{C_{\dot{\otimes}}^{\mathbf{N}N\mathbf{h}}}, \quad K=0,1,...,\mathrm{MIN}\left\{N\mathbf{h},\mathbf{y}\dot{\otimes}\mathbf{y}\right\}$ 

