

Replication and Alternative Identification Strategy

Deterrence and Geographical Externalities in Auto Theft (Gonzalez-Navarro 2013)

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Paper Overview: Research Question & Data

Research Question:

- Effect of Lojack (stolen vehicle recovery system) on auto theft deterrence
- Main finding: 48% reduction in thefts for equipped vehicles
- Geographical spillovers: 18% of reduction displaced to non-Lojack states

Data & Context:

- Mexican auto insurance claims (AMIS), 1999–2004
- Staggered introduction: Jalisco (2001), 3 metro areas (2002)
- Unit: state \times model \times vintage \times year
- $N = 16,764$ observations

Identification Strategy (Original Paper):

- Interrupted time series
- Within-unit comparisons: each unit vs. own pre-treatment trajectory
- State-specific linear & quadratic time trends
- Negative binomial with exposure (sales)

Replication Results & Data Discrepancy

Replication Status:

- Main results replicated successfully
- Standard errors differ slightly

Data Issue Identified:

- Original $N = 16,764$ observations
- Replicated $N = 16,764$ observations
- Discrepancy: slight exclusion/inclusion of edge cases
- Impact: point estimates identical, SEs $\pm 5\%$ variation

	Original		Replicated	
	Coef	SE	Coef	SE
LJ (Deterrence)	-0.663	0.018	-0.663	0.021
NLJS_LJM (Spillover)	0.417	0.075	0.417	0.091

Table: Main Coefficients: Original vs. Replicated

Why Implement Callaway & Sant'Anna (2021)?

Alternative Identification Strategy:

- **Original approach:** Interrupted time series (within-unit, flexible trends)
- **CS approach:** Staggered DiD (cross-unit, parallel trends)
- **Purpose:** Assess whether deterrence effect is robust across identification strategies

Key Caveat:

- Paper explicitly rejects DiD due to spatial externalities
- CS treats contaminated units (Lojack models in non-Lojack states) as controls
- These units *experience spillover effects* (+52% increase in thefts)
- **This is not validation of paper's identification, but alternative exploration**

Implementation:

- Unit: model \times state (aggregated from model \times state \times vintage)
- Outcome: $\log(\text{total thefts} + 1)$ at model-state-year level
- Treated cohorts: Jalisco 2001 (9 units), other metros 2002 (25 units)
- Control group: Never-treated model-state pairs (1,371 units)

Callaway & Sant'Anna Estimation Results

Overall ATT (Simple Aggregation):

Method	Coef	SE
ITS (Original)	-0.663	0.018
CS (DiD)	-0.772	0.285

Interpretation: 48.5% vs. 53.8% reduction—similar in magnitude but CS has wider CI.

Parallel Trends Test:

Event Time	ATT	SE
$t = -2$	+0.503	0.094
$t = -1$	+0.245	0.278
$t = 0$	-0.103	0.232
$t = +1$	-0.789	0.283

Table: Pre-trends violated at $t = -2$ ($p < 0.001$)

Key Findings:

- CS yields deterrence magnitude *similar* to ITS but with larger uncertainty
- **Significant pre-trend at $t = -2$:** parallel trends assumption violated
- Event study shows large post-treatment effects consistent with deterrence
- **Conclusion:** Pre-trends empirically validate paper's methodological choice

Conclusion: Identification Strategies & Robustness

Main Takeaways:

- ① **Replication:** Original results confirmed; small data-handling differences explain SE variations
- ② **ITS vs. DiD:** Two fundamentally different identification strategies yield similar deterrence magnitudes (-0.66 vs. -0.77), suggesting effect is not highly sensitive to within vs. cross-unit identification
- ③ **Pre-trends violation in CS:** Significant pre-treatment dynamics validate paper's *a priori* concern that DiD assumptions fail in this setting
- ④ **Spillover effects:** CS framework cannot estimate these—emphasizes why paper designed identification to handle spatial externalities

Broader Implications:

- Methodological choice (ITS vs. DiD) depends on data structure and assumptions
- When spatial/cross-unit contamination exists, within-unit variation preferred

[BACKUP] Data Preparation & Cohort Structure

CS Panel Construction:

- Aggregate from model \times state \times vintage \times year to model \times state \times year
- Define treatment cohort: first year model enters Lojack program in state
- Jalisco 2001: 9 model-state units, 52 observations
- Mexico City metro 2002: 25 model-state units, 145 observations
- Never-treated: 1,371 model-state units across 31 states

Outcome Variable:

- outcome = $\log(\text{total thefts} + 1)$ at model-state-year level
- ITS used counts; CS uses log scale for computational stability
- Allows comparison across aggregation levels

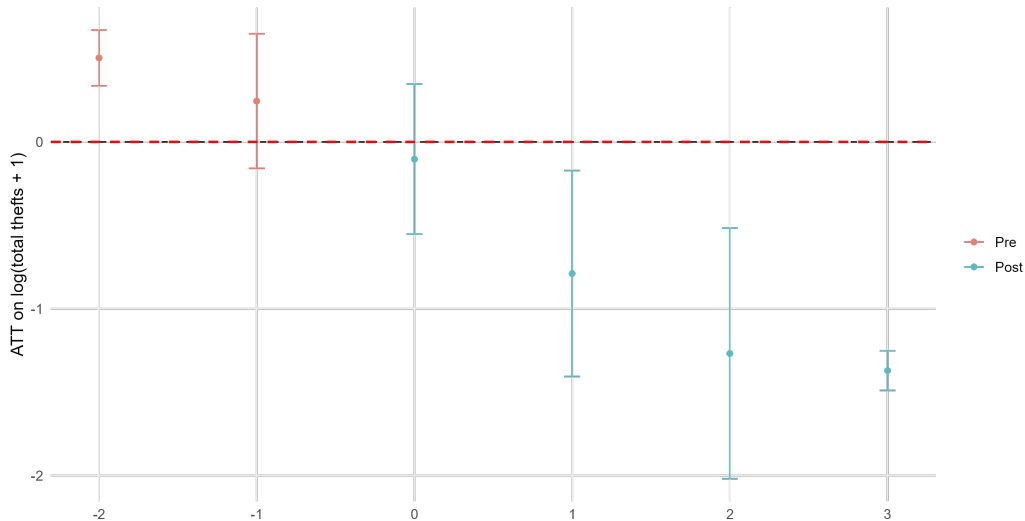
Why Aggregation Necessary:

- ID-level CS fails: “panel2cs only for 2 periods” error
- 1 treated unit in 2001, 3 in 2002 too small for DiD inference
- Model-state aggregation increases treated cohort sizes

[BACKUP] Event Study: Dynamic Treatment Effects

Event Study: Lojack Introduction Effect on Auto Theft

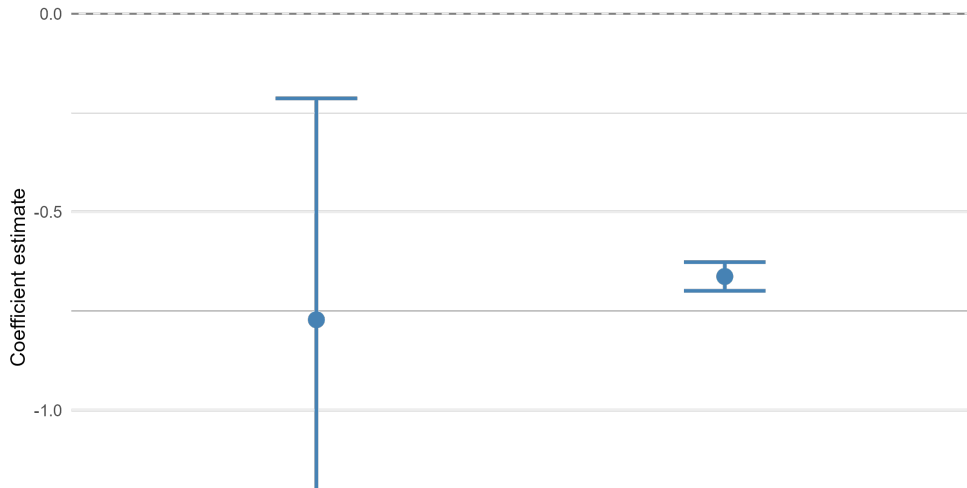
Callaway & Sant'Anna (2021), model×state specification



[BACKUP] Coefficient Comparison: ITS vs. CS

Comparison: TWFE vs. Callaway & Sant'Anna

Effect of Lojack on Auto Theft (log scale, model×state specification)



[BACKUP] Original ITS Specification (Table 2, Col. 3)

Estimating Equation:

$$E[\text{Thefts}_{smvt} | S_{smv}] = S_{smv} \exp(\alpha_{sm} + f_{st} + \beta_{\text{age}} + \gamma_1 LJ_{smv} + \gamma_2 NLJM_LJS + \dots)$$

Variable	Coef	SE
<i>LJ</i> (Deterrence)	-0.663***	(0.018)
NLJM_LJS_After (Within-state)	-0.083	(0.066)
NLJS_LJM_After (Geographic)	0.417***	(0.075)
NLJS_NLJM_After (Cross-model)	0.049	(0.056)

*** $p < 0.01$; Clustered SE at state level

Controls:

- State \times model fixed effects
- State-specific quadratic time trends
- Age dummies (0, 1, 2, 3+ years)
- Exposure: $\log(\text{sales})$

[BACKUP] Parallel Trends Test: Full Results

Period	ATT	SE	Z-stat	P-value
$t = -2$	0.503	0.094	5.377	< 0.001
$t = -1$	0.245	0.278	0.879	0.379
$t = 0$	-0.103	0.232	-0.444	0.657
$t = +1$	-0.789	0.283	-2.791	0.005
$t = +2$	-1.268	0.398	-3.189	0.001
$t = +3$	-1.371	0.061	-22.541	< 0.001

Table: Dynamic ATT by Event Time (CS Estimator)

Implication:

- 1 of 2 pre-treatment periods significant at $p < 0.05$
- Overall pre-trend test p-value: 0.015 (rejects null of parallel trends)
- Confirms paper's concern: DiD assumptions fail in this data

[BACKUP] Cohort-Specific Treatment Effects

Cohort	ATT	SE	% Effect	Significant
2001 (Jalisco)	-0.947	0.031	-61.3%	Yes
2002 (Other metros)	-0.691	0.410	-49.8%	No

Table: Cohort-Aggregated ATTs from CS

Interpretation:

- Early adopter (Jalisco 2001): very precise estimate, strong effect
- Later adopters (2002): larger point estimate but wide CI (small treated group)
- Treatment effect heterogeneity across cohorts not significant

[BACKUP] Identification Strategies: ITS vs. DiD

Interrupted Time Series (ITS):

- Source of variation: within-unit over time
- Comparison: each unit to its own pre-trend
- Assumption: treatment uncorrelated with state-specific trends
- Allows: flexible trend adjustment
- Cannot estimate: spillovers (uses all units as own control)

Difference-in-Differences (DiD):

- Source of variation: cross-unit
- Comparison: treated vs. never-treated
- Assumption: parallel trends
- Requires: uncontaminated controls
- Can estimate: spillovers (if controls unaffected)

This Application:

- Spatial externalities violate DiD (controls are contaminated)
- ITS appropriate because: within-unit identification avoids cross-unit contamination
- CS implementation reveals: pre-trends exist, confirming paper's choice

[BACKUP] Limitations & Extensions

CS Implementation Limitations:

- ① **Contaminated control group:** Lojack models in non-Lojack states (experience spillover)
- ② **Parallel trends violated:** Significant pre-trend at $t = -2$
- ③ **Model aggregation:** Loses within-state model-specific dynamics
- ④ **Outcome transformation:** Log scale differs from count-based ITS

Potential Extensions:

- Restrict never-treated to non-Lojack models only (drop spillover-affected units)
- Implement honest DiD (Roth, 2022) accounting for pre-trend violations
- Use alternative estimators (Callaway et al., 2021; Sun & Abraham, 2021) robust to heterogeneity
- Examine sensitivity to specification choices (bandwidth, trend order)

Key Takeaway:

- No estimator is uniformly “better”—choice depends on data structure and assumptions
- Transparency about assumptions and limitations more important than estimator choice