Programming #4 – Comparing Interpreted and Compiled Codes

GaussWithNumpy.py

```
# Name: Tony Maldonado
# Date: September 27, 2020
# Description: This program is an implementation of
     the Gaussian Elimination algorithm in Python
     using the Numpy module.
#
# Input: A number n for the size of the matrix
# Output: The time t for which it took to compute
     the matrix elimination
# Preconditions: The input (for matrix size) must be a
     positive integer
# Postconditions: None.
# Source code: https://learnche.org/3E4/Assignment_2_-_2010_-
_Solution/Bonus_question
import numpy as np
import random
import time
def main():
  n = input("Enter a positive integer n for matrix size: ")
  n = int(n)
  # Fill matrix with random numbers
  A = np.random.rand(n,n)
  b = np.random.rand(n)
  print('')
  print("Starting Gaussian Elimination on matrix..")
  print("Starting timer...")
  # Start timer; BEFORE Gaussian Elimination
  start = time.time()
```

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```
# Run Gaussian Elimination on matrix
x = np.linalg.solve(A,b)

print("Stopping timer...")
print('')

# Stop the timer
end = time.time()

# Output the time solution took
print('Time it took to run was: ', end - start, 'seconds.')
print('')

if __name__ == '__main__':
    main()
```

GaussNoNumpy.py

```
# Name: Tony Maldonado
# Date: September 27, 2020
# Description: This program is a modification of the
     implementation of the Gaussian Elimination
     algorithm in Python, /without/ using the Numpy module.
#
#
# Note: This program uses a no pivoting method.
# Input: A number n for the size of the matrix
# Output: The time t for which it took to compute
     the matrix elimination
#
# Preconditions: The input (for matrix size) must be a
     positive integer
#
# Postconditions: None.
# Source code: https://learnche.org/3E4/Assignment_2_-_2010_-
_Solution/Bonus_question
import random
import time
# Calculates the forward part of Gaussian Elimination
def forward_elimination (A, b, n):
  for row in range(0, n-1):
     for i in range(row + 1, n):
       factor = A[i][row]/A[row][row]
       for j in range(row, n):
          A[i][j] = A[i][j] - factor * A[row][j]
       b[i] = b[i] - factor * b[row]
  return A, b
# Calculates the back substitution part of Gaussian Elimination
def back_substitution(a, b, n):
```

```
x = [[0. for i in range(n)] for k in range(n)]
  x[n-1] = b[n-1] / a[n-1][n-1]
  for row in range (n-2, -1, -1):
     sums = b[row]
     for j in range(row + 1, n):
        sums = sums - a[row][i] * x[i]
     x[row] = sums / a[row][row]
  return x
# Calculates the Gaussian Elimination without pivoting
def gauss(A,b,n):
  A, b = forward_elimination(A,b,n)
  return back_substitution(A,b,n)
def main():
  n = input("Enter a positive integer n for matrix size: ")
  n = int(n)
  A = \prod
  # Fill matrix with random numbers
  for i in range(n):
     b = \prod
     for j in range(n):
        b.append(random.random())
     A.append(b)
  print('')
  print("Starting Gaussian Elimination on matrix..")
  print("Starting timer...")
  # Start timer
  start = time.time()
  gauss(A,b,n) #solving
  print("Stopping timer...")
  print('')
```

```
# Stop the timer
end = time.time()

# Output the time solution took
print('Time it took to run was: ', end - start, 'seconds.')
print('')

if __name__ == '__main__':
    main()
```

GaussFortan.f90

```
! Name: Tony Maldonado
! Date: September 27, 2020
! Description: This program is an implementation of
     the Gaussian Elimination algorithm in Fortran.
! Input: A number n for the size of the matrix
! Output: The time t for which it took to compute
     the matrix elimination
! Preconditions: The input (for matrix size) must be a
     positive integer
! Postconditions: None.
! Source code: https://labmathdu.wordpress.com/gaussian-elimination-without-
pivoting/
program gauss
  IMPLICIT NONE
  REAL:: start, finish !time vars
  INTEGER::i,j,n !loop vars
  REAL::s
  REAL, allocatable, DIMENSION(:,:)::a !Allocating space
  REAL, allocatable, DIMENSION(:)::x! Allocating space
  PRINT '("Enter a positive integer n for matrix size: ")'
  READ *, n !Reading in matrix size
  allocate(a(n,n+1)) !Allocating space
  allocate(x(n)) !Allocating space
  CALL RANDOM NUMBER(a) !Filling matrix
  CALL RANDOM_NUMBER(x) !Filling matrix
  CALL cpu_time(start) !Starting timer
```

```
do j=1,n !Calculations do i=j+1,n a(i,:)=a(i,:)-a(j,:)*a(i,j)/a(j,j) end do end do do do i=n,1,-1 !Calculation part 2 s=a(i,n+1) do j=i+1,n s=s-a(i,j)*x(j) end do x(i)=s/a(i,i) end do CALL cpu_time(finish) !stopping timer print '("Time to run is ",f6.3," seconds.")',finish-start !printing formatted time end program gauss
```

Tables:

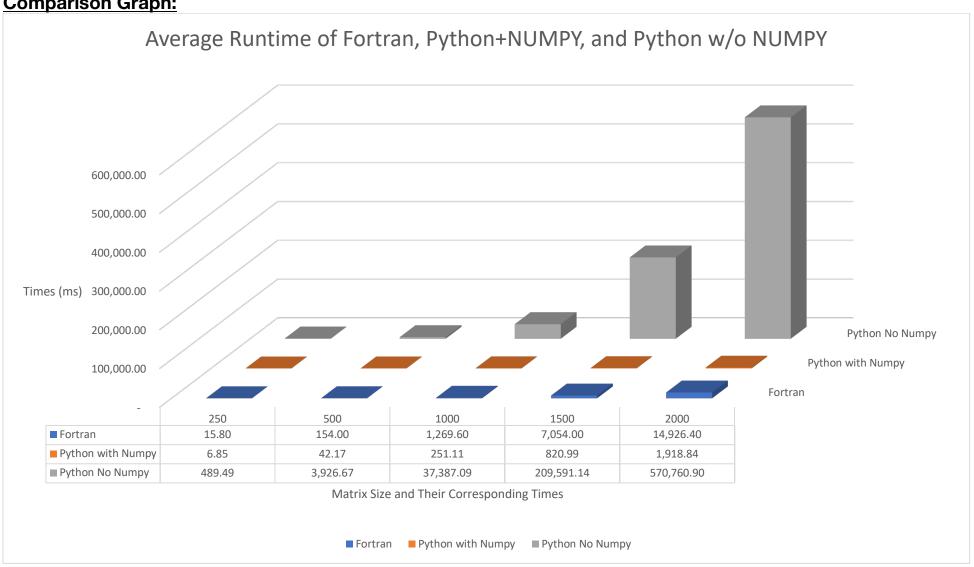
All times are in milliseconds.

Fortran	250	500	1000	1500	2000
	16.00	154.00	1,266.00	7,026.00	16,719.00
	16.00	154.00	1,276.00	7,040.00	16,680.00
	15.00	154.00	1,272.00	7,033.00	12,632.00
	16.00	154.00	1,269.00	7,070.00	11,808.00
	16.00	154.00	1,265.00	7,101.00	16,793.00
AVG	15.80	154.00	1,269.60	7,054.00	14,926.40
STDEV	0.45	-	4.51	31.17	2,488.04

Python No Numpy	250	500	1000	1500	2000
	488.55	3,928.63	34,122.69	194,762.08	663,206.39
	489.17	3,863.75	37,016.80	205,631.85	481,076.08
	487.78	3,918.82	38,749.51	216,648.38	517,794.55
	486.95	3,942.84	39,152.58	215,641.46	522,325.99
	494.98	3,979.33	37,893.88	215,271.96	669,401.51
AVG	489.49	3,926.67	37,387.09	209,591.14	570,760.90
STDEV	3.18	42.01	2,001.46	9,410.89	88,700.17

Python With Numpy	250	500	1000	1500	2000
	6.20	41.16	248.51	819.87	1,904.80
	6.30	41.37	252.08	845.85	1,920.52
	7.97	41.26	252.38	813.08	1,913.84
	6.68	42.72	250.01	814.51	1,913.90
	7.12	44.34	252.58	811.66	1,941.14
AVG	6.85	42.17	251.11	820.99	1,918.84
STDEV	0.72	1.37	1.78	14.24	13.66





Comparison and Summary:

- When looking at the data, and especially the data represented in a 3D bar graph, it is clear which implementations run faster than the others. After a quick analysis, it is very clear that the fastest implementation of the Gaussian Elimination is using Python and NUMPY. While the slowest was Python without NUMPY. Fortran came in at a close second after Python with NUMPY, with promising results. In conclusion, when implementing a Gaussian Elimination, it is much wiser and easier to use Python with the NUMPY module imported.