An aerial photograph of a city landscape. In the foreground, a multi-lane road curves through a green area, possibly a golf course or park, with some buildings and parking lots visible. The background shows a dense urban area with various buildings under a clear blue sky. A semi-transparent dark rectangle is overlaid on the center of the image, containing white text.

Unit 2

Competitive Markets and Efficiency (Chs. 2 & 3)

10/30

ECON 323 – MICROECONOMIC THEORY – DR. STRICKLAND

Let's practice!

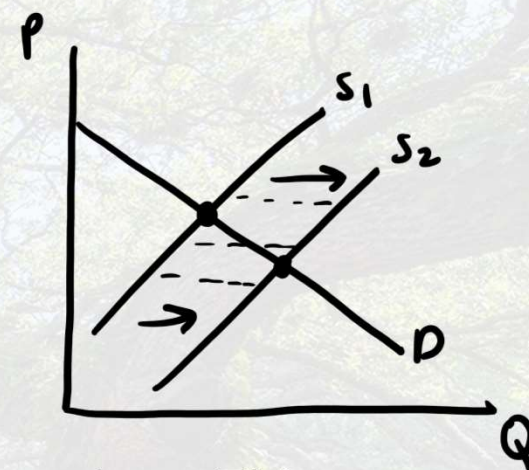


Suppose the demand and supply for wands is:

$$* Q^D = 2,800 - 25P$$

$$* Q^S = 15P - 400$$

In equilibrium, 800 wands are sold for 80 sickles each.



Suppose a new spell is discovered to make wands easier to produce. This increases quantity supplied by 200 at any given price.

a. What is the new supply curve?

$$\begin{aligned} Q_{\text{new}}^S &= Q^S + 200 \\ &= (15P - 400) + 200 \\ &= \boxed{15P - 200} \end{aligned}$$



Let's practice!



b. What is the new market equilibrium?

$$Q_D = 2800 - 2SP \quad Q_S = 1SP - 400$$

FROM (a)

$$Q_{new}^S = 1SP - 200$$

$$Q_D = Q_{new}^S$$

$$2800 - 2SP = 1SP - 200$$

$$40P = 3000$$

$$P^* = 75$$

$$Q^* = 15(75) - 200 = 925$$



Let's practice!

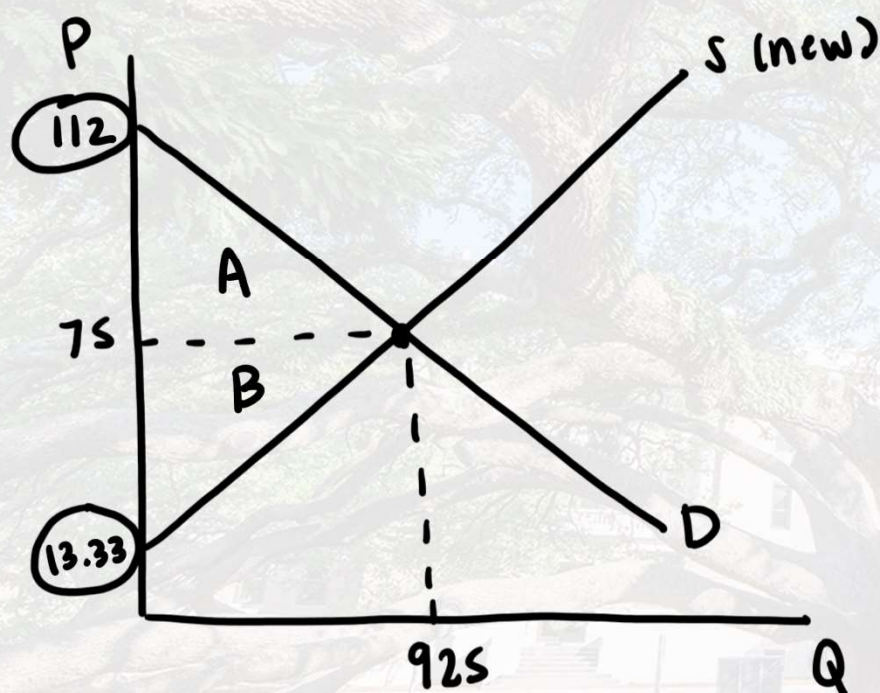
$$Q_D = 2800 -$$



$$Q_D = 2800 - 2SP$$

$$Q_S^{\text{new}} = 15P - 200$$

c. Calculate consumer and producer surplus at the new equilibrium.



$$CS = WTP - P^* = \text{area A}$$

$$\begin{aligned} CS &= \frac{1}{2} (P_{\text{choke}}^D - P^*) (Q^*) \\ &= \frac{1}{2} (112 - 75) (925) \\ &= \boxed{17,112.5} \end{aligned}$$

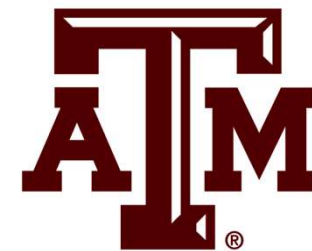
$$PS = P^* - WTS = \text{area B}$$

$$\begin{aligned} PS &= \frac{1}{2} (P^* - P_{\text{choke}}^S) (Q^*) \\ &= \frac{1}{2} (75 - 13.33) (925) \\ &= \boxed{28,522.38} \end{aligned}$$

$$P_{\text{choke}}^D: 0 = 2800 - 2SP \Rightarrow P = 112$$

$$P_{\text{choke}}^S: 0 = 15P - 200 \Rightarrow P = 13.33$$

Let's practice!



Consider hours of park play in Pawnee, Indiana. The demand and supply for park play is given by:

$$Q^D = 2,500 - 20P$$

$$Q^S = 100P - 3500$$

- a. Calculate the equilibrium price and quantity if Pawnee is a free (competitive) market for park play.

$$Q_D = Q_S$$

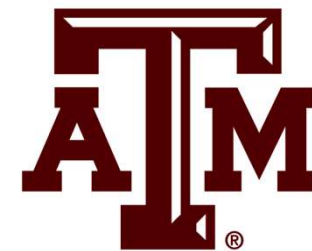
$$2500 - 20P = 100P - 3500$$

$$P^* = \$50$$

$$Q^* = 2500 - 20(50) = 1500$$



Let's practice!



- b. Suppose the Pawnee zoning board will not let Leslie Knope turn the Sullivan Street Pit into a park, effectively restricting the amount of park play to 500 hours. How much will Pawnee citizens have to pay for park play?

$$QUOTA = 500$$

$$Q_D = 2500 - 20P = 500$$

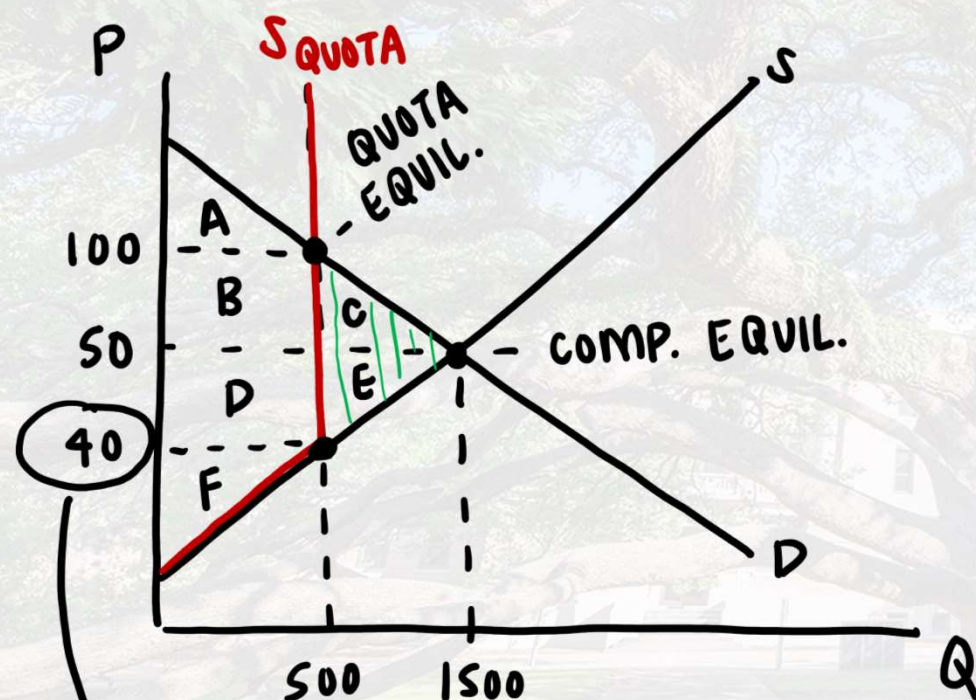
$$P = 100$$



Let's practice!



c. Calculate the transfer and deadweight loss resulting from this regulation.



WTS AT $Q=500$

$$500 = 100P - 3500 = Q_s$$

$$\Rightarrow P = 40$$

COMP. EQUIL.

$$CS = A + \underline{B} + \underline{C}$$

$$PS = D + \underline{E} + F$$

QUOTA EQUIL.

$$CS = A$$

$$PS = \underline{B} + D + F$$

$$\text{TRANSFER} = B$$

$$= (100 - 50)(500) = \boxed{\$25,000}$$

$$DWL = C + E$$

$$= \frac{1}{2} (100 - \underline{40}) (1500 - 500)$$

$$= \boxed{\$30,000}$$

Consider a perfectly competitive industry in which firms have different costs. Specifically, there are two types of firms: higher-cost firms and lower-cost firms. Which of the following is **TRUE** in long-run equilibrium?

- A. Each firm will face a different market price
- B. The lower-cost firm will have a positive economic profit (i.e., greater than 0)
- C. The higher-cost firm will produce more
- ☒ D. The long-run market price could be higher or lower than the short-run market price