## 关于 Maple Algebra 的这一路

枫聆 (maplegra)

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## **Equivalence of Program**

## **Bisimulation**

**Definition 1.1.** A labelled transition system is a tuple  $(S, \Lambda, \to)$  where S is set of states,  $\Lambda$  is set of labels, and  $\to$  is relation of labelled transitions (i.e., a subset of  $S \times \Lambda \times S$ ). A  $(p, \alpha, q) \in \to$  is written as  $p \xrightarrow{\alpha} q$ .

Annotation 1.2. TODO: categorical semantics: F-coalgebra

**Definition 1.3.** Let  $T=(S,\Lambda,\to)$  be a labelled transition system. The set of traces Tr(s), for  $s\in S$  is the minimal set satisfying

- $\varepsilon \in Tr(s)$ .
- $\alpha \ \sigma \in \mathit{Tr}(s) \ \text{if} \ \{ s' \in S \mid s \xrightarrow{\alpha} s' \ \text{and} \ \sigma \in \mathit{Tr}(s') \}.$

**Definition 1.4.** A binary relation between state transition systems, associating systems that behave in the same way in that one system simulates the other and vice versa.