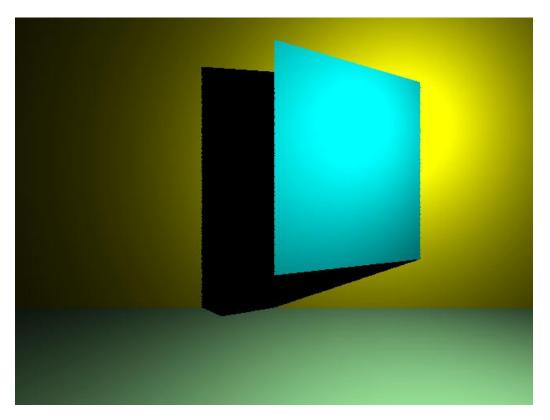
Finite rectangular planes.

The planes that we have previously used have all been of unbounded size. We can also define a finite or bounded plane object.

The *point* field used in the definition of an unbounded plane represents the location of the "lower left" corner of the finite, rectangular plane. The plane *normal* plays its usual role. Additional quantities are required:

The vector *xdir[3]* when projected into the plane and represents the direction of increase of the *x* coordinate. The vector should be projected and converted into a unit vector either at the time the finite plane definition is loaded or at the time the finite plane description is dumped to the *stderr* log.

The vector *xsize*[2] vector provides the *width* and *height* of the rectangular plane in the *x* and *y* directions respectively.



Data structures for the finite plane

In the C language, there is no "built in" support for derived classes and inheritance, but, as seen earlier, we can build it in ourselves, by adding a *priv* pointer the the *plane type*.

```
typedef struct plane type {
   double normal[3];
     :
   void
          *priv;
                        /* Data for specialized types
} plane t;
typedef struct fplane_type {
    /* x axis direction
    /* x beight
                                                  */
   double size[2];
                            /* width x height
                                                  */
   double rotmat[3][3]; /* Rotation matrix
                                                  */
                           /* used for textures */
   double
           lasthit[2];
} fplane t;
```

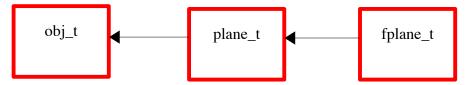
Alternatively (but more easily) one could just junk up the *plane_t* structure with finite plane and/or textured plane attributes.

Input Data for the finite plane

```
15
             finite plane
0 0 0
             r q b ambient
             r g b diffuse
0 6 6
0 0 0
             r q b specular
 0 3
            normal
1
  1 -3
            point
           x direction
1 2
    0
5 5
            size
```

Initializing the *fplane_t*

In a true object oriented language we would have the following inheritance structure



When a new plane_t was created, constructors for *obt_t*, *plane_t*, and *fplane_t* would be *automatically* activated in that order. As we have seen there are no constructors for C structures, but we can emulate the behavior through explicit calls and *avoid needless duplication of code*.

```
obj t *obj_init(...) {
     allocate new obj t;
     link it into the object list;
     return(obj);
}
obj t *plane init(...) {
    obj = o\overline{b}j_init(...);
    allocate new plane t;
    link it to obj->prīv;
    load material properties
    load plane geometry
    return(obj);
}
obj t *fplane_init(...) {
   obj = plane init(...);
   pln = obj->priv;
   allocate new fplane t;
   link it to pln->priv;
   read xdir, size;
project xdir onto infinite plane
   compute required rotation matrix
   return(obj);
An analogous strategy can be used in fplane dump().
```

The fplane hits() function

The *obj->hits()* pointer for a finite plane should point to *fplane hits()*.

```
/* Comment Me */
double fplane_hits(double *base, double *dir, obj_t *obj);
```

Even though an *fplane_hits()* function is required, it would be a *very bad* idea to paste the internals of *plane_hits()* inline here. Instead, *plane_hits()* should be invoked to determine if and where the ray hits the infinite plane in which the finite plane is contained.

```
t = plane_hits(base, dir, obj);
if (t < 0)
    return(t);</pre>
```

Arrival here means that the ray hit the infinite plane and that the location of the hit has been stored in *obj->hitloc[]*, The next task is to determine *if the hit location lies within the bounds of the prescribed rectangular area*.

In general, this seems like a *very difficult* problem. But there is a case for which the answer is simple. Suppose the base of the rectangle happened to be at (0, 0, 0), the xdir[] vector was (1,0.0) and the plane normal is (0, 0, 1). In that case, the rectangular finite plane is based at the origin and lies in the (x, y) plane. Therefore the following test could be applied.

```
if ((obj->hit[0] > fp->size[0]) || (obj->hit[0] < 0.0))
    return(-1);

if ((obj->hit[1] > fp->size[1]) || (obj->hit[1] < 0.0))
    return(-1);</pre>
```

Transforming the coordinates of the finite plane.

A two-step coordinate system transformation may be applied to the original *obj->hitloc[]* to permit use of the simple test on the previous page:

- (1) translate (move) the lower left corner of the finite plane to the origin. and
- (2) rotate the coordinate system so that the plane normal rotates into the positive Z-axis and the xdir[] vector rotates into the X-axis

Step 1 can be accomplished via a simple:

```
vec_diff3(pln->point, obj->hitloc, newhit);
```

Constructing the rotation is slightly more complicated. Once the rotation has been constructed the second step may be accomplished via:

```
xform3(rot, newhit, newhit);
```

After this is done, the simple test on the previous page may be applied to *newhit*.

Rotating an arbitrary vector pair of orthogonal vectors into the x and z axes

```
int main() {
   double rot[3][3];
  double irot[3][3];
  double norm[3];
  double xdir[3];
  double v1[3];
  double v2[3];
  double v3[3];
/* plane normal */
  norm[0] = 1.0; norm[1] = 1.0; norm[2] = 1.0;
/* the x direction */
   xdir[0] = 1.0; xdir[1] = 0.0; xdir[2] = -1.0;
/*
 * The first row of the rotation matrix will rotate into
 * the x-axis so that's where we put xdir
 */
  unit vec3(xdir, rot[0]);
 * We want the normal to end up on the z-axis so we make it
* the third row of the rotation matrix
*/
  unit vec3(norm, rot[2]);
 * Once two rows of a rotation are set, the third one
 * is automatic... it has to be orthogonal to the
 * other two.
  cross3(rot[2], rot[0], rot[1]);
  mat prn3("Rotation matrix", rot);
```

```
/* Demonstrate that the normal rotates into the z-axis */
  xform3(rot, norm, v2);
  vec_prn3("\nRotated normal
                              ", v2);
  /* and that xdir rotates into the x-axis */
  xform3(rot, xdir, v3);
  vec_prn3("Rotated xdir
                              ", v3);
  /* The inverse of a rotation is its transpose */
  xpose3(rot, irot);
  xform3(irot, v3, v1);
  vec_prn3("Rotated back xdir", v1);
}
Rotation matrix
                              -0.707
      0.707
                   0.000
      -0.408
                   0.816
                              -0.408
       0.577
                   0.577
                               0.577
Rotated normal
                     0.000
                              0.000
                                     1.732
Rotated xdir
                     1.414
                              0.000
                                     0.000
Rotated back xdir
                     1.000
                            0.000 - 1.000
```