

Joint Optimization of Mobility and Reliability-Guaranteed Air-to-Ground Communication for UAVs

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Abstract—Aerial unmanned vehicles (UAVs) play a significant role in improving the connectivity and coverage of terrestrial communication networks. However, UAV-assisted air-to-ground (A2G) data transmissions usually encounter several fundamental challenges, such as terminal mobility, random nature in channel fading and contention, resource constraints, and application-specific transmission requirements. To tackle these challenges, we formulate a bi-level optimization problem that jointly considers the control of the UAV mobility and transmission power and the scheduling of A2G data transmissions. The objective is to optimize energy consumption and maximize A2G transmission reliability. Particularly, we first theoretically characterize the A2G transmission reliability from a probabilistic perspective concerning the effects of channel fading, channel access contention, and application requirements. We then derive a closed-form expression for the optimal expected transmission reliability. Using the closed-form reliability, we transform the bi-level optimization into a mathematically-tractable optimal control problem and propose an efficient iterative algorithm to solve it. Simulation results show that our approach provides a comprehensive improvement in terms of both energy utilization and A2G transmission reliability, in particular, with a reduction of more than 12.1% in energy consumption and an increase of 7.53% in reliability on average, compared to several baselines.

Index Terms—Air-to-ground communication, data transmission scheduling, trajectory design, unmanned aerial vehicle

1 INTRODUCTION

THE successful deployment of aerial-ground cooperative networks (AGCNs) relies on high-performance aerial platforms such as aerial unmanned vehicles (UAVs). In particular, UAV-assisted air-to-ground (A2G) transmissions are crucial for AGCN applications, such as remote sensing, aerial Internet of Things (IoT), and aerial computing. UAV-assisted A2G data transmissions need to adapt to highly dynamic topologies, account for inherent randomness in the physical-layer channel, and meet application-specific

deadline and integrity requirements. However, several significant challenges are to be addressed for the practical realization of UAV-assisted A2G data transmissions. These challenges arise from the complicated constraints on both the kinematics and energy resource of a UAV, application-layer transmission requirements, stochastic channel fading, and stochastic multi-user access contention. More critically, the AGCN network should provide A2G transmission reliability guarantees in terms of satisfaction of application deadline and data integrity requirements.

Energy efficiency is one of the most important optimization goals in UAV-assisted communication and networking systems. Thus, it has been widely investigated in the recent literature. Currently, many researchers are engaged in designing various energy-efficient UAV-assisted networks by jointly optimizing UAV trajectory and some other decision-making factors such as transmission power and bit allocation [1], [2], [3], [4]. In addition to the energy efficiency of the network, the reliability of data transmission links is another significant design goal. To be specific, the communication reliability can be usually represented by the possibility that a node can complete data transmissions by a required deadline [5]. That is, the application data should be fully transmitted from a source to a destination to guarantee the integrity of application representation in the application layer. Fragmented data cannot be effectively used by upper-layer applications. Due to the dynamic and stochastic nature of A2G channels, the issue of unreliable data transmissions (incurring data fragmentation) tends to be even more severe in UAV-assisted networks. In this regard, the

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reliability-oriented A2G transmission optimization poses a great challenge to the practical realization of a UAV-assisted network.

Despite the presence of many high-quality research works in the context of joint UAV trajectory and resource optimization, limited efforts have been dedicated to the joint optimization of kinematic control and reliability-guaranteed communication of the UAV. Besides, since the A2G channel not only involves a stochastic fading process but also depends on the time-varying relative distance between a UAV and a ground node, the probability that a UAV succeeds in transmitting all the required data to the ground node within a restricted time duration is inherently coupled with the channel fading characteristics and the UAV mobility control. The exogenous factors, including the total data load and the given transmission period, also affect the success probability of A2G data transmission completion. However, due to the above factors, it remains unexplored that how to characterize the UAV-assisted A2G transmission reliability from a probabilistic perspective and how to join the reliability factor and the energy efficiency into an optimization framework for a UAV-assisted network.

Toward this end, we investigate a UAV-assisted A2G network in this paper, where a UAV needs to fly from an initial position to a specified terminal point under a sequence of autonomous acceleration control inputs. The UAV acts as an aerial mobile sensor offloading its application or massive sensor data to several ground base stations. The goal of the aerial autonomous system is to minimize its energy consumption in motion and communication meanwhile maximizing the reliability of A2G data transmissions. To achieve this goal, we propose a joint optimization framework that incorporates the UAV mobility control and data transmission scheduling. In particular, we jointly control the acceleration input and transmission power of the UAV and schedule A2G data transmissions during its flight, meanwhile satisfying the boundary conditions of the trajectory and the deadline and integrity requirements of the data transmissions. To tackle the problem, we theoretically characterize the expected A2G data transmission reliability and propose a bi-level optimization model. Additionally, we derive a closed-form expression for the maximum expected reliability and transform the non-convex problem into a mathematically-tractable one. We also propose an efficient iterative optimization. We compare our method with other typical methods to show its effectiveness and superior performance. Specifically, the main novel contributions of the paper are as follows:

- We formulate a bi-level optimization model to minimize the motion and communication energy consumption of the UAV in the upper layer and maximize the A2G transmission reliability in the lower layer. Different from most of the recent literature, we take into account controlling the UAV's mobility and transmission power and scheduling its data transmissions at the same time.
- We theoretically characterize the UAV-assisted A2G transmission reliability from a probabilistic perspective regarding the effects of Non-Line-of-Sight (NLoS) channel fading, stochastic channel contention, and

application-specified deadline and integrity restrictions. We derive a closed-form expression for the optimal expected A2G transmission reliability and incorporate it into an ϵ -constraint to transform the bi-level optimization model into a mathematically-tractable optimal control model. The obtained model enables the practical design and implementation of optimization algorithms.

- We propose an efficient iterative algorithm by combining a direct multi-shooting approach and a successive convex approximation technique. We theoretically prove the convergence and complexity of the proposed algorithm. Simulation results also demonstrate that the proposed method provides a remarkable improvement in both energy utilization and transmission reliability.

The rest of our paper is as follows. We review related works in Section 2. We present the overall system model and formulate the problem in Section 3. In Section 4, we propose a joint optimization method and analyze the convergence and the computational complexity of the proposed method. Simulation results are provided to validate our method in Section 5. Finally, Section 6 concludes the paper and remarks our future work.

2 LITERATURE REVIEW

Recently, a wide variety of joint resource allocation and trajectory optimization schemes have been developed for enabling UAV-assisted communications and networking. For instance, M. Li et al. aim to maximize the energy efficiency of a UAV-assisted edge computing system and present a successive convex approximation (SCA) approach to jointly optimize the trajectory of a UAV, the transmission power of ground users, and computation load allocation [3]. From considerable recent literature [6], [7], [8], [9], [10], [11], [12], [13], [14], [15], [16], the SCA technique is witnessed as a powerful tool to solve various complicated non-convex joint optimization problems. For example, the SCA technique is combined with a problem-based decomposition scheme to address the joint optimization of the power allocation and trajectory of a UAV and the communication scheduling of ground vehicles in [6]. [7] considers a mobile edge computing system consisting of a UAV and a vehicle platoon and proposes an SCA-based iterative optimization algorithm to maximize the system computation rate. Since it is usually difficult or even impossible to solve a general non-convex optimization problem, many researchers propose different decomposition schemes. That is, they first decompose joint optimization problems into several subproblems, where a part of decision variables are fixed while the rest are optimized, and then exploit SCA-based techniques such as [8], [9], [10], [11]. In some other works such as [12], researchers integrate wireless information and power transfer (SWIPT) into UAV-enabled sensor networks and develop geometry-based optimization algorithms to determine the suboptimal UAV trajectory. In [13], the SCA technique is combined with some combinatorial optimization schemes, such as the cutting-plane method, to find the optimal uploading power of ground sensors and the optimal hovering position of a UAV. In [14], a neighborhood search

technique applied for the well-known traveling salesman problem (TSP) and convex optimization are combined to jointly optimize the UAV hovering locations, communication durations, and trajectory. The goal is to minimize the whole energy consumption of the UAV. Other successful cases of the SCA-based joint optimization approach can also be founded in the cellular-connected UAV networks [15], [16]. Additionally, the SCA technique is combined with a block alternating descent scheme to solve the problem of joint trajectory and resource optimization in UAV-assisted networks [17], [18]. Although there already exist a wide variety of SCA-based schemes to tackle the joint design and optimization problem of UAV trajectory, computing, and communication, few studies provide deep insights into the reliability-oriented optimization, in particular, the theoretical characterization of data transmission reliability from a probabilistic perspective.

Another promising direction that currently sees much activity is dealing with joint optimization problems of UAV-enabled edge computing and communication with policy optimization- or learning-based techniques, e.g., Deep Reinforcement Learning (DRL) that models a system problem as a kind of sequential decision-making process following a Markovian property [4], [19], [20], [21], [22], [23], [24], [25], [26]. For example, L. Wang et al. combine DRL with a block coordinate descent scheme to minimize the overall energy consumption of ground mobile users, in which the users' association, resource allocation and multiple UAVs' trajectories are treated as joint optimization variables [19]. A. Al-Hilo et al. exploit policy optimization techniques to maximize the overall throughput of a UAV-assisted network, in which their joint solution for the trajectory and power allocation of UAVs is represented by a policy [20]. In [21], S. Xu et al. combine the K-means cluster algorithm and DRL technique to jointly design the trajectories of multiple UAVs. DRL in the multi-agent settings, i.e., multi-agent deep reinforcement learning, is also employed for optimization of multiple UAVs' trajectories, computation offloading policies, and power allocation [22], [23]. Even though DRL provides a powerful technique to approximate near-optimal policies in stochastic dynamic environments, such a paradigm that depends on carefully-tuned deep neural networks encounters some inherent challenges such as high training cost and sensitivity to both hyperparameters and initial conditions. Therefore, different DRL techniques (e.g., deep Q-learning, deep deterministic policy gradient (DDPG), and advanced actor-critic algorithms like A2C and A3C) are usually integrated into other optimization architectures, such as mixed-integer nonlinear programming [24], coverage maximization [25], dynamic spatial-temporal configuration [4], and alternative iterative optimization [26]. However, from the point of view of practical applications with UAVs, there still are many issues to be addressed for various DRL-based UAV systems, among which convergence efficiency, scalability, and physical satisfaction significantly affect the practical deployment of DRL in the real world.

Due to network resource constraints, concurrent data transmissions from multiple UAVs and ground users usually incur serious channel contention. To realize resource

allocation in the multi-node competition context, many researchers propose novel optimization approaches based on game theory [27], [28], [29], [30]. In these works, a Nash equilibrium strategy is treated as their system solution that aims to achieve the global fairness in resource allocation among ground and aerial nodes [29]. Besides, different game-theoretical models are also developed, such as a coalition formation game model [27], a fuzzy payoffs game [28], and a stochastic game [29]. The game-theoretical approaches are promising tools to tackle the large-scale resource management problem in UAV networks, but it is still a challenge to map a multi-variable joint optimization problem into a game formulation.

Different from the literature mentioned above, many works focus on the development of approximation algorithms for the optimization of UAV deployment [31], [32], [33], [34]. In [31], [32], W. Xu et al. propose a constant factor approximation algorithm to search for the minimum number of UAVs deployed to find their data collection tours that can guarantee the information freshness. In [32], a similar approximation algorithm is presented to maximize the throughput of a multi-UAV network in a disaster area. Indeed, different variants of the constant factor approximation algorithm are applied to tackle the problem of collaborative data collection and fine-grained trajectory planning of multiple UAVs [33] and that of UAVs' placement for directional coverage in a three-dimension space [34]. Nonetheless, the fundamental problem of multi-UAV cooperative trajectory planning to meet the spatially-temporally distributed demands of end-users is usually intractable due to its extremely large search space. Thus, some other works model a directed acyclic graph of a UAV-state transition diagram and transform the problem into a linear integer program that can be addressed by using an approximation algorithm [35]. [36] transforms the min-max problem into a dynamic program problem to minimize the worst-case deployment delay of UAVs. In this way, the optimal deployment solution for UAVs is obtained by using a polynomial-time approximation algorithm. In [37], the multi-user multiple-input-multiple-output (MU-MIMO) technique is considered in a UAV-enabled network, and a sensor-assisted channel prediction algorithm and a rate adaptation algorithm are combined to enhance the uplink throughput. In [38], UAV-to-UAV communications are integrated with UAV-to-network communications. The joint optimization of multi-UAV sub-channel allocations and speeds is decomposed into several subproblems, such that the subproblems are solved by using an iterative optimization algorithm. However, limited research efforts have been made on theoretically characterizing the UAV-assisted A2G transmission reliability, accounting for the A2G channel and application-layer requirement satisfaction. Few works consider optimizing the UAV's mobility while properly scheduling data transmissions to improve energy utilization and communication reliability simultaneously.

3 SYSTEM MODEL AND PROBLEM FORMULATION

As shown in Fig. 1, we consider a UAV, denoted by U , that would like to transmit its massive sensor data to several ground base stations (BSs) in a heavily built-up

urban environment.¹ The set of BSs is denoted by \mathcal{D} . For control modeling, we divide the time horizon into a series of slots, each with a duration of $\Delta\tau$ seconds. $t \in \mathbb{Z}_+$ is used to denote the index of time slots, where \mathbb{Z}_+ denotes the set of positive integers, i.e., $\mathbb{Z}_+ = \{1, 2, 3, \dots\}$. To account for the transmission deadline and content integrity of an application, we introduce two parameters to characterize the application requirements, T and Q . Here, T denotes the maximal number of time slots that can be exploited by the application to send its data. That is, the application transmission must be completed during T time slots. Q is the total application data to be off-loaded from the UAV to the ground BSs during the limited time slots. The UAV needs to properly partition the whole Q -bit data into a sequence of smaller pieces and transmit each data piece in each time slot. Thus, a data transmission scheduling solution is represented by $\{x(t), t = 1, 2, \dots, T\}$ where $x(t) \geq 0$ denotes the data bits to be sent in slot t and each scheduling solution should satisfy the integrity constraint, i.e., $\sum_{t=1}^T x(t) = Q$.

3.1 UAV Mobility Model

The time-varying position of the UAV in time slot t is represented by a three-dimension Cartesian coordinate vector $\mathbf{l}(t) = [l_x(t), l_y(t), l_z(t)]^T$, where x , y and z denote the longitudinal, latitudinal and height components, respectively. The velocity and acceleration of the UAV are represented by $\mathbf{v}(t)$ and $\mathbf{a}(t)$, respectively. The bound constraints on $\mathbf{v}(t)$ and $\mathbf{a}(t)$ are denoted by $\mathcal{V} = [\mathbf{v}_{\min}, \mathbf{v}_{\max}]$ and $\mathcal{A} = [\mathbf{a}_{\min}, \mathbf{a}_{\max}]$, respectively, where \mathbf{v}_{\min} and \mathbf{v}_{\max} are the allowable minimum and maximum velocities of the UAV, and \mathbf{a}_{\min} and \mathbf{a}_{\max} are the minimum and maximum accelerations. We use a time-discrete second-order model to describe its mobility

$$\begin{cases} \mathbf{l}(t+1) = \mathbf{l}(t) + \Delta\tau\mathbf{v}(t) + \frac{(\Delta\tau)^2}{2}\mathbf{a}(t); \\ \mathbf{v}(t+1) = \mathbf{v}(t) + \Delta\tau\mathbf{a}(t) \end{cases}, \quad (1)$$

for $t = 1, 2, \dots, T$. In (1), we treat $\mathbf{a}(t)$ as the control input of the UAV during its flight, which should be optimized to adapt the UAV's mobility. Additionally, the motion state of the UAV at t can be represented by $\mathbf{s}(t) = [\mathbf{l}(t), \mathbf{v}(t)]^T$. The kinematic model of the UAV is rearranged into a state-space form as follows

$$\mathbf{s}(t+1) = \mathbf{A}\mathbf{s}(t) + \mathbf{B}\mathbf{a}(t), \quad (2)$$

where \mathbf{A} and \mathbf{B} are the coefficient matrix of the state and of the control, respectively,

1. It is remarked that we consider only a single UAV in the network scenario as in many of the related works mentioned in Section 2. However, it is also an appealing and potential direction to take into account multiple UAVs for aerial-ground cooperative networks. Some high-quality works in this direction can be found in [22], [31], [33], [38]. The trajectory optimization of multiple UAVs in [22], [31], [33], [38] mainly follows a centralized optimization paradigm, which may result in high computational complexity. Indeed, some new challenging problems will also arise in multi-UAV networks, such as distributed cooperation of multiple UAVs and distributed trajectory optimization in the absence of central control infrastructure. Specifically, it is challenging to coordinate the behavior of multiple UAVs in terms of distributed control and optimization under a set of physical constraints. Hence, how to tackle this challenge under a joint optimization framework is left as a significant future direction to extend our work.

$$\mathbf{A} = \begin{bmatrix} \mathbf{I}_{3 \times 3} & \Delta\tau\mathbf{I}_{3 \times 3} \\ \mathbf{0}_{3 \times 3} & \mathbf{I}_{3 \times 3} \end{bmatrix}, \quad \mathbf{B} = \begin{bmatrix} 0.5\Delta\tau^2\mathbf{I}_{3 \times 3} \\ \Delta\tau\mathbf{I}_{3 \times 3} \end{bmatrix}, \quad (3)$$

where $\mathbf{I}_{3 \times 3}$ denotes a 3×3 identity matrix while $\mathbf{0}_{3 \times 3}$ is a 3×3 zero matrix. In reality, the UAV usually has a specific initial state and a terminal state as the boundary conditions on its trajectory. Let \mathbf{s}_0 and \mathbf{s}_f be the initial and terminal states, respectively. We can present the boundary constraints by $\mathbf{s}(1) = \mathbf{s}_0$ and $\mathbf{s}(T+1) = \mathbf{s}_f$. Additionally, we can calculate the relative distance between the UAV and the base station in close proximity by

$$d(t) = \min_{i \in \mathcal{D}} \|\mathbf{l}(t) - \mathbf{l}_{\text{BS}_i}\|_2, \quad (4)$$

where \mathbf{l}_{BS_i} is the position of the i th base station, $i \in \mathcal{D}$.

3.2 A2G Channel and Transmission Reliability Model

Similar to [3], we consider an orthogonal access channel for A2G transmissions and the data rate can be formulated by

$$\pi(t) = \frac{B}{N} \log_2 \left\{ 1 + \frac{p(t)g_{\text{A2G}}^2(t)}{\sigma^2} \right\}, \quad (5)$$

where B is the total available bandwidth, $p(t)$ is the transmission power, and σ^2 is the average noise power. $g_{\text{A2G}}^2(t)$ denotes the channel gain. N denotes the total number of users accessing the same channel at the same time.

According to the recent literature [39], [40], [41], Non-Line-of-Sight (NLoS) propagation usually dominates the channel in a heavily built-up urban area where there are many obstacles, such as high-rise buildings and trees, that can scatter the radio signal. In these situations, the channel fading can be well described by the Rayleigh distribution. In this study, we focus on the heavily built-up urban environment as the UAV deployment scenario and thus exploit the Rayleigh distribution to characterize the channel fading.²

2. We remark that it is also possible to establish a Line-of-Sight (LoS) propagation channel between the UAV and the ground node by properly adjusting the UAV altitude in reality. In such LoS propagation situation, we can use the Rician distribution model to characterize the stochastic channel fading, and thus the A2G transmission reliability can still be extended to incorporate the stochastic characteristics of LoS channel by using a weighted probabilistic modeling approach [1], [15], [42], [43]. In addition, since the state-space mobility model given in (2) provides the position and velocity of the UAV, the relative altitude and the elevation angle of the UAV can also be calculated by using the UAV position information, which can be further exploited to evaluate the occurrence probabilities of both LoS and NLoS channels like [1], [15], [42], [43]. That is, the different cases of LoS and NLoS channels will not alter our methodology here. However, as shown in References [41], [44], [45], the Rayleigh fading model is suitable for the low-altitude crowded region. Here, we mainly consider the situation of low-altitude UAV mobility, which is also a common case in reality when the flight height of the UAV is restricted due to the limitation of its aerodynamic capacity and energy resource. Besides, as in the current literature [1], [2], [3], [10], [11], [14], [16], [17], [46], the UAV trajectory is usually fixed at a constant altitude and the UAV trajectory optimization is operated in the 2-dimension plane. The underlying reason is that fixing the flight height of the UAV can avoid unnecessary energy consumption in altitude motion. Hence, we resort to the Rayleigh model to capture the influence of the heavily built-up urban environment on the low-altitude UAV signal propagation. We need to point out that it is worth considering probabilistic links of both LoS and NLoS channels as in [15], [42]. It remains an open question how to analytically represent the A2G communication reliability with probabilistic LoS and NLoS fading components. We consider this issue an important research direction to extend our reliability model in the future.

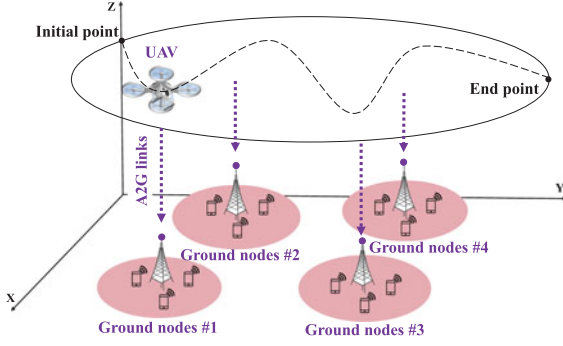


Fig. 1. A typical UAV-assisted A2G transmission network.

The random channel gain $g_{A2G}^2(t)$ follows an exponential distribution with the parameter $d^\beta(t)$ where β is the path loss exponent. Therefore, the probability that $x(t)$ -bit data can be successfully transmitted by the UAV at time slot t can be formulated by [5]

$$\text{Prob}\left\{\pi(t) \geq \frac{x(t)}{\Delta\tau}\right\} = \exp\left\{-\frac{2^{\frac{x(t)N}{B\Delta\tau}} - 1}{q(t)} d^\beta(t)\right\}, \quad (6)$$

where $q(t) = p(t)/\sigma^2$ denotes the normalized transmission power. Let the upper and the lower bounds on the power be p_{\min} and p_{\max} , respectively. The bound constraint for $q(t)$ is then $q(t) \in \mathcal{P} = [p_{\min}/\sigma^2, p_{\max}/\sigma^2]$. Now, we further define the A2G transmission reliability as the possibility that the UAV can successfully send the overall Q -bit data over T time slots, i.e., the success probability of transmission completion,

$$R(\mathbf{q}, \mathbf{a}, \mathbf{x}; N) = \prod_{t=1}^{T_{A2G}} \exp\left\{-\frac{2^{\frac{x(t)N}{B\Delta\tau}} - 1}{q(t)} d^\beta(t)\right\}, \quad (7)$$

where for brevity we let the power control, the mobility control and the data transmission scheduling solutions be $\mathbf{q} = [q(1), q(2), \dots, q(T)]^T$, $\mathbf{a} = [\mathbf{a}(1), \mathbf{a}(2), \dots, \mathbf{a}(T)]^T$ and $\mathbf{x} = [x(1), x(2), \dots, x(T)]^T$, respectively.

Additionally, we take into account the random characteristics of the concurrent channel access. In other words, the number of channel users, N , is indeed a random variable, which can be modeled by using a Poisson point process like [47]. Let the average channel access number be \bar{n} . The probability of N users sharing the same channel can be

$$f_N(n) = \frac{\bar{n}^n}{n!} \exp(-\bar{n}). \quad (8)$$

Based on (8), we can further have the expected reliability as

$$\bar{R}_{UAV}(\mathbf{q}, \mathbf{a}, \mathbf{x}) = \sum_{n=1}^{n_{\max}} f_N(n) R(\mathbf{q}, \mathbf{a}, \mathbf{x}; N = n), \quad (9)$$

where n_{\max} denotes the allowed maximum number of channel access users. It is remarked that the allowed maximum number of channel access users, n_{\max} , is indeed a system parameter, which can be pre-specified according to the channel capacity. The channel access users can be mobile users on the ground who are allowed to share the same channel with the flying UAV.

3.3 Energy Consumption Model

The energy consumed by the UAV is mainly dominated by two parts, one of which is the motion energy consumption and the other is the communication energy consumption. According to [3], the motion energy consumption can be approximated by

$$E_{\text{mot}}(t) = \theta_1 \|\mathbf{v}(t)\|^3 + \frac{\theta_2}{\|\mathbf{v}(t)\|} \left(1 + \frac{\|\mathbf{a}(t)\|^2}{g^2}\right), \quad (10)$$

in which θ_1 and θ_2 are two constants about the aerodynamics profile of the UAV. g represents the acceleration of gravity, which is 9.8 m/s^2 . In addition, the communication energy consumption is $E_{\text{trans}}(t) = p(t)\Delta\tau$. Thus, the overall energy consumption of the UAV over the time slots is

$$E_{UAV}(\mathbf{q}, \mathbf{a}, \mathbf{x}) = \sum_{t=1}^{T_{A2G}} [E_{\text{mot}}(t) + E_{\text{trans}}(t)]. \quad (11)$$

3.4 Joint Optimization Model

In general, the acceleration control and transmission power of the UAV explicitly determine the overall energy consumption in mobility and communication. The data transmission scheduling of the UAV determines the success probability of data transmissions and should be adapted according to the temporal-spatial position information and transmission power of the UAV. Besides, the acceleration control and transmission power of the UAV can also affect the A2G transmission reliability since the channel quality is heavily dependent on the UAV's mobility and transmission power. Therefore, energy utilization should allow for a communication reliability guarantee. We incorporate the A2G transmission reliability-oriented optimization into the optimization of UAV energy utilization. To jointly control the UAV mobility and transmission power meanwhile guaranteeing the A2G transmission reliability, we propose a bi-level optimal control model as follows

$$\min_{\mathbf{q}, \mathbf{a}, \mathbf{x}} E_{UAV}(\mathbf{q}, \mathbf{a}, \mathbf{x}) \quad (12a)$$

$$\max_{\mathbf{q}, \mathbf{a}, \mathbf{x}} \bar{R}_{UAV}(\mathbf{q}, \mathbf{a}, \mathbf{x}) \quad (12b)$$

$$\text{s.t.} \quad \sum_{t=1}^T x(t) = Q, \quad x(t) \geq 0, t = 1, \dots, T; \quad (12c)$$

$$\mathbf{s}(t+1) = \mathbf{A}\mathbf{s}(t) + \mathbf{B}\mathbf{a}(t), t = 1, \dots, T; \quad (12d)$$

$$q(t) \in \mathcal{P}, \mathbf{a}(t) \in \mathcal{A}, \mathbf{v}(t) \in \mathcal{V}, t = 1, \dots, T; \quad (12e)$$

$$\mathbf{s}(1) = \mathbf{s}_0, \mathbf{s}(T+1) = \mathbf{s}_f. \quad (12f)$$

In (12), the upper-level objective (12a) is to minimize the overall energy consumption while the lower-level (12b) aims to maximize the expected A2G transmission reliability. (12c) represents the constraint on the data transmission deadline and integrity. (12d) characterizes the kinematics of the UAV. (12e) and (12f) denote the bound and the terminal constraints, respectively. In general, it is difficult or even impossible to solve the bi-level model directly. Thus, in the following, we will further transform the bi-level model into a mathematically-tractable one and propose an efficient solving algorithm.

4 JOINT OPTIMIZATION METHOD

4.1 Model Transformation

Let the feasible region for data transmission scheduling be $\mathcal{X} = \{\mathbf{x} : \mathbf{x}^T \mathbf{1} = Q, \mathbf{x} \geq 0\}$ where $\mathbf{1}$ denotes a column vector whose elements are all 1. When \mathbf{a} and \mathbf{q} are treated as exogenous parameters for the lower-level optimization model maximizing the reliability objective $\bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x})$ with respect to \mathbf{x} , we derive the following results

Theorem 1. Given \mathbf{q} and \mathbf{a} , suppose that there exists an interior feasible optimal point $\mathbf{x}^*(\mathbf{q}, \mathbf{a}) \in \text{int}(\mathcal{X})$ such that

$$\begin{aligned} \mathbf{x}^*(\mathbf{q}, \mathbf{a}) \in \arg \max_{\mathbf{x}} \quad & \bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x}) \\ \text{s.t.} \quad & \sum_{t=1}^T x(t) = Q; \\ & x(t) \geq 0, t = 1, \dots, T. \end{aligned} \quad (13)$$

The optimal expected A2G transmission reliability under $\mathbf{x}^*(\mathbf{q}, \mathbf{a})$ can be expressed as follows

$$\begin{aligned} \bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}) \\ = \sum_{n=1}^{n_{\max}} f_N(n) \exp \left\{ \frac{\sum_{t=1}^T d^\beta(t) - T 2^{\frac{nQ}{B\Delta\tau}} \left(\prod_{t=1}^T d^\beta(t) \right)^{\frac{1}{T}}}{q(t)} \right\}. \end{aligned} \quad (14)$$

Proof. In fact, given \mathbf{q} and \mathbf{a} , to solve an optimal data scheduling solution $\mathbf{x}^*(\mathbf{q}, \mathbf{a})$ from (13) is equivalent to solving the following minimization problem for all n

$$\begin{aligned} \min_{\mathbf{x}} \quad & F(\mathbf{x}) = \sum_{t=1}^T d^\beta(t) 2^{\frac{x(t)n}{B\Delta\tau}} \\ \text{s.t.} \quad & \mathbf{x} \in \text{int}(\mathcal{X}). \end{aligned} \quad (15)$$

From (15), we get the Lagrangian function with a set of Lagrangian multipliers $\boldsymbol{\lambda} = \text{col}\{\lambda_t \in \mathbb{R}_{\geq 0}, t = 1, 2, \dots, T\}$ and $\mu \in \mathbb{R}$ as follows

$$L(\mathbf{x}, \boldsymbol{\lambda}, \mu) = F(\mathbf{x}) - \sum_{t=1}^T \lambda_t x(t) - \mu \left(\sum_{t=1}^T x(t) - Q \right). \quad (16)$$

According to the well-known Karush-Kuhn-Tucker (KKT) conditions, the feasible optimal point $\mathbf{x}^*(\mathbf{q}, \mathbf{a})$ must satisfy the following first-order optimal condition (i.e., the gradient condition) and the complementary slackness

$$\begin{cases} \nabla_{x(t)} F(\mathbf{x}^*(\mathbf{q}, \mathbf{a})) - \lambda_t - \mu = 0; \\ \lambda_t x^*(t) = 0 \end{cases}, \quad (17)$$

for $t = 1, 2, \dots, T$, where $x^*(t)$ is the t th entity of $\mathbf{x}^*(\mathbf{q}, \mathbf{a})$. Recalling $\mathbf{x}^*(\mathbf{q}, \mathbf{a}) \in \text{int}(\mathcal{X})$, i.e., $x^*(t) > 0$, and $\lambda_t \geq 0$ for all t , it can be seen that λ_t must satisfy $\lambda_t = 0$ for all t . Hence, we can further derive from the gradient condition

$$\begin{cases} \mu = \nabla_{x(t)} F(\mathbf{x}^*(\mathbf{q}, \mathbf{a})) = d^\beta(t) 2^{x^*(t)\kappa} \kappa \ln 2 \\ x^*(t) = \frac{1}{\kappa} (\log_2(\mu) - \log_2(d^\beta(t)) - \log_2(\kappa \ln 2)) \end{cases}, \quad (18)$$

for all t , where $\kappa = n/(B\Delta\tau)$. Substituting (18) into the equality constraint $\sum_{t=1}^T x^*(t) = Q$ can yield

$$x^*(t) = \frac{B\Delta\tau}{n} \left(\frac{\sum_{t=1}^T \log_2 d^\beta(t)}{T} - \log_2 d^\beta(t) \right) + \frac{Q}{T}, \quad (19)$$

for all t . Finally, substituting (19) into the objective (9) can immediately obtain (14). Hence, the theorem is proven. \square

Besides, a higher transmission power $q(t)$ can improve the reliability as indicated by (6). Thus, it is further observed that $\bar{R}_{\text{UAV}}^*(\mathbf{q}, \mathbf{a}) \leq \bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \mathbf{a}) \leq \bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \tilde{\mathbf{a}})$ where \mathbf{q}_{\max} denotes the upper bound of the transmission power solution \mathbf{q} and $\tilde{\mathbf{a}}$ is a feasible optimal control obtained by

$$\begin{aligned} \tilde{\mathbf{a}} \in \max_{\mathbf{a}} \quad & \bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \mathbf{a}) \\ \text{s.t.} \quad & \mathbf{s}(t+1) = \mathbf{A}\mathbf{s}(t) + \mathbf{B}\mathbf{a}(t), t = 1, \dots, T; \\ & \mathbf{a}(t) \in \mathcal{A}, \mathbf{v}(t) \in \mathcal{V}, t = 1, \dots, T; \\ & \mathbf{s}(1) = \mathbf{s}_0, \mathbf{s}(T+1) = \mathbf{s}_f. \end{aligned} \quad (20)$$

We treat $\bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \tilde{\mathbf{a}})$ as an upper bound on the expected A2G transmission reliability objective. Motivated by the ϵ -constraint method, we can transform the bi-level optimization model (12) into the following optimal control model in which the expected A2G transmission reliability is bounded by $(1 - \epsilon)\bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \tilde{\mathbf{a}})$ where $\epsilon \in [0, 1]$ is a parameter used to control the satisfaction of the trajectory-dependent reliability

$$\begin{aligned} \min_{\mathbf{q}, \mathbf{a}, \mathbf{x}} \quad & E_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x}) \\ \text{s.t.} \quad & \mathbf{x}^T \mathbf{1} = Q, \mathbf{x} \geq 0; \\ & \bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x}) \geq (1 - \epsilon)\bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \tilde{\mathbf{a}}); \\ & \mathbf{s}(t+1) = \mathbf{A}\mathbf{s}(t) + \mathbf{B}\mathbf{a}(t), t = 1, \dots, T; \\ & q(t) \in \mathcal{P}, \mathbf{a}(t) \in \mathcal{A}, \mathbf{v}(t) \in \mathcal{V}, t = 1, \dots, T; \\ & \mathbf{s}(1) = \mathbf{s}_0, \mathbf{s}(T+1) = \mathbf{s}_f. \end{aligned} \quad (21)$$

From (21), we further have the following results:

Lemma 1. A feasible solution of the ϵ -constraint model (21) is weakly Pareto-optimal and this feasible solution is Pareto-optimal if and only if it is a unique feasible solution.

Proof. The results follow the theorems presented in [48] (see Chapter 3.2 of [48]) and can be proven by mathematical contradiction and the concept of Pareto optimality. \square

We remark that Lemma 1 ensures the Pareto-optimality of a feasible solution to the proposed model (21) above. However, due to the complexity of the model that has a non-convex optimization objective function and a non-convex nonlinear constraint, it is challenging to obtain a feasible solution of the model by using standard convex optimization techniques directly. Moreover, it is usually difficult or even impossible to search a global optimizer of a non-convex nonlinear optimization problem, and thus many recent works exploit a successive convex approximation technique to obtain a local optimal solution [3], [9], [12], [16]. In the following, building upon the ϵ -constraint method above, we proceed to develop a novel solving algorithm to search a feasible local optima efficiently.

4.2 Solving Algorithm Design

The obtained optimal control model (21) only involves one optimization objective and thus allows us to design an efficient solving algorithm. To deal with the mixed linear and nonlinear constraints and the strongly non-convex objective function in (21), we propose an iterative numerical optimization algorithm by combining a direct multi-shooting method and a successive quadratic programming (SQP) technique. Specifically, the kinematic states of the UAV at different time slots, $\{\mathbf{s}(t), t = 2, 3, \dots, T+1\}$, are also treated as decision variables and incorporated into the optimization process. We introduce an augmented optimization variable set as $\mathbf{w} = \text{col}\{\mathbf{q}, \mathbf{a}, \mathbf{x}, \mathbf{s}\}$ where $\mathbf{s} = \text{col}\{\mathbf{s}(t), t = 2, 3, \dots, T+1\}$ and lift the problem to a higher dimension that is sparsely structured and usually improves convergence. We denote the global optimization objective in (21) by $E_{\text{UAV}}(\mathbf{w}) = E_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x})$. Furthermore, we define a column vector $\mathbf{G}(\mathbf{w})$ consisting of all the equality constraints in (21) as

$$\mathbf{G}(\mathbf{w}) = \text{col} \left\{ \begin{array}{l} \mathbf{x}^T \mathbf{1} - \mathbf{Q}; \\ \mathbf{s}(1) - \mathbf{s}_0; \\ \mathbf{s}(T+1) - \mathbf{s}_f; \\ \mathbf{s}(t+1) - \mathbf{A}\mathbf{s}(t) + \mathbf{B}\mathbf{a}(t), t = 1, \dots, T \end{array} \right\}, \quad (22)$$

and a column vector $\mathbf{I}(\mathbf{w})$ lumping all the inequality constraints in (21) as

$$\mathbf{I}(\mathbf{w}) = \text{col} \left\{ \begin{array}{l} \bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x}) - (1 - \epsilon)\bar{R}_{\text{UAV}}^*(\mathbf{q}_{\max}, \tilde{\mathbf{a}}); \\ \mathbf{u} - \mathbf{u}_{\min}; \\ \mathbf{u}_{\max} - \mathbf{u}; \\ \mathbf{x} \end{array} \right\}, \quad (23)$$

where let $\mathbf{v} = \text{col}\{\mathbf{v}(t), t = 1, 2, \dots, T\}$ and $\mathbf{u} = \text{col}\{\mathbf{q}, \mathbf{a}, \mathbf{v}\}$ for simplicity. \mathbf{u}_{\min} and \mathbf{u}_{\max} are the lower and the upper bounds on \mathbf{u} , respectively, which can be constructed by combining \mathcal{P} , \mathcal{A} and \mathcal{V} . Let the index sets of $\mathbf{G}(\mathbf{w})$ and $\mathbf{I}(\mathbf{w})$ be \mathcal{G} and \mathcal{I} , respectively. We denote the l th component of $\mathbf{G}(\mathbf{w})$ and $\mathbf{I}(\mathbf{w})$ by $G_l(\mathbf{w})$ and $I_l(\mathbf{w})$, respectively. The Lagrangian function of (21) can be formulated as follows

$$\mathcal{L}(\mathbf{w}, \boldsymbol{\phi}) = E_{\text{UAV}}(\mathbf{w}) - \sum_{l \in \mathcal{G}} \phi_l G_l(\mathbf{w}) - \sum_{l \in \mathcal{I}} \phi_l I_l(\mathbf{w}), \quad (24)$$

where $\boldsymbol{\phi}$ is a column vector collecting Lagrangian multipliers, i.e., $\boldsymbol{\phi} = \text{col}\{\phi_l \in \mathbb{R}, l \in \mathcal{G}; \phi_{l'} \in \mathbb{R}_{\geq 0}, l' \in \mathcal{I}\}$.

Now, using (24), we can design a numerical iterative algorithm inspired by sequential quadratic programming, which generate a sequence of feasible iterations $\{\mathbf{w}_k, k = 0, 1, \dots\}$ to approach a locally optimal solution to (21). To be specific, given a feasible solution to (21) and the Lagrangian multipliers at an iteration k , \mathbf{w}_k and $\boldsymbol{\phi}_k$, we can establish a quadratic programming subproblem to obtain an optimal search direction $\Delta \mathbf{w}_k$ and a set of new Lagrangian multipliers $\boldsymbol{\phi}_{k+1}$

$$\begin{aligned} \min_{\Delta \mathbf{w}} \quad & \nabla E_{\text{UAV}}(\mathbf{w}_k)^T \Delta \mathbf{w} + \frac{1}{2} \Delta \mathbf{w}^T \mathbf{H}_k \Delta \mathbf{w} \\ \text{s.t.} \quad & G_l(\mathbf{w}_k) + \nabla G_l(\mathbf{w}_k)^T \Delta \mathbf{w} = 0, \forall l \in \mathcal{G}; \\ & I_l(\mathbf{w}_k) + \nabla I_l(\mathbf{w}_k)^T \Delta \mathbf{w} \geq 0, \forall l \in \mathcal{I}, \end{aligned} \quad (25)$$

where \mathbf{H}_k denotes the positive-definite quasi-Newton approximation of the Hessian matrix of $\mathcal{L}(\mathbf{w}, \boldsymbol{\phi})$. Solving the

subproblem (25) to get a feasible descent direction $\Delta \mathbf{w}_k$ and $\boldsymbol{\phi}_{k+1}$, we can construct a new iteration by

$$\mathbf{w}_{k+1} = \mathbf{w}_k + \alpha_k \Delta \mathbf{w}_k, \quad (26)$$

where α_k denotes the search step size that can be obtained by using a line search approach. For instance, we can get an optimal step size by $\alpha_k \in \text{argmin}_{\alpha} \{\Phi(\mathbf{w}_k + \alpha \Delta \mathbf{w}_k, \boldsymbol{\mu}_k)\}$, where $\Phi(\mathbf{w}, \boldsymbol{\mu})$ is an ℓ_1 -type merit function like

$$\begin{aligned} \Phi(\mathbf{w}, \boldsymbol{\mu}) = & E_{\text{UAV}}(\mathbf{w}) + \sum_{l \in \mathcal{G}} \mu_l |G_l(\mathbf{w})| \\ & + \sum_{l \in \mathcal{I}} \mu_l \max\{0, -I_l(\mathbf{w})\}, \end{aligned} \quad (27)$$

in which $\boldsymbol{\mu} = \text{col}\{\mu_l \in \mathbb{R}_{\geq 0}, \forall l \in \mathcal{G} \cup \mathcal{I}\}$ is a column vector consisting of nonnegative penalty coefficients. Given $\boldsymbol{\phi}_k$, these penalty factors are adapted at each time slot k according to

$$\mu_{l,k} = \begin{cases} |\phi_{l,k}|, k = 1; \\ \max\left\{|\phi_{l,k}|, \frac{|\mu_{l,k-1}| + |\phi_{l,k}|}{2}\right\}, k \geq 2; \end{cases} \quad (28)$$

where $\mu_{l,k}$ and $\phi_{l,k}$ are the l th element of $\boldsymbol{\mu}_k$ and $\boldsymbol{\phi}_k$ at time slot k , respectively. (28) can guarantee that $|\phi_{l,k}| \leq \mu_{l,k}$ is always held for all k and $\Delta \mathbf{w}_k$ is also a decreasing direction of $\Phi(\mathbf{w}, \boldsymbol{\mu})$ [7]. Besides, we let $\mathbf{y}_k = \nabla \mathcal{L}(\mathbf{w}_{k+1}, \boldsymbol{\phi}_{k+1}) - \nabla \mathcal{L}(\mathbf{w}_k, \boldsymbol{\phi}_k)$. To guarantee the positive definiteness of \mathbf{H}_k , we adopt a modified Broyden-Fletcher-Goldfarb-Shanno (BFGS) formula to update \mathbf{H}_k . To be specific, we introduce a weight $\delta \in [0, 1]$ as follows

$$\delta = \begin{cases} 1, \mathbf{y}_k^T \Delta \mathbf{w}_k \geq \theta \Delta \mathbf{w}_k^T \mathbf{H}_k \Delta \mathbf{w}_k; \\ \frac{(1-\theta) \Delta \mathbf{w}_k^T \mathbf{H}_k \Delta \mathbf{w}_k}{\Delta \mathbf{w}_k^T \mathbf{H}_k \Delta \mathbf{w}_k - \mathbf{y}_k^T \Delta \mathbf{w}_k}, \text{ otherwise,} \end{cases} \quad (29)$$

where $\theta \in (0, 1)$ and θ is usually set to 0.2. Thus, let $\mathbf{z}_k = \delta \mathbf{y}_k + (1 - \delta) \mathbf{H}_k \Delta \mathbf{w}_k$. The matrix \mathbf{H}_k can be updated by

$$\mathbf{H}_{k+1} = \mathbf{H}_k - \frac{\mathbf{H}_k \Delta \mathbf{w}_k \Delta \mathbf{w}_k^T \mathbf{H}_k}{\Delta \mathbf{w}_k^T \mathbf{H}_k \Delta \mathbf{w}_k} + \frac{\mathbf{z}_k \mathbf{z}_k^T}{\mathbf{z}_k^T \Delta \mathbf{w}_k}. \quad (30)$$

Based on (25) to (30), we propose our solving algorithm as summarized in Algorithm 1. The algorithm consists of three main steps, i.e., solving $(\Delta \mathbf{w}_k, \boldsymbol{\phi}_{k+1})$ by quadratic programming, performing line search to get an optimal step size α_k , and updating the Hessian matrix \mathbf{H}_k . The overall algorithm approaches the solution to the original optimal control model (21) by transforming it into a series of simpler quadratic programming (QP) subproblems (25). It is remarked that since there already exist many efficient QP algorithms, Algorithm 1 can leverage any advanced QP algorithms (e.g., the well-known interior-point method and active set method) for the practical implementation.

4.3 Algorithm Convergence Analysis

Using the first-order optimality theory and inequality analysis, we show the guaranteed convergence of Algorithm 1 to a Karush-Kuhn-Tucker (KKT) point as follows.

Theorem 2. *The sequence of iterative points $\{\mathbf{w}_k\}$ generated by Algorithm 1 starting at a feasible point can stop at a KKT point or their accumulation point can converge to a KKT point.*

Algorithm 1. Iterative Optimization Algorithm

Data: A numerical tolerance $0 < \xi \ll 1$ and a feasible initial guess \mathbf{w}_0 and \mathbf{H}_0

Result: Optimal joint solution \mathbf{w}_k

1: $k \leftarrow 0$;
 2: **repeat**
 3: Solve (25) to get $(\Delta\mathbf{w}_k, \phi_{k+1})$;
 4: Solve (27) to get α_k ;
 5: Set $\mathbf{w}_{k+1} = \mathbf{w}_k + \alpha_k \Delta\mathbf{w}_k$;
 6: Update \mathbf{H}_k by (30);
 7: $k \leftarrow k + 1$.
 8: **until** $\|\nabla\mathcal{L}(\mathbf{w}_k, \phi_k)\| \leq \xi$

Proof. In the first case, we have $\Delta\mathbf{w}_k = \mathbf{0}$ at a certain iteration k . Thus, the KKT conditions of (25), i.e.,

$$\begin{cases} \nabla E_{\text{UAV}}(\mathbf{w}_k) + \mathbf{H}_k \Delta\mathbf{w}_k \\ - \sum_{l \in \mathcal{G}} \phi_{l,k} G_l(\mathbf{w}_k) - \sum_{l \in \mathcal{I}} \phi_{l,k} I_l(\mathbf{w}_k) = \mathbf{0}; \\ G_l(\mathbf{w}_k) + \nabla G_l(\mathbf{w}_k)^T \Delta\mathbf{w}_k = 0, l \in \mathcal{G}; \\ \phi_{l,k} \geq 0, I_l(\mathbf{w}_k) + \nabla I_l(\mathbf{w}_k)^T \Delta\mathbf{w}_k \geq 0, l \in \mathcal{I}; \\ \phi_{l,k} (I_l(\mathbf{w}_k) + \nabla I_l(\mathbf{w}_k)^T \Delta\mathbf{w}_k) = 0, l \in \mathcal{I}, \end{cases} \quad (31)$$

are equivalent to those of the original problem (21). Hence, \mathbf{w}_k is a KKT point of (21) in the case of $\Delta\mathbf{w}_k = \mathbf{0}$.

In the other case where $\Delta\mathbf{w}_k \neq \mathbf{0}$ for every k , $\{\mathbf{w}_k\}$ becomes an infinite sequence that has an accumulation point. We let \mathbf{w}^* denote the accumulation point. Additionally, \mathbf{H}_k is a positive-definite matrix. $\nabla E_{\text{UAV}}(\mathbf{w}_k)$, $\nabla G_l(\mathbf{w}_k)$ and $\nabla I_l(\mathbf{w}_k)$ for all l and k are continuous functions of \mathbf{w}_k . Hence, as $\Delta\mathbf{w}_k$ satisfies the KKT conditions as in (31), it also has an accumulation point. Let the accumulation point of $\Delta\mathbf{w}_k$ be $\Delta\mathbf{w}^*$. Now, we prove by contradiction that such an accumulation point $\Delta\mathbf{w}^*$ must be $\Delta\mathbf{w}^* = \mathbf{0}$ such that the accumulation point \mathbf{w}^* is a KKT point.

Suppose $\Delta\mathbf{w}_k \neq \mathbf{0}$. There is an $\bar{\alpha} > 0$ such that

$$\Phi(\mathbf{w}^* + \bar{\alpha} \Delta\mathbf{w}^*, \mu) = \min_{\alpha \in \mathbb{R}_{\geq 0}} \Phi(\mathbf{w}^* + \alpha \Delta\mathbf{w}^*, \mu). \quad (32)$$

As $\Delta\mathbf{w}^*$ is a decreasing direction of $\Phi(\mathbf{w}^*, \mu)$ and $\bar{\alpha} > 0$, we can further have

$$\Phi(\mathbf{w}^* + \bar{\alpha} \Delta\mathbf{w}^*, \mu) < \Phi(\mathbf{w}^*, \mu). \quad (33)$$

Thus, letting $\Delta\Phi = \Phi(\mathbf{w}^*, \mu) - \Phi(\mathbf{w}^* + \bar{\alpha} \Delta\mathbf{w}^*, \mu) > 0$ and according to $\mathbf{w}_k + \bar{\alpha} \Delta\mathbf{w}_k \rightarrow \mathbf{w}^* + \bar{\alpha} \Delta\mathbf{w}^*$ under $k \rightarrow \infty$, we yield the following inequality

$$\Phi(\mathbf{w}_k + \bar{\alpha} \Delta\mathbf{w}_k, \mu) + \frac{\Delta\Phi}{2} < \Phi(\mathbf{w}^*, \mu), \quad (34)$$

for a sufficiently large k .

On the other side, the line search for a step length at each k , α_k , guarantees that a sequence $\{\zeta_k \geq 0\}$ exists to make

$$\Phi(\mathbf{w}_k + \alpha_k \Delta\mathbf{w}_k, \mu) \leq \min_{\alpha \in \mathbb{R}_{\geq 0}} \Phi(\mathbf{w}_k + \alpha \Delta\mathbf{w}_k, \mu) + \zeta_k, \quad (35)$$

where $\sum_{k=1}^{\infty} \zeta_k < +\infty$, and $\sum_{i=k}^{\infty} \zeta_i < \Delta\Phi/2$ when k is sufficiently large. (35) implies

$$\Phi(\mathbf{w}_{k+1}, \mu) \leq \Phi(\mathbf{w}_k, \mu) + \zeta_k, \quad (36)$$

for all k . Combining the results above, we derive

$$\begin{aligned} \Phi(\mathbf{w}^*, \mu) &\leq \Phi(\mathbf{w}_{k+1}, \mu) + \sum_{i=k+1}^{\infty} \zeta_i \\ &\leq \min_{\alpha \in \mathbb{R}_{\geq 0}} \Phi(\mathbf{w}_k + \alpha \Delta\mathbf{w}_k, \mu) + \zeta_k + \sum_{i=k+1}^{\infty} \zeta_i \\ &< \Phi(\mathbf{w}_k + \bar{\alpha} \Delta\mathbf{w}_k, \mu) + \frac{\Delta\Phi}{2}. \end{aligned} \quad (37)$$

It is seen that (37) is contradictory to (34). Such a contradiction implies that the hypothesis $\Delta\mathbf{w}^* \neq \mathbf{0}$ is not true. In summary, \mathbf{w}^* is also a KKT point of (21) in the case of $\Delta\mathbf{w}^* = \mathbf{0}$. \square

Theorem 2 provides an insight into the guaranteed convergence of the proposed algorithm to a KKT point. However, we remark that this result does not mean that the proposed algorithm is guaranteed to converge to a global optimal point. That is, the KKT point of the problem model, i.e., (21), can be a local optimal point or a global point since it is a non-convex optimization problem. In general, non-convex optimization is at least NP-hard, so it is challenging to obtain a global optimal point of a non-convex problem. Additionally, theoretical guarantees of the global optimality of an algorithm are usually weak or even non-existent.³ At this point, our proposed algorithm can only guarantee the local optimality rather than the global optimality here.

4.4 Algorithm Complexity Analysis

From Algorithm 1, the computational complexity consists of two parts, including the convex quadratic programming and the line search. The line search only involves a one-dimension decision variable α_k and the complexity of the line search with the accuracy of ξ is $\mathcal{O}(\ln \xi^{-1})$. Note that the total size of the decision variables $q(t)$, $\mathbf{a}(t)$ and $\mathbf{x}(t)$ at a time slot t is $n_{\text{var}} = 1 + 3 + 1 = 5$ and that of the kinematic state $\mathbf{s}(t)$ is $n_{\text{state}} = 3 \times 2 = 6$. Thus, the total length of the augmented optimization variables \mathbf{w} is $T(n_{\text{var}} + n_{\text{state}})$. We can adopt the well-known interior-point method to solve the QP subproblem, which will require the number of iterations in the order of $\mathcal{O}(\sqrt{T(n_{\text{var}} + n_{\text{state}})} \ln \xi^{-1})$ for convergence with the

3. In mathematical optimization, the KKT conditions are known as the local optimality conditions. Some researchers have provided global optimality conditions for some special optimization problems that have special mathematical structures, such as weakly convex minimization problems [49] and bivalent non-convex quadratic programs [50]. However, it is difficult or even impossible to derive global optimality conditions for a general non-convex optimization problem [51]. In this work, our targeted problem does not fall into the special class of global optimality-guaranteed problems. It remains an open question to obtain a global optimal solution to the joint optimization model (21). Some advanced heuristic mechanisms or stochastic multi-start search techniques, such as simulated annealing and particle swarm optimization, may be integrated with the proposed optimization method in this work to find a global optimum. Here we left the design of a global optimization algorithm as our future work.

TABLE 1
Parameter Settings

Symbol	Value
$\mathbf{l}_{BS_1}, \mathbf{l}_{BS_2}$	$[80, 40, 0]^T \text{ m}, [160, -30, 0]^T \text{ m}$
$\mathbf{l}_{BS_3}, \mathbf{l}_{BS_4}$	$[240, 30, 0]^T \text{ m}, [320, -40, 0]^T \text{ m}$
$B, \sigma^2, \beta, \bar{n}$	10 MHz, -95 dBm, 2.75, 139
θ_1, θ_2, ξ	$9.26 \times 10^{-4}, 2250, 1 \times 10^{-3}$
p_{\min}, p_{\max}	-23 dBm, 23 dBm
$\mathbf{v}_{\min}, \mathbf{v}_{\max}$	$[-20, -20, 0]^T \text{ m/s}, [20, 20, 0]^T \text{ m/s}$
$\mathbf{a}_{\min}, \mathbf{a}_{\max}$	$[-30, -30, 0]^T \text{ m/s}^2, [30, 30, 0]^T \text{ m/s}^2$

accuracy ξ [52]. Besides, the arithmetic complexity of each iteration is $\mathcal{O}(T^3(n_{\text{var}} + n_{\text{state}})^3)$ [52]. Therefore, the computational complexity of the convex quadratic programming is $\mathcal{O}(T^{3.5}(n_{\text{var}} + n_{\text{state}})^{3.5} \ln \xi^{-1})$. Besides, the complexity of the descent iterations with \mathbf{w}_k is $\mathcal{O}(\ln \xi^{-1})$ regarding the accuracy of ξ . Hence, the total computational complexity of Algorithm 1 is $\mathcal{O}(T^{3.5}(n_{\text{var}} + n_{\text{state}})^{3.5} \ln \xi^{-1})$, which can be handled in the order of polynomial time.

5 SIMULATION EVALUATION

5.1 Parameter Setting

In this section, we conduct simulations to evaluate the performance of our proposed method. We consider that there are several base stations on the ground and these base stations are placed along a road. Following many existing studies [1], [2], [3], [10], [11], [14], [16], [17], [46], we consider to fix the flight height of the simulated UAV at a constant altitude for the sake of demonstration, i.e., $l_z(t) = 50 \text{ m}$ for all t , such that the mobility control is operated in a two-dimension plane. We remark that a similar simulation scenario has also been adopted in the recent literature such as [16], [42], [46], since it is reasonable enough to observe the performance variation of the UAV-assisted network in such simulation scenario. Following [46], the number of the base stations on the ground is set to 4. In addition, the initial and the terminal kinematic states of the UAV are specified as $\mathbf{s}_0 = [0, 0, 50, 1, 1, 0]^T$ and $\mathbf{s}_f = [400, 0, 50, 0, 1, 0]^T$, respectively. The application data volume is 30 Mbit, and the time horizon for A2G data transmissions is limited within $[0, 30] \text{ s}$. The time slot is set to $\Delta\tau = 0.5 \text{ s}$ such that the available slot number is $T = 60$. According to the 3GPP Release-15 study on the enhanced LTE technology for UAVs [53], a carrier frequency of 2 GHz with 10 MHz bandwidth can be adopted for low-altitude UAVs in urban crowded areas. The same bandwidth setting is also adopted in the simulation study of the recent literature such as [54]. Without special statement, we use the parameters summarized in Table 1 throughout our simulation experiments.

5.2 Algorithm Validation

Figs. 2 and 3 show the convergence of our proposed algorithm under different ϵ . As can be seen from Fig. 2, the optimization objective function can converge after about 100 iterations. Fig. 3 shows that the first-order measure of the Lagrangian function arrives at a near-zero level finally. These results indicate that the algorithm converges to a local

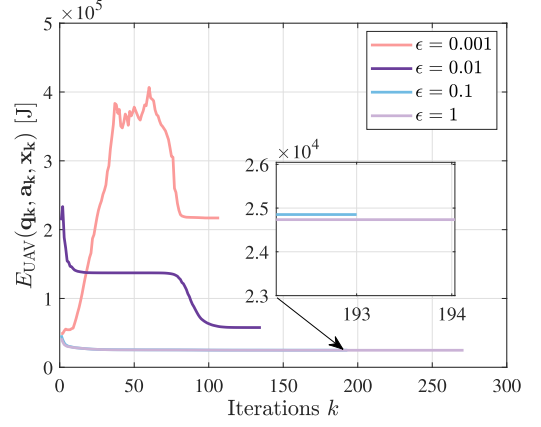


Fig. 2. The convergence of the objective function.

optimum. Fig. 4 shows the optimal trajectories with different ϵ . It is found that a smaller ϵ leads to a trajectory closer to the base stations. The underlying reason is that reducing ϵ results in a much higher requirement on the transmission reliability and that the UAV needs to reduce the transmission distance to satisfy the reliability requirement. Fig. 5 shows the energy consumption and the transmission reliability. We can see that increasing ϵ reduces the transmission reliability since the UAV tends to follow a straight trajectory when the reliability restriction becomes lower. In this way, the energy consumption related to the UAV motion is reduced.

In Fig. 6, we compare the optimal trajectories under different ϵ in a more complicated scenario to further validate our algorithm. In this complicated scenario, we consider that there exist eight base stations that are distributed within a $400 \text{ m} \times 400 \text{ m}$ region irregularly. A similar result can also be observed that reducing ϵ can drive the UAV to fly closer to the base stations. This is because the UAV with a smaller ϵ needs to satisfy a higher A2G transmission reliability. The ϵ -reliability constraint can be met by reducing its relative distance to the base stations. Fig. 7 shows the convergence of the energy consumption function in this complicated scenario. It is seen that the objective function is decreasing and converges to a stationary point after about

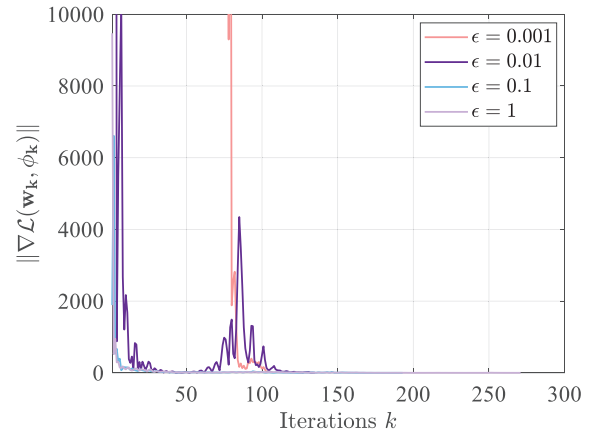


Fig. 3. The convergence of the first-order measure of the Lagrangian function.

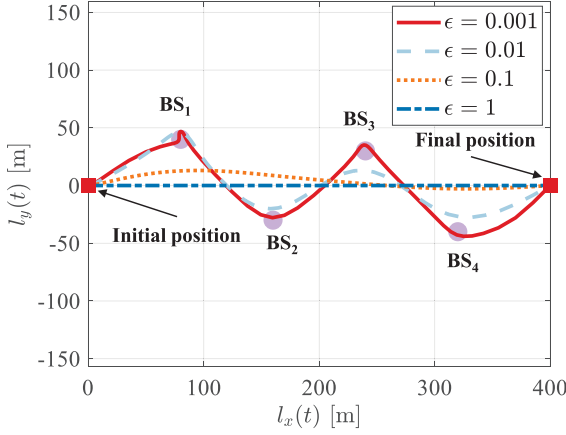
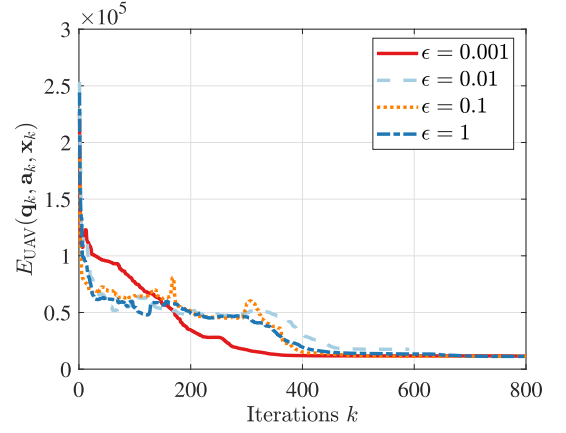

 Fig. 4. The optimal trajectories under different ϵ .


Fig. 7. The convergence of the objective function in a scenario where more base stations are considered.

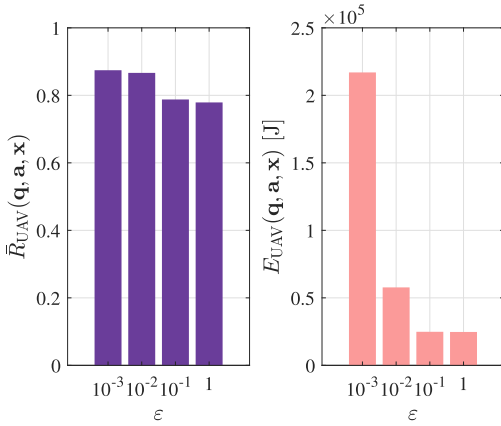
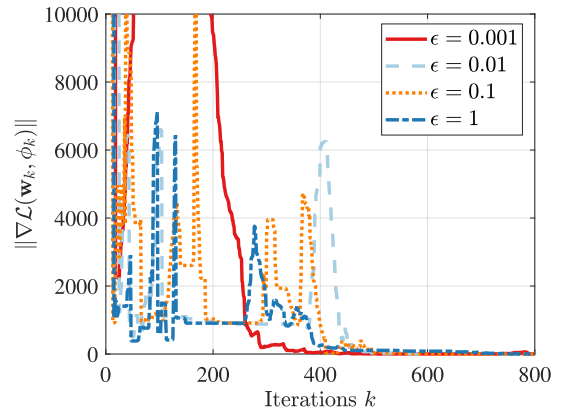

 Fig. 5. The bi-objective performance under different ϵ .


Fig. 8. The convergence of the first-order measure of the Lagrangian function in a scenario where more base stations are considered.

decrease the energy consumption and guarantee the convergence to a local optimum.

5.3 Performance Comparison

We further compare our joint optimization method (marked by “JOM”) with several other conventional methods, including an averaged data transmission method (“ADT”), a max-power ADT method (“MAT”) and a max-power joint optimization method (“MPT”). ADT uniformly allocates the transmission data over all the time slots and jointly optimizes the mobility and the transmission power of the UAV. MAT is similar to ADT but uses the maximum transmission power for data transmissions. MPT also employs the maximum power while jointly optimizing the UAV mobility and the data allocation. Additionally, we follow the existing work [46] to adopt the simulation scenario as in Fig. 4 for performance comparison.

5.3.1 Effect of Flight Height

In Fig. 9, we first compare the energy consumption of different methods under different flight heights when the UAV meets the A2G transmission reliability constraint. The UAV data to be offloaded is set to 30 Mb and the mission completion time is given as 30 s. We also configure $\epsilon = 5 \times 10^{-2}$ for the ϵ -constraint on the A2G transmission reliability. We can find that the other methods, ADT, MAT and MPT, achieve

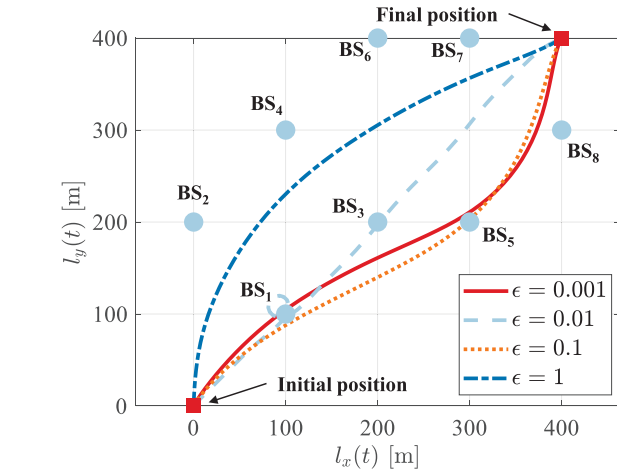


Fig. 6. The optimal trajectories in a scenario where more base stations are considered.

600 iterations. To examine the local optimality of the stationary point the objective function arrives at, we illustrate the first-order measure of the corresponding Lagrangian function in Fig. 8. It is observed that the first-order measure of the Lagrangian function converges to zero after about 600 iterations. Hence, the algorithm has obtained a local optimal point that satisfies the KKT conditions. Combining the above figures we can see that the proposed algorithm can

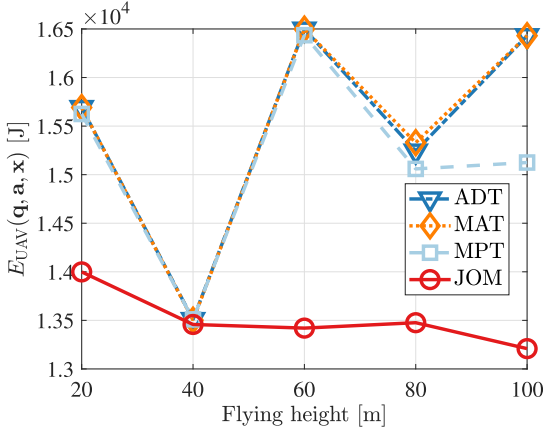


Fig. 9. The performance comparison under different flight heights.

the similar energy efficiency. Our joint optimization, JOM, has the lowest energy consumption on average, which is about 1.3512×10^4 J. By comparison, our method can reduce the energy consumption by about 12.1% on average when compared to the others. Besides, from Fig. 9, it is seen that the energy consumption of our joint optimization method is less sensitive to the variation of the flight height when compared to the other methods. The reason is that the data transmission scheduling of our method can adapt to the variation of the A2G transmission distance incurred by changing the flight height.

5.3.2 Effect of Data Load and Mission Completion Time

Furthermore, we also examine the effects of the data load and the mission completion time on the performance of different methods. We fix the mission completion time of the UAV, i.e., the allowable time horizon for computation offloading, at 30 s, and vary the data volume of the application to be offloaded. The flight height of the UAV is fixed at 50 m. ϵ is set to $\epsilon = 5 \times 10^{-2}$ for the ϵ -constraint reliability condition. In Fig. 10, the energy consumption of different methods is compared under different data loads. It is seen that increasing the volume of application data to be offloaded leads to higher energy consumption. Nevertheless, our proposed method can achieve the best energy saving. When compared to ADT, MAT, and MPT, JOM reduces the energy consumption by about 33.71%, 33.14%, and 17.58% on average, respectively.

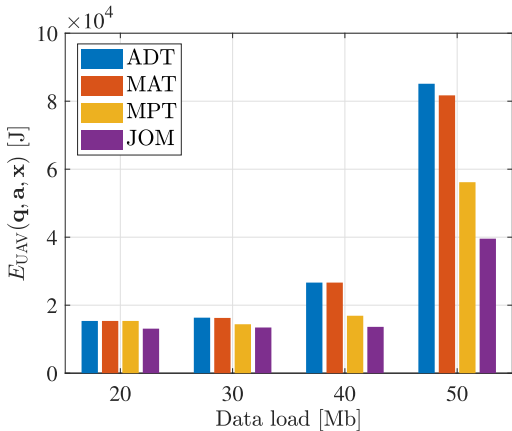


Fig. 10. The performance comparison under different data loads.

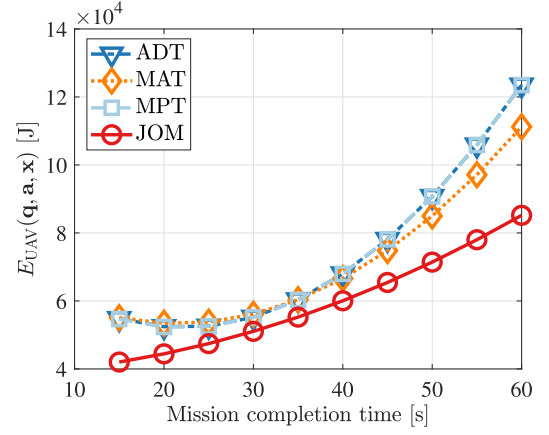


Fig. 11. The performance comparison under different mission completion times.

Next, we vary the mission completion time of the UAV while setting the data load to 30 Mb. We configure the parameter ϵ as $\epsilon = 1 \times 10^{-2}$ to increase the reliability restriction. Fig. 11 illustrates the energy consumption of these methods under different mission completion times. We can find that more energy will be consumed with increased mission time. This is logical since the UAV needs to consume more energy when the flight duration becomes longer. Interestingly, when compared the results of Fig. 11 with those of Fig. 10, it is observed that the energy consumption of the comparative methods in Fig. 11 is higher than that in Fig. 10. The main reason is that all the comparative methods need to meet higher A2G transmission reliability when the ϵ -constraint on the reliability is configured with a much smaller ϵ , i.e., $\epsilon = 1 \times 10^{-2}$ in Fig. 11 while $\epsilon = 5 \times 10^{-2}$ in Fig. 10. Additionally, from Fig. 11, our method can still outperform the other methods under different mission completion times. Specifically, it provides an average decrease of about 17.97% in the total energy consumption under the same transmission reliability condition as that of the other methods.

5.3.3 Effect of Path Loss Exponent

To examine the effect of the path loss exponent, we set the flight height to 50 m and $\epsilon = 1 \times 10^{-2}$ as in Fig. 11. The volume of application data to be offloaded is given as 30 Mb and the mission completion time is 30 s. Fig. 12 compares

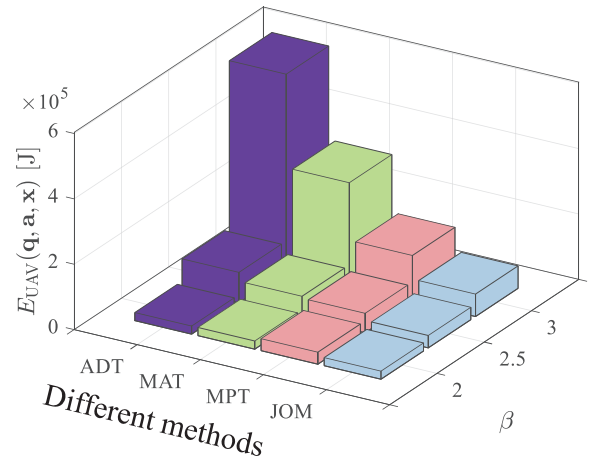


Fig. 12. The performance comparison under different path loss exponents.

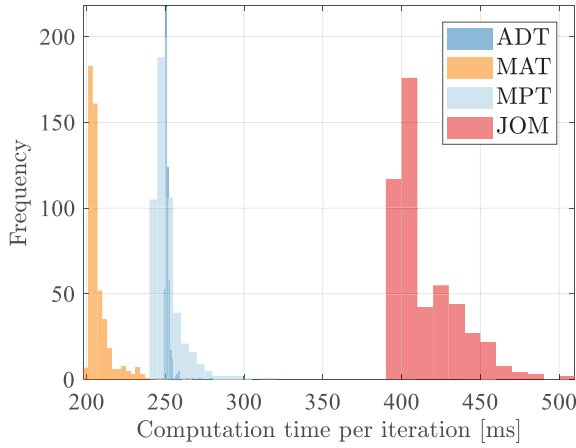


Fig. 13. The comparison of computation time.

the performance of different methods under different path loss exponents. It is also observed that our method can achieve the lowest energy consumption among the comparative methods. Compared to the others, JOM provides a significant decrease of about 43.37% in energy consumption on average meanwhile satisfying the transmission reliability requirement. The main reason is that the proposed optimization method can utilize the energy more efficiently by optimizing the UAV mobility, transmission power, and data allocation simultaneously. The other methods, e.g., ADT and MAT, do not schedule the data transmissions of the UAV adaptively according to the mobility.

5.3.4 Comparison of Computation Time

To analyze the computation efficiency of different methods, we further conduct Monte Carlo simulations. To be specific, Monte Carlo simulations of each method have been carried out with 500 replications under the condition that the data load is set to 30 Mb, the mission completion time is 30 s, and the flight height is fixed at 50 m. The distribution of computation time per iteration during the Monte Carlo simulation of different optimization methods is illustrated in Fig. 13. The average computation time per optimization iteration of different methods and the corresponding standard deviation are summarized in Table 2. By comparison, we can see that the proposed joint optimization method, JOM, takes on average 415.2 ms for each iteration execution, which is higher than that of the other methods. This result is logical and expected since the computational complexity of the proposed joint optimization is higher than that of the other methods. Recalling the problem model (21) and the analysis in Section 4.4, the computational complexity of the algorithm relies on the dimension of the decision variables and

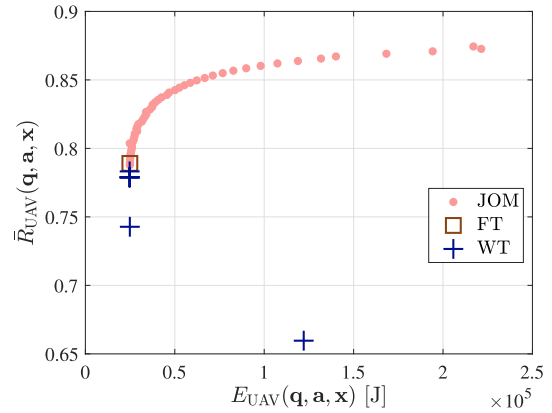


Fig. 14. The performance comparison under different methods.

the state variables, n_{var} and n_{state} . On one side, the dimension of the state variables involved in the comparative methods is identical. On the other side, the proposed joint optimization method needs to jointly search for the optimal transmission power \mathbf{q} , the optimal acceleration control \mathbf{a} , and the optimal data transmission scheduling strategy \mathbf{x} . The overall dimension of the decision variables, n_{var} , is higher than that of the others that only optimize partial decision variables. For example, MAT only aims at optimizing the mobility of the UAV while the transmission power and the data transmission strategy are fixed. Thus, MAT has the lowest computation time on average. However, it is noted from the recent literature (e.g., References [1], [2], [3], [10], [11], [14], [16], [17], [46], [54]) that the joint optimization can be operated off-line and thus the average computation time in the order of several seconds to several hundreds of seconds is allowable in actual application scenarios.⁴ At this point, the joint optimization method is applicable and, even at the price of a bit higher computation time, provides higher energy utilization under the A2G transmission reliability guarantee when compared to ADT, MAT, and MPT.

5.3.5 Trade-Off Between Energy Consumption and Transmission Reliability

To further illustrate the advantage of our method, we compare JOM with other optimization methods that exploit different strategies to transform the multiple objective functions into a single objective [48]. One comparative method is the weighting method (marked by “WT”) that aims at optimizing the weighted sum of two objectives, $\omega \times E_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x}) + (1 - \omega) \times (-\bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x}))$ with ω ranging from 10^{-4} to 0.9, while the other (marked by “FT”) lumps the objectives into a single fractional form as the

4. For instance, in C. Shen et al.’s work [54], they also exploit the convex optimization technique, successive convex approximation (SCA), to jointly optimize the trajectory and transmission power of the UAV with the goal of maximizing the average sum rate of a UAV-assisted A2G network. It is reported that the average computation time of their algorithm ranges from several seconds to more than one thousand seconds (see Table 1 of [54]). In some other works such as [55] and [56], a two-stage optimization approach is widely adopted in which the time-consuming optimization is executed in an off-line stage while the low-complexity computation is in an on-line stage. As reported in [56], the two-stage optimization approach can take on average 687.9 s to find the optimal route of a UAV.

TABLE 2

The Mean and Standard Deviation of Computation Time per Iteration of Different Optimization Methods

Methods	Avg. Time [ms]	Sth. Time [ms]
ADT	251.5	2.8
MAT	207.5	8.1
MPT	251.5	9.8
JOM	415.2	20.4

optimization objective, $E_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x})/\bar{R}_{\text{UAV}}(\mathbf{q}, \mathbf{a}, \mathbf{x})$. We vary the parameter ϵ from 10^{-3} to 10^{-1} and obtain the Pareto frontier by the proposed method. Fig. 14 compares the different results. It is observed that the proposed method allows us to identify non-dominated points and the UAV is more likely to consume more energy when reaching higher transmission reliability. Our method achieves higher transmission reliability with almost the same energy consumption as that of WT and FT methods. Specifically, compared to WT and FT under the same energy consumption, our method can improve the transmission reliability by about 7.53% on average.

6 CONCLUSION AND FUTURE WORK

In this paper, we have investigated a UAV-assisted A2G communication network with the goal to reduce the mobility and communication energy consumption of the UAV while guaranteeing transmission reliability. We develop a bi-level optimization model for jointly controlling the acceleration and the transmission power of the UAV and scheduling the data transmissions. We have derived a closed-form expression for the transmission reliability and proposed an efficient iterative optimization algorithm to solve the problem. We have also performed simulations and validated the proposed algorithm. The empirical evaluation has shown that the proposed joint optimization method can significantly reduce the energy consumption meanwhile guaranteeing the A2G transmission reliability. In the future work, we will consider multi-UAV kinematics and extend the proposed optimization method to the joint optimization of multi-UAV control and communication. In this direction, a multi-UAV swarm mobility model will be described by using a multiple-input-multiple-output (MIMO) state-space model, which is further incorporated into our ϵ -constraint optimization framework. Besides, we will also take into account different channel models characterizing different channel fading characteristics, including both large-scale and small-scale fading. We also expect to extend the A2G transmission reliability model to incorporate the stochastic characteristics of both non-line-of-sight and line-of-sight channel fading in a more complicated environment.

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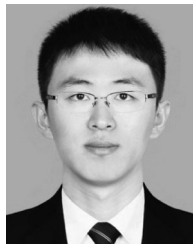


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