

INSTITUTE OF INFORMATION TECHNOLOGY JAHANGIRNAGAR UNIVERSITY

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Course Tittle : Digital Signal Processing

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Question: Explain image shampening in digital image Processing. It the Image Stripping is 55 4321000, 60000131000077777.... Find the 1st and 2nd derivatives and the gray level Profile.

Avower: Image sharpening is a technique in digital image Processing that enhancess the edges and details of an image. It is done by increasing the Contrast between neighboring Pixels which makes the edges appear sharper and more defined. Sharpening Can be done using a varniety of methods.

High-pass tiltens: This filters amplify the hightrequency components of an image.

Unshanp masking: This method involves blunning the original image and them subtracting the bluned image from the original image.

Local adapting shampening: This method applies shampening to different Pants of the Image depending on the local contrast.

Advantage:

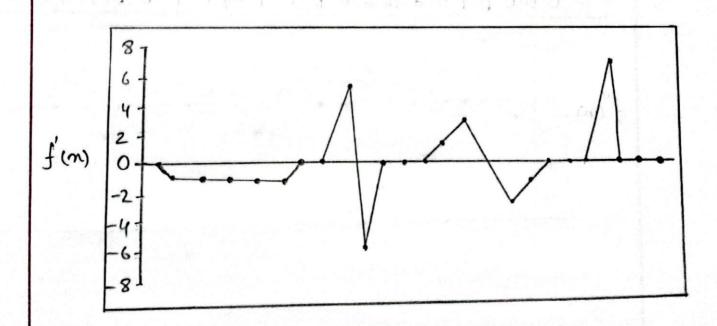
- 1. Improves the visual quality and cleanity of image.
- 2. Makes edges and details more visible and defined.
- 3. Can help to nestone some of the information that was lost on distorted.
- 4. Can be used to enhance the perception of depth, textune and dimensionality of image.
- 5. Can be used to make images looks more realistic or appealing.

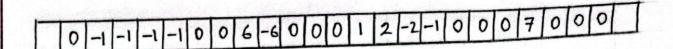
Image strip:

1st Derivative

The formula for the 1st derivative of a function is as follows

$$\frac{\partial f}{\partial n} = f(n+1) - f(n)$$

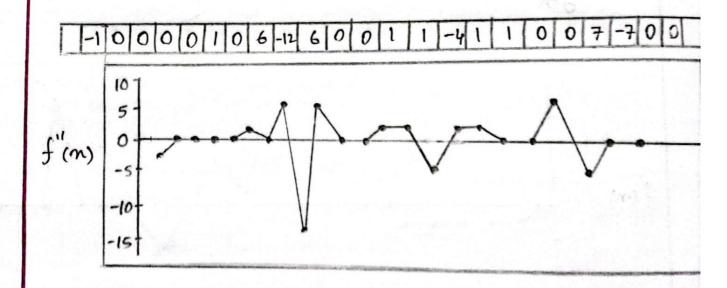




2nd derivative

The formula for the 2nd derrivative of a function is as follows.

$$\frac{\delta^{2}f}{\delta n^{2}} = f(n+1) + f(n-1) - 2f(n)$$



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Question: Design the Symmetric FIR low Pan tilter whose Ha(w) = e-just, Iw) < we and Ha(w) = 0 otherwise M=7 and We=1. What will happen if the nectangular window is used.

Gairon that,

$$Hd(w) = \begin{cases} e^{-Jwt} & |w| \le we \text{ with } M=7 \\ 0 & \text{otherwise} \end{cases}$$
We = 1 ned/see

$$h_{d}(m) = \frac{1}{2\pi} \int_{-\pi}^{\pi} H_{d}(\omega) e^{j\omega m} d\omega, \quad (i)$$

$$= \frac{1}{2\pi} \int_{-\pi}^{\pi} e^{j\omega n} d\omega$$

$$= \frac{1}{2\pi} \int_{-\pi}^{\pi} e^{j\omega (n-t)} d\omega$$

$$= \frac{1}{2\pi} \left[\frac{e^{j\omega (n-t)}}{j(n-t)} \right]$$

$$= \frac{1}{2\pi} \left[\frac{e^{j(n-t)}}{j(n-t)} - e^{j(n-t)} \right]$$

$$= \frac{1}{2\pi} \left[\frac{e^{j(n-t)}}{j(n-t)} - e^{j(n-t)} \right]$$

$$= \frac{1}{\pi(n-t)} \left[\frac{e^{j(n-t)} - j(n-t)}{-e} \right]$$

$$= \frac{\sin(n-t)}{\pi(n-t)} \quad n \neq t$$

If
$$n=t$$

$$hd(n) = \frac{1}{2\pi} \int_{-1}^{1} 1 d\omega$$

$$= \frac{1}{\pi}$$

$$\therefore h_{d}(n) = \begin{cases} \frac{\sin(n-t)}{\pi(n-t)}, & n \neq t \\ \frac{\pi}{\pi} \end{cases}$$

$$n = t$$

determine the Value of & h(m) = h (M-1-n)

$$h(m) = h(M-1-n)$$

$$\Rightarrow$$
 h(m) = h_d(m). W(m)

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$$\Rightarrow \frac{-\sin(n-t)}{-\pi(n-t)} = \frac{\sin(m-1-n-t)}{\pi(m-1-n-t)}$$

$$\Rightarrow \frac{\sin(-(n-t))}{\pi(-(n-t))} = \frac{\sin(M-1-n-t)}{\pi(M-1-n-t)}$$

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$$h_{d}(n) = \begin{cases} \frac{m-1}{2} & \sin\left(n - \frac{m-1}{2}\right) \\ \frac{\pi}{\pi} \left(n - \frac{m-1}{2}\right) & n \neq \frac{m-1}{2} \end{cases}$$

$$h_{d}(n) = \begin{cases} \frac{m-1}{2} & n = \frac{m-1}{2} \end{cases}$$

Since M=7
$$\frac{\sin (n-3)}{\pi (n-3)} \quad n \neq 3$$

$$h_{d}(n) = \begin{cases} \frac{1}{\pi (n-3)} & n \neq 3 \\ \frac{1}{\pi (n-3)} & n = 3 \end{cases}$$

Now,

$$n=1$$
, $h_d(1) = 0.14472$

$$n=2$$
, $hd(2)=0.26786$

$$n=3$$
, $hd(3) = \frac{1}{4}$

$$n=4$$
, $hd(4)=0.26786$

$$n=6$$
, $ha(6)=0.01497$

$$h(n) = hd(n) \cdot W(n)$$

$$W(n) = \begin{cases} 1 & 0 \le n \le 6 \\ 0 & \text{otherwise} \end{cases}$$

$$h(n) = shd(n)$$
; $0 \le n \le 6$
 0 ; otherwise

$$h(2) = 0.26786$$

$$h(4) = 0.26786$$

auestion: airon low Pass Protype Hp(s) = 1 Determine each of the following analog filters and Plot their magnitude response from 0 to 200 pad/sec.

Annuen: (i) A HPF with We=40 rad/see

(1) ABPF with We = 100 nad/see of Bw 20 nad/sa

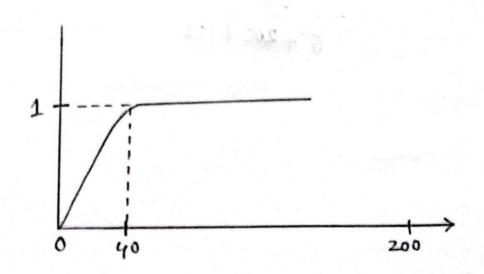
Answer:

1 High Pass filter

$$Hpp(S) = \frac{1}{S+1} \qquad \int S = \frac{we}{S} = \frac{40}{S}$$

$$= \frac{1}{\frac{40+1}{S}}$$

$$= \frac{5}{5+40}$$



(ii) Band Pass Filter

$$W_0 = \sqrt{W_L + W_n}$$

$$= \sqrt{W_0}$$

$$H_{p}(s) = \frac{1}{s+1}$$

$$H_{p}(s) = \frac{1}{s+1}$$

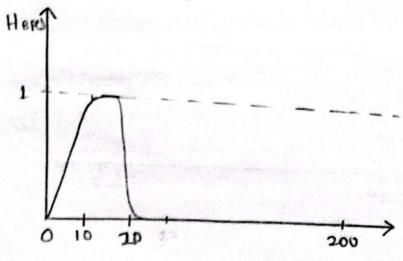
$$H_{p}(s) = \frac{1}{s+1}$$

$$= \frac{s+100}{520}$$

$$= \frac{s+100}{520}$$

$$S = \frac{5 + 40}{50}$$
$$= \frac{5 + 400}{520}$$

$$= \frac{203}{5^{4} + 203 + 100}$$



Question: write down all Properties of the Linear Time Invarient System.

Answer: Here are some Properties of linear Time-Invanient System.

1. Commutative:

$$\chi(t) * h(t) = h(t) * \chi(t)$$

$$\int_{-\infty}^{\infty} \chi(\tau) h(t-\tau) d\tau = \int_{-\infty}^{\infty} \chi(t-\tau) h(t) d\tau$$

2. Distributive:

4. Convolution with unit impulce

$$\chi(t) * \xi(t) = \chi(t)$$

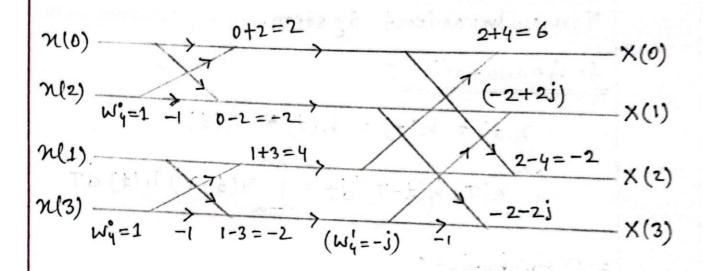
5. Invension:

$$h_1(t) * h_2(t) = d(t)$$

 $h_1[n] * h_2[n] = d[n]$

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Question: Find 4-Point DFT of n(n) = {0.1,2,3}



$$(X(K) = \{6, -2+2i, -2, -2-2i\}$$

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Wib = Indon + West