

HOMEWORK 6 (PROLOG)

CS 381, Spring 2019

JUNE 16, 2019

PREPARED BY

ADAM STEWART (*stewaada*)

ANISH ASRANI (*asrania*)

LUCAS FREY (*freyl*)

MAZEN ALOTAIBI (*alotaima*)

SERGEI POLIAKOV (*poliakos*)

CONTENTS

1	Exercise 1. Database Application	2
1.1	Define a predicate <code>schedule/3</code> that gives for a student the classrooms and times of his or her taken classes, that is, if you evaluate the goal <code>schedule(mary,P,T)</code> , Prolog should give the following result.	2
1.2	Define a predicate <code>usage/2</code> that gives for a classroom all the times it is used. For example, the goal <code>usage(cov216,T)</code> should yield the following result.	2
1.3	Define a predicate <code>conflict/2</code> that can compute conflicts in the assignment of classes to classrooms. A conflict exists if two different classes are assigned to one classroom for the same time. The arguments of the conflict predicate are two class names. You can use the goal <code>conflict(275,X)</code> (or <code>conflict(X,275)</code>) to find out any classes that are in conflict with the class 275.	2
1.4	Define a predicate <code>meet/2</code> that can determine pairs of students that can meet in a classroom by either attending the same class or by having classes that are back to back in one classroom. The last condition means that a student Jim can meet any student who has a class that is in the same classroom and immediately follows Jims class. (Note that your definition of <code>meet</code> doesnt have to be symmetric, that is, if students A and B can meet, then your implementation has to return Yes for <code>meet(A,B)</code> or <code>meet(B,A)</code> , but not necessarily for both calls. You can ignore the case when students are enrolled in conflicting classes.)	2
2	Exercise 2. List Predicates and Arithmetic	2
2.1	Define a Prolog predicate <code>rdup(L,M)</code> to remove duplicates from an ordered list L. The resulting list should be bound to M. Note that M must contain each element of L exactly once and in the same order as in L. You can assume that L is an ordered list.	2
2.2	Define a Prolog predicate <code>flat(L,F)</code> that binds to F the flat list of all elements in L (where L can be a possibly nested list). For example, <code>flat([a,b,[c,d],[[e]],f],L)</code> yields <code>L = [a,b,c,d,e,f]</code>	3
2.3	Define a Prolog predicate <code>project/3</code> that selects elements from a list by their position and collects them in a result list. For example, the goal <code>project([2,4,5],[a,b,c,d],L)</code> should produce the answer <code>L=[b,d]</code> . You can assume that the numbers in the first list are strictly increasing, that is, your implementation does not have to care about situations like <code>project([1,1,2],...)</code> or <code>project([2,4,3],...)</code> . . .	3

1 EXERCISE 1. DATABASE APPLICATION

1.1 Define a predicate `schedule/3` that gives for a student the classrooms and times of his or her taken classes, that is, if you evaluate the goal `schedule(mary,P,T)`, Prolog should give the following result.

```
1 schedule(A,B,C) :- enroll(A, Z), where(Z, B), when(Z, C).
```

1.2 Define a predicate `usage/2` that gives for a classroom all the times it is used. For example, the goal `usage(cov216,T)` should yield the following result.

```
1 usage(A,B) :- where(Z, A), when(Z, B).
```

1.3 Define a predicate `conflict/2` that can compute conflicts in the assignment of classes to classrooms. A conflict exists if two different classes are assigned to one classroom for the same time. The arguments of the conflict predicate are two class names. You can use the goal `conflict(275,X)` (or `conflict(X,275)`) to find out any classes that are in conflict with the class 275.

```
1 conflict(A,B) :- when(A, Z), when(B, Z), A\==B.
```

1.4 Define a predicate `meet/2` that can determine pairs of students that can meet in a classroom by either attending the same class or by having classes that are back to back in one classroom. The last condition means that a student Jim can meet any student who has a class that is in the same classroom and immediately follows Jims class. (Note that your definition of `meet` doesnt have to be symmetric, that is, if students A and B can meet, then your implementation has to return Yes for `meet(A,B)` or `meet(B,A)`, but not necessarily for both calls. You can ignore the case when students are enrolled in conflicting classes.)

```
1 meet(A,B) :- enroll(A,X), enroll(B,X), A\==B.
2 meet(A,B) :- enroll(A,X), enroll(B,Y), when(X,Z), ZA is Z+1, when(Y, ZA), where(X, W),
   where(Y, W), A\==B.
3 meet(A,B) :- enroll(A,X), enroll(B,Y), when(Y,Z), ZA is Z+1, when(X, ZA), where(X, W),
   where(Y, W), A\==B.
```

2 EXERCISE 2. LIST PREDICATES AND ARITHMETIC

2.1 Define a Prolog predicate `rdup(L,M)` to remove duplicates from an ordered list L. The resulting list should be bound to M. Note that M must contain each element of L exactly once and in the same order as in L. You can assume that L is an ordered list.

```
1 rdup([X], [M]) :- X = M.
2 rdup([X,Y|Z], [A|B]) :- X \== Y, X = A, rdup([Y|Z], B).
3 rdup([X,Y|Z], M) :- X == Y, rdup([Y|Z], M).
```

2.2 Define a Prolog predicate flat(L,F) that binds to F the flat list of all elements in L (where L can be a possibly nested list). For example, flat([a,b,[c,d],[[],[[[e]]],f],L) yields L = [a,b,c,d,e,f].

```
1 flat([X], [L]) :- not(is_list(X)), L = X.
2 flat([X], [L]) :- is_list(X), flat(X, [L]).
3 flat([X|Y], [A|B]) :- not(is_list(X)), A = X, flat(Y, B).
4 flat([X|Y], L) :- is_list(X), append(Y, X, Z), flat(Z, L).
```

2.3 Define a Prolog predicate project/3 that selects elements from a list by their position and collects them in a result list. For example, the goal project([2,4,5],[a,b,c,d],L) should produce the answer L=[b,d]. You can assume that the numbers in the first list are strictly increasing, that is, your implementation does not have to care about situations like project([1,1,2],...) or project([2,4,3],...).

```
1 project(1, [X|_], L) :- L = X.
2 project(P, [_|Y], L) :- integer(P), P > 1, NEXTP is P-1, Y \= [], project(NEXTP, Y, L).
3 project([P|_], B, []) :- integer(P), length(B, Q), Q < P.
4 project([P|[]], B, [L]) :- project(P, B, L).
5 project([P|[Pn|_]], B, [N]) :- integer(P), integer(Pn), length(B, Q), Q < Pn, project(P, B, N).
6 project([P|[Pn|X]], B, [N|L]) :- integer(P), length(B, Q), Q >= P, integer(Pn), Q >= Pn, project(P, B, N), project([Pn|X], B, L).
```