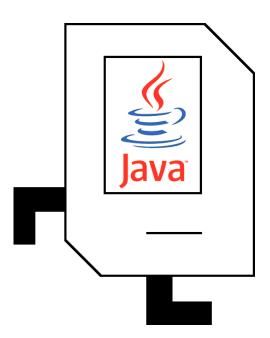
KAREL THE ROBOT



LEARNS JAVA

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Chapter 1 Introducing Karel the Robot



In the 1970s, a Stanford graduate student named Rich Pattis decided that it would be easier to teach the fundamentals of programming if students could somehow learn the basic ideas in a simple environment free from the complexities that characterize most programming languages. Drawing inspiration from the success of Seymour Papert's LOGO project at MIT, Rich designed an introductory programming environment in which students teach a robot to solve simple problems. That robot was named **Karel**, after the Czech playwright Karel Čapek, whose 1923 play *R.U.R.* (*Rossum's Universal Robots*) gave the word *robot* to the English language.

Karel the Robot was quite a success. Karel was used in introductory computer science courses all across the country, to the point that Rich's textbook sold well over 100,000 copies. Many generations of CS106A students learned how programming works by putting Karel through its paces. But nothing lasts forever. In the middle of the 1990s, the simulator we had been using for Karel the Robot stopped working. We were, however, soon able to get a version of Karel up and running in the Thetis interpreter we were using at the time. But then, a year ago, CS106A switched to Java, and Karel again vanished from the scene. For the last three quarters, the hole in the curriculum left by Karel's departure has been competently filled by Nick Parlante's Binky world, but it seems about time to bring Karel back. The new implementation of Karel is designed to be compatible with both Java and the Eclipse programming environment, which means that you'll get to practice using the Eclipse editor and debugger from the very beginning of the course.

What is Karel?

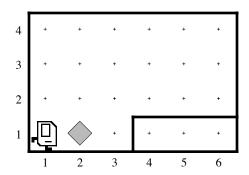
Karel is a very simple robot living in a very simple world. By giving Karel a set of commands, you can direct it to perform certain tasks within its world. The process of specifying those commands is called **programming**. Initially, Karel understands only a very small number of predefined commands, but an important part of the programming process is teaching Karel new commands that extend its capabilities.

When you program Karel to perform a task, you must write out the necessary commands in a very precise way so that the robot can correctly interpret what you have told it to do. In particular, the programs you write must obey a set of **syntactic rules** that define what commands and language forms are legal. Taken together, the predefined commands and syntactic rules define the Karel **programming language**. The Karel programming language is designed to be as similar as possible to Java so as to ease the transition to the language you will be using all quarter. Karel programs have much the same structure and involve the same fundamental elements as Java programs do. The critical difference is that Karel's programming language is extremely small, in the sense that it has very few commands and rules. It is easy, for example, to teach the entire Karel language in just a couple of hours, which is precisely what we do in CS106A. At the end of that time, you will know everything that Karel can do and how to specify those actions in a program. The details are easy to master. Even so, you will discover that solving a problem can be extremely challenging. Problem solving is the essence of programming; the rules are just a minor concern along the way.

In sophisticated languages like Java, there are so many details that learning these details often becomes the focus of the course. When that happens, the much more critical issues of problem solving tend to get lost in the shuffle. By starting with Karel, you can concentrate on solving problems from the very beginning. And because Karel encourages imagination and creativity, you can have quite a lot of fun along the way.

Karel's world

Karel's world is defined by **streets** running horizontally (east-west) and **avenues** running vertically (north-south). The intersection of a street and an avenue is called a **corner**. Karel can only be positioned on corners and must be facing one of the four standard compass directions (north, south, east, west). A sample Karel world is shown below. Here Karel is located at the corner of 1st Street and 1st Avenue, facing east.



Several other components of Karel's world can be seen in this example. The object in front of Karel is a **beeper**. As described in Rich Pattis's book, beepers are "plastic cones which emit a quiet beeping noise." Karel can only detect a beeper if it is on the same corner. The solid lines in the diagram are **walls**. Walls serve as barriers within Karel's world. Karel cannot walk through walls and must instead go around them. Karel's world is always bounded by walls along the edges, but the world may have different dimensions depending on the specific problem Karel needs to solve.

What can Karel do?

When Karel is shipped from the factory, it responds to a very small set of commands:

Asks Karel to move forward one block. Karel cannot respond to a move() command if there is a wall blocking its way.

turnLeft() Asks Karel to rotate 90 degrees to the left (counterclockwise).

pickBeeper() Asks Karel to pick up one beeper from a corner and stores the beeper in its beeper bag, which can hold an infinite number of beepers. Karel cannot respond to a pickBeeper() command unless there is a beeper

on the current corner.

Asks Karel to take a beeper from its beeper bag and put it down on the current corner. Karel cannot respond to a putBeeper() command unless there are beepers in its beeper bag.

The empty pair of parentheses that appears in each of these commands is part of the common syntax shared by Karel and Java and is used to specify the invocation of the command. Eventually, the programs you write will include additional information in the space between the parentheses, but such information is not part of the Karel's primitive world. These parentheses will therefore be empty in standard Karel programs, but you must remember to include them nonetheless.

It is also important to recognize that several of these commands place restrictions on Karel's activities. If Karel tries to do something illegal, such as moving through a wall or picking up a nonexistent beeper, an **error condition** occurs. At this point, Karel displays an error message and does not execute any remaining commands.

Karel's commands, however, cannot be executed on their own. Before Karel can respond to any of these commands, you need to incorporate them into a Karel program.

You will have a chance to see a few simple Karel programs in Chapter 2, but before doing so, it is useful to make a few general remarks about the programming philosophy that underlies this particular implementation of the Karel programming language.

Karel and the object-oriented paradigm

When Karel was introduced in the 1970s, the prevailing approach to writing computer programs was the **procedural paradigm.** To a large extent, procedural programming is the process of decomposing a large programming problem into smaller, more manageable units called **procedures** that define the necessary operations. Although the strategy of breaking programs down into smaller units remains a vital part of any style of programming, modern languages like Java emphasize a different approach called the **object-oriented paradigm.** In object-oriented programming, the programmer's attention shifts away from the procedural specification of operations and focuses instead on modeling the behavior of conceptually integrated units called **objects.** Objects in a programming language sometimes correspond to physical objects in the real world, but just as often represent more abstract concepts. The central feature of any object—real or abstract—is that it must make sense as a unified whole.

One of the primary advantages of the object-oriented paradigm is that it encourages programmers to recognize the fundamental relationship between the state of an object and its behavior. The **state** of an object consists of a set of attributes that pertain to that object and might change over time. For example, an object might be characterized by its location in space, its color, its name, and a host of other properties. The **behavior** of an object refers to the ways in which that object responds to events in its world or commands from other objects. In the language of object-oriented programming, the generic word for anything that triggers a particular behavior in an object is called a **message** (although it generally seems clearer to use the word **command** in the context of Karel). The response to a message typically involves changing the state of an object. For example, if one of the properties defining the state of an object is its color, then it would presumably respond to a **setColor(BLUE)** message by changing its color to blue.

In many ways, Karel represents an ideal environment for illustrating the objectoriented approach. Although no one has actually built a mechanical implementation of
Karel, it is nonetheless easy to imagine Karel as a real-world object. Karel is, after all, a
robot, and robots are real-world entities. The properties that define Karel's state are its
location in the world, the direction it is facing, and the number of beepers in its beeper
bag. Karel's behavior is defined by the commands to which it responds: move(),
turnLeft(), pickBeeper(), and putBeeper(). The move() command changes Karel's
location, turnLeft() changes its direction, and the remaining two affect both the number
of beepers in Karel's bag and the number of beepers on the current corner.

The Karel environment also provides a useful framework for defining one of the central concepts of object-oriented programming. In both Karel and Java, it is essential to differentiate the notion of an *object* from that of a *class*. The easiest way to understand the distinction is to think about a **class** as a pattern or template for **objects** that share a common behavior and collection of state attributes. As you will see in the next chapter, the word **karel** in a Karel program represents the entire class of robots that know how to respond to the **move()**, **turnleft()**, **pickBeeper()**, and **putBeeper()** commands. Whenever you have an actual robot in the world, that robot is an object that represents a specific **instance** of the **karel** class. Although you won't have occasion to do so in CS 106A, it is possible to have more than one instance of the **karel** class running in the same world. Even when there is only a single robot, however, it is important to remember that *object* and *class* are different concepts and to keep those ideas straight in your mind.

The importance of practical experience

Programming is very much a learn-by-doing activity. As you will continually discover in your study of computer science, reading about some programming concept is not the same thing as using that concept in a program. Things that seem very clear on the page can be difficult to put into practice.

Given the fact that writing programs on your own and getting them to run on the computer are essential to learning about programming, it may seem surprising to discover that this book does not include much discussion of the hands-on aspects of using Karel on your computer. The reason for that omission is that the steps you need to run a Karel program depend on the environment you're using. Running Karel programs on a Macintosh is somewhat different from running it under Windows. Even though the programming environment you use has a great deal of influence on the nitty-gritty details you need to run programs, it has no influence whatsoever on the general concepts. This book describes the general concepts; the details pertinent to each platform will be distributed as handouts during the course.

The fact that this book omits the practical details, however, should in no sense be interpreted as minimizing their importance. If you want to understand how programming works—even in an environment as simple as that provided by Karel—it is essential to "get your hands dirty" and start using the computer. Doing so is by far the most effective introduction into the world of programming and the excitement that it holds.



Chapter 2 Programming Karel



In its new object-oriented implementation, the simplest style of Karel program consists of a definition of a new Karel class that specifies a sequence of built-in commands that should be executed when the program is run. A very simple Karel program is shown in Figure 1.

The program in Figure 1 is composed of several parts. The first part consists of the following lines:

```
/*

* File: BeeperPickingKarel.java

* ------

* The BeeperPickingKarel class extends the basic Karel class

* by defining a "run" method with three commands. These

* commands cause Karel to move forward one block, pick up

* a beeper, and then move ahead to the next corner.

*/
```

These lines are an example of a **comment**, which is simply text designed to explain the operation of the program to human readers. Comments in both Karel and Java begin with the characters /* and end with the characters */. Here, the comment begins on the first line and ends several lines later. The stars on the individual lines that make up the text of the comment are not required, but make it easier for human readers to see the extent of the comment. In a simple program, extensive comments may seem silly because the effect of the program is obvious, but they are extremely important as a means of documenting the design of larger, more complex programs.

The second part of the program is the line

```
import stanford.karel.*;
```

This line requests the inclusion of all definitions from the **stanford.karel** library. This

Figure 1. Simple Karel example to pick up a single beeper

library contains the basic definitions necessary for writing Karel programs, such as the definitions of the standard operations move() and pickBeeper(). Because you always need access to these operations, every Karel program you write will include this import command before you write the actual program.

The final part of the Karel program consists of the following class definition:

```
public class BeeperPickingKarel extends Karel {
   public void run() {
      move();
      pickBeeper();
      move();
   }
}
```

To understand this definition, it is useful to look more carefully at its structure. The definition of the **BeeperPickingKarel** class consists of the line beginning with **public class** and encompasses everything between the curly brace at the end of that line and the corresponding closing brace on the last line of the program. The single line that introduces the new class is called the **header** of the definition; the code between the braces is called the **body**.

In programming, it is often very useful to think about a particular definition and its body as separable ideas. In this example, the definition of **BeeperPickingKarel** has the following form, where the entire body of the definition has been replaced by a box that you can put out of your mind for the moment:

```
public class BeeperPickingKarel extends Karel {

body of the class definition
}
```

The header line at the top tells you quite a bit about the **BeeperPickingKarel** class, even before you have looked to see what the body contains. The key new concept in the class header is embodied in the word **extends**, which is used in both Karel and Java to indicate that a new class is an extension of an existing one. Here, the class header line indicates that **BeeperPickingKarel** is an extension of the standard **Karel** class imported from the **stanford.karel** library.

In object-oriented languages, defining a new class by extension means that the new class (here, BeeperPickingKarel) builds on the facilities provided by the existing class (in this case, Karel). In particular, the fact that it extends Karel guarantees that the new BeeperPickingKarel class will have the following properties:

- 1. Any instance of the class **BeeperPickingKarel** is also an instance of the class **Karel**. Any instance of the class **Karel** represents a robot that lives in a world of streets, avenues, beepers, and walls whose state consists of its location, direction, and the number of beepers in its bag. Because **BeeperPickingKarel** is an extension of **Karel**, you know that an instance of **BeeperPickingKarel** will also be a robot that lives in the same type of world and has the same state properties.
- 2. Any instance of the **BeeperPickingKarel** class will automatically respond to the same commands as an instance of the **Karel** class. Because every robot in the **Karel** class knows how to respond to the commands **move()**, **turnLeft()**, **pickBeeper()**, and **putBeeper()**, it follows that a instance of **BeeperPickingKarel** will understand that same set of commands.

In other words, the new **BeeperPickingKarel** class automatically acquires the state attributes and the behavior of the **Karel** class from which it is derived. The process of taking on the structure and behavior of the parent class is called **inheritance**.

When a class is defined by extension, the new class is said to be a **subclass** of the original. In this example, **BeeperPickingKarel** is therefore a subclass of **Karel**. Symmetrically, **Karel** is said to be a **superclass** of **BeeperPickingKarel**. Unfortunately, this terminology can be confusing for new programmers, who are likely to make the intuitive inference that a subclass is somehow less powerful that its superclass when in fact the opposite is true. A subclass inherits the behavior of its superclass and can therefore respond to the entire set of commands available to that superclass. A subclass, however, usually defines additional commands that are unavailable to the superclass. Thus, the typical subclass actually has more functionality than the class from which it was derived. This idea is expressed much more clearly by the notion of *extension*: a subclass extends its superclass and can therefore add new capabilities to it.

Now that you have some idea about what class extension means, it now makes sense to look at the body of the **BeeperPickingKarel** class. That body consists of the following lines:

```
public void run() {
   move();
   pickBeeper();
   move();
}
```

These lines represent the definition of a new **method**, which specifies the sequence of steps necessary to respond to a command. As in the case of the **BeeperPickingKarel** class itself, the method definition consists of two parts that can be considered separately: The first line constitutes the method header and the code between the curly braces is the method body. If you ignore the body for now, the method definition looks like this:

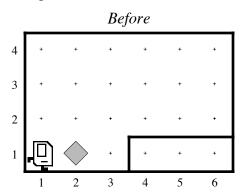
```
public void run() {

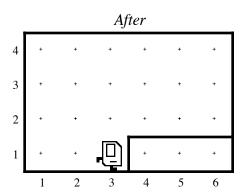
body of the method definition
}
```

The first two words in the method header, public and void, are part of Java's syntactic structure, and you should pretty much feel free to ignore them at this point. The next word on the header line specifies the name of the new method, which in this case is the method run. Defining a method means that the new Karel subclass can respond to a new command with that name. The built-in Karel class responds to the commands move(), turnLeft(), pickBeeper(), and putBeeper(); a BeeperPickingKarel responds to that same set of commands plus a new command called run. The run command plays a special role in a Karel program. When you start a Karel program in the Eclipse environment, it creates a new Karel instance of the appropriate subclass, adds that Karel to a world that you specify, and then issues the run command. The effect of issuing that command is defined by the body of the run method, which is a sequence of commands that the robot will execute in order. For example, the body of the run method for the BeeperPickingKarel class is

```
move();
pickBeeper();
move();
```

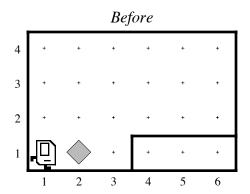
Thus, if the initial state of the world matches the example given in Chapter 1, Karel first moves forward into the corner containing the beeper, picks up that beeper, and finally moves forward to the corner just before the wall, as shown in the following before-and-after diagram:

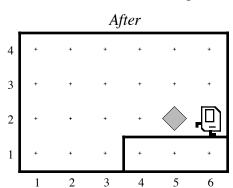




Solving a more interesting problem

The **BeeperPickingKare1** class defined in Figure 1 doesn't do very much as yet. Let's try to make it a little more interesting. Suppose that the goal is not simply to get Karel to pick up the beeper but to move the beeper from its initial position on 2nd Avenue and 1st Street to the center of the ledge at 5th Avenue and 2nd Street. Thus, your next assignment is to define a new Karel subclass that accomplishes the task illustrated in this diagram:

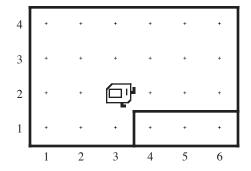




The first three commands in the new program—the ones that move forward, pick up the beeper, and then move up to the ledge—are the same as before:

```
move();
pickBeeper();
move();
```

From here, the next step is to turn left to begin climbing the ledge. That operation is easy, because Karel has a **turnLeft** command in its standard repertoire. Executing a **turnLeft** command at the end of the preceding sequence of commands leaves Karel facing north on the corner of 3rd Avenue and 1st Street. If Karel then executes a **move** command, it will move north to reach the following position:



From here, the next thing you need to do is get Karel to turn right so that it is again facing east. While this operation is conceptually just as easy as getting Karel to turn left, there is a slight problem: Karel's language includes a **turnLeft** command, but no **turnRight** command. It's as if you bought the economy model and have now discovered that it is missing some important features.

At this point, you have your first opportunity to begin thinking like a programmer. You have one set of commands, but not exactly the set you need. What can you do? Can you accomplish the effect of a turnRight command using only the capabilities you have? The answer, of course, is yes. You can accomplish the effect of turning right by turning left three times. After three left turns, Karel will be facing in the desired direction. From here, all you need to do is program Karel to move over to the center of the ledge, drop the beeper and then move forward to the final position. A complete implementation of a BeeperTotingKarel class that accomplishes the entire task is shown in Figure 2.

Figure 2. Program to carry a beeper to the top of a ledge

```
* File: BeeperTotingKarel.java
  The BeeperTotingKarel class extends the basic Karel class
  so that Karel picks up a beeper from 1st Street and then
 * carries that beeper to the center of a ledge on 2nd Street.
import stanford.karel.*;
public class BeeperTotingKarel extends Karel {
   public void run() {
      move();
      pickBeeper();
      move();
      turnLeft();
      move();
      turnLeft();
      turnLeft();
      turnLeft();
      move();
      move();
      putBeeper();
      move();
   }
}
```

Defining new methods

Even though the **BeeperTotingKare1** class in Figure 2 demonstrates that it is possible to perform the **turnRight** operation using only Karel's built-in commands, the resulting program is not particularly clear conceptually. In your mental design of the program, Karel turns right when it reaches the top of the ledge. The fact that you have to use three **turnLeft** commands to do so is annoying. It would be much simpler if you could simply say **turnRight** and have Karel understand this command. The resulting program would not only be shorter and easier to write, but also significantly easier to read.

Fortunately, the Karel programming language makes it possible to define new commands simply by including new method definitions. Whenever you have a sequence of Karel commands that performs some useful task—such as turning right—you can define a new method that executes that sequence of commands. The format for defining a new Karel method has much the same as the definition of **run** in the preceding examples, which is a method definition in its own right. A typical method definition looks like this:

```
private void name() {
    commands that make up the body of the method
}
```

In this pattern, *name* represents the name you have chosen for the new method. To complete the definition, all you have to do is provide the sequence of commands in the lines between the curly braces. For example, you can define **turnRight** as follows:

```
private void turnRight() {
   turnLeft();
   turnLeft();
   turnLeft();
}
```

Similarly, you could define a new turnAround method like this:

```
private void turnAround() {
   turnLeft();
   turnLeft();
}
```

You can use the name of a new method just like any of Karel's built-in commands. For example, once you have defined turnRight, you could replace the three turnLeft commands in the BeeperTotingKarel class with a single call to the turnRight method. A revised implementation of the program that uses turnRight is shown in Figure 3.

There is, of course, one obvious difference between the definitions of the run and turnRight methods shown in Figure 3: the run method is marked as public in contrast to turnRight, which is marked as private. The difference between these two designations is that public methods can be invoked from outside the class, while private methods cannot. The run method needs to be public because the Karel environment needs to be able to issue a run command to get things going. By contrast, turnRight is used only inside the other code appearing within this class. That definition, therefore, can be private, and it is generally good programming practice to keep definitions private whenever possible. The reasons for this rule are difficult to appreciate until you have had a chance to work with larger programs, but the basic idea is that classes should try as much as possible to encapsulate information, which means not only to gather it together but also to restrict access to that information if possible. Large programs quickly become very complex in terms of the volume of detail that they encompass. If a class is well designed, it will seek to reduce that complexity by hiding as much extraneous detail as it

Figure 3. Revised implementation of BeeperTotingKarel that includes a turnRight method

```
/*
 * File: BeeperTotingKarel.java
 * The BeeperTotingKarel class extends the basic Karel class
 * so that Karel picks up a beeper from 1st Street and then
 * carries that beeper to the center of a ledge on 2nd Street.
import stanford.karel.*;
public class BeeperTotingKarel extends Karel {
   public void run() {
      move();
      pickBeeper();
      move();
      turnLeft();
      move();
      turnRight();
      move();
      move();
      putBeeper();
      move();
   }
  Turns Karel 90 degrees to the right.
   private void turnRight() {
      turnLeft();
      turnLeft();
      turnLeft();
   }
}
```

can. This property is known as **information hiding** and is a cornerstone of the object-oriented philosophy.

At this point in your study of programming, you are not likely to find these arguments about encapsulation particularly convincing. Defining turnRight and turnAround in every program is certainly a bit of a pain, particularly in light of the fact that they are so useful. The difficulty, however, in making them more easily available lies in figuring out where to put those definitions. Declaring turnRight to be public in the definition of BeeperTotingKarel would not be much help. In an object-oriented language, the methods that specify the behavior of a class are encapsulated within that class. The turnRight method that appears within that class knows how to turn an instance of BeeperTotingKarel 90 degrees to the right, but that method cannot be applied to an instance of the Karel class or any its subclasses.

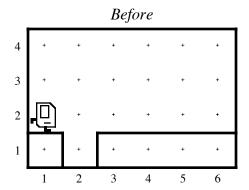
In some sense, what you really want to do is add turnRight and turnAround to the Karel class so that all subclasses will be able to use these undeniably useful commands. The problem with that strategy is that you don't necessarily have the access to the Karel class necessary to make such a change. The Karel class is part of the Stanford library, which is used by all students in this CS106A. If you were to go and make changes to it, you might end up breaking someone else's program, which would not endear you to the other students. Similarly, if you at some point later in the quarter decide that you really want to add something to one of the standard Java classes, you won't actually be able to

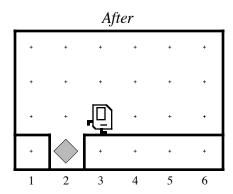
change that class because it is under the control of Sun Microsystems. What you can do, however, is define a new class that includes your new features as extensions. Thus, if you want to use turnRight and turnAround in several different Karel programs, you could define a new class that included these method definitions and then create your programs by extending that class. This technique is illustrated in Figure 4, which consists of two program files. The first contains a class definition called NewImprovedKarel that includes the turnRight and turnAround definitions as public methods so that other classes can use them. The second is yet another implementation of BeeperTotingKarel that extends NewImprovedKarel, thereby giving itself access to these methods.

The stanford.karel package does not include the NewImprovedKarel class as it appears here but does include a SuperKarel class that includes the methods turnRight and turnAround along with several other extensions that will make it possible for you to write much more exciting programs. The examples that follow extend SuperKarel to ensure that these methods are available. The other extensions are described in Chapter 6.

Decomposition

As a way of illustrating more of the power that comes with being able to define new methods, it's useful to have Karel do something a little more practical than move a beeper from one place to another. The roadways around Palo Alto often seem to be in need of repair, and it might be fun to see if Karel can fill potholes in its abstract world. For example, imagine that Karel is standing on the "road" shown in the left-hand figure, one corner to the left of a pothole in the road. Karel's job is to fill the hole with a beeper and proceed to the next corner. The diagram on the right illustrates how the world should look after the program execution.





If you are limited to the four predefined commands, the **run** method to solve this problem would look like this:

```
public void run() {
    move();
    turnLeft();
    turnLeft();
    move();
    putBeeper();
    turnLeft();
    definition of the provided representation of the
```

Figure 4. Defining a NewImprovedKarel class that understands turnRight and turnAround

```
/*
* File: NewImprovedKarel.java
* The NewImprovedKarel class extends the basic Karel class
* so that any subclasses have access to the turnRight and
 * turnAround methods. It does not define any run method
 * of its own.
 */
import stanford.karel.*;
public class NewImprovedKarel extends Karel {
/**
 * Turns Karel 90 degrees to the right.
  public void turnRight() {
     turnLeft();
     turnLeft();
     turnLeft();
  }
 * Turns Karel around 180 degrees.
  public void turnAround() {
     turnLeft();
     turnLeft();
  }
}
* File: BeeperTotingKarel.java
* -----
* The BeeperTotingKarel class extends the basic Karel class
 * carries that beeper to the center of a ledge on 2nd Street.
import stanford.karel.*;
public class BeeperTotingKarel extends NewImprovedKarel {
  public void run() {
     move();
     pickBeeper();
     move();
     turnLeft();
     move();
     turnRight();
     move();
     move();
     putBeeper();
     move();
  }
}
```

You can, however, make the main program easier to read by extending **SuperKarel** and then making use of the **turnAround** and **turnRight** methods. This version of the program appears in Figure 5.

The initial motivation for defining the **turnRight** method was that it was cumbersome to keep repeating three **turnLeft** commands to accomplish a right turn. Defining new methods has another important purpose beyond allowing you to avoid repeating the same command sequences every time you want to perform a particular task. The power to define methods unlocks the most important strategy in programming—the process of breaking a large problem down into smaller pieces that are easier to solve. The process of breaking a program down into smaller pieces is called **decomposition**, and the component parts of a large problem are called **subproblems**.

As an example, the problem of filling the hole in the roadway can be decomposed into the following subproblems:

- 1. Move up to the hole
- 2. Fill the hole by dropping a beeper into it
- 3. Move on to the next corner

If you think about the problem in this way, you can use method definitions to create a program that reflects your conception of the program structure. The **run** method would look like this:

```
public void run() {
   move();
   fillPothole();
   move();
}
```

Figure 5. Karel program to fill a single pothole

```
* File: PotholeFillingKarel.java
 * ______
 * The PotholeFillingKarel class puts a beeper into a pothole
 * on 2nd Avenue. This version of the program uses no
 * decomposition other than turnRight and turnAround,
 * which are inherited from SuperKarel.
import stanford.karel.*;
public class PotholeFillingKarel extends SuperKarel {
  public void run() {
     move();
     turnRight();
     move();
     putBeeper();
     turnAround();
     move();
     turnRight();
     move();
   }
}
```

The correspondence with the outline is immediately clear, and everything would be great if only you could get Karel to understand what you mean by **fillPothole**. Given the power to define methods, implementing **fillPothole** is extremely simple. All you have to do is define a **fillPothole** method whose body consists of the commands you have already written to do the job, like this:

```
private void fillPothole() {
   turnRight();
   move();
   putBeeper();
   turnAround();
   move();
   turnRight();
}
```

The complete program is shown in Figure 6.

Figure 6. Program to fill a single pothole using a fillPothole method for decomposition

```
* File: PotholeFillingKarel.java
 * The PotholeFillingKarel class puts a beeper into a pothole
 * on 2nd Avenue. This version of the program decomposes
 * the problem so that it makes use of a fillPothole method.
import stanford.karel.*;
public class PotholeFillingKarel extends SuperKarel {
   public void run() {
      move();
      fillPothole();
      move();
   }
 * Fills the pothole beneath Karel's current position by
 * placing a beeper on that corner. For this method to
 * work correctly, Karel must be facing east immediately
 * above the pothole. When execution is complete, Karel
 * will have returned to the same square and will again
 * be facing east.
 */
   private void fillPothole() {
      turnRight();
      move();
      putBeeper();
      turnAround();
      move();
      turnRight();
   }
}
```

Choosing the correct decomposition

There are, however, other decomposition strategies you might have tried. For example, you could have written the program as

```
public void run() {
         approachAndFillPothole();
         move();
where the approachAndFillPothole method is simply
      private void approachAndFillPothole() {
         move();
         turnRight();
         move();
         putBeeper();
         turnAround();
         move();
         turnRight();
      }
Alternatively, you might have written the program as
      public void run() {
         move();
         turnRight();
         move();
         fillPotholeYouAreStandingIn();
         turnAround();
         move();
         turnRight();
         move();
```

where the body of **fillPotholeYouAreStandingIn** consists of a single **putBeeper** command. Each of these programs represents a possible decomposition. Each program correctly solves the problem. Given that all three versions of this program work, what makes one choice of breaking up the problem better than another?

In general, deciding how to decompose a program is not easy. In fact, as the problems become more complex, choosing an appropriate decomposition will turn out to be one of the more difficult aspects of programming. You can, however, rely to some extent on the following guidelines:

- 1. Each subproblem should perform a conceptually simple task. The solution of a subproblem may require many commands and may be quite complex in terms of its internal operation. Even so, it should end up accomplishing some conceptual task that is itself easy to describe. A good indication of whether you have succeeded in identifying a reasonable task comes from the name you give to the method. If you can accurately define its effect with a simple descriptive name, you have probably chosen a good decomposition. On the other hand, if you end up with complex names such as approachAndFillPothole, the decomposition does not seem as promising.
- 2. Each subproblem should perform a task that is as general as possible, so that it can be used in several different situations. If one decomposition results in a program that is only useful in the exact situation at hand and another would work equally well in a variety of related situations, you should probably choose the more general one.



Chapter 3 Control Statements in Karel



The technique of defining new methods—as useful as it is—does not actually enable Karel to solve any new problems. Because each method name is merely a shorthand for a specific set of commands, it is always possible to expand a program written as a series of method calls into a single main program that accomplishes the same task, although the resulting program is likely to be long and difficult to read. The commands—no matter whether they are written as a single program or broken down into a set of methods—are still executed in a fixed order that does not depend on the state of Karel's world. Before you can solve more interesting problems, you need to discover how to write programs in which this strictly linear, step-by-step order of operations does not apply. In particular, you need to learn several new features of the Karel programming language that make it possible for Karel to examine its world and change its execution pattern accordingly.

Statements that affect the order in which a program executes commands are called **control statements.** Control statements generally fall into the following two classes:

- 1. Conditional statements. Conditional statements specify that certain statements in a program should be executed only if a particular condition holds. In Karel, you specify conditional execution using an **if** statement.
- 2. Iterative statements. Iterative statements specify that certain statements in a program should be executed repeatedly, forming what programmers call a **loop.** Karel supports two different iterative statements: a **for** statement that is useful when you want to repeat a set of commands a predetermined number of times and a **while** statement that is useful when you want to repeat an operation as long as some condition holds.

This chapter introduces each of these control statement forms in the context of Karel problems that illustrate the need for each statement type.

Conditional statements

To get a sense of where conditional statements might come in handy, let's go back to the **fillPothole** program presented at the end of Chapter 2. Before filling the pothole in the **fillPothole** method, there are a few conditions that Karel might want to check. For example, Karel might want to check to see if some other repair crew has already filled the hole, which means that there is already a beeper on that corner. If so, Karel does not need to put down a second one. To represent such checks in the context of a program, you need to use the **if** statement, which ordinarily appears in the following form:

```
if (conditional test) {
    statements to be executed only if the condition is true
}
```

The conditional test shown in the first line of this pattern must be replaced by one of the tests Karel can perform on its environment. The result of that conditional test is either true or false. If the test is true, Karel executes the statements enclosed in braces; if the test is false, Karel does nothing.

The tests that Karel can perform are listed in Table 1. Note that each test includes an empty set of parentheses, which is used as a syntactic marker in Karel's programming language to show that the test is being applied. Note also that every condition in the list has a corresponding opposite. For example, you can use the **frontIsclear** condition to check whether the path ahead of Karel is clear or the **frontIsblocked** condition to see if

Test	Opposite	What it checks
<pre>frontIsClear()</pre>	frontIsBlocked()	Is there a wall in front of Karel?
leftIsClear()	leftIsBlocked()	Is there a wall to Karel's left?
rightIsClear()	rightIsBlocked()	Is there a wall to Karel's right?
<pre>beepersPresent()</pre>	noBeepersPresent()	Are there beepers on this corner?
<pre>beepersInBag()</pre>	noBeepersInBag()	Any there beepers in Karel's bag?
facingNorth()	notFacingNorth()	Is Karel facing north?
facingEast()	notFacingEast()	Is Karel facing east?

notFacingSouth()

notFacingWest()

Table 1. Conditions that Karel can test

facingSouth()

facingWest()

there is a wall blocking the way. The **frontIsClear** condition is true whenever **frontIsBlocked** is false and vice versa. Choosing the right condition to use in a program requires you to think about the logic of the problem and see which condition is easiest to apply.

Is Karel facing south?

Is Karel facing west?

You can use the **if** statement to modify the definition of the **fillPothole** method so that Karel puts down a beeper only if there is not already a beeper on that corner. To do so, the conditional test you need is **noBeepersPresent**. If there are no beepers present on the corner, Karel should put down a new one. If there is already a beeper there, Karel should do nothing. The new definition of **fillPothole**, which checks to make sure that there is not already a beeper in the hole, looks like this:

```
private void fillPothole() {
   turnRight();
   move();
   if (noBeepersPresent()) {
      putBeeper();
   }
   turnAround();
   move();
   turnRight();
}
```

The **if** statement in this example illustrates several features common to all control statements in Karel. The control statement begins with a **header**, which indicates the type of control statement along with any additional information to control the program flow. In this case, the header is

if (noBeepersPresent())

which shows that the statements enclosed within the braces should be executed only if the **noBeepersPresent** test is true. The statements enclosed in braces represent the **body** of the control statement.

By convention, the body of any control statement is indented with respect to the statements that surround it. The indentation makes it much easier to see exactly which statements will be affected by the control statement. Such indentation is particularly important when the body of a control statement contains other control statements. For example, you might want to make an additional test to see whether Karel had any beepers before trying to put one down. To do so, all you would need to do is add a new if statement inside the existing one, like this:

```
if (noBeepersPresent()) {
   if (beepersInBag()) {
     putBeeper();
   }
}
```

In this example, the **putBeeper** command is executed only if there is no beeper on the corner and there are beepers in Karel's bag. Control statements that occur inside other control statements are said to be **nested**.

The outcome of a decision in a program is not always a matter of whether to do nothing or perform some set of operations. In some cases, you need to choose between two alternative courses of action. For these cases, the **if** statement in Karel has an extended form that looks like this:

```
if (conditional test) {
    statements to be executed if the condition is true
} else {
    statements to be executed if the condition is false
}
```

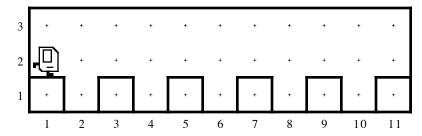
This form of the **if** statement is illustrated by the method **invertBeeperState**, which picks up a beeper if there is one and puts down a beeper if the corner is empty.

```
private void invertBeeperState() {
   if (beepersPresent()) {
      pickBeeper();
   } else {
      putBeeper();
   }
}
```

Iterative statements

In solving Karel problems, you will often find that repetition is a necessary part of your solution. If you were really going to program a robot to fill potholes, it would hardly be worthwhile to have it fill just one. The value of having a robot perform such a task comes from the fact that the robot could repeatedly execute its program to fill one pothole after another.

To see how repetition can be used in the context of a programming problem, consider the following stylized roadway in which the potholes are evenly spaced along 1st Street at every even-numbered avenue:



Your mission is to write a program that instructs Karel to fill all the holes in this road. Note that the road reaches a dead end after 11th Avenue, which means that you have exactly five holes to fill.

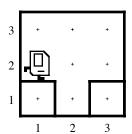
Since you know from this example that there are exactly five holes to fill, the control statement that you need is a **for** statement, which specifies that you want to repeat some operation a predetermined number of times. The structure of the **for** statement appears complicated primarily because it is actually much more powerful than anything Karel needs. The only version of the **for** syntax that Karel uses is

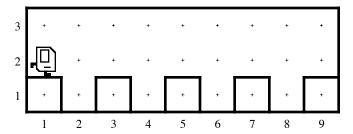
```
for (int i = 0; i < count; i++) {
    statements to be repeated
}</pre>
```

where *count* is an integer indicating the number of repetitions. For example, if you want to change the **fillPothole** program so that it solves the more complex problem of filling five evenly-spaced holes, all you have to do is change the **run** method as follows:

```
public void run() {
    for (int i = 0; i < 5; i++) {
        move();
        fillPothole();
        move();
    }
}</pre>
```

The **for** statement is useful only when you know in advance the number of repetitions you need to perform. In most applications, the number of repetitions is controlled by the specific nature of the problem. For example, it seems unlikely that a pothole-filling robot could always count on there being exactly five potholes. It would be much better if Karel could continue to fill holes until it encountered some condition that caused it to stop, such as reaching the end of the street. Such a program would be more general in its application and would work correctly in either of the following worlds as well as any other world in which the potholes were evenly spaced exactly two corners apart:





To write a general program that works with any of these worlds, you need to use a **while** statement. In Karel, a **while** statement has the following general form:

```
while (test) {
    statements to be repeated
}
```

The test in the header line is chosen from the set of conditions listed in Table 1 earlier in this chapter. In this case, Karel needs to check whether the path in front is clear by invoking the condition **frontisclear**. If you use the **frontisclear** condition in a **while** loop, Karel will repeatedly execute the loop until it hits a wall. The **while** statement therefore makes it possible to solve the more general problem of repairing a roadway, as long as the potholes appear at every even-numbered corner and the end of the roadway is marked by a wall. The **RoadRepairKarel** class that accomplishes this task is shown in Figure 7.

Figure 7. Program to fill regularly spaced potholes in a roadway

```
/*
/*
 * File: RoadRepairKarel.java
 * The RoadRepairKarel class fills a series of regularly
 * spaced potholes until it reaches the end of the roadway.
import stanford.karel.*;
public class RoadRepairKarel extends SuperKarel {
   public void run() {
      while (frontIsClear()) {
         move();
         fillPothole();
         move();
      }
   }
 * Fills the hole beneath Karel's current position by
 * placing a beeper in the hole. For this method to
 * work correctly, Karel must be facing east immediately
 * above the hole. When execution is complete, Karel
 * will have returned to the same square and will again
 * be facing east. This version of fillPothole checks to
 * see if there is already a beeper present before putting
 * a new one down.
   private void fillPothole() {
      turnRight();
      move();
      if (noBeepersPresent()) {
         putBeeper();
      turnAround();
      move();
      turnRight();
   }
}
```

Solving general problems

So far, the various pothole-filling programs have not been very realistic, because they rely on specific conditions—such as evenly spaced potholes—that are unlikely to be true in the real world. If you want to write a more general program to fill potholes, it should be able to work with fewer constraints. In particular,

- The program should be able to work with roads of arbitrary length. It does not make sense to design a program that works only for roads with a predetermined number of corners. Instead, you want to make the same program work for roads of any length. Such programs, however, do need to know when they have come to the end of the road, so it makes sense to require that the end of the roadway is marked by a wall.
- The potholes may occur at any position in the roadway. There should be no limits on the number of potholes or any restrictions on their spacing. A pothole is identified simply by an opening in the wall representing the road surface.

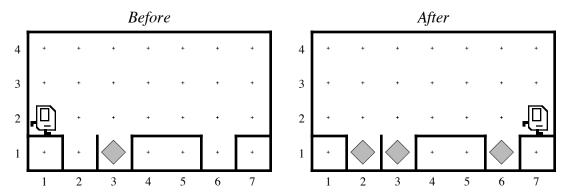
• Existing potholes may already have been repaired. Any of the potholes may already contain a beeper left by a previous repair crew. In such cases, Karel should not put down an additional beeper.

To change the program so that it solves this more general problem requires you to think about the overall strategy in a different way. Instead of having the loop in the main program cycle through each pothole, you need to have it check each corner as it goes. If there is an opening at that corner, Karel needs to try and fill the pothole. If there is a wall, Karel can simply move ahead to the next corner.

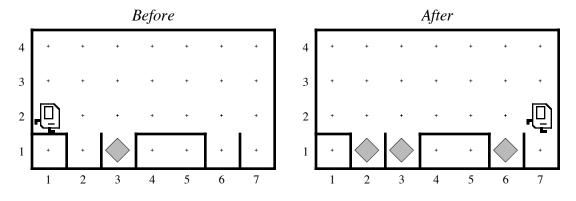
This strategic analysis suggests that the solution to the general problem may require nothing more than making the following change to the **run** method from Figure 7:

```
public void run() {
    while (frontIsClear()) {
        if (rightIsClear()) {
            fillPothole();
        }
        move();
    }
}
```

However, as the bug symbol off to the side suggests, this program is not quite right. It contains a logical flaw—the sort of error that programmers call a **bug.** On the other hand, the particular bug in this example is relatively subtle and would be easy to miss, even if you tested the program. For example, the program works correctly on the following world, as shown in the following before-and-after diagrams:



From this example, things look pretty good. If you ended your testing here, however, you would never notice that the program fails if you change the world so that there is a pothole on 7th Avenue. In this case, the before-and-after pictures look like this:



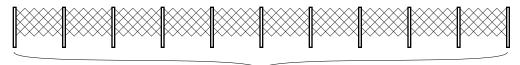
Karel stops without filling the last pothole. In fact, if you watch the execution carefully, Karel never even goes down into that last pothole to check whether it needs filling. What's the problem here?

If you follow through the logic of the program carefully, you'll discover that the bug lies in the loop within the **run** method, which looks like this:

```
public void run() {
    while (frontIsClear()) {
        if (rightIsClear()) {
            fillPothole();
        }
        move();
    }
}
```

As soon as Karel finishes filling the pothole on 6th Avenue, it executes the **move** command and returns to the top of the **while** loop. At that point, Karel is standing at the corner of 7th Avenue and 2nd street, where it is blocked by the boundary wall. Because the **frontisclear** test now fails, the **while** loop exits without checking the last segment of the roadway.

The bug in this program is an example of a programming problem called a **fencepost error.** The name comes from the fact that it takes one more fence post that you might think to fence off a particular distance. How many fence posts, for example, do you need to build a 100-foot fence if the posts are always positioned 10 feet apart? The answer is 11, as illustrated by the following diagram:



100 feet, 11 fenceposts

The situation in Karel's world has much the same structure. In order to fill potholes in a street that is seven corners long, Karel has to check for seven potholes but only has to move six times. Because Karel starts and finishes at an end of the roadway, it needs to execute one fewer move command than the number of corners it has to check.

Once you discover it, fixing this bug is actually quite easy. Before Karel stops at the end of the roadway, all that the program has to do is make a special check for a pothole at the final intersection, as shown in the program in Figure 8.

Figure 8. Program to fill irregularly spaced potholes

```
/*
/*
 * File: RoadRepairKarel.java
 * This version of the RoadRepairKarel class fills an
 * arbitrary sequence of potholes in a roadway.
import stanford.karel.*;
public class RoadRepairKarel extends SuperKarel {
   public void run() {
      while (frontIsClear()) {
         checkForPothole();
         move();
      checkForPothole();
   }
/**
 * Checks for a pothole immediately beneath Karel's current
 * looking for a wall to the right. If a pothole exists,
 * Karel calls fillPothole to repair it.
   private void checkForPothole() {
      if (rightIsClear()) {
         fillPothole();
   }
/**
 * Fills the pothole beneath Karel's current position by
 * placing a beeper on that corner. For this method to
 * work correctly, Karel must be facing east immediately
 * above the pothole. When execution is complete, Karel
 * will have returned to the same square and will again
 * be facing east. This version of fillPothole checks to
 * see if there is already a beeper present before putting
 * a new one down.
 */
   private void fillPothole() {
      turnRight();
      move();
      if (noBeepersPresent()) {
         putBeeper();
      turnAround();
      move();
      turnRight();
   }
}
```



Chapter 4 Stepwise Refinement



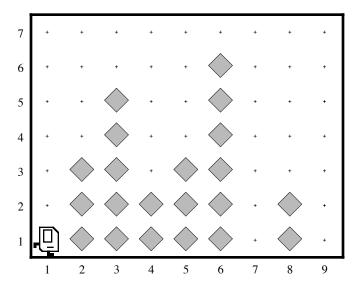
To a large extent, programming is the science of solving problems by computer. Because problems are often difficult, solutions—and the programs that implement those solutions—can be difficult as well. In order to make it easier for you to develop those solutions, you need to adopt a methodology and discipline that reduces the level of that complexity to a manageable scale.

In the early years of programming, the concept of computing as a science was more or less an experiment in wishful thinking. No one knew much about programming in those days, and few thought of it as an engineering discipline in the conventional sense. As programming matured, however, such a discipline began to emerge. The cornerstone of that discipline is the understanding that programming is done in a social environment in which programmers must work together. If you go into industry, you will almost certainly be one of many programmers working to develop a large program. That program, moreover, is almost certain to live on and require maintenance beyond its originally intended application. Someone will want the program to include some new feature or work in some different way. When that occurs, a new team of programmers must go in and make the necessary changes in the programs. If programs are written in an individual style with little or no commonality, getting everyone to work together productively is extremely difficult.

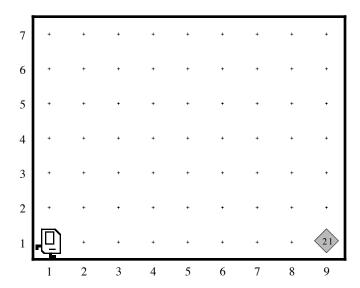
To combat this problem, programmers began to develop a set of programming methodologies that are collectively called **software engineering.** Using good software engineering skills not only makes it easier for other programmers to read and understand your programs, but also makes it easier for you to write those programs in the first place. One of the most important methodological advances to come out of software engineering is the strategy of **top-down design** or **stepwise refinement**, which consists of solving problems by starting with the problem as a whole. You break the whole problem down into pieces, and then solve each piece, breaking those down further if necessary.

An exercise in stepwise refinement

To illustrate the concept of stepwise refinement, let's teach Karel to solve a new problem. Imagine that Karel is now living in a world that looks something like this:



On each of the avenues, there is a tower of beepers of an unknown height, although some avenues (such as 1st, 7th, and 9th in the sample world) may be empty. Karel's job is to collect all the beepers in each of these towers, put them back down on the easternmost corner of 1st Street, and then return to its starting position. Thus, when Karel finishes its work in the example above, all 21 beepers currently in the towers should be stacked on the corner of 9th Avenue and 1st Street, as follows:



The key to solving this problem is to decompose the program in the right way. This task is more complex than the others you have seen, which makes choosing appropriate subproblems more important to obtaining a successful solution.

The principle of top-down design

The key idea in stepwise refinement is that you should start the design of your program from the top, which refers to the level of the program that is conceptually highest and most abstract. At this level, the beeper tower problem is clearly divided into three independent phases. First, Karel has to collect all the beepers. Second, Karel has to deposit them on the last intersection. Third, Karel has to return to its home position. This conceptual decomposition of the problem suggests that the **run** method for this program will have the following structure:

```
public void run() {
   collectAllBeepers();
   dropAllBeepers();
   returnHome();
}
```

At this level, the problem is easy to understand. Of course, there are a few details left over in the form of methods that you have not yet written. Even so, it is important to look at each level of the decomposition and convince yourself that, as long as you believe that the methods you are about to write will solve the subproblems correctly, you will then have a solution to the problem as a whole.

Refining the first subproblem

Now that you have defined the structure for the program as a whole, it is time to move on to the first subproblem, which consists of collecting all the beepers. This task is itself more complicated than the simple problems from the preceding chapters. Collecting all the beepers means that you have to pick up the beepers in every tower until you get to the

final corner. The fact that you need to repeat an operation for each tower suggests that you need a while loop here.

But what does this **while** loop look like? First of all, you should think about the conditional test. You want Karel to stop when it hits the wall at the end of the row. Thus, you want Karel to keep going as long as the space in front is clear. Thus, you know that the **collectAllBeepers** method will include a **while** loop that uses the **frontIsclear** test. At each position, you want Karel to collect all the beepers in the tower beginning on that corner. If you give that operation a name, which might be something like **collectOneTower**, you can go ahead and write a definition for the **collectAllBeepers** method even though you haven't yet filled in the details.

You do, however, have to be careful. The code for **collectAllBeepers** does not look like this:

```
private void collectAllBeepers {
   while (frontIsClear()) {
      collectOneTower();
      move();
   }
}
```

This implementation is buggy for exactly the same reason that the first version of the general **RoadRepairKarel** from the previous chapter failed to do its job. There is a fencepost error in this version of the code, because Karel needs to test for the presence of a beeper tower on the last avenue. The correct implementation is

```
private void collectAllBeepers {
   while (frontIsClear()) {
      collectOneTower();
      move();
   }
   collectOneTower();
}
```

Note that this method has precisely the same structure as the main program from the **RoadRepairKarel** program presented at the end of the last chapter. The only difference is that this program calls **collectOneTower** where the other called **checkForPothole**. These two programs are each examples of a general strategy that looks like this:

```
while (frontIsClear()) {
    Perform some operation.
    move();
}
Perform the same operation for the final corner.
```

You can use this strategy whenever you need to perform an operation on every corner as you move along a path that ends at a wall. If you remember the general structure of this strategy, you can use it whenever you encounter a problem that requires such an operation. Reusable strategies of this sort come up frequently in programming and are referred to as **programming idioms** or **patterns**. The more patterns you know, the easier it will be for you to find one that fits a particular type of problem.

Coding the next level

Even though the code for the **collectAllBeepers** method is itself complete, you can't actually execute the program until you solve the **collectOneTower** subproblem. When

collectOneTower is called, Karel is either standing at the base of a tower of beepers or standing on an empty corner. In the former case, you need to collect the beepers in the tower. In the latter, you can simply move on. This situation sounds like an application for the **if** statement, in which you would write something like this:

```
if (beepersPresent()) {
   collectActualTower();
}
```

Before you add such a statement to the code, you should think about whether you need to make this test. Often, programs can be made much simpler by observing that cases that at first seem to be special can be treated in precisely the same way as the more general situation. In the current problem, what happens if you decide that there is a tower of beepers on *every* avenue but that some of those towers are zero beepers high? Making use of this insight simplifies the program because you no longer have to test whether there is a tower on a particular avenue.

The **collectOneTower** method is still complex enough that an additional level of decomposition is in order. To collect all the beepers in a tower, Karel needs to undertake the following steps:

- 1. Turn left to face the beepers in the tower.
- 2. Collect all the beepers in the tower, stopping when no more beepers are found.
- 3. Turn around to face back toward the bottom of the world.
- 4. Return to the wall that represents the ground.
- 5. Turn left to be ready to move to the next corner.

Once again, this outline provides a model for the **collectOneTower** method, which looks like this:

```
private void collectOneTower() {
   turnLeft();
   collectLineOfBeepers();
   turnAround();
   moveToWall();
   turnLeft();
}
```

Preconditions and postconditions

The turnLeft commands at the beginning and end of the collectoneTower method are both critical to the correctness of this program. When collectoneTower is called, Karel is always somewhere on 1st Street facing east. When it completes its operation, the program as a whole will work correctly only if Karel is again facing east at that same corner. Conditions that must be true before a method is called are referred to as preconditions; conditions that must apply after the method finishes are known as postconditions.

When you define a method, you will get into far less trouble if you write down exactly what the pre- and postconditions are. Once you have done so, you then need to make sure that the code you write always leaves the postconditions satisfied, assuming that the preconditions were satisfied to begin with. For example, think about what happens if you call collectoneTower when Karel is on 1st Street facing east. The first turnLeft command leaves Karel facing north, which means that Karel is properly aligned with the column of beepers representing the tower. The collectLineOfBeepers method—which

has yet to be written but nonetheless performs a task that you understand conceptually—simply moves without turning. Thus, at the end of the call to collectLineOfBeepers, Karel will still be facing north. The turnAround call therefore leaves Karel facing south. Like collectLineOfBeepers, the moveToWall method does not involve any turns but instead simply moves until it hits the boundary wall. Because Karel is facing south, this boundary wall will be the one at the bottom of the screen, just below 1st Street. The final turnLeft command therefore leaves Karel on 1st Street facing east, which satisfies the postcondition.

Finishing up

Although the hard work has been done, there are still several loose ends that need to be resolved. The main program calls two methods—dropAllBeepers and returnHome—that are as yet unwritten. Similarly, collectOneTower calls collectLineOfBeepers and moveTowall. Fortunately, all four of these methods are simple enough to code without any further decomposition, particularly if you use moveTowall in the definition of returnHome. The complete implementation appears in Figure 9.

Figure 9. Program to solve the collect towers of beepers

```
* File: BeeperCollectingKarel.java
 * -----
 * The BeeperCollectingKarel class collects all the beepers
 * in a series of vertical towers and deposits them at the
 * rightmost corner on 1st Street.
 */
import stanford.karel.*;
public class BeeperCollectingKarel extends SuperKarel {
/**
 * Specifies the program entry point.
   public void run() {
      collectAllBeepers();
      dropAllBeepers();
      returnHome();
   }
 * Collects the beepers from every tower by moving along 1st
 * Street, calling collectOneTower at every corner. The
 * postcondition for this method is that Karel is in the
 * easternmost corner of 1st Street facing east.
   private void collectAllBeepers() {
     while (frontIsClear()) {
        collectOneTower();
        move();
      collectOneTower();
   }
```

```
* Collects the beepers in a single tower. When collectOneTower
 * is called, Karel must be on 1st Street facing east. The
 * postcondition for collectOneTower is that Karel must again
 * be facing east on that same corner.
   private void collectOneTower() {
      turnLeft();
      collectLineOfBeepers();
      turnAround();
      moveToWall();
      turnLeft();
   }
/**
 * Collects a consecutive line of beepers. The end of the beeper
 * line is indicated by a corner that contains no beepers.
   private void collectLineOfBeepers() {
      while (beepersPresent()) {
         pickBeeper();
         if (frontIsClear()) {
            move();
         }
      }
   }
 * Drops all the beepers on the current corner.
   private void dropAllBeepers() {
      while (beepersInBag()) {
         putBeeper();
      }
   }
/**
 * Returns Karel to its initial position at the corner of 1st
 * Avenue and 1st Street, facing east. The precondition for this
 * method is that Karel must be facing east somewhere on 1st
 * Street, which is true at the conclusion of collectAllBeepers.
   private void returnHome() {
      turnAround();
      moveToWall();
      turnAround();
   }
/**
 * Moves Karel forward until it is blocked by a wall.
   private void moveToWall()
   {
      while (frontIsClear()) {
         move();
   }
}
```



Chapter 5 Algorithms



Although top-down design is a critical strategy for programming, it cannot be applied mechanically without thinking about problem-solving strategies. Figuring out how to solve a particular problem by computer generally requires considerable creativity. The process of designing a solution strategy is traditionally called **algorithmic design.**

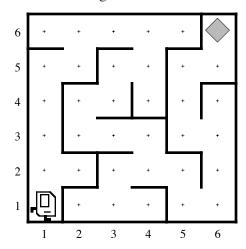
The word *algorithm* comes from the name of a ninth-century Persian mathematician, Abu Ja'far Mohammed ibn Mûsâ al-Khowârizmî, who wrote an influential treatise on mathematics. Today, the notion of an algorithm has been formalized so that it refers to a solution strategy that meets the following conditions:

- The strategy is expressed in a form that is clear and unambiguous.
- The steps in the strategy can be carried out.
- The strategy always terminates after a finite number of steps.

You will learn much more about algorithms as you continue your study of programming, but it is useful to look at a few simple algorithms in Karel's world.

Solving a maze

As an example of algorithmic design, suppose that you wanted to teach Karel to escape from a maze. In Karel's world, a maze might look like this:



The exit to the maze is marked by a beeper, so that Karel's job is to navigate the corridors of the maze until it finds the beeper indicating the exit. The program, however, must be general enough to solve any maze, and not just the one pictured here.

There are several strategies you could use for solving such a maze. When Theseus needed to escape from the Labyrinth of Crete, he adopted—at the suggestion of King Minos's daughter Ariadne, whom Theseus promptly abandoned on the next island he reached—the strategy of unwinding a ball of string as he explored the maze. You could devise a similar strategy for Karel, in which beepers serve the same function.

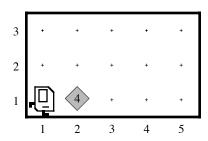
For most mazes, however, you can use a simpler strategy called the **right-hand rule**, in which you begin by putting your right hand on the adjacent wall and then go through the maze without ever taking your hand off the wall. Another way to express this strategy is to proceed through the maze one step at a time, always taking the rightmost available path.

Figure 10. Program to solve a maze

You can easily write a Karel program to apply the right-hand rule. The program in Figure 10, for example, expresses the algorithm for the right-hand rule in a particularly compact form. You should work through the logic of this algorithm and convince yourself that it indeed accomplishes the task. It is important to note that the code that implements an algorithm may not be very complicated. Indeed, coming up with the right algorithm often leads to extremely simple code.

Doubling the number of beepers

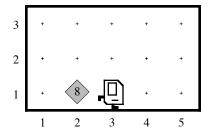
Another programming task that leads to interesting algorithmic choices is the problem of getting Karel to double the number of beepers on a corner. For example, suppose that Karel starts out in the world



where there are some number of beepers—in this case four—on the corner of 1st Street and 2nd Avenue and an infinite number of beepers in Karel's beeper bag. The goal in this problem is to write a method **doubleBeepers** that doubles the number of beepers on the current square. Thus, if you execute the method

```
public void run() {
   move();
   doubleBeepers();
   move();
}
```

on the world shown in the preceding diagram, the final state of the world should look like this:



The program should be general enough to work for any number of beepers. For example, if there had originally been 21 beepers on the corner of 1st Street and 2nd Avenue, the program should end with 42 beepers on that corner.

Writing the **doubleBeepers** method is harder than it initially appears. Your first step is to devise an algorithmic strategy to solve the problem. You can't start by picking up all the beepers on the corner, because you would then have no way of telling how many beepers to put down. As with most algorithms in Karel's world, you need to process the beepers one at a time. You can pick one up from the corner, but you then have to keep track somehow of the fact that you have to add two beepers to the result.

The easiest strategy to devise involves the use of a temporary storehouse on some corner that is initially empty, such as the corner at 1st Street and 3rd Avenue. If every time you pick up a beeper from the original pile on 2nd Avenue you put down two beepers in the storehouse on 3rd Avenue, you will have twice the original number of beepers when the first pile is exhausted. Thus, you can create the correct value in the storehouse by calling the following method:

```
private void doubleIntoStorehouse() {
    while (beepersPresent()) {
        pickBeeper();
        move();
        putBeeper();
        putBeeper();
        turnAround();
        move();
        turnAround();
    }
}
```

The precondition for this method is that Karel is standing on a corner containing a pile of N beepers facing a corner with no beepers. The postcondition is that Karel winds up in its original position with no beepers on that corner but 2N beepers on the corner Karel is facing.

This method does the interesting algorithmic work, but does not entirely satisfy the constraints of the problem as stated because the final pile of beepers is not on the original square. To get it there, you need to implement a similar method that simply transfers the pile back to the adjacent square. This method has almost exactly the same structure, except that it deposits only one beeper for each one it collects. If you design a transferBeepersBack method to work with the same precondition as that used for doubleIntoStorehouse, it will look like this:

```
private void transferBeepersBack() {
    while (beepersPresent()) {
        pickBeeper();
        move();
        putBeeper();
        turnAround();
        move();
        turnAround();
}
```

The doubleBeepers method itself then consists of the following code:

```
private void doubleBeepers() {
   doubleIntoStorehouse();
   move();
   turnAround();
   transferBeepersBack();
   move();
   turnAround();
}
```

This strategy, however, is not the only one you might use. In many cases, there are algorithms that work much better than the obvious ones, although they are often difficult to discover. Many such algorithms depend on sophisticated programming techniques that you will encounter later in your study of computer science. For example, the doubleBeepers problem can be solved quite easily if you use a technique called recursion, which is simply the process of having a method call itself. The following implementation of doubleBeepers gets the job done without needing a storehouse or any moving around:

```
private void doubleBeepers() {
   if (beepersPresent()) {
      pickBeeper();
      doubleBeepers();
      putBeeper();
      putBeeper();
   }
}
```

Although it is fun to try and figure out what this program is doing, you shouldn't worry at this point if you find it hard to understand. The point of showing this solution is simply to demonstrate that there are many different algorithms for solving problems, some of which can be very compact and efficient. As you study computer science, you will learn a great deal more about algorithmic techniques and gain the skills you need to write this type of program on your own.



Chapter 6 SuperKarel



As it comes from the factory, Karel is a bit on the boring side. The world—reflecting the nature of hardware at the time Karel was invented—is entirely black and white. Moreover, Karel always behaves in a strictly deterministic fashion. Each of these limitations makes it harder to program Karel to perform exciting tasks. To make it easier to write more interesting Karel programs, the **stanford.karel** package includes a **SuperKarel** that includes several new features. Those features are described in the sections that follow.

The turnRight and turnAround methods

As you already know from Chapter 2, the **superKarel** class includes definitions for **turnRight** and **turnAround**. Although it certainly easy to define these methods on your own, it is inconvenient to do so in every Karel program. Moreover, the **superKarel** implementations of these methods tie into the internal workings of Karel to implement these operations more efficiently. If you use **turnRight** in a **SuperKarel** subclass, your program will make an immediate right turn and not go through the process of turning left three times.

Using color

The **SuperKarel** class allows Karel to paint the corner on which it is standing using the instruction

```
paintCorner(color);
```

The value enclosed in the parentheses—which is called an **argument** in the terminology of programming languages—may be any of the following:

BLACK	MAGENTA
BLUE	ORANGE
CYAN	PINK
DARK GRAY	RED
GRAY	WHITE
GREEN	YELLOW
LIGHT GRAY	null

The **null** color value indicates that a corner has no color, which means that the little cross in the center shows through. When you create a new Karel world, all corners initially have **null** as their color.

SuperKarel also understands a new condition **cornerColorIs** (*color*), which is true if the current corner has been painted with the specified color. For example, you could paint the current corner red by executing the instruction

```
paintCorner(RED);
```

and later perform operations only on red corners by using the following if statement:

```
if (cornerColorIs(RED)) {
    Statements to execute only if the corner is painted red
}
```

Random behavior

SuperKarel also defines a new condition **random**, which is true half the time, but in an unpredictable way. For example, if you execute the statements

```
if (random()) {
    paintCorner(YELLOW);
} else {
    paintCorner(MAGENTA);
}
```

Karel will paint the current corner yellow or magenta, each with equal probability.

If you need greater control over how often Karel executes a random event, the **random** condition takes an argument, which is the a number specifying the probability of the condition returning true. As in statistics, probabilities are numbers between 0.0 and 1.0, where 0.0 indicates that the condition will always be false and 1.0 indicating that it will always be true. If, for example, you wanted to have Karel put down a beeper 25 percent of the time, you could use the following code:

```
if (random(0.25)) {
   putBeeper();
}
```

Logical operations

As you write more sophisticated Karel programs, you will discover that it is sometimes difficult to express certain conditional tests whose English equivalents include conjunctions like *and* and *or*. As an example, try to write a Karel **while** statement that moves Karel forward until it is either blocked by a wall or encounters a beeper. To make it easier to write interesting programs, the Karel language allows you to use the following logical operators, which are actually part of Java and not a **SuperKarel** extension:

- **Equivalent** to the English word *and*.
- Equivalent to the English word *or* (in the formal sense of *either or both*).
- ! Equivalent to the English word *not*.

With these operators, it is easy to write the **while** statement suggested earlier in this section, because you can combine the conditions into a single test:

```
while (frontIsClear() && noBeepersPresent()) {
   move();
}
```

The fact that these operators work in Karel programs reveals a notable fact about the way such programs are implemented. The Karel programs that you write turn out to be simply Java programs in disguise. There is no separate Karel language; everything that you've seen in Karel is actually just part of standard Java or implemented using standard Java as part of one of the classes in the **stanford.karel** package. While this strategy makes the Karel simulator much easier to implement and means that you will be using the same tools that you will use throughout the quarter, it does have a downside. The logical operators &&, | |, and ! are not the only pieces of standard Java that you might incorporate into a Karel program. Given the way Karel is implemented, you could include anything from standard Java in a Karel program, and the Java compiler would not complain at all. Doing so, however, defeats the purpose of Karel, which is intended to provide a simple platform for learning programming. So even though the Java compiler won't complain if you use more advanced Java structures, your section leader will. Acceptable Karel programs must limit themselves to the features described in this book.



Appendix A Karel Reference Card



This appendix defines the structure of the Karel programming language on a single page.

```
Built-in Karel commands:
                                          Conditional statements:
 move();
                                            if (condition) {
 turnLeft();
                                                statements executed if condition is true
 putBeeper();
 pickBeeper();
                                            if (condition) {
Karel program structure:
                                                statements executed if condition is true
                                                statements executed if condition is false
   * Comments may be included anywhere in
                                            }
   * the program between a slash-star and
   * the corresponding star-slash characters.
                                          Iterative statements:
                                            for (int i = 0; i < count; i++) {</pre>
 import stanford.karel.*;
                                                statements to be repeated
                                            }
 /* Definition of the new class */
                                            while (condition) {
 public class name extends Karel {
                                                statements to be repeated
     public void run() {
                                            }
        statements in the body of the method
                                          Method definition:
                                            private void name () {
     definitions of private methods
                                                statements in the method body
 }
                                            }
Karel condition names:
                                          New commands in the SuperKarel class:
                                            turnRight();
frontIsClear()
                   frontIsBlocked()
                                            turnAround();
leftIsClear()
                   leftIsBlocked()
                                            paintCorner(color);
rightIsClear()
                   rightIsBlocked()
beepersPresent() noBeepersPresent()
                   noBeepersInBag()
beepersInBag()
                                          New conditions in the SuperKarel class:
facingNorth()
                   notFacingNorth()
                                            random()
facingEast()
                   notFacingEast()
                                            random(p)
facingSouth()
                   notFacingSouth()
                                            cornerColorIs(color)
facingWest()
                   notFacingWest()
```