Machine Translation Models IBM 1 and IBM 2

First Author

Maartje de Jonge 0194107

maartjedejonge@gmail.com

Second Author

Lina Murady

XXX

lina.murady@gmail.com

Abstract

Scope: empirical evaluation of IBM 1 and IBM 2 models

Contributions: - performance of the different models on test data - analyses of the models and their performance

1 Introduction

- Statistical Machine Translation Baysian split: $p(e|f) \propto p(e)*p(f|e)$ We focus on translation model p(f|e)
- alignment model: word pairs (f,e) with the constraint that each french word matches exactly one english word. Null word added to english sentence to align words in french that do not have an equivalent word in english (insertions)
- decomposition into: sentence length probability, alignment prob, translation prob (- alignment prob mixture component) IBM 1: assume uniform alignment probability, train with EM (explain why)
- Shortcomings of IBM 1 (assumption uniform alignments) IBM 2 learn probabilities p(i,j,I,J) problem: too many parameters for small training sets approach: jump probabilities (?), model probabilities as jumps from diagonal. train with EM
- Problem with maximum likelihood estimaion, arguments for Bayesian approach Problem with posterior inference which motivates variational inference We use Dirichlet Prior and Variational Inference to meet these limitations
- In this report we compare alignment models IBM 1, IBM 2 and IB 1 with variational inference We empirically evaluate how these models perform on a corpus and we discuss their differences
- Section 3.1 Section 3.2 Section 3.3 Section 3.4

2 Models

2.1 IBM 1

- describe the model mathematically mathematical assumptions factorisation parameterisation limitations parameter estimation: EM inference techniques: viterbi alignment
 - cite some literature

2.2 IBM 2

- describe the model mathematically mathematical assumptions factorisation parameterisation limitations parameter estimation: EM inference techniques: viterbi alignment
 - cite some literature

2.3 IBM 1 with Variational Inference

- describe the model mathematically mathematical assumptions factorisation parameterisation limitations parameter estimation: variational inference inference techniques: viterbi alignment
 - cite some literature

Jump Parameterization - why: lot of parameters for small data set - math: formula - intuition: diagonal - literature: vogel

3 Experiments

3.1 Experimental Setup

- datasets: training, validation, test numbers, languages, where does the data come from?
 - setup
- Viterbi Alignment: how do we deal with unknown words in the validation/test set
 - metric: AER
- stop/convergence criteria: 1) based on training log likelihood Relative log-likelihood convergence: $\frac{ll_i-ll_{i-1}}{ll_{i-1}} < \epsilon$ why relative? what epsilon?
- 2) best \overrightarrow{AER} on validation set Absolute criterion. why? what epsilon? prevAER AER < 0

3.2 IBM 1 with Expectation Maximization

Training Conditions - uniform initialisation

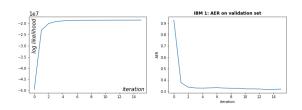


Figure 1: Evolution of training log likelihood and validation AER for IBM 1.

Results - Figure: training log-likelihood vs iteration

- Figure: validation AER vs iteration
- Figure/tabel: AER on test set using model selected based on AER and based on log-likelihood [remark: use official tool instead of python code]

3.3 IBM 1 with Variational Inference

Training Conditions - uniform initialization

- choice of hyper parameter

Results - Figure: training log-likelihood vs iteration

- Figure: validation AER vs iteration
- Figure/tabel: AER on test set using model selected based on AER and based on log-likelihood [remark: use official tool instead of python code]

3.4 IBM 2 with Expectation Maximization

Training Conditions - initialization Nonconvex, thus local minimum, result depends on initialization 1) uniform 2) random 3 times 3) staged, use result of model 1 run

Results - Figure: training log-likelihood vs iteration using different initializations a) uniform b) random 3 times c) staged

- Figure: validation AER vs iteration using different initializations a) uniform b) random 3 times c) staged
- Figure/tabel: AER on test set using model selected based on AER and based on log-likelihood [remark: use official tool instead of python code] compare IBM 1 with IBM 2

3.5 Discussion

- (non)-convexity stability convergence.
- complexity qualitative insight: i.e. distributions for rare words, frequent words and jump distribution

4 Conclusion and Future Work

- Future work: Dirichlet on IBM 2
- Future work: IBM 2 with jumps for other languages with completely different word order, i.e. not most probability mass on diagonal
 - Comparison: Which model is the best, why?
 - contributions
 - limitations