YOLOv3 Study Notes

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1 dataset.py

```
def parse_annotation(self, annotation):
   line = annotation.split()
   image_path = line[0]
   if not os.path.exists(image_path):
       raise KeyError("%s does not exist ... " % imagparse_annotation
   image = cv2.imread(image_path)
   bboxes = np.array([list(map(int, box.split(','))) for box in line[1:]])
   if self.data aug:
       image, bboxes = self.random_horizontal_flip(np.copy(image), np.copy(bboxes))
        image, bboxes = self.random_crop(np.copy(image), np.copy(bboxes))
       image, bboxes = self.random_translate(np.copy(image), np.copy(bboxes))
   image = cv2.cvtColor(image, cv2.COLOR_BGR2RGB)
   image, bboxes = utils.image_preporcess(np.copy(image), [self.train_input_size, self.
    train_input_size], np.copy(bboxes))
   return image, bboxes
   line = annotation.split()
   image_path = line[0]
   if not os.path.exists(image_path):
       raise KeyError("%s does not exist ... " % image_path)
   image = cv2.imread(image_path)
   bboxes = np.array([list(map(int, box.split(','))) for box in line[1:]])
   if self.data aug:
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        image, bboxes = self.random_crop(np.copy(image), np.copy(bboxes))
       image, bboxes = self.random_translate(np.copy(image), np.copy(bboxes))
   image = cv2.cvtColor(image, cv2.COLOR_BGR2RGB)
   image, bboxes = utils.image_preporcess(np.copy(image), [self.train_input_size, self.
    train_input_size], np.copy(bboxes))
   return image, bboxes
```

This part is straightfoward.

End of Function

From the function we can deduce that $box = (c_x, c_y, width, height)$, therefore

```
boxes[...,:2] - boxes[...,2:] *0.5 = [all upper-left corners]
```

and

and

```
boxes1[..., :2] + boxes1[..., 2:] *0.5 = [all lower-right corners],
```

while concatenating (2,) np-array along the last axis simply means combing them into one (4,) np-array. Numerically in training boxes1 and boxes2 are like:

```
[[0.59375 3.78125 0.5 0.625 ]]

[[ 0.5 3.5 3.625 2.8125 ]
  [ 0.5 3.5 4.875 6.1875 ]
  [ 0.5 3.5 11.65625 10.1875 ]].
```

```
left_up = np.maximum(boxes1[..., :2], boxes2[..., :2])
right_down = np.minimum(boxes1[..., 2:], boxes2[..., 2:])
```

Think of the above as entrywise comparisons that give an array of maximum, which yields the coordinates of intersection rectangle for each fixed boxes1 to boxes in boxes2.

```
inter_section = np.maximum(right_down - left_up, 0.0)
```

The entries in inter_section are the *width* and *height* of the intersection, the (broadcasted) np.maximum is just a tricky way to handle empty intersection.

```
inter_area = inter_section[..., 0] * inter_section[..., 1]
union_area = boxes1_area + boxes2_area - inter_area
return inter_area / union_area
```

End of Function

```
def preprocess_true_boxes(self, bboxes):
```

Here bboxes are the boxes from annotation file in which each line takes the form:

some/directory/hash.jpg 79,537,107,574,0 297,547,318,575,0

```
label = [np.zeros((self.train_output_sizes[i],
                   self.train_output_sizes[i],
                   self.anchor_per_scale,
                   5 + self.num_classes)) for i in range(3)]
bboxes_xywh = [np.zeros((self.max_bbox_per_scale, 4)) for _ in range(3)]
bbox_count = np.zeros((3,))
for bbox in bboxes:
    bbox_coor = bbox[:4]
    bbox_class_ind = bbox[4]
    onehot = np.zeros(self.num_classes, dtype=np.float)
    onehot[bbox_class_ind] = 1.0
    uniform_distribution = np.full(self.num_classes, 1.0 / self.num_classes)
    deta = 0.01
    smooth_onehot = onehot * (1 - deta) + deta * uniform_distribution
    # bbox_xywh is ground truth
    bbox_xywh = np.concatenate([(bbox_coor[2:] + bbox_coor[:2]) * 0.5, bbox_coor[2:] - bbox_coor
← [:2]], axis=-1)
    # bbox_xywh_scaled is scaled ground truth relative to stride (13, 26, 52, as a unit)
    bbox_xywh_scaled = 1.0 * bbox_xywh[np.newaxis, :] / self.strides[:, np.newaxis]
```

Note that bbox_xywh[np.newaxis, :] is of shape (1, 4) and 1/self.strides[:, np.newaxis] is of shape (3, 1), their multiplication will be conducted by "broadcasting" in numpy, which yields a (3,4) dimensional numpy array. The product bbox_xywh_scaled consists of (c_x, c_y, w, h) which use "stride" as a unit, so 1 means "1 grid" (recall there are $13 \times 13, 26 \times 26, 52 \times 52$ grids predictions from Darknet backbone).

```
iou = []
exist_positive = False
for i in range(3):
    anchors_xywh = np.zeros((self.anchor_per_scale, 4))
    anchors_xywh[:, 0:2] = np.floor(bbox_xywh_scaled[i, 0:2]).astype(np.int32) + 0.5
    anchors_xywh[:, 2:4] = self.anchors[i]
```

anchors_xywh essing boxes with objectiveneentially move centers of bbox_xywh_scaled to the middle of the grid that center lies in, then the anchor boxes' width and height are assigned, replacing the original width, height of bbox_xywh_scaled.

```
iou_scale = self.bbox_iou(bbox_xywh_scaled[i][np.newaxis, :], anchors_xywh)
```

The presence of np.newaxis is simply because multiplication between (4,) and (3,4) array does not make sense. The additional dimension expand (4,) array into (1,4) array, which is broadcasted and multiplied to (3,4) array to give anothoer (3,4) array, and theirfore, iou_scale.shape = (3,).

label[i] is initialized at the beginning which is of size

train_output_sizes \times train_output_sizes \times 3 \times 85

for each i, where train_output_sizes = 13,26 or 52.

```
bbox_ind = int(bbox_count[i] % self.max_bbox_per_scale)
bboxes_xywh[i][bbox_ind, :4] = bbox_xywh
```

bboxes_xywh is initialized (with zeros) at the beginning, bboxes_xywh.shape = (3, 150, 4).

```
bbox count[i] += 1
            exist_positive = True
    if not exist_positive:
        best_anchor_ind = np.argmax(np.array(iou).reshape(-1), axis=-1) # flatten and take max
        # best_detect belongs to which "i", namely, best "i"
        best_detect = int(best_anchor_ind / self.anchor_per_scale)
        # for this i, which index it is:
        best_anchor = int(best_anchor_ind % self.anchor_per_scale)
        # get the grid point in our 13x13, 26x26, 52x52 grid:
        xind, yind = np.floor(bbox_xywh_scaled[best_detect, 0:2]).astype(np.int32)
        label[best_detect][yind, xind, best_anchor, :] = 0
label[best_detect][yind, xind, best_anchor, 0:4] = bbox_xywh
        label[best_detect][yind, xind, best_anchor, 4:5] = 1.0
        label[best_detect][yind, xind, best_anchor, 5:] = smooth_onehot
        bbox_ind = int(bbox_count[best_detect] % self.max_bbox_per_scale)
        bboxes_xywh[best_detect][bbox_ind, :4] = bbox_xywh
        # assign bbox_xywh into the list instead of append,
        # this is to make sure there are at most 150 boxes within all 3 scales.
        bbox_count[best_detect] += 1
label_sbbox, label_mbbox, label_lbbox = label
sbboxes, mbboxes, lbboxes = bboxes_xywh
return label_sbbox, label_mbbox, label_lbbox, sbboxes, mbboxes, lbboxes
```

In short,

sbboxes, mbboxes, lbboxe

are just ground truth bounding boxes (center, width and height), while

label_sbbox, label_mbbox, label_lbbox

are ground truth bounding boxes with objectiveness and probabilities of each grid.

End of Function

2 yolov3.py

In darknet53 after a bunch of residue modules we get 3 branches route_1, route_2 and cov, where

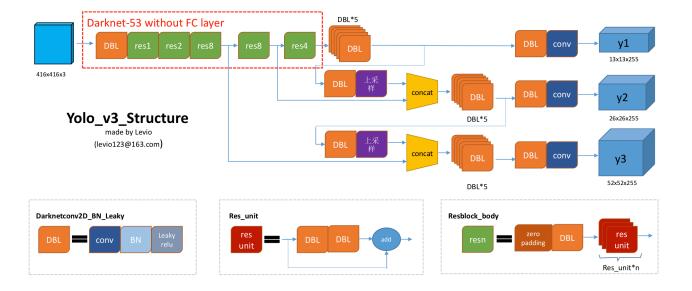


Figure 1: Structure of YOLOv3

```
route_1.shape = (-1, 52, 52, 256)
route_2.shape = (-1, 26, 26, 512)
conv.shape = (-1, 13, 13, 1024)
```

Each branch then jumps into several stages of feature extractions, the whole process finally gives another 3 branches of undecoded/raw data of features, and they are endowed with the meaning of "grid-based detection" after reshaping into (-1, output size, 3, 85) dimensional array.

```
def Y0L0v3(input_layer):
    route_1, route_2, conv = backbone.darknet53(input_layer)

    conv = common.convolutional(conv, (1, 1, 1024, 512))
    conv = common.convolutional(conv, (3, 3, 512, 1024))
    conv = common.convolutional(conv, (1, 1, 1024, 512))
    conv = common.convolutional(conv, (3, 3, 512, 1024))
    conv = common.convolutional(conv, (1, 1, 1024, 512))
```

As padding="same" is being used along the chain of conv nets, there is no spatial dimension change.

```
conv_lobj_branch = common.convolutional(conv, (3, 3, 512, 1024))
 conv_lbbox = common.convolutional(conv_lobj_branch, (1, 1, 1024, 3*(NUM_CLASS + 5)), activate=
 → False, bn=False)
conv = common.convolutional(conv, (1, 1, 512, 256))
conv = common.upsample(conv)
conv = tf.concat([conv, route_2], axis=-1)
conv = common.convolutional(conv, (1, 1, 768, 256))
conv = common.convolutional(conv, (3, 3, 256, 512))
conv = common.convolutional(conv, (1, 1, 512, 256))
conv = common.convolutional(conv, (3, 3, 256, 512))
conv = common.convolutional(conv, (1, 1, 512, 256))
conv_mobj_branch = common.convolutional(conv, (3, 3, 256, 512))
\verb|conv_mbbox| = \verb|common.convolutional(conv_mobj_branch, (1, 1, 512, 3*(NUM_CLASS + 5)), activate = |conv_mbbox| = |conv_mbb
 → False, bn=False)
conv = common.convolutional(conv, (1, 1, 256, 128))
conv = common.upsample(conv)
conv = tf.concat([conv, route_1], axis=-1)
conv = common.convolutional(conv, (1, 1, 384, 128))
```

End of Function

conv_output is the output of YOLOv3 (conv_sbbox, conv_mbbox or conv_lbbox).

For example, let's take output size = 13, then

```
y = np.tile(np.arange(13)[:, np.newaxis], [1, 13])
```

and

```
x = np.tile(np.arange(13)[np.newaxis, :], [13, 1])
```

are respectively:

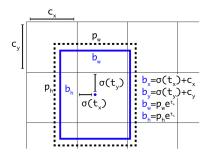
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```

For x and y we expand dimension again along the last axis (break every single element into a bracketed element) before concatenation:

```
xy_grid = tf.concat([x[:, :, tf.newaxis], y[:, :, tf.newaxis]], axis=-1)
At this point, xy_grid is (13, 13, 2) dimensional.

xy_grid = tf.tile(xy_grid[tf.newaxis, :, :, tf.newaxis, :], [batch_size, 1, 1, 3, 1])
xy_grid = tf.cast(xy_grid, tf.float32)
```

Now xy_grid is (batch_size, 13, 13, 3, 2) dimensional. Recall that



```
pred_xy = (tf.sigmoid(conv_raw_dxdy) + xy_grid) * STRIDES[i]
pred_wh = (tf.exp(conv_raw_dwdh) * ANCHORS[i]) * STRIDES[i]
pred_xywh = tf.concat([pred_xy, pred_wh], axis=-1)

pred_conf = tf.sigmoid(conv_raw_conf)
pred_prob = tf.sigmoid(conv_raw_prob)

return tf.concat([pred_xywh, pred_conf, pred_prob], axis=-1)
```

Bear in mind that decoded x, y in pred_xywh denote the center of prediction rectangle, as is the output of the function preprocess_true_boxes.

[End of Function]

3 yolov3.compute_loss

```
def bbox_giou(boxes1, boxes2):
   boxes1 = tf.concat([boxes1[..., :2] - boxes1[..., 2:] * 0.5,
                        boxes1[..., :2] + boxes1[..., 2:] * 0.5], axis=-1)
   boxes2 = tf.concat([boxes2[..., :2] - boxes2[..., 2:] * 0.5,
                        boxes2[..., :2] + boxes2[..., 2:] * 0.5], axis=-1)
   boxes1 = tf.concat([tf.minimum(boxes1[..., :2], boxes1[..., 2:]),
                        \texttt{tf.maximum(boxes1[..., :2], boxes1[..., 2:])], axis=-1)}
   boxes2 = tf.concat([tf.minimum(boxes2[..., :2], boxes2[..., 2:]),
                        tf.maximum(boxes2[..., :2], boxes2[..., 2:])], axis=-1)
   boxes1_area = (boxes1[..., 2] - boxes1[..., 0]) * (boxes1[..., 3] - boxes1[..., 1])
   boxes2_area = (boxes2[..., 2] - boxes2[..., 0]) * (boxes2[..., 3] - boxes2[..., 1])
   left_up = tf.maximum(boxes1[..., :2], boxes2[..., :2])
   right_down = tf.minimum(boxes1[..., 2:], boxes2[..., 2:])
   inter_section = tf.maximum(right_down - left_up, 0.0)
   inter_area = inter_section[..., 0] * inter_section[..., 1]
   union_area = boxes1_area + boxes2_area - inter_area
   iou = inter_area / union_area
   enclose_left_up = tf.minimum(boxes1[..., :2], boxes2[..., :2])
   enclose_right_down = tf.maximum(boxes1[..., 2:], boxes2[..., 2:])
   enclose = tf.maximum(enclose_right_down - enclose_left_up, 0.0)
   enclose_area = enclose[..., 0] * enclose[..., 1]
   giou = iou - 1.0 * (enclose_area - union_area) / enclose_area
  return giou
```

```
def compute_loss(pred, conv, label, bboxes, i=0):
    conv_shape = tf.shape(conv)
    batch_size = conv_shape[0]
    output_size = conv_shape[1]
    input_size = STRIDES[i] * output_size
    conv = tf.reshape(conv, (batch_size, output_size, output_size, 3, 5 + NUM_CLASS))

    conv_raw_conf = conv[:, :, :, 4:5]
    conv_raw_prob = conv[:, :, :, 5:]
```

```
pred_xywh = pred[:, :, :, :, 0:4]
pred_conf = pred[:, :, :, 4:5]

label_xywh = label[:, :, :, :, 0:4]
respond_bbox = label[:, :, :, :, 4:5] # objectiveness
label_prob = label[:, :, :, :, 5:]

giou = tf.expand_dims(bbox_giou(pred_xywh, label_xywh), axis=-1)
input_size = tf.cast(input_size, tf.float32)

bbox_loss_scale = 2.0 - 1.0 * label_xywh[:, :, :, 2:3] * label_xywh[:, :, :, 3:4] / (
input_size ** 2)
giou_loss = respond_bbox * bbox_loss_scale * (1- giou)
```

Note that for two sets $U, V \in \mathcal{C}$, where $\mathcal{C} \in 2^{\mathbb{R}^2}$, the function d(U, V) := 1 - giou(U, V) defines a metric, so giou_loss makes sense.

```
iou = bbox_iou(pred_xywh[:, :, :, np.newaxis, :], bboxes[:, np.newaxis, np.newaxis, np. 

→ newaxis, :, :])
```

bboxes are batched inside Dataset("train").__next__ before passing into compute_loss (in a while loop until image count reaches batch size). Therefore bboxes.shape = (16, 150, 4), where 150 is the maximal number of anchors (most of them are zeros due to initialization), so we see 3:'s in bboxes.

Finally

 $pred_xywh.shape = (16, 13, 13, 3, 150, 4) = bboxes.shape$

and

$$iou.shape = (16, 13, 13, 3, 150)$$

where computation gets rid of the last dimension. bboxes is copied to every grid for computation because from original paper:

"the confidence prediction represents the IOU between the predicted box and any ground truth box"

```
max_iou = tf.expand_dims(tf.reduce_max(iou, axis=-1), axis=-1)
respond_bgd = (1.0 - respond_bbox) * tf.cast( max_iou < IOU_LOSS_THRESH, tf.float32 )
```

In the internet some people call IOU_LOSS_THRESH as ignore_thresh. respond_bgd determines whether to penalize a prediction

- that overlaps too few with ground truth anchors (i.e., detected wrong location) and
- that makes false positive error.

```
conf_focal = tf.pow(respond_bbox - pred_conf, 2)
```

The concept of focal loss with $\gamma = 2$ was introduced in [3], which down-weights the loss contributed by well-classificed (high confidence) examples.

```
conf_loss = conf_focal *
(
    respond_bbox * tf.nn.sigmoid_cross_entropy_with_logits(labels=respond_bbox, logits=
conv_raw_conf)
    +
    respond_bgd * tf.nn.sigmoid_cross_entropy_with_logits(labels=respond_bbox, logits=
conv_raw_conf)
)
```

Where tf.nn.sigmoid_cross_entropy_with_logits(labels=z, logits=x) is

```
z * -log(sigmoid(x)) + (1 - z) * -log(1 - sigmoid(x)),
```

therefore x has to be a raw prediction data.

```
prob_loss = respond_bbox * tf.nn.sigmoid_cross_entropy_with_logits(labels=label_prob, logits=
    conv_raw_prob)

giou_loss = tf.reduce_mean(tf.reduce_sum(giou_loss, axis=[1,2,3,4]))
conf_loss = tf.reduce_mean(tf.reduce_sum(conf_loss, axis=[1,2,3,4]))
prob_loss = tf.reduce_mean(tf.reduce_sum(prob_loss, axis=[1,2,3,4]))

return giou_loss, conf_loss, prob_loss
```

End of Function

4 train.py

Recap of Customized Training Loop with GradientTape. Apart from predefined loss functions (such as categorical_crossentrop for classfication, mse for regression, etc), it is ocassional to come across non-standard loss functions from other repository with the use of tf.GradientTape.

Such implementation usually create 4 components:

Component 1. The model architecture

Component 2. The loss function used when computing the model loss

Component 3. The **optimizer** used to update the model weights

Component 4. The step function that encapsulates the forward and backward pass of the network

Now the code below is self-explanatory:

```
def train_step(image_data, target, epoch):
    # image_data = batch of images
   with tf.GradientTape() as tape:
        pred_result = model(image_data, training=True)
        giou_loss = conf_loss = prob_loss = 0
        # optimizing process
        for i in range(3):
            conv, pred = pred_result[i*2], pred_result[i*2+1]
batch_label, batch_bboxes = target[i]
            loss_items = compute_loss(pred, conv, batch_label, batch_bboxes, i)
            giou_loss += loss_items[0]
            conf_loss += loss_items[1]
            prob_loss += loss_items[2]
        total_loss = giou_loss + conf_loss + prob_loss
        gradients = tape.gradient(total_loss, model.trainable_variables)
        optimizer.apply_gradients(zip(gradients, model.trainable_variables))
        # update learning rate
        global_steps.assign_add(1)
        if global_steps < warmup_steps:</pre>
            lr = global_steps / warmup_steps * cfg.TRAIN.LR_INIT
            lr = cfg.TRAIN.LR_END + 0.5 * (cfg.TRAIN.LR_INIT - cfg.TRAIN.LR_END) * (
                (1 + tf.cos((global_steps - warmup_steps) / (total_steps - warmup_steps) * np.pi))
        optimizer.lr.assign(lr.numpy())
        # writing summary data
        with writer.as_default():
            tf.summary.scalar("lr", optimizer.lr, step=global_steps)
            {\tt tf.summary.scalar("loss/total\_loss",\ total\_loss,\ step=global\_steps)}
            tf.summary.scalar("loss/giou_loss", giou_loss, step=global_steps)
            tf.summary.scalar("loss/conf_loss", conf_loss, step=global_steps)
            tf.summary.scalar("loss/prob_loss", prob_loss, step=global_steps)
        writer.flush()
for epoch in range(cfg.TRAIN.EPOCHS):
    for index, (image_data, target) in enumerate(trainset):
        train_step(image_data, target, epoch)
   model.save_weights("./checkpoints/yolov3-{}-{}.h5".format(cfg.WEIGHT_NAME_TO_SAVE, epoch))
```

References

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