

1. If BS is NP-Hard and $JJ \in P$, then **$P = NP$** . Since we are able to reduce an NP-Hard problem to polynomial time, we can solve any problem in polynomial time and thus, state that $P = NP$. BB is $\Omega(JJ)$.
2. If $BS \in P$ and JJ is NP-Hard, then **we cannot determine** if $P = NP$. Since we are attempting to reduce a polynomial time algorithm using an NP-Hard time, this provides no meaning with regards to BS and thus, there is no way of knowing that $P = NP$.