

**Input:** *data*: array of positive integers

**Input:** *n*: size of *data*

**Output:** JubJub(*data*)

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1  Algorithm: JubJubReduction
2  cap = max(data) //  $O(n)$  assuming linear search
3  for i = 1 to n //  $n$  iterations  $\times [n + B(n)] = n^2 + nB(n)$ 
4      x = min(data) //  $O(n)$  assuming linear search
5      if x > cap then //  $O(1)$ 
6          return false //  $O(1)$ 
7      end
8      Bandersnatch(data) //  $O(B(n))$ 
9  end
10 return true //  $O(1)$ 

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$j(n) \leq \text{JubJubReduction} \leq J(n)$

$b(n) \leq \text{Bandersnatch} \leq B(n)$

$n^{10} \leq B(n), b(n), J(n), j(n)$

1.  **$O(n + n^2 + nB(n))$  or  $O(nB(n))$**  since  $B(n)$  is  $\Omega(n^{10})$

2.

- a. BS is  $O(j(n)/n)$  **FALSE**
- b. BS is  $\Omega(j(n)/n)$  **TRUE**, since  $JJ \leq n \times BS$  (#1),  $JJ/n \leq BS \rightarrow BS$  is  $\Omega(j(n)/n)$
- c. JJ is  $O(nB(n))$  **TRUE**, since JJ is  $O(nB(n))$
- d. JJ is  $\Omega(nb(n))$  **FALSE**, since JJ is  $\Omega(n)$