

Homework 17

Due 11/09/16

November 3, 2016

The *rook-path problem* accepts an array of n 2D points $data$ and returns the length of the shortest *rook-path* from $data[1]$ to $data[n]$, where a *rook-path* is a sequence of moves that start on a point in $data$ and move to another point in $data$ that is horizontal or vertical.

For example, if $data = \{(0, 0), (10, 0), (10, 1), (0, 2), (1, 2), (1, 1)\}$, the shortest rook-path from $(0, 0)$ to $(1, 1)$ would have length 4: $(0, 0) - (0, 2) - (1, 2) - (1, 1)$. There is another rook-path of length 20 from $(0, 0)$ to $(1, 1)$, but length 4 is the shortest rook-path. Note that the rook can't move to $(0, 1)$ or $(1, 0)$ from $(0, 0)$, because these points are not in $data$.

Describe an efficient algorithm to compute the shortest rook-path in a given array of points.