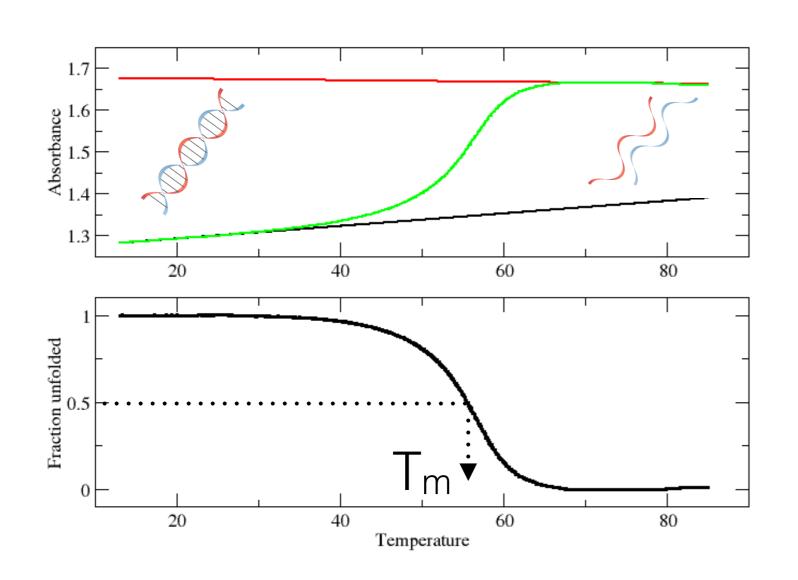
# UV melting experiments

Simple setup - (many) useful informations



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#### UV melting experiments



#### Experimental curve

Linear fit of: low T plateau (A<sub>D</sub>) high T plateau (A<sub>S</sub>)

$$f_D = \frac{A - A_S}{A_D - A_S}$$

melting temperature definition:  $f_D(T_m) = 0.5$ 

## Why you are not using this method?

- You don't believe me, that it's useful
- You didn't know how to do it
  - There wasn't a tool available that would do it automatically
  - Most of us use functions from the software that came with the spectrophotometer (mainly differentiate).

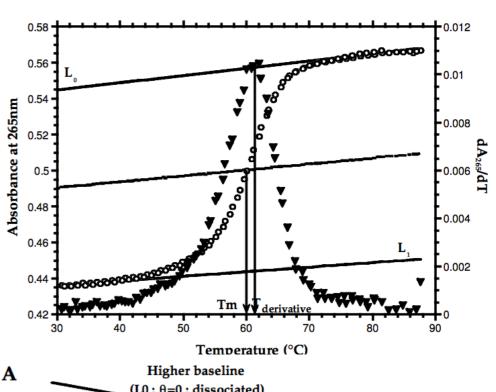
#### Why it should be used?

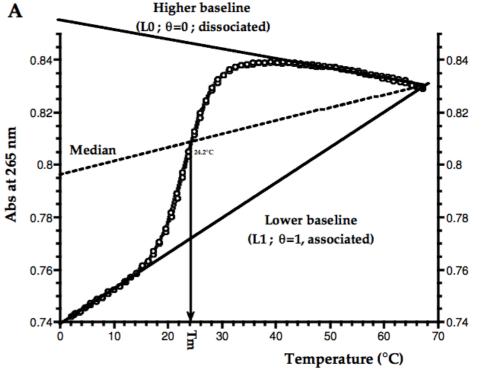
 Because other methods do not work

Table 1. Does the First Derivative Maximum Correspond to the  $T_{\scriptscriptstyle M}$ ?<sup>a</sup>

Derivative	Equilibrium		
	Intramolecular	Bimolecular	
dA/dT	Nob	Nob	
dA/d(1/T)	$No^b$	$No^b$	
$d\theta/dT$	Almost <sup>c</sup>	$No^d$	
$d\theta/d(1/T)$	Yes	No <sup>d</sup>	

Mergny, JL, Lacroix, L (2003). Analysis of thermal melting curves. Oligonucleotides, 13, 6:515-37.



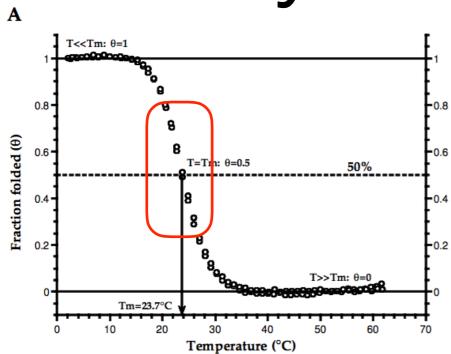


#### From f, K vs T can be derived

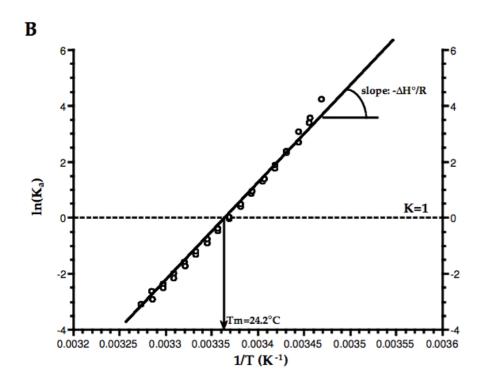
TABLE II
TWO-STATE ANALYSIS OF NUCLEIC ACID TRANSITIONS

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Reaction type	Equilibrium constants	$\Delta H^{\circ}$ from slope of $f$ versus $T$	Concentration dependence of $T_{\rm m}$	
Monomolecular S = H	$K = \frac{[H]}{[S]} = \frac{(f)}{(1-f)}$	$\Delta H^{\circ} = 4RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$		
Bimolecular (self-complementary) 2S = D	$K = \frac{[D]}{[S]^2} = \frac{f}{2(1-f)^2 c_t}$	$\Delta H^{\circ} = 6RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$	$\frac{1}{T_{\rm m}} = \frac{R}{\Delta H^{\rm o}} \ln c_{\rm t} + \frac{\Delta S^{\rm o}}{\Delta H^{\rm o}}$	
Bimolecular (non-self-complementary) $S_A + S_B = D$	$K = \frac{[D]}{[S_A][S_B]} = \frac{2f}{(1-f)^2 c_t}$	$\Delta H^{\circ} = 6RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$	$\frac{1}{T_{\rm m}} = \frac{R}{\Delta H^{\rm o}} \ln c_{\rm t} + \frac{(\Delta S^{\rm o} - R \ln 4)}{\Delta H^{\rm o}}$	
Trimolecular (identical strands) 3S = T	$K = \frac{[T]}{[S]^3} = \frac{f}{3c_t^2(1-f)^3}$	$\Delta H^{\circ} = 8RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$	$\frac{1}{T_{\rm m}} = \frac{2R}{\Delta H^{\rm o}} \ln c_{\rm t} + \frac{\left[\Delta S^{\rm o} - R \ln 4/3\right)\right]}{\Delta H^{\rm o}}$	
Trimolecular (nonidentical strands) $S_A + S_B + S_C = T$	$K = \frac{[T]}{[S_A][S_B][S_C]} = \frac{9f}{c_t^2(1-f)^3}$	$\Delta H^{\circ} = 8RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$	$\frac{1}{T_{\rm m}} = \frac{2R}{\Delta H^{\rm o}} \ln c_{\rm t} + \frac{(\Delta S^{\rm o} - 2R \ln 6)}{\Delta H^{\rm o}}$	
Tetramolecular (identical strands) 4S = Q	$K = \frac{[Q]}{[S]^4} = \frac{f}{4c_t^3(1-f)^4}$	$\Delta H^{\circ} = 10RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$	$\frac{1}{T_{\rm m}} = \frac{3R}{\Delta H^{\rm o}} \ln c_{\rm t} + \frac{(\Delta S^{\rm o} R \ln 2)}{\Delta H^{\rm o}}$	
Tetramolecular (nonidentical strands) $S_A + S_B + S_C + S_D = Q$	$K = \frac{[Q]}{[S_A][S_B][S_C][S_D]} = \frac{64f}{c_t^3(1-f)^4}$	$\Delta H^{\circ} = 10RT_{\rm m}^2 \left(\frac{df}{dT}\right)_{T=T_{\rm m}}$	$\frac{1}{T_{\rm m}} = \frac{3R}{\Delta H^{\rm o}} \ln c_{\rm t} + \frac{(\Delta S^{\rm o} - 3R \ln 8)}{\Delta H^{\rm o}}$	

### Why is Kimportant?



Perform fitting in the T range where f is linear: 0.2 < f < 0.8



It has an energy inside

$$\Delta G = -RT \ln K$$

$$\Delta G = \Delta H - T\Delta S$$

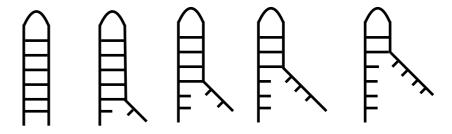
By fitting a linear function to the ln(K) vs 1/T one can derive both enthalpy and entropy

$$\ln K = -\frac{\Delta H}{R} \frac{1}{T} + \frac{S}{R}$$

#### Hill's coefficient

$$f(T) = \frac{T^b}{T_m^b + T^b}$$

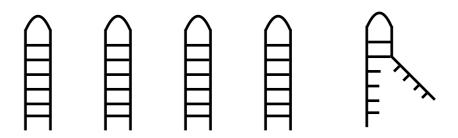
- b = Hill's coefficient
- Describes cooperativity of binding



Hill's coefficient small

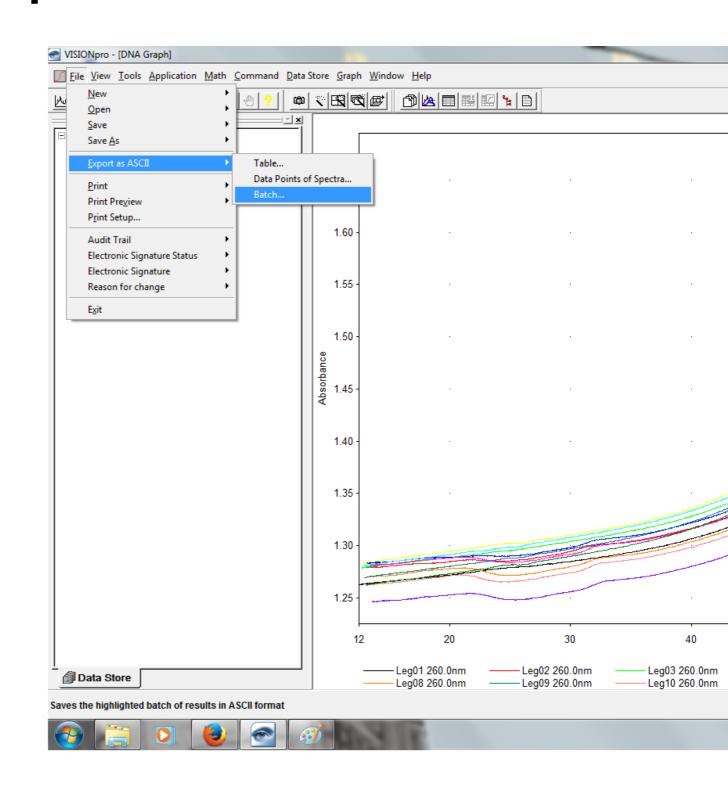


Hill's coefficient large



#### I've made perfect tool

- Works on the ASCII (.txt) files from UV-Vis Nicolet Evolution 300 Spectrophotometer (Thermo Scientific)
- Analyses:
  - T<sub>m</sub>
  - energy: dH, dS and dG
  - Hill's coefficient
- Need a Linux



#### How to use it?

- Download from the https://github.com/maciejj/UV-Tm
- Adjust editable parameters in the Tm.py
- Run: python Tm.py <filename>.txt
- Let the magic happen

#### Parameters

```
#Adjustable parameters:
#Temperature in C for energy analysis:
Tenergy = 20
#Reaction type
#monomolecular=1; bimolecular(selfcomplementary)=2; bimolecular(non-self-complementary)=3
reactionType=1
#concentration in M; needed only when reactionType is not equal to 1
concentration=0.000002
#Temperature range in C for analyze. Zero values mean, it analyses whole curves
Tlow=0
Tmax=0
#Range for the InK fitting. Usually 0.2 - 0.8 is OK
#If not try for example 0.3 to 0.7
InKlow=0.2
InKhigh=0.8
```

#### Outputs

- Files with calculated values of:
  - melting temperatures <filename>.Tms
  - thermodynamic parameters <filename>.Energy
  - Hill's coefficients <filename>.Hills
- Multiple xmgrace ready files
  - <filename>\_f.out
  - <filename>\_fit.out
  - <filename>\_InK\_fit.out

#### Magic happens



### What can go wrong?

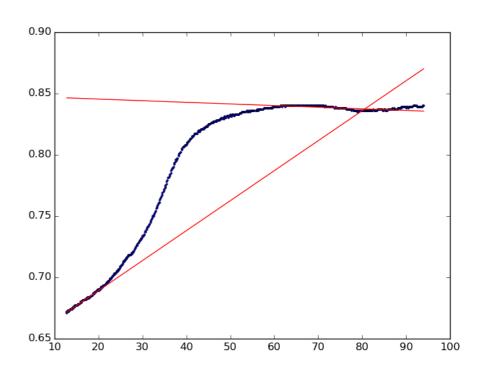
Lower and upper plateau should not intersect

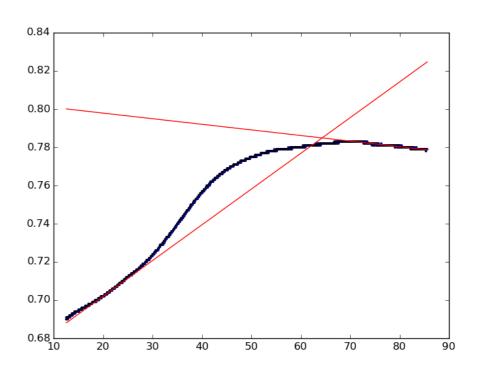
$$f_D = \frac{A - A_S}{A_D - A_S}$$

 Set different temperature range for analysis e.g.

Tlow=15

Tmax=70





#### What can go wrong

- The In(K) vs 1/T is not linear
- Investigate the f vs T curve
- Set different f range for energy analysis e.g. InKlow=0.3 InKhigh=0.7

