# WiFi Access Point Optimization in an Office Building

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This code addresses the problem of optimizing WiFi coverage in a multi-floor office building. The goal is to **minimize the number of WiFi access points** (APs) installed while ensuring that every desk in the building is within a specified distance threshold for good signal strength.

## **Problem Description**

- Objective: Minimize the number of WiFi access points while ensuring full coverage.
- Constraints:
  - Every desk must be within a certain distance (750 cm) of at least one access point.
  - Access points can only cover desks within this distance threshold.
- Building Specifications:

o Floors: 7

Rows per floor: 20
Columns per floor: 7
Floor height: 3 meters
Row length: 1.5 meters
Column width: 2.5 meters

## Approach

The problem is formulated as a **set covering problem** and solved using linear programming with the PuLP library. The key steps include:

- 1. **Modeling the Building Layout**: Generating the locations of all desks and potential access point positions.
- Calculating Distances: Computing the Euclidean distance between every desk and every access point.
- 3. Formulating the Optimization Problem: Defining variables, objective function, and constraints.
- 4. Solving the Problem: Using PuLP to find the optimal placement of access points.
- 5. Visualizing the Solution: Plotting the desks and chosen access points in a 3D space.

## Code Explanation

## Importing Libraries

import pulp
import random
import math

```
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
```

- **pulp**: For formulating and solving the optimization problem.
- random and math: For generating locations and calculating distances.
- matplotlib.pyplot and Axes3D: For plotting the 3D visualization.

## **Setting Parameters**

```
random.seed(1)
```

Setting seed for random generation for a predictable, repetitive result.

```
floors = 7
rows = 20
columns = 7
num_points = 200
floor_height = 3
row_length = 1.5
column_width = 2.5
random_generated_ap_locations = False
S = 750
```

- Building Dimensions: Defined by floors, rows, and columns.
- Physical Dimensions: Real-world distances between points in the grid.
- Distance Threshold (S): Maximum distance for good signal strength in centimeters.

## **Functions**

#### 1. plot\_solution

Plots the desks and access points in 3D space.

```
def plot_solution(access_points, desks, chosen_access_point_keys):
    # Function body
```

- Desks: Plotted as blue squares.
- Chosen Access Points: Plotted as large green circles.
- Unused Access Points: Plotted as small red circles.

## 2. calculate\_distance

Calculates the Euclidean distance between a desk and an access point.

```
def calculate_distance(desk, access_point):
    # Function body
```

- Considers the physical dimensions (floor\_height, row\_length, column\_width).
- Returns the distance in centimeters.

## 3. generate\_desk\_locations

Generates the positions of all desks in the building.

```
def generate_desk_locations(floors=floors, rows=rows, columns=columns):
    # Function body
```

• Desks are placed at every grid point defined by the building dimensions.

### 4. generate\_access\_points

Generates potential positions for access points.

```
def generate_access_points(num_points=num_points, floors=floors,
rows=rows, columns=columns,
random_locations=random_generated_ap_locations):
    # Function body
```

- If random\_locations is False, access points are placed systematically throughout the building.
- Access points are slightly elevated (floor + 0.8) to simulate ceiling placement.

## 5. calculate\_distances

Calculates distances between every desk and every access point.

```
def calculate_distances(desk_locations, access_point_locations):
    # Function body
```

Creates a distance matrix for use in the optimization problem.

## The Optimization Problem

```
def problem():
    # Function body
```

#### Steps:

#### 1. Generate Locations:

```
desk_locations = generate_desk_locations()
access_point_locations = generate_access_points()
desks = desk_locations.keys()
access_points = access_point_locations.keys()
```

#### 2. Calculate Distances:

```
distance_matrix = calculate_distances(desk_locations,
access_point_locations)
```

### 3. Create Coverage Matrix:

```
a = {
   i: {j: 1 if distance_matrix[i][j] <= S else 0 for j in desks}
   for i in access_points
}</pre>
```

a[i][j] = 1 if access point i can cover desk j.

#### 4. Initialize the Problem:

```
plp = pulp.LpProblem("AssignmentProblem", pulp.LpMinimize)
```

#### 5. Define Variables:

```
y = pulp.LpVariable.dicts("y", (access_points), 0, 1, pulp.LpBinary)
```

y[i]: Binary variable indicating whether access point i is installed.

## 6. Objective Function:

```
plp += pulp.lpSum(y[i] for i in access_points)
```

• Minimize the total number of access points installed.

### 7. Constraints:

```
for j in desks:
    plp += pulp.lpSum(a[i][j] * y[i] for i in access_points) >= 1
```

• Each desk must be covered by at least one access point.

#### 8. Solve the Problem:

```
plp.solve()
```

### 9. Output the Results:

```
print("Status:", pulp.LpStatus[plp.status])
print("Minimum number of access points:", pulp.value(plp.objective))
chosen_access_points = [i for i in access_points if pulp.value(y[i])
== 1]
print("Chosen Access Points:", chosen_access_points)
```

#### 10. Plot the Solution:

```
plot_solution(access_point_locations, desk_locations,
  chosen_access_points)
```

## Running the Optimization

```
problem()
```

• Executes the entire optimization process and outputs the results.

## Visualization

The solution is visualized using a 3D scatter plot:

- Blue Squares: Desks.
- Green Circles: Chosen access points.
- Red Circles: Unused potential access points.

This helps in understanding the spatial distribution of desks and access points.

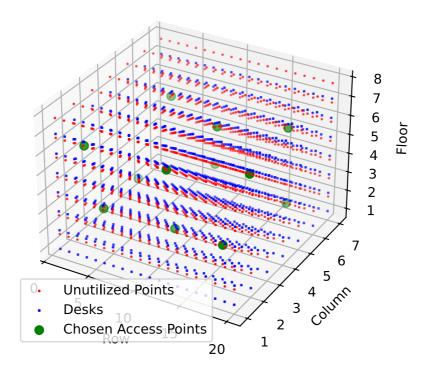
## **Example Output**

```
Status: Optimal
Minimum number of access points: 42.0
Chosen Access Points: ['AP-1-2-2', 'AP-1-5-5', ..., 'AP-7-17-3']
```

- Status: Indicates that an optimal solution was found.
- Minimum number of access points: The least number required to cover all desks.
- Chosen Access Points: List of access points that need to be installed.

## Visualized output

View in interactive form. Download the html file and open it with your browser.



## Conclusion

The code efficiently solves the WiFi access point placement problem by:

- Minimizing Costs: Reducing the number of access points lowers installation and maintenance costs.
- Ensuring Coverage: All desks are within the required distance for good WiFi signal strength.
- Scalability: The approach can be adapted for buildings of different sizes and configurations.

By utilizing linear programming and spatial analysis, the solution provides a practical method for network planning in large office environments.