

# Introduction to Numerical Computing in Python

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## Abstract

In human motion analysis there is a frequently need for processing large amounts of data. Storing data in lists and traversing lists with built-in Python's loops leads to slow code.

## Problem 1

Given the list `rnd_seq`. The problem states that you should find the indexes of all occurrences of the item `'blue'`.

```
"""
@author: Eng. Alexander Sierra, Assistant Professor
"""
from __future__ import print_function
import random
import datetime
# seeding the random number generator
random.seed(datetime.datetime.now().year)

spectrum = ['violet', 'blue', 'cyan', 'green', 'yellow', 'orange', 'red']

rnd_seq = [random.choice(spectrum) for _ in range(100000)]

item_idx = []

print (item_idx)
```

Script 1: random sequence of string objects

In the script 1, the `seed` method is seeding the underlying random number generator used by Python's `random` module.

## Problem 2

Consider a 1-dimensional list of **True** and **False** objects. The problem states that you should count the number of False-to-True transitions in the sequence.

```
"""
@autor: Eng. Alexander Sierra, Assistant Professor
"""
from __future__ import print_function
import random
import datetime

# seeding the random number generator
random.seed(datetime.datetime.now().year)

rnd_seq=[random.choice([False, True])
          for _ in range(100000)]

print(len(rnd_seq))
```

Script 2: random sequence of boolean objects

## Problem 3

For an array of points  $\mathbf{X}$  where each row represents a point in  $\mathbb{R}^3$  compute  $\|\mathbf{x}\|$  for  $\mathbf{x}$  in  $\mathbf{X}$ .

$$\mathbf{X} = \begin{bmatrix} x_1 & y_1 & z_1 \\ x_2 & y_2 & z_2 \\ \vdots & \vdots & \vdots \\ x_n & y_n & z_n \end{bmatrix} \quad (1)$$

In the script 3, the  $\mathbf{X}$  array is defined.

```
"""
@author: Eng. Alexander Sierra, Assistant Professor
"""
from __future__ import print_function
from pprint import pprint
import random
import datetime

# seeding the random number generator
N = 100000
random.seed(datetime.datetime.now().year)

x_array = []
for row in range(N):
    point = []
    for i in range(3):
        point.append(random.random())
    x_array.append(point)

# show the first 10 rows of the X array
pprint(x_array[:10])
```

Script 3: Two-dimensional array

## Problem 4

Consider a two-dimensional array containing a 3D-point cloud. Where  $N$  is the number of points in the cloud.

$$\mathbf{ptCloud} = \begin{bmatrix} x_1 & y_1 & z_1 \\ x_2 & y_2 & z_2 \\ \vdots & \vdots & \vdots \\ x_n & y_n & z_n \end{bmatrix} \quad (2)$$

In Figure 1, we can see an example of a point cloud.

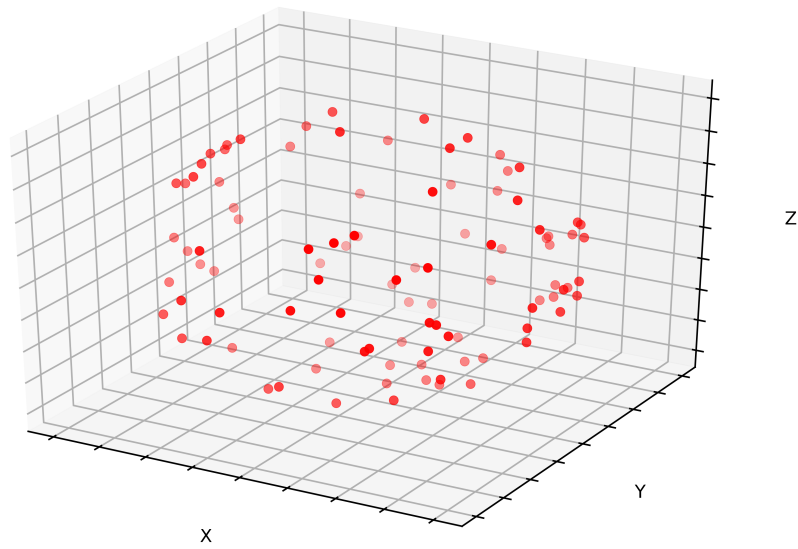


Figure 1: Point Cloud

The problem states that you should compute the radius of the sphere that best fit to all points. Hint: find the centroid of point cloud.

The script 4 generates the point cloud.

```

"""
@autor: Eng. Alexander Sierra, Assistant Professor
"""
from __future__ import print_function
from pprint import pprint
import random

def point_cloud_generator(n=10):
    """
    Helper function to make an array having shape (n, 3)
    """
    _array = []
    for rows in range(n):
        point = []
        for _ in range(3):
            point.append(random.gauss(0, 1))
        _array.append(point)
    return _array

ptCloud = point_cloud_generator(100000)
print ("point_cloud_length: {}".format(len(ptCloud)))

# show the first 10 rows of the ptCloud 2d-array
pprint(ptCloud[:10])

```

Script 4: 3D point cloud

## Problem 5

The **coordinates.csv** file specify the position of two points in the three-dimensional space at different times. A fragment of this file is shown in the table below.

Table 1: coordinates of each point

rptx	rpty	rptz	lptx	lpty	lptz
<i>rptx<sub>1</sub></i>	<i>rpty<sub>1</sub></i>	<i>rptz<sub>1</sub></i>	<i>lptx<sub>1</sub></i>	<i>lpty<sub>1</sub></i>	<i>lptz<sub>1</sub></i>
<i>rptx<sub>2</sub></i>	<i>rpty<sub>2</sub></i>	<i>rptz<sub>2</sub></i>	<i>lptx<sub>2</sub></i>	<i>lpty<sub>2</sub></i>	<i>lptz<sub>2</sub></i>
<i>rptx<sub>3</sub></i>	<i>rpty<sub>3</sub></i>	<i>rptz<sub>3</sub></i>	<i>lptx<sub>3</sub></i>	<i>lpty<sub>3</sub></i>	<i>lptz<sub>3</sub></i>
$\vdots$	$\vdots$	$\vdots$	$\vdots$	$\vdots$	$\vdots$
<i>rptx<sub>1000</sub></i>	<i>rpty<sub>1000</sub></i>	<i>rptz<sub>1000</sub></i>	<i>lptx<sub>1000</sub></i>	<i>lpty<sub>1000</sub></i>	<i>lptz<sub>1000</sub></i>

The first line of file is a header that contains column labels followed by the rows of data. Each row of data contains the  $(x, y, z)$  coordinates of each point.

The problem states that you should compute the mean distance between two points.

```
"""
@author: Eng. Alexander Sierra, Assistant Professor
"""
from __future__ import print_function

# print(datetime.datetime.now().year)

f = open('coordinates.csv', 'r')

f.close()
```

Script 5: 3D point cloud

## Marking criteria

The assignment is marked out of 50. Your work will be marked using the following criteria:

- Problem 1, 5 marks.
- Problem 2, 5 marks.
- Problem 3, 10 marks.
- Problem 4, 10 marks.
- Problem 5, 20 marks.

**Hand-out date:** 29<sup>th</sup> Aug. 2021, 22:00

**Hand-out Method:** Moodle and Microsoft Teams

**Hand-in date:** 10<sup>th</sup> Mar. 2021, 18:00

**Hand-in Method:** Moodle