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LISP EXPRESSIONS
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LIST:

### BODLEAN EXPRESSIONS:

false: NIL (empty 1;st)

true : t (anything other than NIL)

# PREDICATES:

( > . . )

( < . . )

( = . · \

( < = . . )

( >= . .

> ( > 3 1)

> t

> ( < 3 1)

> NIL

- atom: is the expression an atom

→ listp: is it a list

→ null : is it null

- equal : are they equal-

> (atom 3) > (atom NIL)
> t > t

> (atom 9x) > (listp NIL)

> t > t

> laton (a b)

> NIL

> ( listp )(a b)/

> t

> (se+q, x , (a b))

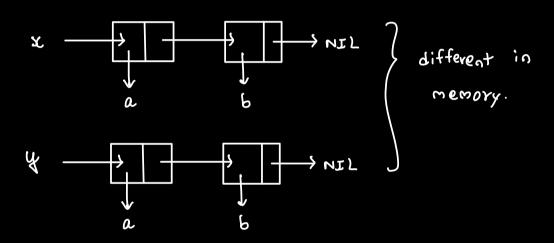
> (setq y ? (a b))

> (equal x y)

> t

> NIL

In memory



Creates a unit and points to atom M. Next

Set to tail list, T.

H

# BOOLEAN CONNECTORS:

NOT , AND, OF

> NIL

> t

> NIL

> NIL

evaluates left to right

\* else return orgn.

> 4

> NIL

### BRANCHING:

> (set 
$$q$$
  $\times$  3)  
> (cond ((=  $\times$  0) 'positive)  
((<  $\times$  0) 'negative)  
> positive .

```
FUNCTIONS:
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LET:

> (let 
$$(x 3)$$
 } local binding in  $(x 4)$  parallel  $(x 4)$ 

7 7

> X L+ eyyoy

>12

LET >

Sequential evalution, still local

$$> (set q) \quad \approx \quad 5)$$
  $\alpha = 5$ 

# RECURSIVE FUNCTIONS:

( 
$$defvn \quad odd$$
? ( $xi$ )

(  $(ond) \quad ((= x \quad i) \quad t)$ 

(  $(= x \quad i) \quad t)$ 

> t

$$U_i = \begin{cases} U(u-i) & \text{otherwise} \\ U_i & \text{otherwise} \end{cases}$$

```
Sum of LIST:
    (1 2 3) -> b
     (1) -1
     \langle \rangle \rightarrow 0
    | defun sum_list [L]
         (lov1 L) 0)
                 [t (+ (car L) (sum_list (cdr L))))]
IS THE NUMBER, X IN LIST, L:
   > (member? )a '(a b c))
          > t
   > (member? "(x 4) " (1 (x 4) 7)]
          > t
   > (member? )x )(1 (x 8) 3))
          > ハエし
```

```
(defun member? (x L)
    (rond (roull L) NIL)
           (lequal x (car L)) t)
            (t (member? x (cdr L))))
LAST ELEMENT OF LEST:
 7 (last ) (1 (ab) 7)
    > 7
 > (last ? (a))
     > a
 > (last NIL)
      > NIL
  (defun last (L)
       (cond ((null (cdr L)) (car L))
              (t (last (cdr L))))
```

> (remove ) (a b) ) (7 (a b) 2))

>(1 4)

> (7 2)

```
(detun remove (x L)
      (cond (lov)) NIL)
            ( equal x (car L)) (remove x (cdr L)))
             (t (cons (car L) (remove x (cdr L))))
APPEND A LIST TO ANOTHER LIST:
 > (append ) (a b) ) (1 2))
      > (a b 1 z)
  > (append NIL ) (x y))
       > (x y)
  > [append , (a) , (3 x))
       > (a 3 x/
 (detun append (21 12)
       (cond ((null L1) L2)
             (t (cons (car Li) (append (cdr Li) L2))))
```