

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

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LAB REPORT

Artificial Intelligence (23CS5PCAIN)

Submitted by

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in partial fulfillment for the award of the degree of

BACHELOR OF ENGINEERING

in

COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

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B.M.S. College of Engineering

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CERTIFICATE

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **MADHU SARIKA (1BM22CS140)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfilment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Laboratory report has been approved as it satisfies the academic requirements of the above-mentioned subject and the work prescribed for the said degree.

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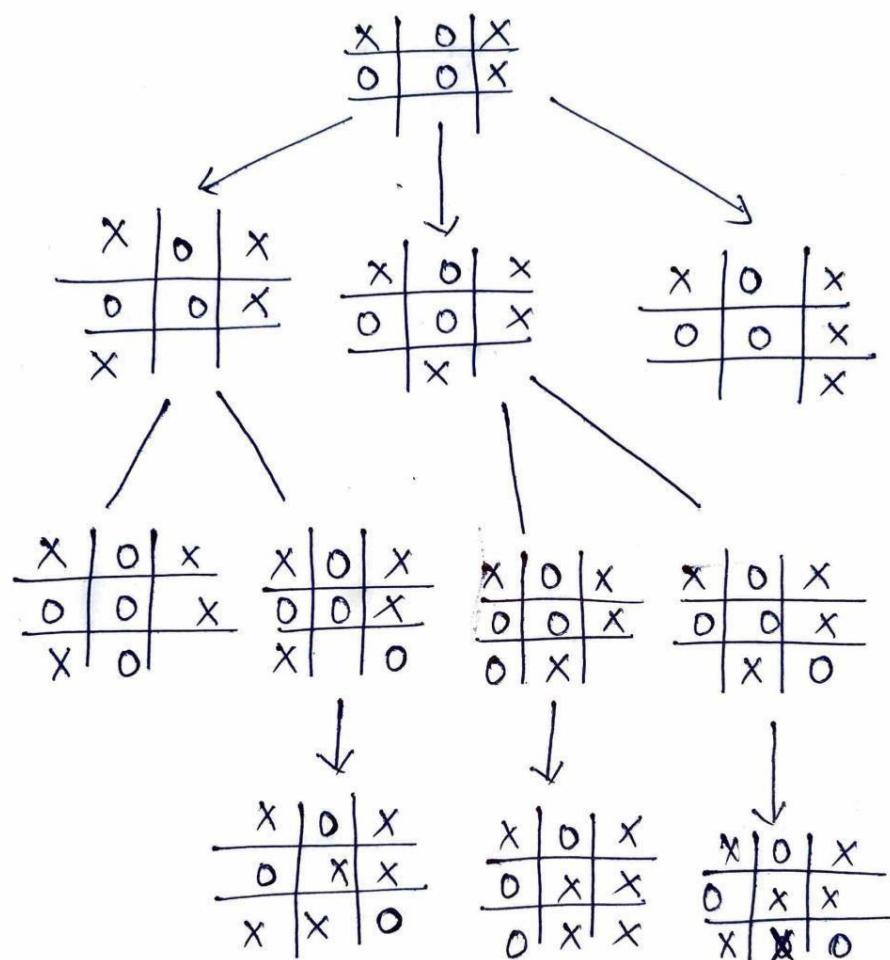
Github Link:

<https://github.com/madhupandeyy/AI-Lab>

LAB PROGRAM 1

Implement Tic Tac Toe game.

State space — Tic Tac Toe



A logeithm:

1. Initialize game board - Create a 3×3 board filled with empty spaces.

2. Print the board positions and the corresponding index numbers (0-8) for user input.

3. Set human player as "x" and the computer as "o".

4. Game loop:

Repeat until the game ends (win or draw)

Print current board state.

//check current player

If the current player is "x" (human), prompt the user to input their move.

For validating s/p, ensure that user has entered b/w 0 and 8 and also check that the selected cell is not already occupied, if invalid prompt again.

If the current player is "o" (computer) generate a list of available moves and implement the strategy to choose the best move, win move, block move or random.

5. Place the current player's mark either o or x in the selected cell.

6. Call check_winner(board) to check for the winner.

7. Call isboard_full(board) to check for the draw and then exit the loop.

8. Then player can switch from x to o .



Code:

```
import random

def print_board(board):
    for row in board:
        print(" | ".join(row))
        print("-" * 9)

def check_winner(board):
    for row in board:
        if row[0] == row[1] == row[2] != " ":
            return row[0]

    for col in range(3):
        if board[0][col] == board[1][col] == board[2][col] != " ":
            return board[0][col]

    if board[0][0] == board[1][1] == board[2][2] != " ":
        return board[0][0]
    if board[0][2] == board[1][1] == board[2][0] != " ":
        return board[0][2]

    return None

def is_board_full(board):
    return all(cell != " " for row in board for cell in row)

def get_available_moves(board):
    return [(i, j) for i in range(3) for j in range(3) if board[i][j] == " "]
```

```

def tic_tac_toe():

    board = [[" " for _ in range(3)] for _ in range(3)]
    current_player = "X" # Human player
    computer_player = "O"

    print("Welcome to Tic-Tac-Toe!")
    print("Board positions:")
    print(" 0 | 1 | 2")
    print("-----")
    print(" 3 | 4 | 5")
    print("-----")
    print(" 6 | 7 | 8")

    while True:
        print_board(board)

        if current_player == "X":
            move = input(f"Player {current_player}, enter your move (0-8): ")
            try:
                move = int(move)
                row, col = divmod(move, 3)
                if board[row][col] != " ":
                    print("Invalid move. Cell already occupied. Try again.")
                    continue
            except (ValueError, IndexError):
                print("Invalid input. Please enter a number between 0 and 8.")
                continue
        else:
            # Computer's turn
            available_moves = get_available_moves(board)

```

```
row, col = random.choice(available_moves)
print(f"Computer ({computer_player}) chooses: {row * 3 + col}")

board[row][col] = current_player
winner = check_winner(board)

if winner:
    print_board(board)
    print(f"Player {winner} wins!")
    break

if is_board_full(board):
    print_board(board)
    print("It's a draw!")
    break

# Switch players
current_player = computer_player if current_player == "X" else "X"

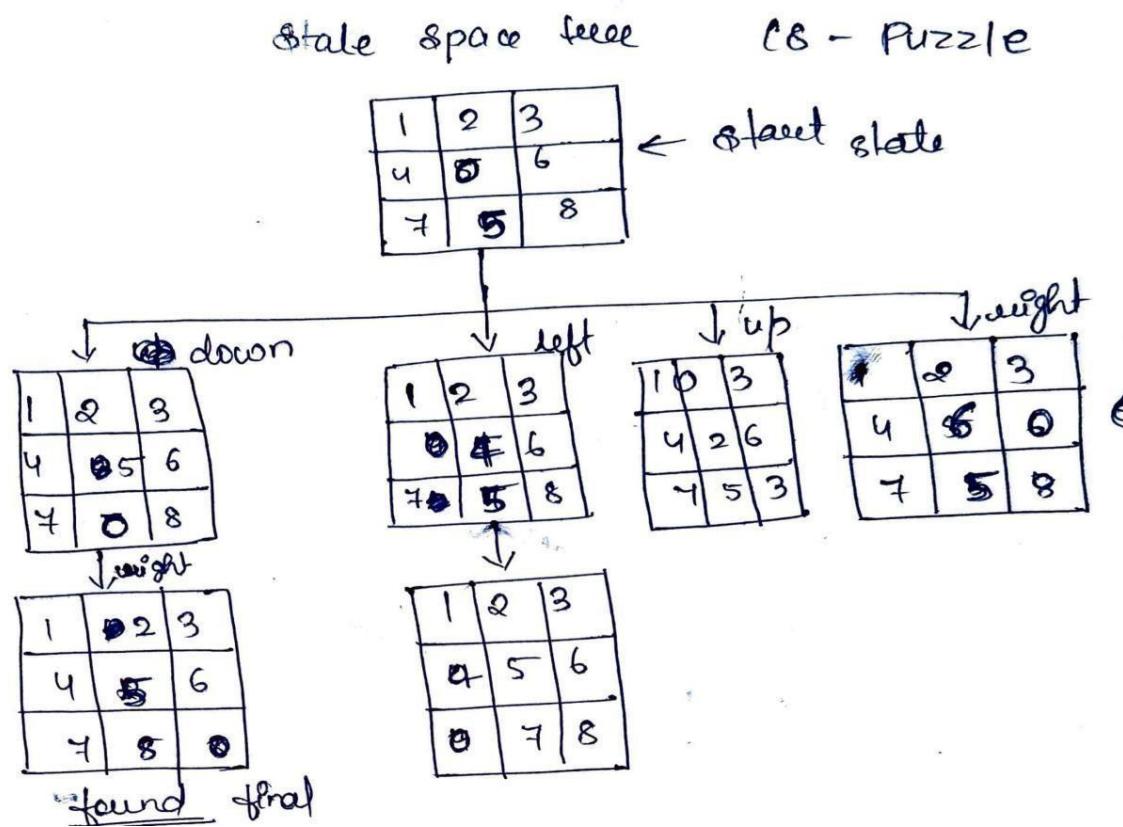
if __name__ == "__main__":
    tic_tac_toe()
```

Output:

```
Welcome to Tic-Tac-Toe!
Board positions:
 0 | 1 | 2
-----
 3 | 4 | 5
-----
 6 | 7 | 8
  |  |
-----
  |  |
-----
  |  |
-----
Player X, enter your move (0-8): 4
  |  |
-----
  | X |
-----
  |  |
-----
Computer (0) chooses: 8
  |  |
-----
  | X |
-----
  |  | 0
-----
Player X, enter your move (0-8): 5
  |  |
-----
  | X | X
-----
  |  | 0
-----
Computer (0) chooses: 2
  |  | 0
-----
  | X | X
-----
  |  | 0
-----
Player X, enter your move (0-8): 3
  |  | 0
-----
X | X | X
-----
  |  | 0
-----
Player X wins!
```

LAB PROGRAM 2

Solve 8 – Puzzle problems.



LAB-2

8 Puzzle Problem

Import numpy as np

```
def bfs(sorc, target):
    queue = [(sorc, None)] # state and last move
    visited = set()
    slate_count = 0 # initialize slate count
    while queue:
        state, lastmove = queue.pop(0)
        state_tuple = tuple(state) # convert state to
                                    # tuple for set
        if state_tuple not in visited:
            visited.add(state_tuple)
            slate_count += 1 # increment the slate
                            # count
            print_board(state)
            if lastmove:
                print(f"Current move: {lastmove}\n")
            if state == target:
                print(f"\nGoal achieved!")
                break
            for move, direction in possible_moves:
                if tuple(move) not in visited:
                    queue.append((move, direction))
    print(f"\nTotal unique states explored: {slate_count}")
```

```

def possible_moves(state):
    b = state.index(0)
    directions = []
    if b not in [0, 1, 2]: directions.append('u')
    if b not in [6, 7, 8]: directions.append('d')
    if b not in [0, 3, 6]: directions.append('l')
    if b not in [2, 5, 8]: directions.append('r')
    return [(gen(state, d, b), d) for d in directions]

```

```

def gen(state, direction, b):
    stateCopy = state.copy()
    temp = stateCopy[b]
    stateCopy[b] = stateCopy[b+3]
    stateCopy[b+3] = temp
    if direction == 'u': temp[b], temp[b+3] = temp[b+3], temp[b]
    if direction == 'd': temp[b], temp[b-3] = temp[b-3], temp[b]
    if direction == 'l': temp[b], temp[b-1] = temp[b-1], temp[b]
    if direction == 'r': temp[b], temp[b+1] = temp[b+1], temp[b]

```

```

def print_board(state):
    board = np.array(state).reshape(3, 3)
    print(board)

```

Initial and target configuration

```

src = [1, 2, 3, 0, 4, 5, 6, 7, 8]
target = [1, 2, 3, 4, 5, 6, 7, 8, 0]

```

Run bfs to solve the puzzle

```

bfs(src, target)

```

Code:

```
import numpy as np
```

```
def bfs(src, target):  
    queue = [(src, None)] # State and last move  
    visited = set()  
    state_count = 0 # Initialize state count  
  
    while queue:  
        state, last_move = queue.pop(0)  
        state_tuple = tuple(state) # Convert state to tuple for set operations  
  
        if state_tuple not in visited:  
            visited.add(state_tuple)  
            state_count += 1 # Increment the state count  
  
            print_board(state)  
            if last_move:  
                print(f"Current move: {last_move}\n")  
  
            if state == target:  
                print("Goal state achieved!")  
                break  
  
        for move, direction in possible_moves(state):
```

```

        if tuple(move) not in visited:
            queue.append((move, direction))

print(f"Total unique states explored: {state_count}")

def possible_moves(state):
    b = state.index(0)
    directions = []

    if b not in [0, 1, 2]: directions.append('u')
    if b not in [6, 7, 8]: directions.append('d')
    if b not in [0, 3, 6]: directions.append('l')
    if b not in [2, 5, 8]: directions.append('r')

    return [(gen(state, d, b), d) for d in directions]

def gen(state, direction, b):
    temp = state.copy()
    if direction == 'u': temp[b], temp[b - 3] = temp[b - 3], temp[b]
    if direction == 'd': temp[b], temp[b + 3] = temp[b + 3], temp[b]
    if direction == 'l': temp[b], temp[b - 1] = temp[b - 1], temp[b]
    if direction == 'r': temp[b], temp[b + 1] = temp[b + 1], temp[b]
    return temp

def print_board(state):

```

```
board = np.array(state).reshape(3, 3)
print(board)

# Initial configuration and target configuration
src = [1, 2, 3, 0, 4, 6, 7, 5, 8]
target = [1, 2, 3, 4, 5, 6, 7, 8, 0]

# Run BFS to solve the puzzle
bfs(src, target)
```

Output:

```
[[1 2 3]
 [0 4 6]
 [7 5 8]]
 [[0 2 3]
 [1 4 6]
 [7 5 8]]
 Current move: u

 [[1 2 3]
 [7 4 6]
 [0 5 8]]
 Current move: d

 [[1 2 3]
 [4 0 6]
 [7 5 8]]
 Current move: r

 [[2 0 3]
 [1 4 6]
 [7 5 8]]
 Current move: r

 [[1 2 3]
 [7 4 6]
 [5 0 8]]
 Current move: r

 [[1 0 3]
 [4 2 6]
 [7 5 8]]
 Current move: u

 [[1 2 3]
 [4 5 6]
 [7 0 8]]
 Current move: d

 [[1 2 3]
 [4 6 0]
 [7 5 8]]
 Current move: r

 [[2 4 3]
 [1 0 6]
 [7 5 8]]
 Current move: d

 [[2 3 0]
 [1 4 6]
 [7 5 8]]
 Current move: r

 [[1 2 3]
 [7 0 6]
 [5 4 8]]
 Current move: u

 [[1 2 3]
 [7 4 6]
 [5 8 0]]
 Current move: r

 [[0 1 3]
 [4 2 6]
 [7 5 8]]
 Current move: l

 [[1 3 0]
 [4 2 6]
 [7 5 8]]
 Current move: r

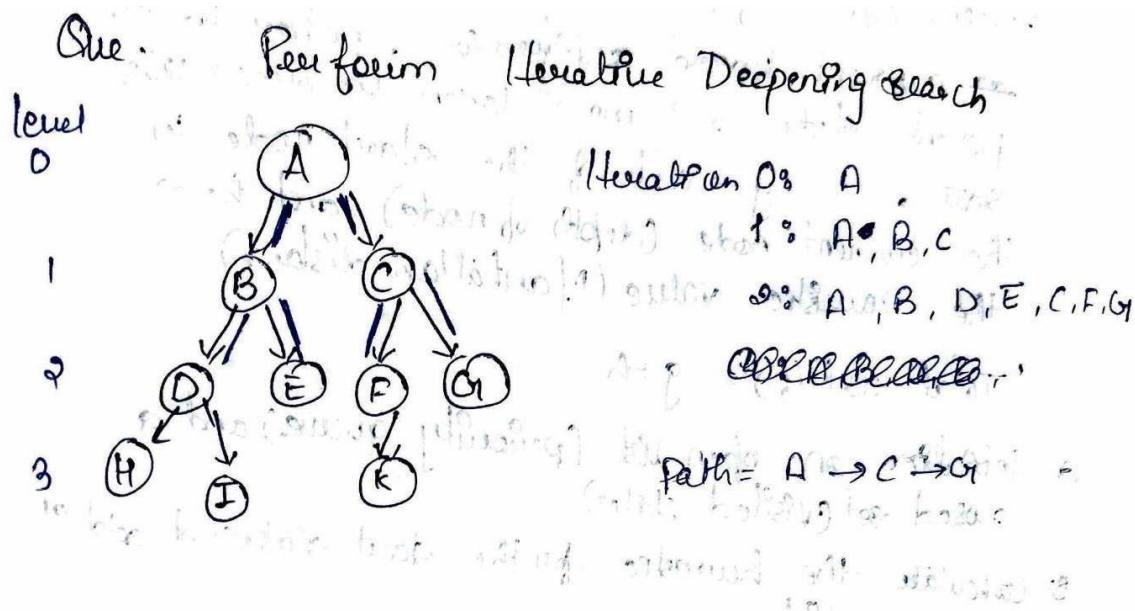
 [[1 2 3]
 [4 5 6]
 [0 7 8]]
 Current move: l

 [[1 2 3]
 [4 5 6]
 [7 8 0]]
 Current move: r

 Goal state achieved!
 Total unique states explored: 17
```

LAB PROGRAM 3

Implement Iterative deepening search algorithm.



Iterative Deepening DFS

```
graph = {
    'A': ['B', 'C'],
    'B': ['D', 'E'],
    'C': ['G'],
    'D': [],
    'E': ['F'],
    'G': []
}
```

```
def DFS(curNode, dest, graph, maxDepth, curList):
    print("Checking for", dest, "from", curNode)
    curList.append(curNode)
    if curNode == dest:
        return True
    if maxDepth <= 0:
        return False
    for node in graph[curNode]:
        if DFS(node, dest, graph, maxDepth - 1, curList):
            return True
    curList.pop() # Backtrack if no path found at this depth
    return False

def iterativeDFS(curNode, dest, graph, maxDepth):
    for i in range(maxDepth):
        print(f"\nIteration with depth level {i}:")
        curList = []
```

g) DFS(CurrNode, dest, graph, .9, curlPst):

print ("Yes, path exists")

print (curlPst)

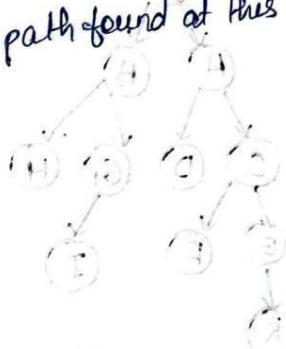
between True

print ("Completed. Level {0}, no path found at this
depth.\n")

print ("Path not available.")

between False

[A | C]



generateDFS('A', 'E', graph, 4)

[A | C]

[A | C | B | D | E]

[A | C | B | D | E | F | G]

[A | C | B | D | E | F | G | H | I]

[A | C | B | D | E | F | G | H | I | J | K]

[A | C | B | D | E | F | G | H | I | J | K | L | M]

[A | C | B | D | E | F | G | H | I | J | K | L | M | N | O]

[A | C | B | D | E | F | G | H | I | J | K | L | M | N | O | P | Q]

[A | C | B | D | E | F | G | H | I | J | K | L | M | N | O | P | Q | R | S]

[A | C | B | D | E | F | G | H | I | J | K | L | M | N | O | P | Q | R | S | T | U]

[A | C | B | D | E | F | G | H | I | J | K | L | M | N | O | P | Q | R | S | T | U | V | W]

leads to loop

```

def possible_moves(state):
    b = state.index(0)
    directions = []
    if b not in [0, 1, 2]: directions.append('u')
    if b not in [6, 7, 8]: directions.append('d')
    if b not in [0, 3, 6]: directions.append('l')
    if b not in [2, 5, 8]: directions.append('r')
    return [(gen(state, d, b), d) for d in directions]

```

```

def gen(state, direction, b):
    stateCopy = state.copy()
    temp = stateCopy
    if direction == 'u': temp[b], temp[b+3] = temp[b+3], temp[b]
    if direction == 'd': temp[b], temp[b-3] = temp[b-3], temp[b]
    if direction == 'l': temp[b], temp[b-1] = temp[b-1], temp[b]
    if direction == 'r': temp[b], temp[b+1] = temp[b+1], temp[b]

```

```

def print_board(state):

```

```

    board = np.array(state).reshape(3,3)
    print(board)

```

Initial and target configuration

```

src = [1, 2, 3, 0, 4, 5, 6, 7, 8]

```

```

target = [1, 2, 3, 4, 5, 6, 7, 8, 0]

```

Run bfs to solve the puzzle

```

bfs(src, target)

```

Final Step: print answer

```

[0, 1, 2, 3, 4, 5, 6, 7, 8]

```

Code:

```
graph = {  
    'A': ['B', 'C'],  
    'B': ['D', 'E'],  
    "C": ['G'],  
    'D': [],  
    'E': ['F'],  
    'G': [],  
    'F': []  
}  
  
def DFS(currentNode, destination, graph, maxDepth, curList):  
    print("Checking for destination", currentNode)  
    curList.append(currentNode)  
    if currentNode == destination:  
        return True  
    if maxDepth <= 0:  
        return False  
    for node in graph[currentNode]:  
        if DFS(node, destination, graph, maxDepth - 1, curList):  
            return True  
    curList.pop() # Backtrack if no path is found at this depth  
    return False  
  
def iterativeDDFS(currentNode, destination, graph, maxDepth):  
    for i in range(maxDepth):  
        print(f"\n--- Iteration with depth level {i} ---")  
        curList = []  
        if DFS(currentNode, destination, graph, i, curList):  
            print("Yes, path exists")
```

```
print(curList)
return True
print(f"Completed level {i}, no path found at this depth.\n")
print("Path is not available")
return False

# Calling the function
iterativeDDFS('A', 'E', graph, 4)
```

Output:

```
→
--- Iteration with depth level 0 ---
Checking for destination A
Completed level 0, no path found at this depth.

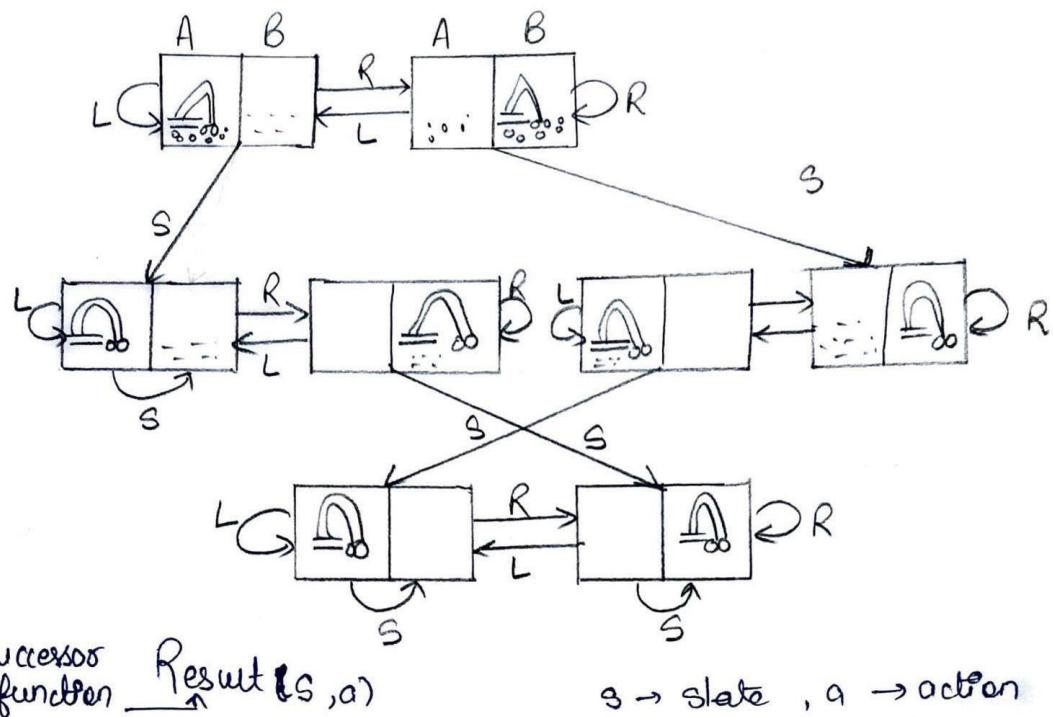
--- Iteration with depth level 1 ---
Checking for destination A
Checking for destination B
Checking for destination C
Completed level 1, no path found at this depth.

--- Iteration with depth level 2 ---
Checking for destination A
Checking for destination B
Checking for destination D
Checking for destination E
Yes, path exists
['A', 'B', 'D', 'E']
True
```

LAB PROGRAM 4

Implement vacuum cleaner agent.

State space - Vacuum cleaner



Successor
function

Result (s,a)

$s \rightarrow \text{state}, a \rightarrow \text{action}$

Vacuum cleaner

Pseudocode :

```
def vacuum-cleaner-agent(location, status):
    x, y = location
    if status[x][y] == 'Dirty':
        return f"The vacuum cleaner is at ({x}, {y}) and it is
               dirty. Cleaning."
    else:
        return f"The vacuum cleaner is at ({x}, {y}) and it is
               clean. Moving."
status = [[ 'Dirty', 'Clean'], [ 'Dirty', 'Dirty']]
location = (0,0)
while True:
    action = vacuum-cleaner-agent(location, status)
    print(action)
    x, y = location
    if status[x][y] == 'Dirty':
        status[x][y] = 'Clean'
    if status[0][0] == 'Clean' and status[0][1] == 'Clean'
        and status[1][0] == 'Clean' and status[1][1] == 'Clean':
        print("All locations are clean")
        break
    if y < 1:
        location = (x, y+1)
    elif x > 1:
        location = (x-1, y)
    else:
        location = (x, y-1)
```

Code:

```
def vacuum_cleaner_agent(location, status):
    x, y = location
    if status[x][y] == 'Dirty':
        return f"The vacuum cleaner is at ({x}, {y}) and it is dirty. Cleaning."
    else:
        return f"The vacuum cleaner is at ({x}, {y}) and it is clean. Moving."

status = [['Dirty', 'Clean'], ['Dirty', 'Dirty']]
location = (0, 0)

while True:
    action = vacuum_cleaner_agent(location, status)
    print(action)

    x, y = location
    if status[x][y] == 'Dirty':
        status[x][y] = 'Clean'

    if status[0][0] == 'Clean' and status[0][1] == 'Clean' and status[1][0] == 'Clean' and
       status[1][1] == 'Clean':
        print("All locations are clean. The vacuum cleaner is finished.")
        break

    if y < 1:
        location = (x, y + 1)
    elif x < 1:
        location = (x + 1, 0)
```

Output:

```
→ The vacuum cleaner is at (0, 0) and it is dirty. Cleaning.  
The vacuum cleaner is at (0, 1) and it is clean. Moving.  
The vacuum cleaner is at (1, 0) and it is dirty. Cleaning.  
The vacuum cleaner is at (1, 1) and it is dirty. Cleaning.  
All locations are clean. The vacuum cleaner is finished.
```

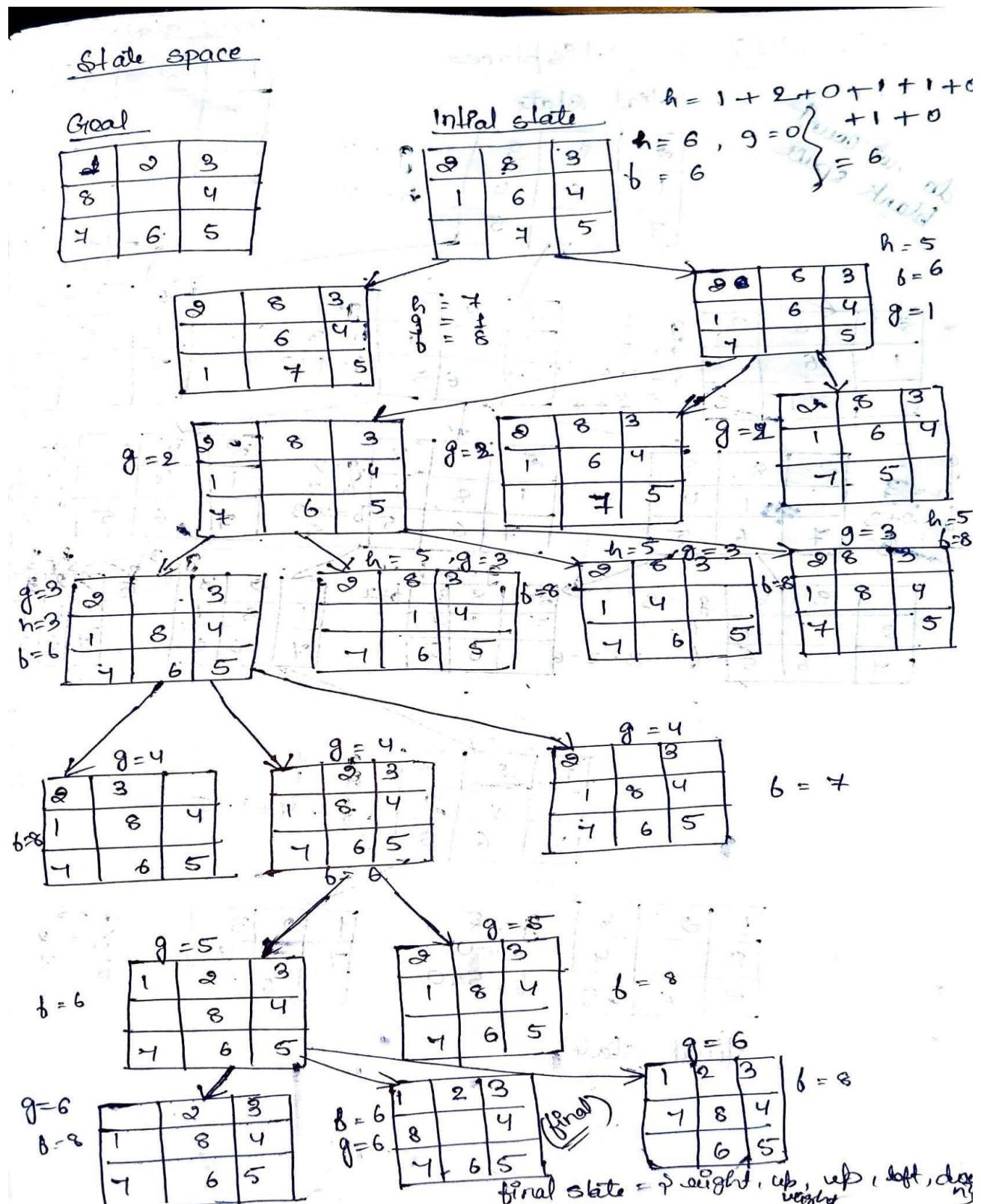


Start coding or generate with AI.

LAB PROGRAM 5

Implement A* search algorithm.

Heuristic – Manhattan



15/10/24

Heuristic: Manhattan

Algorithm

1. Create a puzzle class to represent the current state of the 8-puzzle. This includes:
- current board configuration, pointer to the parent state and move taken to reach this state.
 $f \rightarrow$ cost of the start node to the current node (depth of node), and $h \rightarrow$ the heuristic value (Manhattan distance).
$$\text{Total cost } f(n) = g + h$$
2. Initialize an open list (priority queue) and a closed set (visited states).
3. Calculate the heuristic for the start state and add it to open list.
4. When the open list is non-empty, pop the state with lowest $f(n)$ from the open list.
5. If the current state is the goal, trace the path back to the start and return the moves.
6. Mark the current state as explored and add it to closed set.
7. For each neighbouring state, generate new states and calculate $g(n)$, $h(n)$, and $f(n)$.
8. If the neighbour hasn't been explored, add it to the open list.
9. If the goal is found, return the solution path. If the open list has no solution, return that no solution exists.

```

import heapq

goal_state = [[1, 2, 3],
              [8, 0, 4],
              [7, 6, 5]]

def find_zero(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return (i, j)

def move(state, direction):
    new_state = [row[:] for row in state]
    i, j = find_zero(state)
    if direction == "up" and i > 0:
        new_state[i][j], new_state[i-1][j] = new_state[i-1][j], new_state[i][j]
    elif direction == "down" and i < 2:
        new_state[i][j], new_state[i+1][j] = new_state[i+1][j], new_state[i][j]
    elif direction == "left" and j > 0:
        new_state[i][j], new_state[i][j-1] = new_state[i][j-1], new_state[i][j]
    elif direction == "right" and j < 2:
        new_state[i][j], new_state[i][j+1] = new_state[i][j+1], new_state[i][j]
    else:
        return None
    return new_state

def is_goal(state):
    return state == goal_state

def manhattan_distance(state):
    distance = 0
    for i in range(3):
        for j in range(3):
            if state[i][j] != 0:
                goal_i, goal_j = divmod(state[i][j] - 1, 3)
                if state[i][j] == 8:
                    goal_i, goal_j = 1, 1
                distance += abs(goal_i - i) + abs(goal_j - j)
    return distance

def a_star(initial_state):
    priority_queue = []
    heapq.heappush(priority_queue, (0, initial_state, [], 0))
    visited = set()

    while priority_queue:
        f, state, path, g = heapq.heappop(priority_queue)
        print("Exploring state in A*:")
        print_state(state)

```

```

if is_goal(state):
    return path

visited.add(tuple(map(tuple, state)))

for direction in ["up", "down", "left", "right"]:
    new_state = move(state, direction)
    if new_state and tuple(map(tuple, new_state)) not in visited:
        h = manhattan_distance(new_state)
        new_g = g + 1
        new_f = new_g + h
        heapq.heappush(priority_queue, (new_f, new_state, path + [direction], new_g))

return None

def print_state(state):
    for row in state:
        print(row)
    print()

def get_initial_state():
    print("Enter the initial state of the 8-puzzle (0 for empty space):")
    initial_state = []
    for i in range(3):
        row = list(map(int, input(f"Enter row {i+1} (space-separated): ").strip().split()))
        if len(row) != 3:
            raise ValueError("Each row must contain exactly 3 numbers.")
        initial_state.append(row)
    return initial_state

if __name__ == "__main__":
    initial_state = get_initial_state()
    print("Initial State:")
    print_state(initial_state)
    print("Solving using A* search:")
    a_star_solution = a_star(initial_state)

    if a_star_solution:
        print("A* Solution:", a_star_solution)
    else:
        print("No solution found with A*.")

.....

```

Output:	[1, 8, 4]	Exploring state in A*:
Enter the initial state (0 for empty space):	[7, 6, 5]	[0, 2, 3]
Enter row 1 (space-separated): 2 8 3	Exploring state in A*:	[1, 8, 6]
Enter row 2 (space-separated): 1 6 4	[0, 2, 3]	[7, 5, 4]
Enter row 3 (space-separated): 0 7 5	[1, 8, 4]	Exploring state in A*:
Initial State:	[7, 6, 5]	[1, 2, 3]
[2, 8, 3]	Exploring state in A*:	[0, 8, 6]
[1, 6, 4]	[1, 2, 3]	[7, 5, 4]
[0, 7, 5]	[0, 8, 4]	Exploring state in A*:
Solving using A* search:	[7, 6, 5]	[2, 8, 3]
Exploring state in A*:	[2, 8, 3]	[1, 5, 6]
[1, 6, 4]	Exploring state in A*:	[7, 0, 4]
[0, 7, 5]	[2, 8, 3]	Exploring state in A*:
Exploring state in A*:	[1, 4, 0]	[2, 8, 3]
[2, 8, 3]	[7, 6, 5]	[1, 5, 6]
[1, 6, 4]	Exploring state in A*:	[7, 4, 0]
[0, 7, 5]	[2, 8, 3]	Exploring state in A*:
Exploring state in A*:	[1, 4, 5]	[0, 8, 3]
[2, 8, 3]	[7, 6, 0]	[2, 6, 4]
[1, 6, 4]	Exploring state in A*:	[1, 7, 5]
[7, 0, 5]	[2, 8, 3]	Exploring state in A*:
Exploring state in A*:	[1, 4, 5]	[1, 2, 3]
[2, 8, 3]	[7, 0, 6]	[7, 8, 4]
[1, 6, 4]	Exploring state in A*:	[0, 6, 5]
[7, 5, 0]	[2, 8, 3]	Exploring state in A*:
Exploring state in A*:	[1, 6, 0]	[1, 2, 3]
[2, 8, 3]	[7, 5, 4]	[7, 8, 6]
[0, 6, 4]	Exploring state in A*:	[0, 5, 4]
[1, 7, 5]	[2, 8, 3]	Exploring state in A*:
Exploring state in A*:	[1, 0, 6]	[1, 2, 3]
[2, 8, 3]	[7, 5, 4]	[8, 0, 4]
[1, 0, 4]	Exploring state in A*:	[7, 6, 5]
[7, 6, 5]	[2, 0, 3]	A* Solution: ['right', 'up',
Exploring state in A*:	[1, 8, 6]	'up', 'left', 'down', 'right']
[2, 0, 3]	[7, 5, 4]	"""

Heuristic – Mismatched Tiles

Heuristic : Misplaced

Do not count
blank space

Initial State

2	8	3
1	6	4
7		5

$$g = 0$$

$$h = 4$$

Goal state:

1	2	3
8		4
7	6	5

$$f = 1 + 5 = 6$$

$$g = 1, h = 5$$

2	8	3
1	6	4
7		5

$$g = 1$$

$$h = 5$$

$$b = 1 + 5$$

$$= 6$$

2	8	3
1	4	
7	6	5

$$g = 1$$

$$h = 3$$

$$b = 1 + 3 = 4$$

2	8	3
1	6	4
7	5	

2	8	3
1	4	
7	6	5

$$g = 2$$

$$h = 3$$

$$b = 2 + 3$$

$$= 5$$

2	8	3
1	8	4
7	6	5

$$g = 2$$

$$h = 3$$

$$b = 0 + 3$$

$$= 3$$

2	8	3
1	4	
7	6	5

$$g = 2$$

$$h = 4$$

$$b = 2 + 1$$

$$= 3$$

2	8	3
1	4	
7	6	5

$$g = 3$$

$$h = 3$$

$$b = 3 + 3 = 6$$

$$= 6$$

1	2	3
8		4
7	6	5

$$g = 3$$

$$h = 4$$

$$b = 7$$

$$= 7$$

$$g = 3$$

$$h = 5$$

$$b = 3 + 2$$

$$= 5$$

2	8	3
1	4	
7	6	5

$$g = 4$$

$$h = 6$$

$$b = 7$$

$$= 7$$

1	2	3
8		4
7	6	5

$$g = 5$$

$$h = 0$$

$$b = 5 + 0$$

$$= 5$$

1	2	3
7	8	4
6	5	

$$g = 5$$

$$h = 2$$

$$b = 7$$

$$= 7$$

Final state

Algorithm

- 1) Create the start node with initial state and set its cost = 0.
- 2) Create an empty priority queue called frontier and add the start node to it.
- 3) Create an empty set called explored set to store visited states.
- while frontier is not empty,
- 4) pop the nodes with the lowest cost from the frontier, (this is the current node).
- 5) if the current node's state matches the goal state, return the path to this node.
- 6) Add the current node's state to the explored set.
- for each neighbour of current node:
- 7) calculate the depth $g + 1$, the current node's depth + 1.
- 8) calculate the heuristic h by counting the number of misplaced in the neighbour's state.
- 9) calculate the total cost $f = g + h$.
- 10) if the neighbour's state is not in explored
- (i) set the neighbour's cost to f . and
- (ii) add the neighbour to the frontier.
- (iii) Add neighbour's state to the explored set.
- 11) if no node found, return failure.

~~closed list is empty, then frontier is empty~~

~~if no node found, then frontier is empty~~

~~for i=1 to n do~~

~~initial front > closed - visiting~~

~~visiting - closed, but not~~

~~closed - visiting > frontier~~

```

import heapq

goal_state = [[1, 2, 3],
              [8, 0, 4],
              [7, 6, 5]]

def find_zero(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return (i, j)

def move(state, direction):
    new_state = [row[:] for row in state]
    i, j = find_zero(state)
    if direction == "up" and i > 0:
        new_state[i][j], new_state[i-1][j] = new_state[i-1][j], new_state[i][j]
    elif direction == "down" and i < 2:
        new_state[i][j], new_state[i+1][j] = new_state[i+1][j], new_state[i][j]
    elif direction == "left" and j > 0:
        new_state[i][j], new_state[i][j-1] = new_state[i][j-1], new_state[i][j]
    elif direction == "right" and j < 2:
        new_state[i][j], new_state[i][j+1] = new_state[i][j+1], new_state[i][j]
    else:
        return None
    return new_state

def is_goal(state):
    return state == goal_state

def misplaced_tiles(state):
    return sum(1 for i in range(3) for j in range(3)
              if state[i][j] != goal_state[i][j] and state[i][j] != 0)

def a_star(initial_state):
    priority_queue = []
    heapq.heappush(priority_queue, (0, initial_state, [], 0))
    visited = set()

    while priority_queue:
        f, state, path, g = heapq.heappop(priority_queue)
        print("Exploring state in A*:")
        print_state(state)

        if is_goal(state):
            return path

        visited.add(tuple(map(tuple, state)))

        for direction in ["up", "down", "left", "right"]:
            new_state = move(state, direction)
            if new_state is not None:
                if tuple(map(tuple, new_state)) not in visited:
                    heapq.heappush(priority_queue, (f + 1, new_state, path + [direction], g + 1))

```

```

for direction in ["up", "down", "left", "right"]:
    new_state = move(state, direction)
    if new_state and tuple(map(tuple, new_state)) not in visited:
        h = misplaced_tiles(new_state)
        new_g = g + 1
        new_f = new_g + h
        heapq.heappush(priority_queue, (new_f, new_state, path + [direction], new_g))

return None

def print_state(state):
    for row in state:
        print(row)
    print()

def get_initial_state():
    print("Enter the initial state (0 for empty space):")
    initial_state = []
    for i in range(3):
        row = list(map(int, input(f"Enter row {i+1} (space-separated): ").strip().split())))
        if len(row) != 3:
            raise ValueError("Each row must contain exactly 3 numbers.")
        initial_state.append(row)
    return initial_state

if __name__ == "__main__":
    initial_state = get_initial_state()
    print("Initial State:")
    print_state(initial_state)
    print("Solving using A* search:")
    a_star_solution = a_star(initial_state)

    if a_star_solution:
        print("A* Solution:", a_star_solution)
    else:
        print("No solution found with A*.")

```

Output:

[7, 6, 5]

Enter the initial state (0 for empty space):

Enter row 1 (space-separated): 2 8 3

Enter row 2 (space-separated): 1 6 4

Enter row 3 (space-separated): 0 7 5

Initial State:

[2, 8, 3]

[1, 6, 4]

[0, 7, 5]

Exploring state in A*:

[2, 0, 3]

[1, 8, 4]

[7, 6, 5]

Exploring state in A*:

[0, 2, 3]

[1, 8, 4]

[7, 6, 5]

Solving using A* search:

Exploring state in A*:

[2, 8, 3]

[1, 6, 4]

[0, 7, 5]

Exploring state in A*:

[1, 2, 3]

[0, 8, 4]

[7, 6, 5]

Exploring state in A*:

[2, 8, 3]

[1, 6, 4]

[7, 0, 5]

Exploring state in A*:

[1, 2, 3]

[8, 0, 4]

[7, 6, 5]

Exploring state in A*:

[2, 8, 3]

[1, 0, 4]

A* Solution: ['right', 'up', 'up', 'left', 'down', 'right']

LAB PROGRAM 5 (B)

Implement Hill Climbing Algorithm.

22/10/24

Lab Program - 5

Implement Hill climbing search algorithm to solve n-queen problem.

function to calculate number of attacking pair

function cal-attack(board):

 attack = 0

 for each queen i in board:

 for each queen j after i in board:

 if queens i in j are attacking:

 attack++

return attack

function generate_neighbour(board):

 neighbour = copy(board)

 randomly select a column to move queen

 randomly select a new row for the queen in selected col.

 update neighbour with the new queen position

 return neighbour

function hill-climbing-nqueen(n):

 current_board = generate-random-board(n)

 current_attacks = cal-attacks(current_board)

 while cur_attacks > 0:

 neighbour = generate_neighbour(current_board)

 neighbour_attacks = cal-attacks(neighbour)

 if neighbour_attacks < current_attacks:

 current_board = neighbour

 current_attacks = neighbour_attacks

else consider other moves or explore local minima
 continuing current-board

$$n=4$$

solution = hill climbing, n queens (n)

current sol

state 1.000 \rightarrow state 2.000

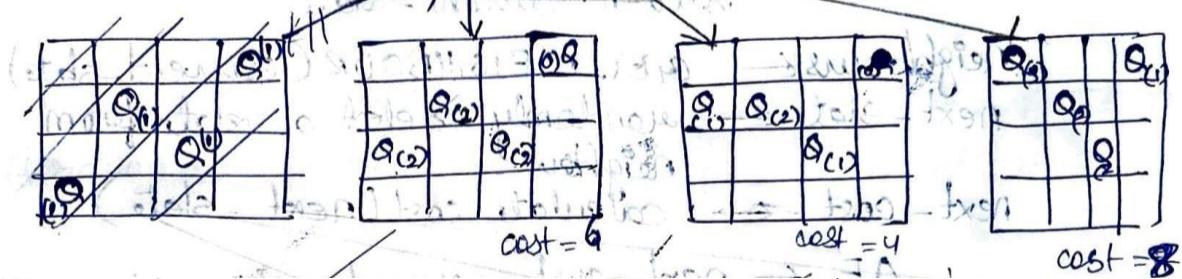
(false alarms) true solution \rightarrow local maxima

& later space exploration at a many \downarrow width

	0	1	2	3
0	8	4	5	$Q_{(1)}$
1	4	$Q_{(2)}$	7	6
2	6	8	$Q_{(3)}$	4
3	$Q_{(4)}$	6	4	8

Total no Q clashes = 2

cost = 4



Local max reached at iteration 0

No solution, only restarting as $h \leq \text{cost}$?

and testing both randomizing

initialization

randomization

for

Implement Hill Climbing search algorithm to solve N-Queens problem

```
import random

def is_safe(board, row, col, n):
    """Checks if it's safe to place a queen at the given position."""
    for i in range(row):
        if board[i] == col or \
           abs(board[i] - col) == row - i:
            return False
    return True

def calculate_heuristic(board, n):
    """Calculates the number of pairs of queens attacking each other."""
    heuristic_value = 0
    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or abs(board[i] - board[j]) == j - i:
                heuristic_value += 1
    return heuristic_value

def hill_climbing_nqueens(n):
    """Solves the N-Queens problem using hill climbing."""
    current_board = [random.randint(0, n - 1) for _ in range(n)]
    current_heuristic = calculate_heuristic(current_board, n)

    while True:
        neighbors = []
        for row in range(n):
            for col in range(n):
                if current_board[row] != col:
                    neighbor_board = current_board[:]
                    neighbor_board[row] = col
                    neighbors.append(neighbor_board)

        best_neighbor = None
        best_neighbor_heuristic = current_heuristic

        for neighbor in neighbors:
            neighbor_heuristic = calculate_heuristic(neighbor, n)
            if neighbor_heuristic < best_neighbor_heuristic:
                best_neighbor_heuristic = neighbor_heuristic
                best_neighbor = neighbor

        if best_neighbor is None:
            break # No better neighbor found, local optima reached

        current_board = best_neighbor
        current_heuristic = best_neighbor_heuristic

    return current_board, current_heuristic
```

```

def print_board(board):
    n = len(board)
    for row in range(n):
        line = ""
        for col in range(n):
            if board[row] == col:
                line += "Q "
            else:
                line += "."
        print(line)

```

```

# Example usage for 8-Queens
n = 8
solution, heuristic = hill_climbing_nqueens(n)

```

```

if heuristic == 0:
    print("Solution found:")
    print_board(solution)
else:
    print("Local optima reached, not a perfect solution.")
    print("Heuristic value:", heuristic)
    print_board(solution)

```

.. . . Q	4	3	1
. . Q .	Q Q . .	Q . . .
. Q Q	. Q . .	. Q . .
Q . . .	Q . . .	Q Q
6	2	2	6
Q . . .	Q Q . .	. Q . .
. . Q Q	. Q Q .
. Q . .	. Q . .	Q Q
Q . . .	Q Q	
	2	2	
	Q Q . .	
4	. . . Q	. . Q .	4
Q Q Q .	. Q . .
. . Q Q	Q Q .
. Q . .	. Q Q	. . . Q
Q . . .	1	1	
	. . Q .	. . Q .	
	. Q . .	. Q . .	
4	Q Q . .	
Q Q	Q . . .	
. . . Q	4	. . . Q	
. Q . .	. Q . .	. Q . .	
Q . . .	Q . . .	Q . . .	
2		4	2
Q . . .	3	Q . . .	Final Board Configuration
. . . Q	. Q Q	
. Q . .	. Q . .	Q . . .	
Number of Cost: 26	Q Q	

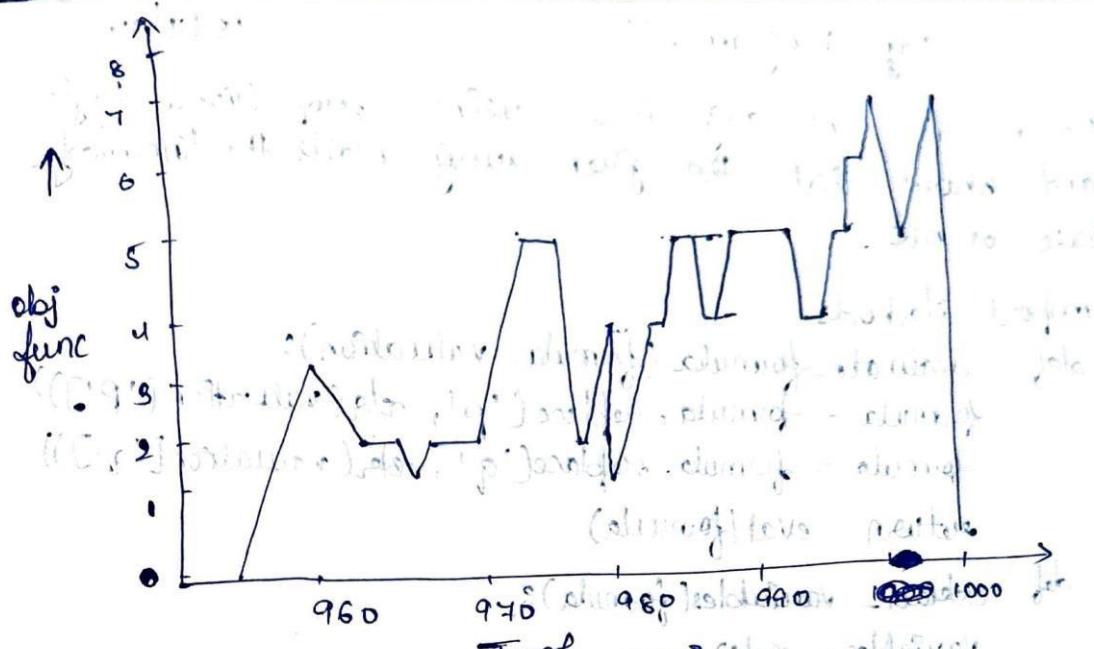
LAB PROGRAM 6

Write a program to implement Simulated Annealing Algorithm

29/10/2023 Lab Program - 6

Implement simulated Annealing Algorithms :-

```
function SIMULATED_ANNEALING (initial-state, schedule,
                                max-iterations) & return a sol state
    current-state ← initial-state
    current-cost ← calculate-cost (current-state)
    for t from 0 to max-iterations - 1 do
        T ← schedule (t)
        if T = 0 then
            return current-state
        if current-cost = 0 then
            return current-state
        neighbours ← GET_NEIGHBOUR (current-state)
        next-state ← randomly select a state from
                     neighbours
        next-cost ← calculate-cost (next-state)
        ΔE ← next-cost - current-cost
        if ΔE < 0 or random() < e^(-ΔE/T), then
            current-state ← next-state
            current-cost ← next-cost
        print ("Iteration", t, " : current-state :",
              current-state, " Cost : ", " current-cost ", T)
    point ("max iterations reached without finding
           a solution :")
    return none
```



Tempo \rightarrow Cost = cost function

For 4 Queens Problem: changing is zero cost

3	1	2	0
---	---	---	---

 initial state (cost) 0, T = 1000.0

Iteration 0: Current state: $[3, 1, 2, 0]$, cost = 2, $T = 1000.0$

Next state: $[0, 1, 2, 0]$, Next cost = 4

Delta E = 2, Acceptance probability = 0.9989

Acceptance probability = 0.9989, $T = 959$

Iteration 1: Current state: $[0, 1, 2, 1]$, cost = 2, $T = 959$

Next state = $[2, 0, 3, 1]$, Next cost = 0

Delta E = 2, Acceptance probability = 0.002

Acceptance probability = 0.002

Solution found at iteration 142: $[2, 0, 3, 1]$ with cost 0.

(After 142 iterations, cost = 0, time = 142.87)

(Average cost = 0.002, sum of cost = 0.002, average cost = 0.002)

Second queen number = 2, 3rd queen number = 0, 4th queen number = 1

Initial state: $[3, 1, 2, 0]$

Final state: $[2, 0, 3, 1]$ (Therefore cost = 0)

Cost = 0, therefore cost = 0

Cost = 0, therefore cost = 0

Write a program to implement Simulated Annealing.

```
import numpy as np
from scipy.optimize import dual_annealing

def queens_max(position):
    # This function calculates the number of pairs of queens that are not attacking
    # each other position = np.round(position).astype(int) # Round and convert to
    # integers for queen positions n = len(position)
    queen_not_attacking = 0

    for i in range(n -
                   1):
        no_attack_on_
        j = 0 for j in
        range(i + 1, n):
            # Check if queens are on the same row or on the same diagonal
            if position[i] != position[j] and abs(position[i] -
                position[j]) != (j - i): no_attack_on_j += 1
        if no_attack_on_j == n -
            1 - i:
            queen_not_attacking
            += 1
    if queen_not_attacking ==
        n - 1:
        queen_not_attacking
        += 1
    return -queen_not_attacking # Negative because we want to maximize this value

# Bounds for each queen's position (0 to 7 for an 8x8
chessboard) bounds = [(0, 7) for _ in range(8)]

# Use dual_annealing for simulated annealing
optimization_result =
dual_annealing(queens_max, bounds)

# Display the results
best_position = np.round(result.x).astype(int)
best_objective = -result.fun # Flip sign to get the number of non-attacking queens

print('The best position found is:', best_position)
print('The number of queens that are not attacking each other is:', best_objective)
```

OUTPUT:

```
The best position found is: [6 3 1 7 5 0 2 4]
The number of queens that are not attacking each other is: 8
```

LAB PROGRAM 7

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Lab Program - 7

12/11/24

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

```
import itertools
def evaluate_formula(formula, valuation):
    formula = formula.replace('p', str(valuation['p']))
    formula = formula.replace('q', str(valuation['q']))
    return eval(formula)
def extract_variables(formula):
    variables = set()
    for char in formula:
        if char.isalpha():
            variables.add(char)
    return list(variables)
def generate_knowledge_table(kb, query):
    variables = extract_variables(kb) + extract_variables(query)
    valuations = list(set(variables))
    kb_truth = True
    query_truth = evaluate_formula(query, valuation)
    entails_query = True
    for assignment in itertools.product([False, True], repeat=len(variables)):
        valuation = dict(zip(variables, assignment))
        kb_valuation = evaluate_formula(kb, valuation)
        if kb_truth and not query_truth:
            entails_query = False
        kb_truth = evaluate_formula(kb, valuation)
        query_truth = evaluate_formula(query, valuation)
    return kb, query, kb_truth, query_truth, entails_query
kb = input("Enter the knowledge base")
query = input("Enter the query:")
generate_knowledge_table(kb, query)
```

O/p

enter the knowledge base (e.g., 'p and (p \neq q)') : p \neq q

enter the query (e.g. 'q') : q

Truth table:

P	q	KB	Query
F	F	T	F
F	T	T	F
T	F	T	F
T	T	F	T

Code:

```
from itertools import product

# Evaluate a logical formula using the assignment of truth values
def evaluate_formula(formula, assignment):
    return eval(formula, { }, assignment)

# Generate all possible truth assignments for the given variables
def generate_all_assignments(variables):
    return [dict(zip(variables, values)) for values in product([True, False],
repeat=len(variables))]

# Create knowledge base and query from user input
def create_knowledge_base():
    print("Please enter the meanings of the following propositions:")
    p = input("Enter the meaning of proposition p : ")
    q = input("Enter the meaning of proposition q : ")
    r = input("Enter the meaning of proposition r : ")

    print(f"\nYou defined the following propositions:")
    print(f"p: {p}")
    print(f"q: {q}")
    print(f"r: {r}")

    print("\nNow, define the knowledge base (KB) and query (Q) using these propositions.")
    print("You can use 'p', 'q', 'r', 'not', 'or', 'and', and parentheses in your formulas.")

    KB = input("\nEnter the knowledge base (KB) formula : ")
    Q = input("\nEnter the query (Q) formula: ")

    return p, q, r, KB, Q

# Check if the knowledge base (KB) entails the query (Q) by evaluating the truth table
def truth_table_entailment(KB, Q, variables):
    all_assignments = generate_all_assignments(variables)

    print(f"\n{'p':<8}{{'q':<8}}{'r':<8}{{'KB':<8}}{'Q':<8}{{'Entails'}}")

    for assignment in all_assignments:
        KB_value = evaluate_formula(KB, assignment)
        Q_value = evaluate_formula(Q, assignment)
        entails = "Yes" if KB_value == True and Q_value == True else "No"

        print(f"{'assignment['p']':<8}{{'assignment['q']':<8}}{'assignment['r']':<8}{{'KB_value':<8}}{'Q_value':<8}{{'entails'}}")

        if KB_value == True and Q_value == False:
            return False
    return True
```

```

# Main execution
if __name__ == "__main__":
    p, q, r, KB, Q = create_knowledge_base()
    variables = ['p', 'q', 'r']

    # Check if the KB entails the query Q
    result = truth_table_entailment(KB, Q, variables)

    if result:
        print("\nKB entails Q.")
    else:
        print("\nKB does not entail Q.")

```

OUTPUT

```

Please enter the meanings of the following propositions:
Enter the meaning of proposition p : "It is raining"
Enter the meaning of proposition q : "The ground is wet"
Enter the meaning of proposition r : "The sun is shining"

You defined the following propositions:
p: "It is raining"
q: "The ground is wet"
r: "The sun is shining"

Now, define the knowledge base (KB) and query (Q) using these propositions.
You can use 'p', 'q', 'r', 'not', 'or', 'and', and parentheses in your formulas.

Enter the knowledge base (KB) formula : p and q

Enter the query (Q) formula: q

      p      q      r      KB      Q      Entails
      1      1      1      1      1      Yes
      1      1      0      1      1      Yes
      1      0      1      0      0      No
      1      0      0      0      0      No
      0      1      1      0      1      No
      0      1      0      0      1      No
      0      0      1      0      0      No
      0      0      0      0      0      No

KB entails Q.

```

LAB PROGRAM 8

Create a knowledge base using prepositional logic and prove the given query using resolution.

CODE:

```
from typing import List, Set, Dict, Union

def unify(literal1: str, literal2: str) -> Union[Dict[str, str], None]:
    """
    Unify two literals and return a substitution dictionary, or None if they cannot be unified.
    """
    if literal1 == literal2:
        return {}
    if literal1.startswith("~") and literal2.startswith("~"):
        return None
    if literal1.startswith("~"):
        neg, pos = literal1, literal2
    else:
        neg, pos = literal2, literal1

    if neg[1:] == pos:
        return {}
    return None

def apply_substitution(clause: Set[str], substitution: Dict[str, str]) -> Set[str]:
    """
    Apply a substitution to a clause.
    """
    new_clause = set()
    for literal in clause:
        for var, value in substitution.items():
            literal = literal.replace(var, value)
        new_clause.add(literal)
    return new_clause

def resolve(clause1: Set[str], clause2: Set[str]) -> Union[Set[str], None]:
    """
    Resolves two clauses. Returns the resolvent clause or None if resolution is not possible.
    """
    for lit1 in clause1:
        for lit2 in clause2:
            substitution = unify(lit1, lit2)
            if substitution is not None:
                # Create a new clause with unified literals removed
                new_clause = (clause1 - {lit1}) | (clause2 - {lit2})
                return apply_substitution(new_clause, substitution)
    return None

def resolution(knowledge_base: List[Set[str]], query: Set[str]) -> bool:
```

```

"""
Implements the resolution algorithm.

"""

# Negate the query and add it to the knowledge base
negated_query = f"~{literal}" if not literal.startswith("~") else literal[1:] for literal
in query} clauses = knowledge_base + [negated_query]

new_clause

s = set()

while True:
    pairs = [(clauses[i], clauses[j]) for i in range(len(clauses)) for j in range(i + 1,
    len(clauses))] for clause1, clause2 in pairs:
        resolvent = resolve(clause1,
        clause2) if resolvent is not
        None:
            if not resolvent: # Empty clause
                found return True
            new_clauses.add(frozenset(resolv
            ent))

    # If no new clauses are generated, resolution
    has failed if all(frozenset(c) in new_clauses
    for c in clauses):
        return False

    # Add new clauses to the set of clauses
    clauses.extend(map(set, new_clauses))

if __name__ == "__main__":
    print("Enter knowledge base (clauses) as sets of literals (comma-
    separated.)") print("Example: Likes(John, Food), Food(Apple). Enter
    'done' when finished.")

knowledge
_base = []
while True:
    clause = input("Clause:
").strip() if
    clause.lower() ==
    "done":
        break
    knowledge_base.append(set(lit.strip() for lit in clause.split(',')))

print("Enter query as a set of literals (comma-
separated.") query = set(lit.strip() for lit in
input("Query: ").strip().split(','))

result = resolution(knowledge_base, query)
print("Result:", "Entailed (True)" if result else "Not Entailed (False)")

```

OUTPUT:

```
Enter knowledge base (clauses) as sets of literals (comma-separated).
Example: Likes(John, Food), Food(Apple). Enter 'done' when finished.
Clause: Likes(John, Food), Food(Apple)
Clause: ~Likes(John, Apple)
Clause: done
Enter query as a set of literals (comma-separated).
Query: Likes(John, Apple)
Result: Entailed (True)
```

Resolution in FOL and generation of proof tree key:

Resolution \vdash $\neg \text{resolution}$ \vdash $\neg \text{resolution} \wedge \neg \neg \text{resolution} \vdash \neg \neg \text{resolution} \vdash \text{resolution}$

1. It's a crime for an American to sell weapons to hostile nations.

$\neg \forall p \forall q \forall u (\text{American}(p) \wedge \text{Weapon}(q) \wedge \text{Sells}(p, q, u)$

$\neg \forall p \forall q \forall u (\text{American}(p) \wedge \text{Weapon}(q) \wedge \text{Sells}(p, q, u) \wedge \neg \text{Hostile}(u) \wedge \neg \text{Criminal}(p))$

$\neg \forall p \forall q \forall u (\text{American}(p) \wedge \text{Weapon}(q) \wedge \text{Sells}(p, q, u) \wedge \neg \text{Hostile}(u) \wedge \neg \text{Criminal}(p) \wedge \neg \text{Hostile}(u) \wedge \text{Criminal}(p))$

2. Country A has some missiles

$\exists x (\text{Owes}(A, x) \wedge \text{Missile}(x))$

$\neg \text{Owes}(A, T) \wedge \text{Missile}(T)$

3. All missiles were sold to country A by Robert.

$\forall x (\text{Missile}(x) \wedge \text{Owes}(A, x) \Rightarrow \text{Sells}(\text{Robert}, x, A))$

$\neg \text{Missile}(x) \vee \neg \text{Owes}(A, x) \vee \neg \text{Sells}(\text{Robert}, x, A)$

4. Missiles are weapons

$\forall x (\text{Missile}(x) \Rightarrow \text{Weapon}(x))$

$\neg \text{Missile}(x) \vee \text{Weapon}(x)$

5. enemy of America is hostile

$\forall x (\text{Enemies}(x, \text{America}) \Rightarrow \text{Hostile}(x))$

$\neg \text{Enemies}(x, \text{America}) \vee \neg \text{Hostile}(x)$

6. Robert is an American $\therefore \text{American}(\text{Robert})$

7. Country A is an enemy of America.

$\neg \text{Enemies}(A, \text{America})$.

\rightarrow Goal : $\text{Criminal}(\text{Robert})$

* Resolution : $\neg \text{Criminal}(\text{Robert})$

Proof Tree showing a refutation tree for the following sentence:

$\neg \text{American}(p) \vee \neg \text{Weaken}(q) \vee \neg \text{Sells}(p, q, r)$

$\vee \neg \text{Hostile}(s) \vee \text{Criminal}(p)$

criminal
(Robert)

$\neg \text{American}(p) \vee \neg \text{Weaken}(q) \vee \neg \text{Sells}(p, q, r) \vee \neg \text{Hostile}(s) \vee \text{American}(\text{Robert})$

$\neg \text{American}(p) \vee \neg \text{Weaken}(q) \vee \neg \text{Sells}(p, q, r) \vee \neg \text{Hostile}(s) \vee \neg \text{Missile}(x)$

~~missile~~
owns(A, x)

$\neg \text{American}(p) \vee \neg \text{Weaken}(q) \vee \neg \text{Sells}(p, q, r) \vee \neg \text{Hostile}(s) \vee \neg \text{Missile}(x) \vee \neg \text{Sells}(p, q, r)$

~~sells~~
~~Robert~~

~~(q) American x (r) sells~~

$\neg \text{Weaken}(q) \vee \neg \text{Sells}(p, q, r) \vee \neg \text{Hostile}(s) \vee \neg \text{Missile}(x)$

~~((x) sells A (x) American) -> Missile(x)~~

~~(x) missile A (x) American X Weaken(x)~~

$\neg \text{Sells}(p, q, r) \vee \neg \text{Hostile}(s) \vee \neg \text{Missile}(x)$

~~(p, q, Robert) sells <=> (p, q) sells A (x) sells (x) X Missile(x)~~

$\neg \text{Sells}(p, q, r) \vee \neg \text{Hostile}(s) \vee \neg \text{Missile}(x)$

~~missile~~
owns(A, x)

$\neg \text{Hostile}(s) \vee \neg \text{owns}(A, x)$

~~owns(A, x)~~

$\neg \text{Hostile}(s) \vee \neg \text{Hostile}(r)$

~~sur
exists~~

LAB PROGRAM 9

Implement unification in first order logic.

```
#Implement unification in first order logic.

class
    UnificationError(Exce
    ption): pass

def unify(expr1, expr2,
    substitutions=None): if
    substitutions is None:
        substitutions = { }

    # If both expressions are identical, return current
    substitutions if expr1 == expr2:
        return substitutions

    # If the first expression is a
    variable if
    is_variable(expr1):
        return unify_variable(expr1, expr2, substitutions)

    # If the second expression is a
    variable if is_variable(expr2):
        return unify_variable(expr2, expr1, substitutions)

    # If both expressions are compound
    expressions if is_compound(expr1) and
    is_compound(expr2):
        if expr1[0] != expr2[0] or len(expr1[1:]) !=
            len(expr2[1:]): raise
            UnificationError("Expressions do not match.")
        return unify_lists(expr1[1:], expr2[1:], unify(expr1[0], expr2[0], substitutions))

    # If expressions are not compatible
    raise UnificationError(f"Cannot unify {expr1} and {expr2}.")

def unify_variable(var, expr,
    substitutions): if var in
    substitutions:
        return unify(substitutions[var], expr,
            substitutions) elif occurs_check(var, expr,
            substitutions):
            raise UnificationError(f"Occurs check failed: {var} in
                {expr}.") else:
                substitutions[var]
                = expr return
                substitutions
```

```

def unify_lists(list1, list2,
    substitutions): for expr1,
    expr2 in zip(list1, list2):
        substitutions = unify(expr1, expr2,
    substitutions) return substitutions

def is_variable(term):
    return isinstance(term, str) and term[0].islower()
def is_compound(term):
    return isinstance(term, (list, tuple)) and len(term) > 0

def occurs_check(var, expr,
    substitutions): if var == expr:
        return True
    elif is_compound(expr):
        return any(occurs_check(var, sub, substitutions) for
    sub in expr) elif expr in substitutions:
        return occurs_check(var, substitutions[expr],
    substitutions) return False

# Function to parse input into a usable expression
format def parse_expression(expr_str):
    # Try to evaluate the expression as a
    tuple or list try:
        expr = eval(expr_str)
        if isinstance(expr, (tuple, list)) and
            len(expr) > 0: return expr
        else:
            raise ValueError("Expression must be a non-empty tuple or
    list.") except Exception as e:
            raise ValueError(f"Invalid expression format: {e}")

# Example usage: allow user input for the expressions
try:
    expr1_str = input("Enter the first expression (e.g., ('f', 'x', ('g', 'y'))): ")
    expr2_str = input("Enter the second expression (e.g., ('f', 'a', ('g', 'b'))): ")

```

OUTPUT:

```

Enter the first expression (e.g., ('f', 'x', ('g', 'y'))): ('P', 'x', 'a', 'b')
Enter the second expression (e.g., ('f', 'a', ('g', 'b'))): ('P', 'y', 'z', 'b')
Unified substitutions: {'x': 'y', 'a': 'z'}

```

HIM: Implement unification in first order logic.

Pseudo code

```
FUNCTION unify(expr1, expr2, substitutions):
    IF expr1 == expr2:
        RETURN substitutions
    IF is-variable(expr1):
        RETURN unify-variable(var1, expr2, substitutions)
    IF is-variable(expr2):
        RETURN unify-variable(expr1, var2, substitutions)
    IF is-compound(expr1) AND is-compound(expr2):
        IF expr1[0] != expr2[0] OR len(expr1[1:]) != len(expr2[1:]):
            RAISE "UnificationError: Expressions do not match."
        FOR each pair(arg1, arg2) IN zip(expr1[1:], expr2[1:]):
            substitutions = unify(arg1, arg2, substitutions)
        RETURN substitutions
    RAISE "UnificationError: Cannot unify expr1 and expr2."
```

FUNCTION unify-variable(var, expr, substitutions):
 IF var IN substitutions:
 RETURN unify(substitutions[var], expr, substitutions)
 IF occurs-check(var, expr, substitutions):
 RAISE "UnificationError: Occurs check failed."
 substitutions[var] = expr
 RETURN substitutions

FUNCTION occurs-check(var, expr, substitutions):

```
IF var == expr:
    RETURN true
IF is-compound(expr):
    FOR sub IN expr:
        IF occurs-check(var, sub, substitutions):
            RETURN true
    IF expr IN substitutions:
        RETURN occurs-check(var, substitutions[expr], substitutions)
RETURN false
```

Questions

1. Unify $P(x, a, b)$ and $P(y, f(b))$:
Step 1: compare the predicates, both are P . So the arguments are compatible.

Step 2: Match arguments

Unifier: $\{x=y, z=a\}$

2. Unify $f(x, f(y))$ and $f(z, f(a))$:
Second argument:
Substitution: Σ . ~~$f(y)$ and $f(a)$~~
~~the function f are the same~~

Unifier:

$\{x=z, y=a\}$

3. Is x free in $f(x, g(x))$?

Free variable: x

LAB PROGRAM 10

Convert a given first order logic statement into Conjunctive Normal Form (CNF).
import re

Helper functions to apply the transformations step by step.

1. Eliminate biconditionals and implications

```
def eliminate_biconditionals_implications(expr):
```

Eliminate biconditionals (\Leftrightarrow)

```
expr = re.sub(r'([A-Za-z0-9()]+)\Leftrightarrow([A-Za-z0-9()]+)', r'(\1 \Rightarrow \2) \wedge (\2 \Rightarrow \1)', expr)
```

Eliminate implications (\Rightarrow)

```
expr = re.sub(r'([A-Za-z0-9()]+)\Rightarrow([A-Za-z0-9()]+)', r'\neg\1 \vee \2', expr)
```

```
return expr
```

2. Move negations inward

```
def move_negations_inward(expr):
```

Move negation inside \forall and \exists

```
expr = re.sub(r'\neg((\forall x [A-Za-z0-9()]+))', r'\exists x \neg\1', expr)
```

```
expr = re.sub(r'\neg((\exists x [A-Za-z0-9()]+))', r'\forall x \neg\1', expr)
```

De Morgan's laws

```
expr = re.sub(r'\neg(([^\(\)]+)\vee([^\(\)]+))', r'\neg\1 \wedge \neg\2', expr)
```

```
expr = re.sub(r'\neg(([^\(\)]+)\wedge([^\(\)]+))', r'\neg\1 \vee \neg\2', expr)
```

Double negation elimination

```
expr = re.sub(r'\neg\neg([A-Za-z0-9()]+)', r'\1', expr)
```

```
return expr
```

3. Skolemization: Replace existential quantifiers with Skolem constants/functions

```
def skolemize(expr):
```

Replace $\exists x$ with Skolem constant (G1)

```
expr = re.sub(r'\exists([A-Za-z0-9]+)', r'G1', expr)
```

Existential quantifier -> Skolem function

```
expr = re.sub(r'\exists([A-Za-z0-9]+)(([A-Za-z0-9, ()]+))', r'F1(\2)', expr)
```

```
return expr
```

4. Drop universal quantifiers

```
def drop_universal_quantifiers(expr):
```

Drop \forall quantifiers

```
expr = re.sub(r'\forall([A-Za-z0-9]+)', '', expr)
```

```
return expr
```

5. Distribute AND over OR to get CNF

```
def distribute_and_over_or(expr):
```

Distribute AND over OR

```
expr = re.sub(r'(\([A-Za-z0-9()]+\wedge[A-Za-z0-9()]+\))\vee([A-Za-z0-9()]+)', r'(\1 \vee \2)', expr)
```

```
expr = re.sub(r'([A-Za-z0-9()]+\wedge[A-Za-z0-9()]+\vee[A-Za-z0-9()]+)', r'(\1 \vee \2)', expr)
```

```
return expr
```

```

# Convert to CNF using the above steps
def convert_to_cnf(expr):
    # Step 1: Eliminate biconditionals and implications
    expr = eliminate_biconditionals_implications(expr)
    # Step 2: Move negations inward
    expr = move_negations_inward(expr)
    # Step 3: Skolemize the expression
    expr = skolemize(expr)
    # Step 4: Drop universal quantifiers
    expr = drop_universal_quantifiers(expr)
    # Step 5: Distribute AND over OR to get CNF
    expr = distribute_and_over_or(expr)
    return expr

# Example FOL expressions (from the problem statement)
fol_expressions = [
    "Mary is the mother of John: Mother(Mary, John)",
    "John and Mary are both students: Student(John) ∧ Student(Mary)",
    "If it is raining, then the ground is wet: Raining ⇒ Wet(Ground)",
    "There is a person who knows every other person: ∃x ∀y (x ≠ y ⇒ Knows(x, y))",
    "Nobody is taller than themselves: ∀x ¬Taller(x, x)",
    "All students in the class passed the exam: ∀x (Student(x) ⇒ Passed(x, Exam))",
    "Mary has a pet dog: ∃x (Pet(x) ∧ Dog(x) ∧ Has(Mary, x))",
    "If Alice is a teacher, then Alice teaches mathematics: Teacher(Alice) ⇒ Teaches(Alice, Mathematics)",
    "Everyone loves someone: ∀x ∃y Loves(x, y)",
    "No one is both a teacher and a student: ∀x ¬(Teacher(x) ∧ Student(x))",
    "Every man respects his parent: ∀x (Man(x) ⇒ Respects(x, Parent(x)))",
    "Not all students like both Mathematics and Science: ¬∀x (Student(x) ⇒ (Likes(x, Mathematics) ∧ Likes(x, Science)))"
]

```

Convert and print CNF for each expression
for expr in fol_expressions:

```

print(f"Original FOL Expression: {expr}")
expression = expr.split(":")[1].strip() # Remove the description part and keep the formula
cnf = convert_to_cnf(expression)
print(f"CNF: {cnf}\n")

```

OUTPUT:

Original FOL Expression: Mary is the mother of John: Mother(Mary, John)
CNF: Mother(Mary, John)

Original FOL Expression: John and Mary are both students: Student(John) \wedge Student(Mary)
CNF: Student(John) \wedge Student(Mary)

Original FOL Expression: If it is raining, then the ground is wet: Raining \Rightarrow Wet(Ground)
CNF: \neg Raining \vee Wet(Ground)

Original FOL Expression: There is a person who knows every other person: $\exists x \forall y (x \neq y \Rightarrow \text{Knows}(x, y))$
CNF: G1 ($x \neq y \vee \text{Knows}(x, y)$)

Original FOL Expression: Nobody is taller than themselves: $\forall x \neg \text{Taller}(x, x)$
CNF: $\neg \text{Taller}(x, x)$

Original FOL Expression: All students in the class passed the exam: $\forall x (\text{Student}(x) \Rightarrow \text{Passed}(x, \text{Exam}))$
CNF: $\neg(\text{Student}(x) \vee \neg \text{Passed}(x, \text{Exam}))$

Original FOL Expression: Mary has a pet dog: $\exists x (\text{Pet}(x) \wedge \text{Dog}(x) \wedge \text{Has}(\text{Mary}, x))$
CNF: G1 ($\text{Pet}(x) \wedge \text{Dog}(x) \wedge \text{Has}(\text{Mary}, x)$)

Original FOL Expression: If Alice is a teacher, then Alice teaches mathematics: Teacher(Alice) \Rightarrow Teaches(Alice, Mathematics)
CNF: $\neg \text{Teacher}(\text{Alice}) \vee \text{Teaches}(\text{Alice}, \text{Mathematics})$

Original FOL Expression: Everyone loves someone: $\forall x \exists y \text{Loves}(x, y)$
CNF: G1 Loves(x, y)

Original FOL Expression: No one is both a teacher and a student: $\forall x \neg(\text{Teacher}(x) \wedge \text{Student}(x))$
CNF: $\neg(\text{Teacher}(x) \wedge \text{Student}(x))$

Original FOL Expression: Every man respects his parent: $\forall x (\text{Man}(x) \Rightarrow \text{Respects}(x, \text{Parent}(x)))$
CNF: $\neg(\text{Man}(x) \vee \neg \text{Respects}(x, \text{Parent}(x)))$

Original FOL Expression: Not all students like both Mathematics and Science: $\neg \forall x (\text{Student}(x) \Rightarrow (\text{Likes}(x, \text{Mathematics}) \wedge \text{Likes}(x, \text{Science})))$
CNF: $\neg \neg(\text{Student}(x) \vee (\neg \text{Likes}(x, \text{Mathematics}) \wedge \neg \text{Likes}(x, \text{Science})))$

First order logic

1. Translate FOL and WPL sentences into FOL.

(1) "John is a human".
Human(John)

(2) "Every human is mortal."
 $\forall x \text{Human}(x) \rightarrow \text{Mortal}(x)$

(3) "John leaves Mary".
Leaves(John, Mary)

(4) "There is someone who leaves Mary".
 $\exists x \text{Leaves}(x, \text{Mary})$

(5) "All dogs are animals".
 $\forall x \text{Dog}(x) \rightarrow \text{Animal}(x)$

(6) "Some dogs are barking".
 $\exists x \text{Dog}(x) \wedge \text{Barking}(x)$

2. Translation of informal statements into English

(a) $\exists x(H(x) \wedge \forall y(\neg M(x, y)) \wedge U(x))$

$H(x)$ means "x is a man".
 $M(x, y)$ means "x is married to y".
 $U(x)$ means "x is unhappy".
 $\forall y(\neg M(x, y))$:
 x is not married to any y.
 $U(x)$: x is unhappy.

\Rightarrow "There exists a man who is not married to anyone and is unhappy."

(b) $\exists z(P(z, x) \wedge S(z, y) \wedge W(y))$

$P(z, x)$: z is a parent of x.
 $S(z, y)$: z and y are siblings.
 $W(y)$: y is a woman.

"There exists a person who is a parent of x, is a sibling of y and y is a woman".

"Person is a parent".
 Person is a sibling".

"Person is a woman".

"Person is a sibling of person".

"Person is a woman".

"Person is a sibling".

"Person is a sibling of person".

"Person is a sibling".

Pseudocode

function translate-to-fol(sentence):

sent = lowercase_and_tokenize(sentence)

if sent contains "is a human":

return translate_is_a_human(sent).

else if sent contains "is mortal":

return translate_is_mortal(sent).

else if sentence contains "leaves":

return translate_leaves(sentence).

else if sentence contains "other specific sentence pattern":

return translate_other_sentence_pattern(sentence).

else:

return "Translation not available for this sentence structure".

(4.6)

function translate_is_a_human(sentence):

if sentence matches the pattern "subject is a human":

subject = extracted subject

return "the subject is a human".

(4.7)

function translate_is_mortal(sentence):

if sentence matches the pattern "subject is mortal":

subject = extracted subject

return "the subject is mortal".

(4.8)

function main():

print "please enter sentence to translate: the translator

will ask whether user input is not "exit".

get sentence from the user

if sentence == "exit":

print "translation = unchanged-to-fol(sentence)"

else:

print the fol translation

// end of the program

main()

return 0

(4.9)

return 0

(4.10)

(4.11)

(4.12)

(4.13)

LAB PROGRAM 11

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

3/12/24

AIM: Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Facts:

1. American (Robert)
2. Enemy (A, America)
3. Owns (A, T1)
4. Missile (T1)
5. sells Weapon (Robert, T1)

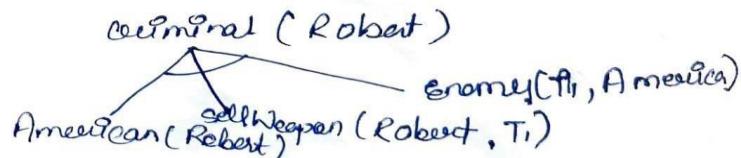
Rule:

$$\text{American}(\text{Robert}) \wedge \text{sellsWeapon}(\text{Robert}, \text{T1}) \wedge \text{Enemy}(\text{A}, \text{America}) \Rightarrow \text{Criminal}(\text{Robert})$$

Representation in FOL

1. American (P) \wedge weapon (Q) \wedge sells (P, Q) \wedge Hostile (Q) \Rightarrow Criminal (P)
2. $\exists x \text{ Owns} (\text{A}, x) \wedge \text{Missile} (x)$
3. Owns (A, T1) \wedge base (T1) \wedge Missile (T1)
4. $\forall x \text{ Missile}(x) \wedge \text{owns}(\text{A}, x) \Rightarrow \text{sells}(\text{Robert}, x, \text{A})$
5. Missile (x) \Rightarrow weapon (x)
6. $\forall x \text{ Enemy} (x, \text{America}) \Rightarrow \text{Hostile} (x)$

Proof tree



CODE:

```
#ForwardReasoning
class ForwardReasoning:
    def __init__(self, rules,
                 facts):
        """
        Initializes the ForwardReasoning system.
```

Parameters:

```
    rules (list): List of rules as tuples (condition, result),
                  where 'condition' is a set of
                  facts. facts (set): Set of initial known
                  facts.
```

.....

```
    self.rules = rules # List of rules (condition -> result)
    self.facts = set(facts) # Known facts
```

```
def
infer(self):
    """

```

Applies forward reasoning to infer new facts based on rules and initial facts.

Returns:

```
    set: Final set of facts after
    reasoning. """
    applied_rules = True
```

while applied_rules:

```
    applied_rules = False
```

```
    for condition, result in self.rules:
```

```
        if condition.issubset(self.facts) and result not in self.facts:
```

```
            self.facts.add(result)
```

```
            applied_rules = True
```

```
            print(f"Applied rule: {condition} -> {result}")
```

```
return self.facts
```

```
# Define rules as (condition, result) where condition is a
set rules = [
    "American(Robert)"
, "Hostile(CountryA)",
"Missile(m1)",
"Owns(CountryA,
m1)",
"Owns(CountryA, m) ^ Missile(m) => Sells(Robert, m,
```

```
CountryA)", "American(x) ^ Hostile(y) ^ Sells(x, z, y) =>  
Criminal(x)"
```

```
]
```

```
# Define initial facts  
facts = {"A", "D"}
```

```
# Initialize and run forward reasoning  
reasoner = ForwardReasoning(rules,  
facts) final_facts = reasoner.infer()
```

```
print("\nFinal  
facts:")  
print(final_facts)
```

OUTPUT:

```
Applied rule: {'American(Robert)'} -> Sells(Robert, m1, CountryA)  
Applied rule: {'Sells(Robert, m1, CountryA)', 'Hostile(CountryA)', 'American(Robert)'} -> Criminal(Robert)  
  
Final facts:  
{'Hostile(CountryA)', 'Sells(Robert, m1, CountryA)', 'Criminal(Robert)', 'Missile(m1)', 'American(Robert)', 'Owns(CountryA, m1)' }  
  
Query 'Criminal(Robert)' inferred: True
```

LAB PROGRAM 12

Implement Alpha-Beta Pruning.

CODE:

```
#Alpha-Beta
Pruning import
math

def minimax(depth, index, maximizing_player, values, alpha,
beta): # Base case: when we've reached the leaf nodes
    if depth == 0:
        return values[index]

    if maximizing_player:
        max_eval = float('-inf')
        for i in range(2): # 2 children per node
            eval = minimax(depth - 1, index * 2 + i, False, values, alpha,
beta) max_eval = max(max_eval, eval)
            alpha = max(alpha, eval)
            if beta <= alpha: # Beta
                cutoff break
        return max_eval else:
        min_eval = float('inf')
        for i in range(2): # 2 children per node
            eval = minimax(depth - 1, index * 2 + i, True, values, alpha,
beta) min_eval = min(min_eval, eval)
            beta = min(beta, eval)
            if beta <= alpha: # Alpha
                cutoff break
        return min_eval

# Accept values from the user
leaf_values = list(map(int, input("Enter the leaf node values separated by spaces: ").split()))

# Check if the number of values is a power
# of 2 if math.log2(len(leaf_values)) % 1 != 0:
    print("Error: The number of leaf nodes must be a power of 2 (e.g., 2, 4, 8,
16).") else:
    # Calculate depth of the tree
    tree_depth = int(math.log2(len(leaf_values)))

# Run Minimax with Alpha-Beta Pruning
```

```
optimal_value = minimax(depth=tree_depth, index=0, maximizing_player=True,  
values=leaf_values, alpha=float('-inf'), beta=float('inf'))
```

```
print("Optimal value calculated using
```

```
Minimax:",optimal_value)
```

OUTPUT:

```
Enter the leaf node values separated by spaces: -1 8 -3 -1 2 1 -3 4  
Optimal value calculated using Minimax: 2
```

17/12/24

AIM: Alpha-Beta Pruning (cutoff) Search Algorithm

```
FUNCTION alpha-beta-pruning(node, depth, alpha,
beta, maximizing-player, path):
    IF depth is 0 OR node is a terminal node THEN
        RETURN node's value, path
    IF maximizing-player THEN
        max-eval = negative infinity
        optimal-path = null
        FOR each child of node DO
            child-value, child-path =
                alpha-beta-pruning(child, depth-1, alpha, beta, FALSE,
                TRUE, path + child's name)
            IF child-value > max-eval THEN
                max-eval = child-value
                optimal-path = child-path
            alpha = maximum(alpha, max-eval)
            IF beta <= alpha THEN
                BREAK
        RETURN max-eval, optimal-path
    ELSE
        min-eval = positive infinity
        optimal-path = null
        FOR each child of node DO
            child-value, child-path =
                alpha-beta-pruning(child, depth-1, alpha, beta,
                TRUE, path + child's name)
            IF child-value < min-eval THEN
                min-eval = child-value
                optimal-path = child-path
            beta = minimum(beta, min-eval)
            IF beta <= alpha THEN
                Break
        RETURN min-eval, optimal-path
```

maximising - player = TRUE
-1 - other = negative INPUT

initial - alpha = negative infinity
initial - beta = positive infinity

$$\text{depth} = 3$$

optimal value; optimal path = alpha - beta pruning (root node, depth, initial - alpha, initial beta, max/minimising-player)

point optimal-value
point optimal-path

Oct 28th do 1912 1239 70°

- etoi - entito - etoip - etoito - eulor - etoife
outbut

The problem of value is right.

the optimal path is $A \rightarrow B \rightarrow D \rightarrow H$

adult - 1st inst - 2nd inst - pupa

Proof Tree → after learning

