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Lab11Simons.m

Madilyn Simons

clc; clear;

Problems 1 and 2

```
% Generate an r-dimensional column vector whose entries are random
% real numbers between -5 and 5 for an integer r between 15 and 25.
r = randi([15 25]);
x = rand(r, 1) .* 10 - 5;
fprintf('Problem 1:\n');
% Problem 1a
ans_la = norminf(x);
fprintf('l inf:\t%f\n', ans_la);
% Problem 1b
ans_1b = norm1(x);
fprintf('norm 1:\t%f\n', ans_1b);
% Problem 1c
ans_1c = norm2(x);
fprintf('norm 2:\t%f\n', ans_1c);
% Problem 1d
ans_1d = normp(x, 3);
fprintf('norm 3:\t%f\n', ans_1d);
fprintf('\nProblem2:\n');
% Problem 2a
ans_2a = norm(x, inf);
fprintf('norm inf:\t%f\n', ans_2a);
% Problem 2b
ans 2b = norm(x, 1);
fprintf('norm 1:\t%f\n', ans_2b);
```

```
% Problem 2c
ans 2c = norm(x, 2);
fprintf('norm 2:\t%f\n', ans_2c);
% Problem 2d
ans_2d = norm(x, 3);
fprintf('norm 3:\t%f\n', ans_2d);
Problem 1:
l inf: 4.705928
norm 1: 75.097692
norm 2: 17.095978
norm 3: 10.624918
Problem2:
norm inf: 4.705928
norm 1: 75.097692
norm 2: 17.095978
norm 3: 10.624918
```

Problem 3a

```
% actual solution
x = [1/7 -1/6];
% approximate solution
x0 = [0.142 -0.166];
% given A, b
A = [1/2 1/3; 1/3 1/4];
b = [1/63; 1/168];
% find the infinity norms of the error
ans_3a1 = error_norm1(x, x0);
ans_3a2 = error_norm2(A, b, x0);
% print the results
fprintf('|x - x0| = %f\n', ans_3a1);
fprintf('|Ax0 - b| = %f\n', ans_3a2);
/x - x0/ = 0.000857
/Ax0 - b/ = 0.126333
```

Problem 3b

```
% actual solution
x = [1.827586 0.6551724 1.965517];
% approximate solution
x0 = [1.8 0.64 1.9];
% given A, b
A = [0.04 0.01 -0.01; 0.2 0.5 -0.2; 1 2 4];
```

```
b = [0.06 0.3 11];
% find the infinity norms of the error
ans_3b1 = error_norm1(x, x0);
ans_3b2 = error_norm2(A, b, x0);
% print the results
fprintf('|x - x0| = %f\n', ans_3b1);
fprintf('|Ax0 - b| = %f\n', ans_3b2);
/x - x0/ = 0.065517
/Ax0 - b/ = 11.700000
```

Problem 4

```
% solutions by hand
fprintf('Eigenvalues by hand:\n');
disp([1; 2]);
fprintf('Eigenvectors by hand:\n');
disp([1 0; 0 1]);
% solutions by MATLAB
[V, D] = eig([1 0; 0 2]);
fprintf('Eigenvalues by MATLAB\n');
disp(D);
fprintf('Eigenvectors by MATLAB\n');
disp(V);
Eigenvalues by hand:
     1
     2
Eigenvectors by hand:
     1
           0
     0
           1
Eigenvalues by MATLAB
     1
           0
     0
           2
Eigenvectors by MATLAB
     1
          0
     0
           1
```

Problem 5

```
% solutions by hand
fprintf('Eigenvalues by hand:\n');
disp([-1; 1]);
fprintf('Eigenvectors by hand:\n');
disp([-1 1; 1 1]);
```

```
% solutions by MATLAB
fprintf('Computer:\n');
[V, D] = eig([0 1; 1 0]);
fprintf('Eigenvalues by MATLAB\n');
disp(D);
fprintf('Eigenvectors by MATLAB\n');
disp(V);
Eigenvalues by hand:
   -1
    1
Eigenvectors by hand:
   -1 1
    1
Computer:
Eigenvalues by MATLAB
   -1
         0
    0
          1
Eigenvectors by MATLAB
  -0.7071 0.7071
   0.7071
             0.7071
```

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