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## Lab9Simons.m

Madilyn Simons

```
clc; clear;
```

### Problem 1

Implement Gaussian elimination with partial pivoting to solve the following linear system:

$$\begin{array}{rrrrrcl} 2x_1 & & & + & x_3 & - & x_4 & = & 6 \\ 6x_1 & + & 3x_2 & + & 2x_3 & - & x_4 & = & 15 \\ 4x_1 & + & 3x_2 & - & 2x_3 & + & 3x_4 & = & 3 \\ -2x_1 & - & 6x_2 & + & 2x_3 & - & 14x_4 & = & 12 \end{array}$$

```
% the number of equations / unknowns
n=4;
```

```
% the linear system represented by an augmented matrix
A = [ 2  0  1  -1  6; ...
      6  3  2  -1 15; ...
      4  3 -2   3  3; ...
     -2 -6  2 -14 12];
```

```
% use Gaussian elimination with partial pivoting to solve the linear
system
x = PartialPivoting(n, A);
```

```
% print the results
for i=1:n
    fprintf('x(%d) = %f\n', i, x(i));
end
```

```
x(1) = 2.000000
x(2) = -0.000000
x(3) = 1.000000
x(4) = -1.000000
```

### Problem 2

Implement Gaussian elimination with scaled partial pivoting to solve the following linear system:

$$\begin{array}{rrrrrcl} ?x_1 & + & ?2x_2 & - & x_3 & + & x_4 & = & 0 \\ ex_1 & - & x_2 & + & x_3 & + & 2x_4 & = & 1 \end{array}$$

---

```

        x1 +    x2 - ?3x3 +    x4 = 2
       -x1 -    x2 +    x3 - ?5x4 = 3

% the number of equations / unknowns
n = 4;

% the linear system represented by an augmented matrix
A = [ pi      sqrt(2)      -1      1  0; ...
      exp(1)    -1        1        2  1; ...
      1         1  -sqrt(3)      1  2; ...
      -1        -1        1  -sqrt(5) 3];

% use Gaussian elimination with scaled partial pivoting to solve the
% linear
% system
x = ScaledPartialPivoting(n, A);

% print the results
for i=1:n
    fprintf('x(%d) = %f\n', i, x(i));
end

x(1) = 1.349449
x(2) = -4.677988
x(3) = -4.032894
x(4) = -1.656638

```

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